

A HADRONIC SYNCHROTRON MIRROR MODEL FOR BLAZARS - APPLICATION TO 3C279

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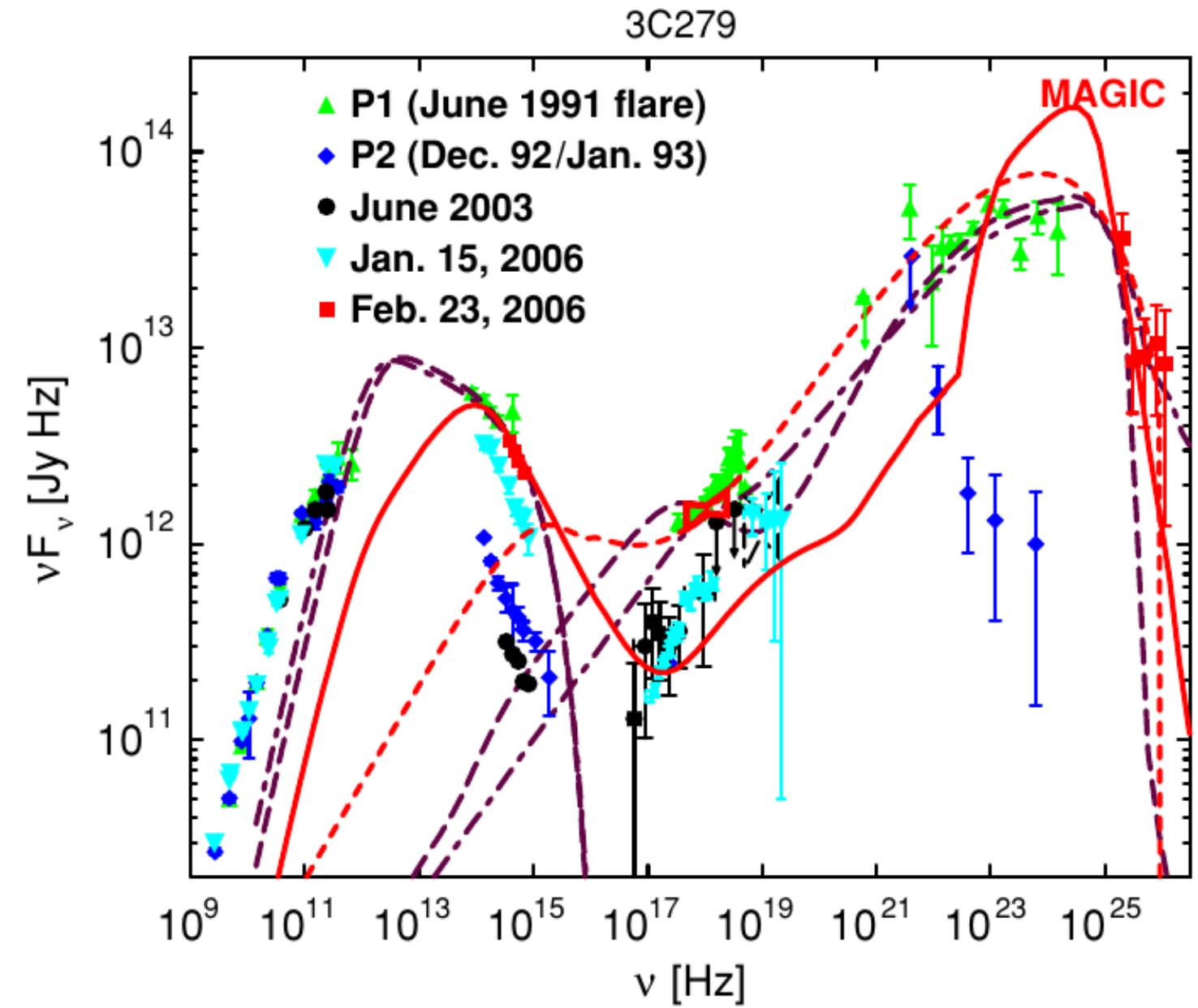
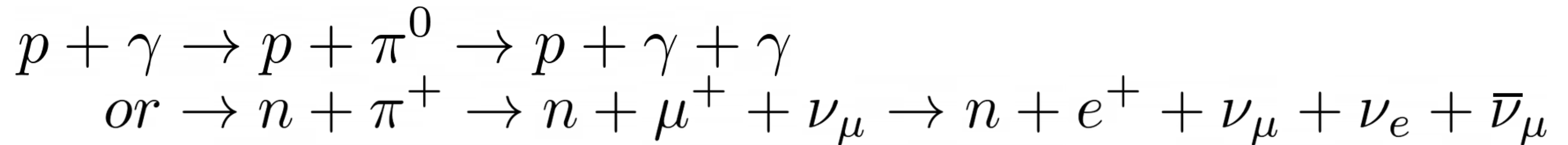
Aim

The motivation behind studying the orphan flares:

- What radiation mechanisms produce orphan TeV flares?
- Are protons accelerated to ultra-relativistic energies in the jets of blazars?
- Are hadronic interactions expected to be associated with the production of very-high-energy neutrinos?
- Why is the variability of 3C 279 sometimes correlated across the electromagnetic spectrum and sometimes not, as seen in other blazars as well?

SEDs

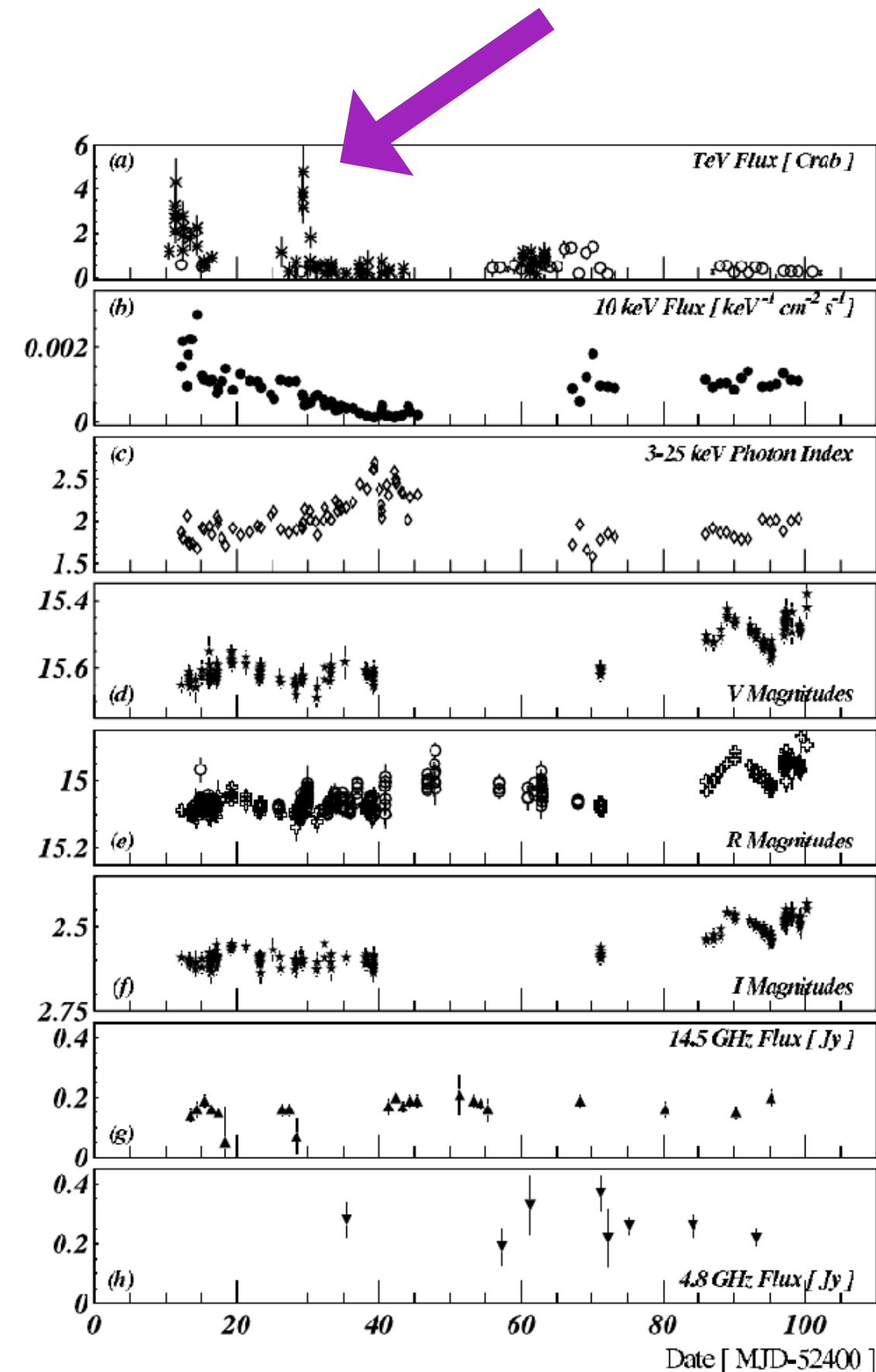
- SEDs of blazars are characterised by two components
- First Component: Electron Synchrotron radiation
- Second Component: can be **leptonic** or **hadronic**:
 - **Compton scattering**
 - **Proton synchrotron radiation**
 - **Photo-Pion Production**



