

ACD sensor response simulation

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For technical reasons it is easiest to operate in terms of MIP equivalent units as much as possible.

NOTE and WARNING:

Because of non-linearities, this is only self-consistent if you take a very specific meaning of MIP equivalent units. (meq)
Namely, the ratio between the light yeild observed and the most probable light yeild from a single MIP at normal incidence.
So, saying that a signal is 2 mips means that the light yield is twice the light yeild expected from a single MIP at normal incidence.

Some subtleties of this defintion:

- 1) Because of light output saturation heavy ions signals scale like
$$\text{signal}(\text{meq}) = Z^2 * 0.608 + 0.393 \exp(-0.00483 * Z^2),$$

not
$$\text{signal}(\text{meq}) = Z^2.$$

Even though the energy deposited does go like Z^2 .
- 2) Since large signal saturate the electronics, having twice as much light yeild doesn't imply that the measure PHA will be twice as large
- 3) The number is defined against normal incidence tracks. Since we don't know the track angle apriori for any given ACD hit, we can only correct the track incidenc angle only in certain cases when we can associate tracks with ACD hits.
- 4) Geometrical effects on the light attenuation are accounted for in the Monte Carlo _after_ the conversion to MIP equivalent units and are not accounted for in the data at all. This is especially important for ribbons. The signal expressed in MIP equivalent units for ribbons doesn't really mean much, especially if we don't know where along the ribbon the incident track struck.
- 5) For tiles it is easy to extract the PHA value corresponding to the most probable light yeild from a single MIP at normal incidence, for ribbons this is a more complicated process because of the light attenuation along the ribbon and the large fraction of tracks that don't traverse the entire ribbon but only graze the edges.

Furthermore, certain calibrations are very easy to preform/ or have already been done.

Therefore we should operate in terms of the output of those calibrations. Specifically:

- 1) pedestals (low and high range)
- 2a) MIP peaks for tiles
- 2b) PHA value for MIP at normal incidence at end of ribbon for ribbons
- 3) Crossover values in PHA between low and high range readout
- 4) veto threshold expressed in terms of PHA
- 5) cno threshold expressed in terms of PHA
- 6) slope(pha/meq) and saturation(pha) values for high range readout

Description of Monte Carlo signal simulation process.

1) We start with the energy deposited in the tile.

$E_{\text{dep}}(\text{MeV})$ from GEANT.

This includes Z^2 and pathlength effects, but does not include effects of light yield

2) Convert from E_{dep} to photo-electrons(pe):

$$pe_{\text{nom}}(\text{pe}) = E_{\text{dep}}(\text{MeV}) * pe_{\text{per_MeV}}(\text{pe/MeV})$$

To get $pe_{\text{per_MeV}}$ we for tiles we need 3 pieces of information:

2a) $pe_{\text{per_MeV}}$ for tiles comes from:

1.9 (MeV/meq) # $mev_{\text{per_mip}} = 1.9$ (tiles)
 $pe_{\text{per_mip}}(\text{pe/meq})$ # calibration by PMT
saturation factor $S(Z)$ for heavy ions # voltz: $S(Z) = 0.608 + 0.393 \exp(-0.00483 * Z^2)$
attenuation factor from geometry $A(x)$ # only applied close to tile edge

2b) $pe_{\text{per_MeV}}$ for ribbons comes from:

0.45 (MeV/meq) # $mev_{\text{per_mip}} = 0.45$ (ribbons)
 $pe_{\text{per_mip}}(\text{pe/meq})$ # calibration by PMT
saturation factor $S(Z)$ for heavy ions # voltz: $S(Z) = 0.608 + 0.393 \exp(-0.00483 * Z^2)$
attenuation factor from geometry $A(x)$ # applied as a function of length along ribbon/ segment

Combine these data to get $pe_{\text{per_MeV}}$ for the hit in question

$$2c) pe_{\text{per_MeV}}(\text{pe/MeV}) = A(x) * S(Z) * pe_{\text{per_mip}} / mev_{\text{per_mip}}$$

Calculate the nominal # of photo-electrons

$$2d) pe_{\text{nom}}(\text{pe}) = E_{\text{dep}}(\text{MeV}) * pe_{\text{per_MeV}}(\text{pe/MeV})$$

3) Throw Poissons to simulate dynode chain

$$pe_{\text{obs}}(\text{pe}) = \text{PoissonAndGain}(pe_{\text{nom}}, \text{gain}=4, \text{iter}=5)$$

This means we throw a Poisson about pe_{nom} , then scale that number by the $\text{gain}=4$, and throw a Poisson about new number, repeat $\text{iter}=5$ times.

4) Convert the signal into MIP equivalent

$$\text{signal}(\text{meq}) = pe_{\text{obs}}(\text{pe}) / pe_{\text{per_mip}}(\text{pe/meq})$$

Where $pe_{\text{per_mip}}(\text{pe/meq})$ is the same number as used in step 2a or 2b above.