[BÖTTCHER ET AL., 2009]

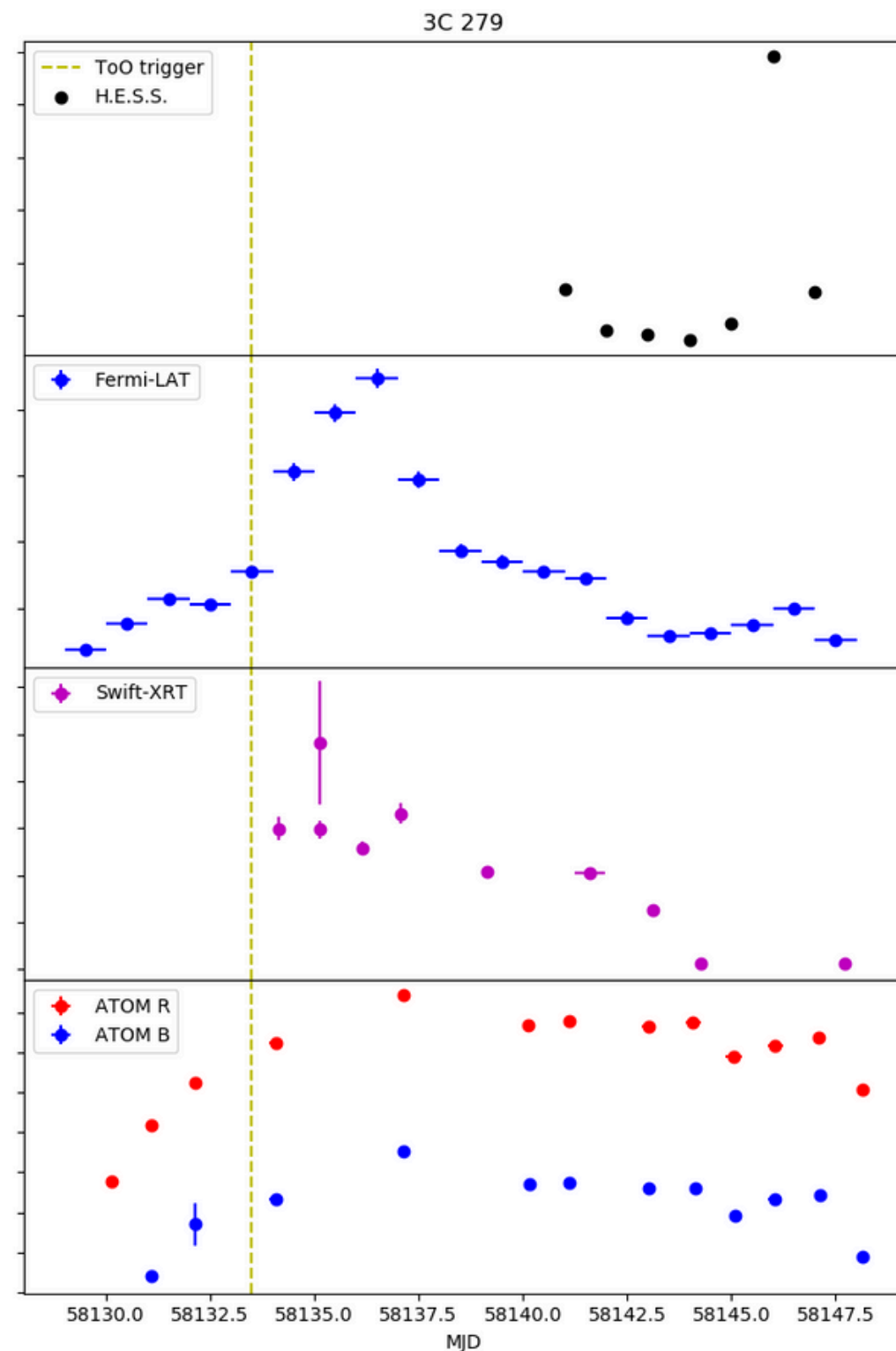
Orphan Flares

- Extreme variability and flaring in different bands
- Flaring in one frequency band unaccompanied by flaring in other bands
- Orphan flares are usually secondary flares



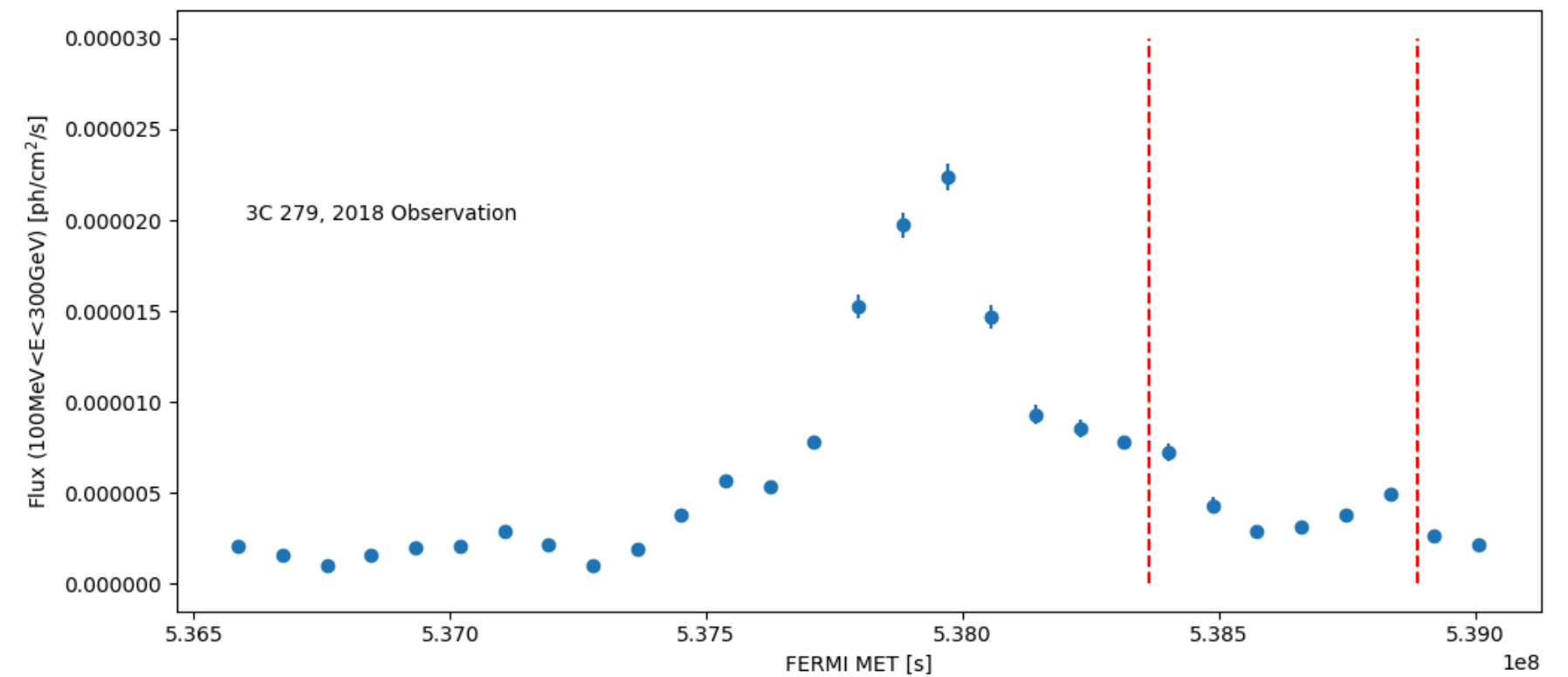
[KRAWCZYNSKI ET AL., 2004]

3C 279 Flare



The Orphan flare - reason for this study

On the 28th of January 2018, eleven days after a Fermi-LAT flare was observed with counterparts in the X-ray and optical bands, an orphan flare in the VHE γ -ray band was detected.



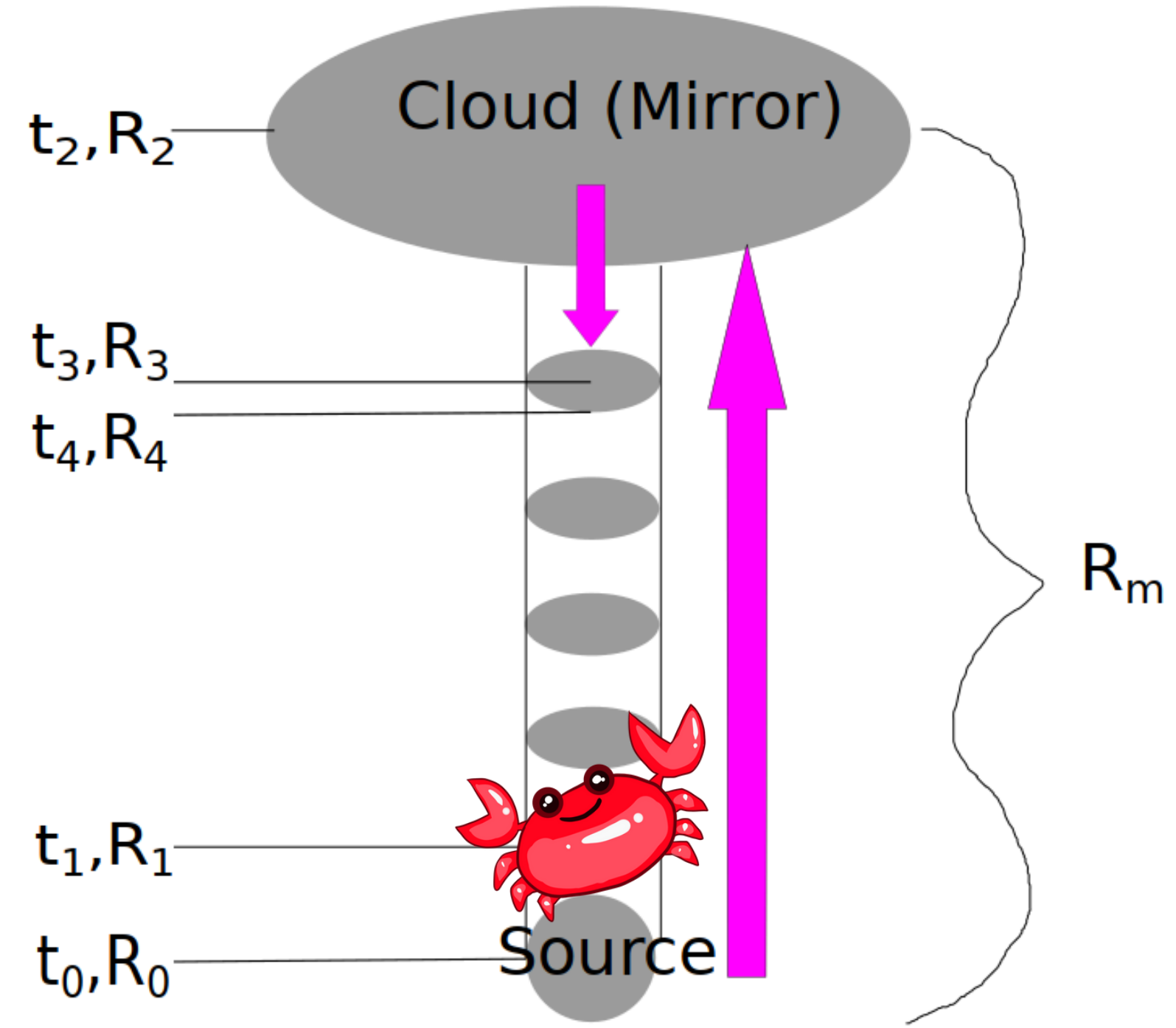
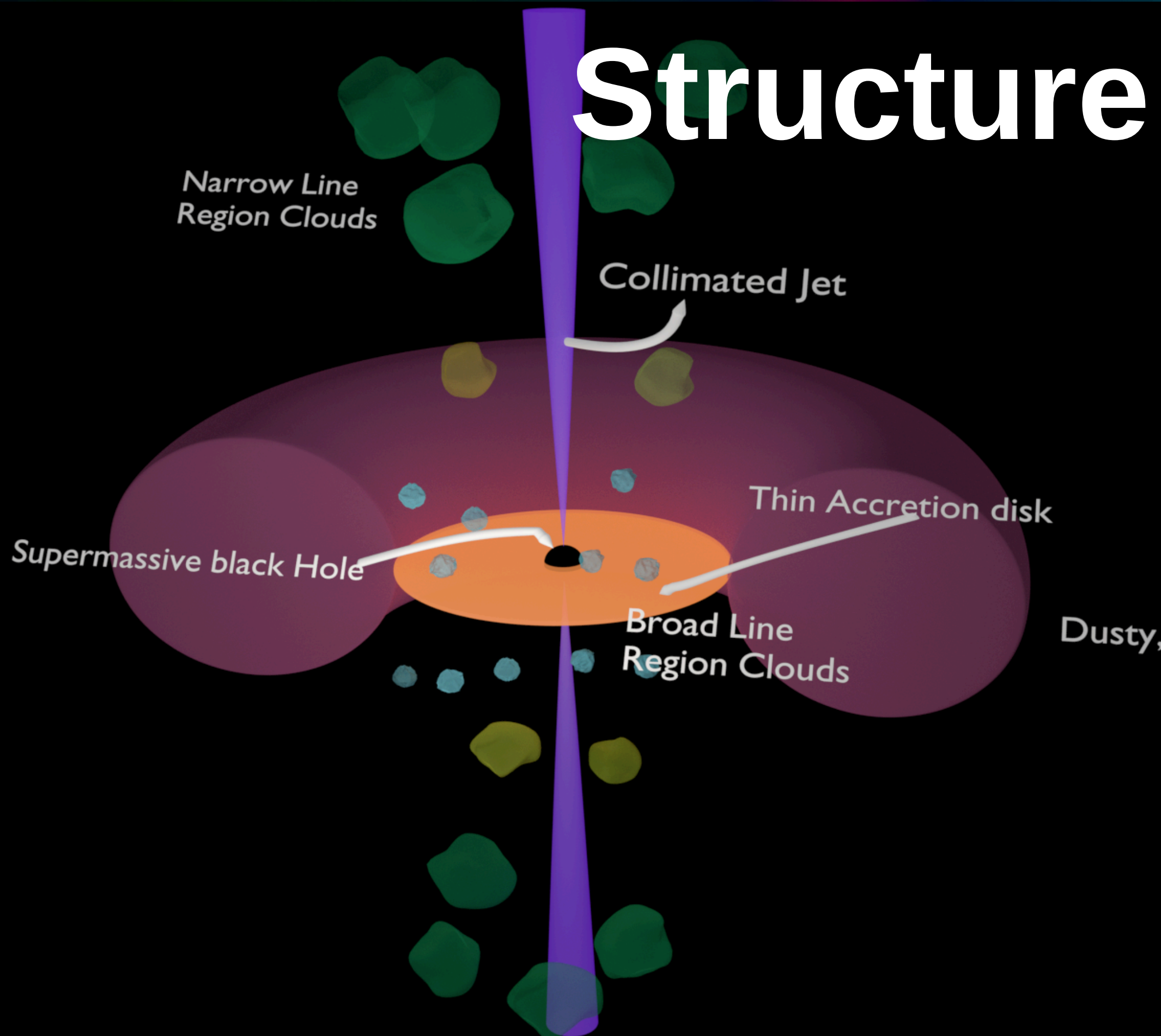
- 3C 279 is a FSRQ at a redshift of $z = 0.536$.
- H.E.S.S. data in period bounded by the red lines.
- ToO observations by Fermi, HESS, Swift-XRT and ATOM were ongoing triggered by the Fermi-LAT flare.