5) Convert signal into PHA bins

5a) First we determine if this is read out in the low or high range. To do this we express the crossover point in terms of mips.
 $\text{xover}(\text{meq}) = (\text{low_max}(\text{pha}) - \text{ped}(\text{pha})) / (\text{peak}(\text{pha}) - \text{ped}(\text{pha}))$ # low_max(pha) is the highest PHA read in the low range

5b) if $\text{signal}(\text{meq}) < \text{xover}(\text{meq})$ we use the low range to read out. It is linear.

$\text{pha_low} = \text{signal}(\text{meq}) * \text{peak}(\text{pha}/\text{meq}) + \text{ped_low}(\text{pha})$
 $\text{pha_low} += \text{Gauss}(\text{ped_low_width}(\text{pha}))$

5c) if $\text{signal}(\text{meq}) > \text{xover}(\text{meq})$ we use the high range to read out. Must account for saturation.

$\text{pha_high} = \text{signal}(\text{meq}) * \text{slope}(\text{pha}/\text{meq}) * \text{saturate}(\text{pha}) / (\text{saturate}(\text{pha}) + \text{slope}(\text{pha}/\text{meq}) * \text{signal}(\text{meq})) + \text{ped_high}(\text{pha})$
 $\text{pha_high} += \text{Gauss}(\text{ped_high_width}(\text{pha}))$

6) determine if the PHA signal is about above zero suppression threshold

if $(\text{pha_low} > \text{pha_thresh})$ keep pha # pha_thresh comes from a calibration

7) determine if the signal is above veto threshold

if $(\text{veto_signal}(\text{meq}) > \text{veto_threshold}(\text{meq}))$ assert veto

get the veto threshold expressed in mips:

7a) $\text{veto_threshold} = \text{use_veto_pha_calib} ?$
 $(\text{veto_thresh_pha}(\text{pha}) - \text{ped}(\text{pha})) / (\text{peak}(\text{pha}/\text{meq}) - \text{ped}(\text{pha}))$: # get the number from a calibration
 $\text{veto_mip}(\text{meq})$ # get the number from job options

add noise to the signal level before comparing to the threshold

7b) $\text{veto_signal}(\text{meq}) = \text{signal}(\text{meq}) + \text{Gauss}(\text{veto_noise}(\text{meq}))$ # veto_noise comes from job options

8) determine if the signal is above cno threshold

if $(\text{cno_signal}(\text{meq}) > \text{cno_threshold}(\text{meq}))$ assert cno

get the cno threshold expressed in mips:

8a) $\text{cno_threshold}(\text{meq}) = \text{use_cno_pha_calib} ?$
 $(\text{saturate}(\text{pha}) * (\text{cno_thresh_pha}(\text{pha}) - \text{ped}(\text{pha}))) / (\text{slope}(\text{pha}/\text{meq}) * (\text{saturate}(\text{pha}) - \text{cno_thresh_pha}(\text{pha}) + \text{ped}(\text{pha})))$:
ped(pha), slope(pha/meq) and saturate(pha) from calibrations
 $\text{cno_mip}(\text{meq})$ # get the number from job options

add noise to the signal level before comparing to the threshold

8b) $\text{cno_signal}(\text{meq}) = \text{signal}(\text{meq}) + \text{Gauss}(\text{cno_noise}(\text{meq}))$

Reconstruction

1) start with pha

1a) if low range use linear scale

$\text{signal}(\text{meq}) = (\text{PHA} - \text{ped}(\text{pha})) / (\text{peak}(\text{pha}) - \text{ped}(\text{pha}))$ # peak(pha) and ped(pha) from calibrations

1b) if high range use saturation eq.

$\text{signal}(\text{meq}) = \text{saturate}(\text{pha}) * (\text{PHA} - \text{ped_high}(\text{pha})) / (\text{slope}(\text{pha}/\text{meq}) * (\text{saturate}(\text{pha}) - \text{PHA} + \text{ped_high}(\text{pha})))$
ped(pha), slope(pha/meq) and saturate(pha) from calibrations

2) express signal in terms of Z.

To do this correctly requires knowing the length_factor of the track in the tile/ribbon

$\text{signal}(\text{meq}) = Z^2 * S(Z) * \text{length_factor}$ where $S(Z) = 0.608 + 0.393 \exp(-0.00483 * Z^2)$

$\text{length_factor} = \text{tile} ? \text{length} / 10\text{mm} : \text{length} / \text{ribbon_width};$

I am not certain that there is an analytic solution for Z, but it can certainly be solved very quickly by iterating.

3) for merit tuple express signal in MeV.

$\text{signal}(\text{MeV}) = \text{signal}(\text{meq}) * \text{mev_per_mip}(\text{MeV}/\text{meq})$ # mev_per_mip = 1.9 MeV/mip for tiles, 0.45 MeV/mip for ribbons

Note that this last step is only accurate in the linear regime. But since it is going in the merit tuple that means it is being used from background rejection, in which case the linear regime is the important one. For GCR calibration (ie, estimating if