Motivation for Hadronic scenario

Why we chose a hadronic mirror scenario:

- Leptonic SSC models predict quasi-simultaneous flaring in other wavebands like X-ray and optical bands.
- Matter in blazar jets might be dynamically dominated by baryon content [Sikora & Madejski, 2000].
- We consider a hadronic mirror scenario.
- An example as done in [Böttcher, 2005] with the orphan flare of 1ES 1959+650.
- The mirror lowers the threshold of the proton energy required for photo-pion production.
- The orphan flare nature of the 28 January 2018 flare, requires something different from a standard one-zone model.

Structure



The Modelling Process

The programming steps:

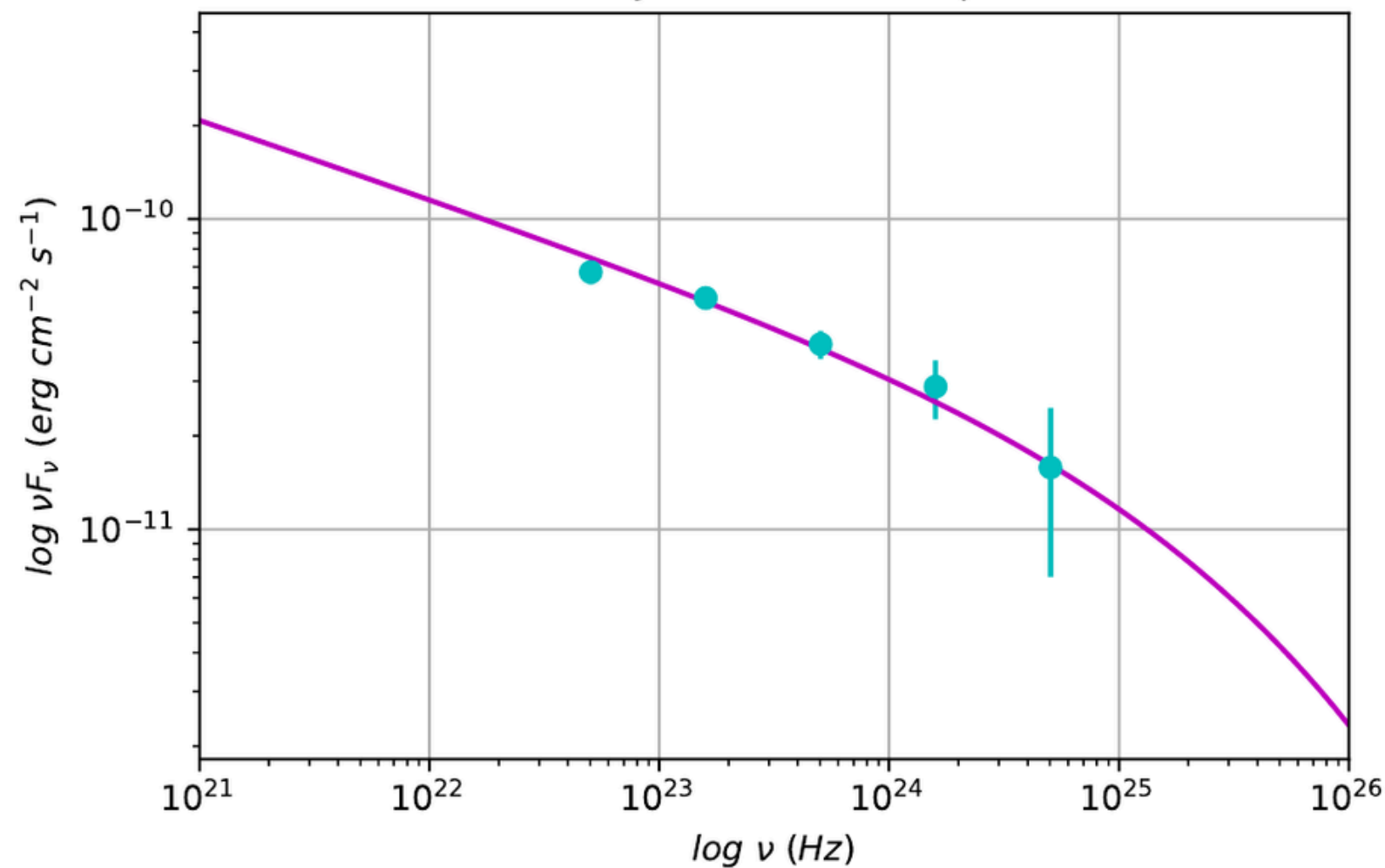
- Get the parameters describing the relativistic proton population from a proton synchrotron fit to the Fermi-LAT gamma-ray spectrum.
- Numerical evaluation of the target photon field as a function of time.
- Pion production and pion-decay products.
- Calculate the $\gamma\gamma$ -opacity.
- Calculate the resulting electromagnetic cascades to find the emerging SED.



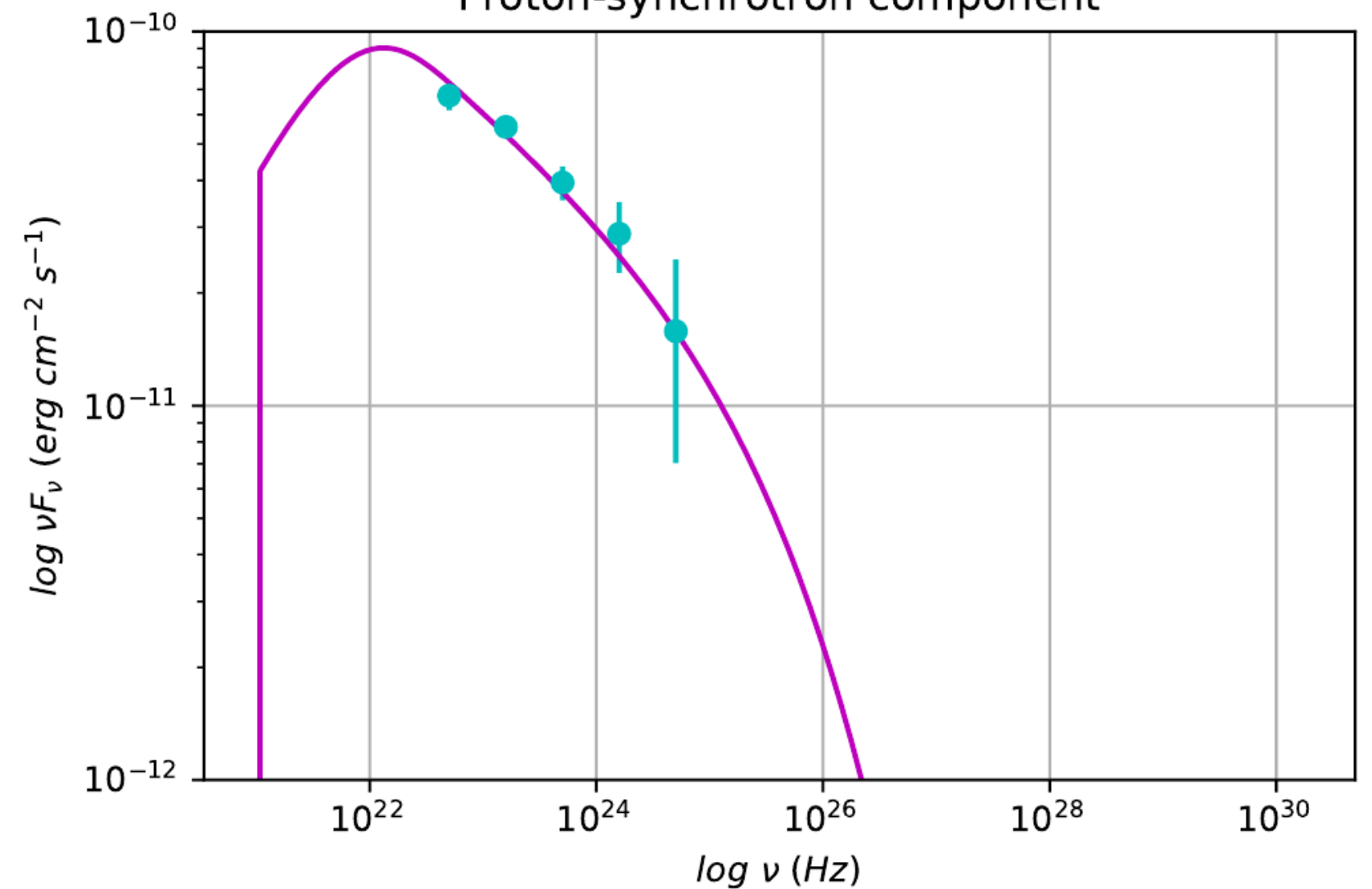
Proton Spectrum



Proton-synchrotron component



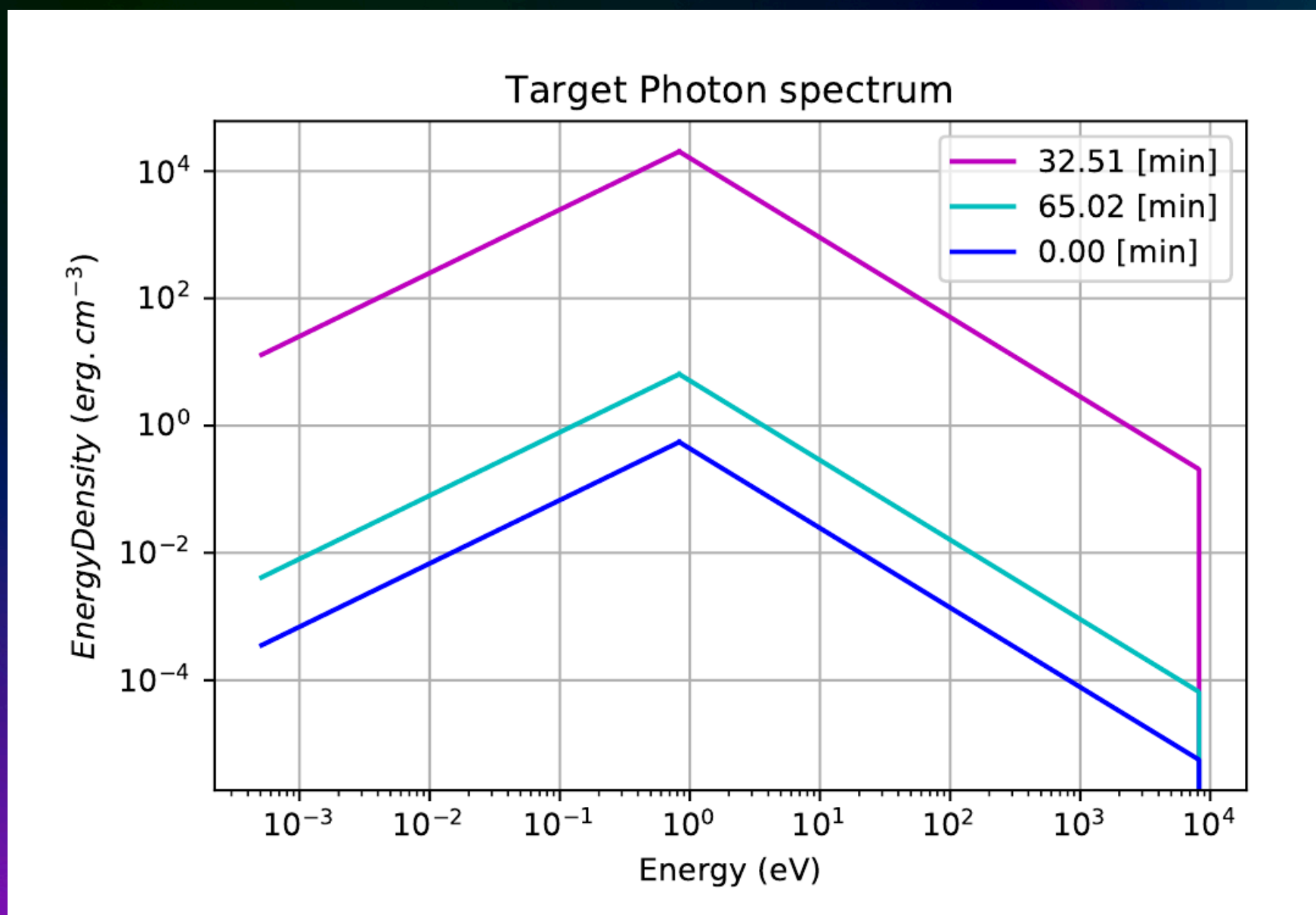
Proton-synchrotron component



$$N_p(\gamma_p) = N_0 \gamma_p^{-p}$$

$$N_p(\gamma_p) = N_0 \left(\frac{\gamma_p}{\gamma_b} \right)^{-p_{1,2}} e^{-\frac{\gamma_p}{\gamma_c}}$$

Target photon spectrum



- The target photon spectrum at certain times since the onset of the orphan flare.
- We can see the energy density shoot up after some time passes and then come down again after more time passes.

Parameters

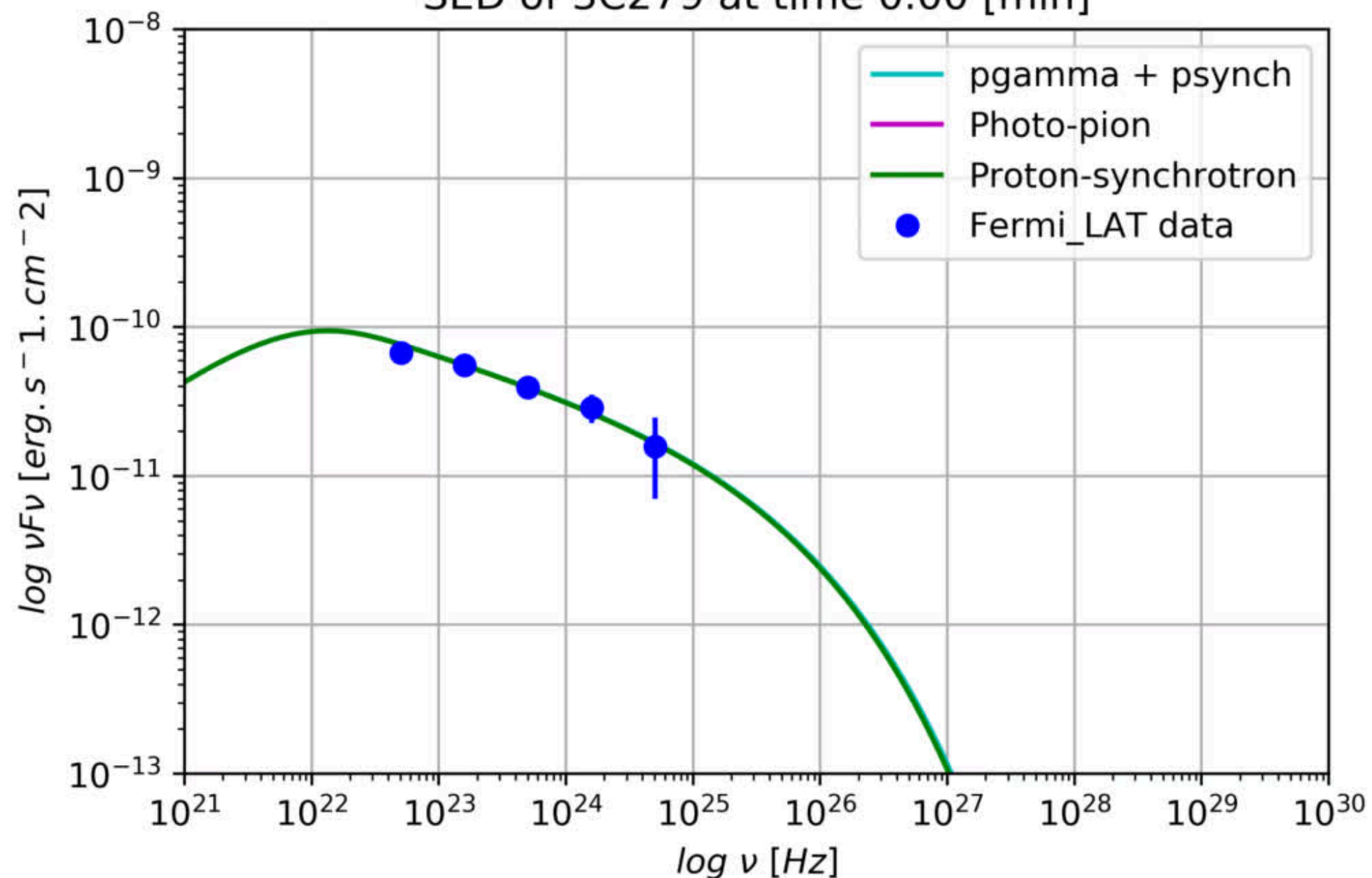
Important Parameters

- The normalisation of the proton spectrum
- Magnetic field
- The Lorentz factor that signifies the break in the spectrum
- Radius of the cloud
- Fraction of reflected photons
- The Doppler factor

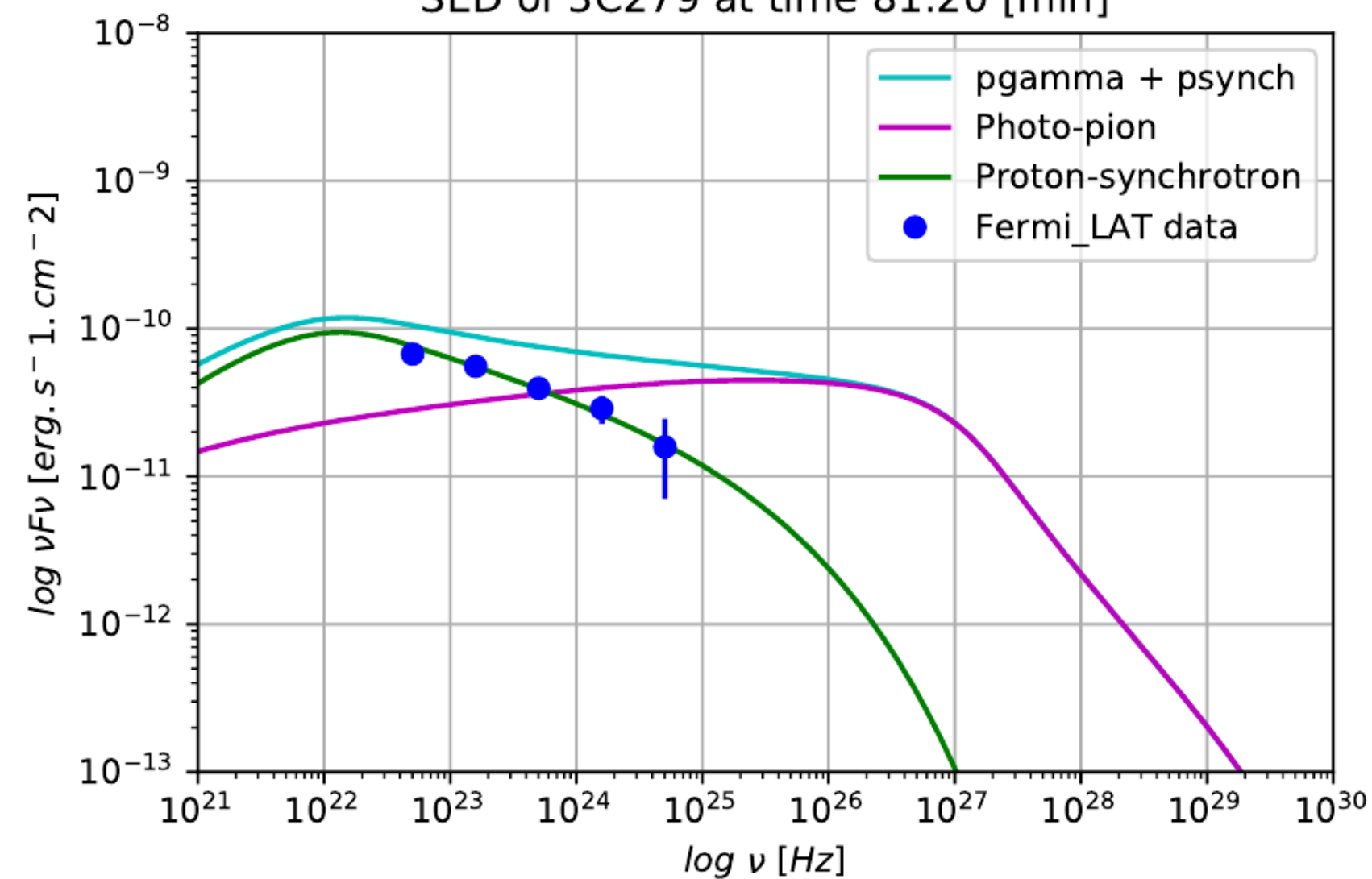
N_0	2.5×10^{37}
B	100 G
γ_b	9.8×10^7
R_{cl}	$5.5 \times 10^{15} \text{ cm}$
τ	0.001
δ	10

A list of the model parameters.

SED of 3C279 at time 0.00 [min]



SED of 3C279 at time 81.20 [min]

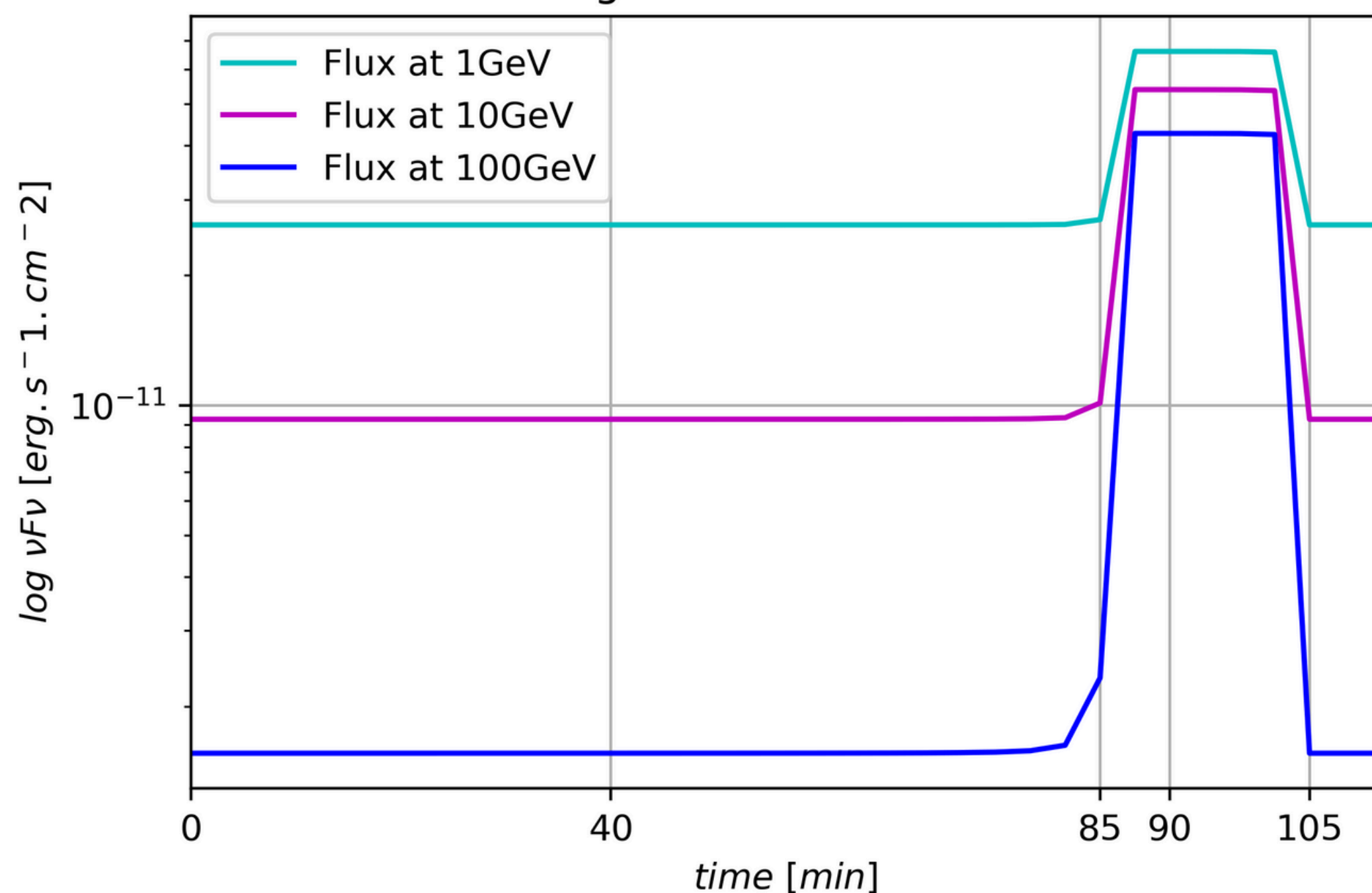


- The photons from the photo-pion decay products are injected at high energies into the jet and form pair cascades.
- The cascades cause pair production and are responsible for the synchrotron radiation.

$$N_e(\gamma) = \frac{1}{\nu_0 \gamma^2} \int_\gamma^\infty d\tilde{\gamma} \left\{ Q_e(\tilde{\gamma}) + \dot{N}_e^{\gamma\gamma}(\tilde{\gamma}) - \frac{N_e(\tilde{\gamma})}{t_{esc}} \right\}$$

Lightcurves

Lightcurves of 3C279



- The VHE flare is represented by the model flux at 100 GeV.
- There is a flare of a factor of ~ 2 in flux at 1 GeV.
- The model predicts a significant flare of about 30 min duration.
- The observed time differs from the time in the AGN rest frame, because of light-travel-time effects.
- The light-travel-time effect leads to a contraction of the observed time.

$$t_{obs} = \frac{t_{AGN}}{\Gamma^2}$$

Luminosities

For 3C279

Is the jet power proton or Poynting flux dominated?

- Close to equipartition
- Slightly proton dominated
- Jet power is a little bit larger than the Eddington luminosity.
- This can be explained by the fact that the jet is not in a steady state, so the jet power is only larger for the duration of the flare, and then reverts back to a lower value.

$$L_p \sim \pi R_b^2 c \Gamma^2 \gamma_b^2 m_p c^2 \frac{N_0}{V_b} \sim 2.1 \times 10^{47} \text{ erg.s}^{-1}$$

$$L_B \sim \pi R_b^2 c \Gamma^2 \frac{B^2}{(8\pi)} \sim 9.4 \times 10^{46} \text{ erg.s}^{-1}$$

$$L_{Edd} = 1.3 \times 10^{47} \text{ erg.s}^{-1}$$

Summary

Summary

- The synchrotron mirror scenario induces a dense enough target photon field.
- This model does predict a moderate flare in Fermi-LAT, but with a much smaller amplitude than that of the VHE flare.
- This suggests that protons are accelerated to ultra-relativistic energies.
- The flare duration is predicted to be about half an hour long, the runtime of one H.E.S.S. observational run.
- Fermi-LAT typically needs longer integration times than half an hour to get a significant detection of 3C279, which could explain why no flare was seen in the Fermi-LAT light curve.

Ongoing work

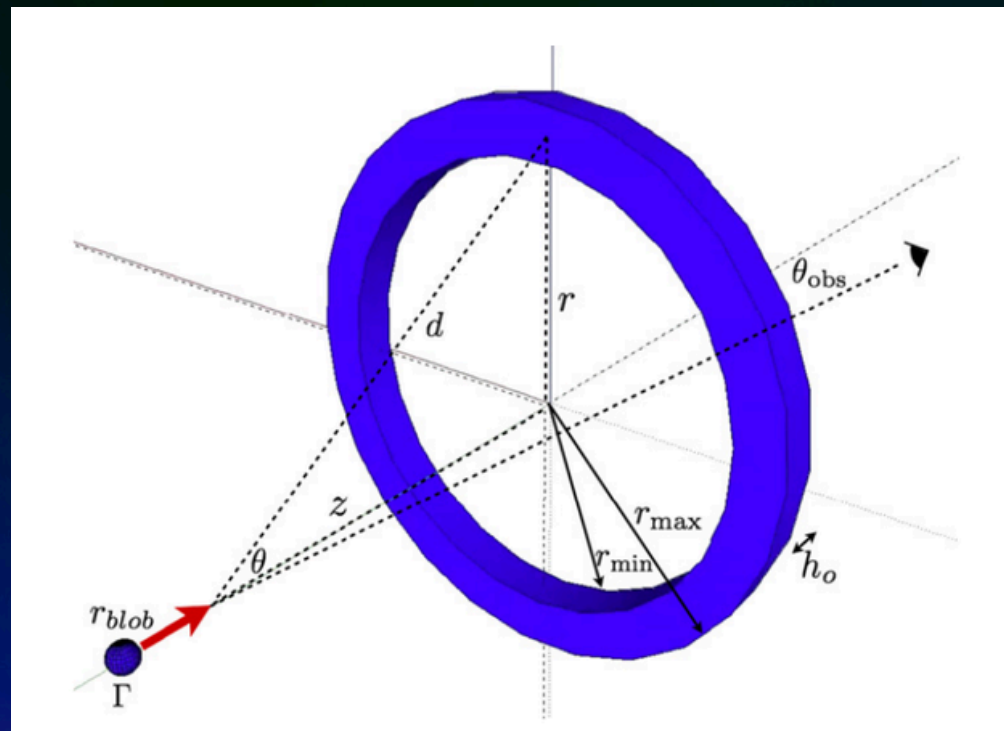
- Do another parameter study to see if the jet power can be less than the Eddington luminosity.
- A comparative study of different models.
 - Combined lepto-hadronic - “Unified model”
 - Spine-sheath model - “Ring-of-fire”
- Search for neutrino signatures and emission.
- Detection of neutrino emission will also test the models.
- Preparation of article on the hadronic model results

Thank you!

Feel free to ask if you have any questions.

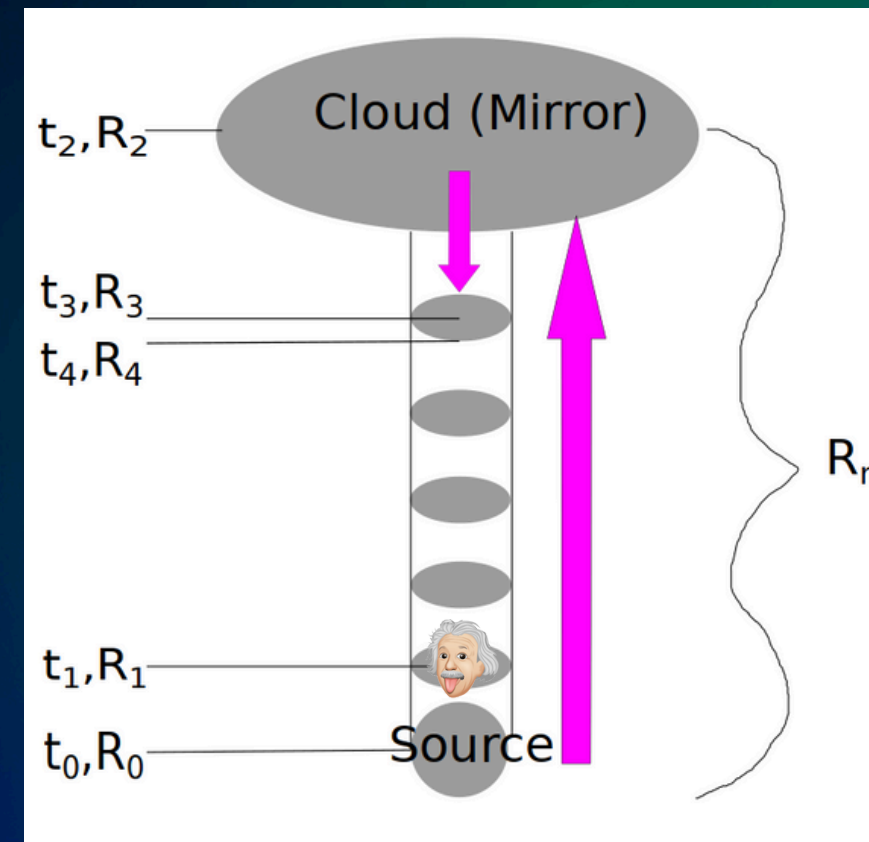


Models TO BE COMPARED



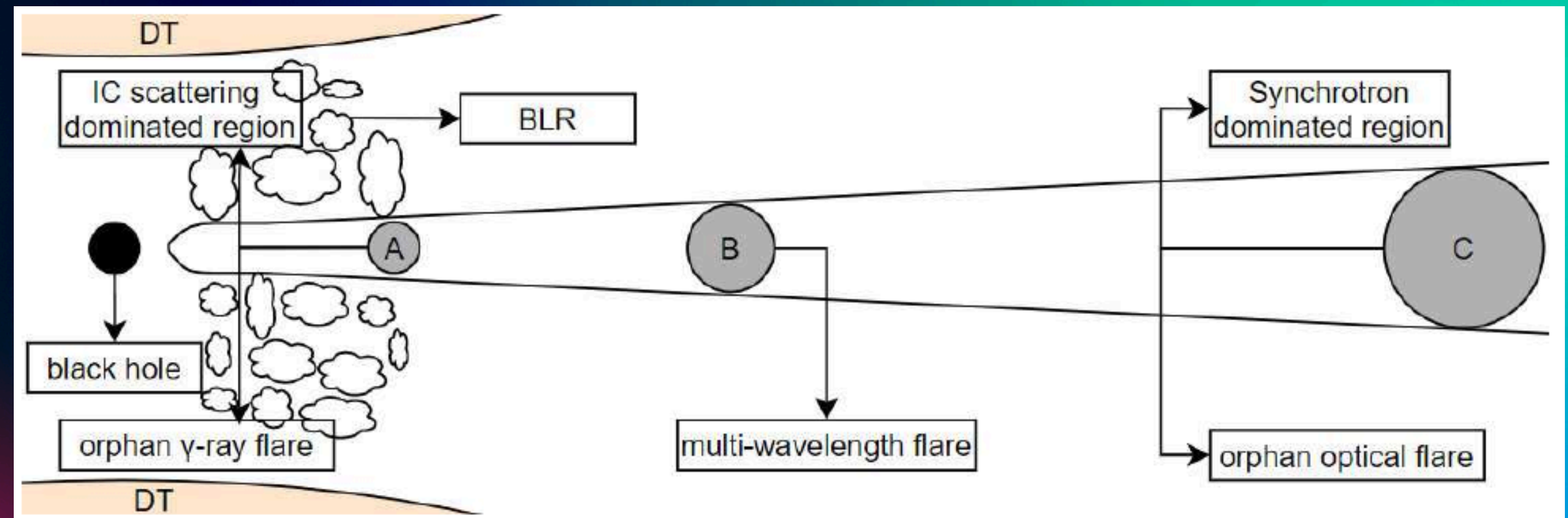
Ring-of-Fire Model

Nicholas R. MacDonald,
Alan P. Marscher,
Svetlana G. Jorstad, and
Manasvita Joshi



Hadronic Synchrotron Mirror Model

Laenita de Jonge
and
Prof Markus Böttcher



Stochastic Dissipation Model

Ze-Rui Wang, Ruo-Yu Liu, Maria Petropoulou, Foteini Oikonomou, Rui Xue, and Xiang-Yu Wang

Feasibility of the mirror model

Will the mirror model actually work?

- Semi-analytical approach
- Target photon density for photo-pion production calculated from basic principles.
- The expression for the energy density of the reflected synchrotron radiation:

$$\langle u'_{R, sy}(t_1) \rangle = \frac{4\Gamma^6 \nu F_\nu(sy) d_L^2 \tau R_{cl}^2}{3(R_m - R_b)} \int_0^{\frac{R_m - R_b}{\beta c}} \frac{dt_1}{(R_m - \beta ct_1)^2 (R_m - \frac{\beta ct_1}{2})^2}$$

- A standard integral was used to solve the integrand.
- After simplification a new expression is found where $x_f = \alpha - t_f$ is the time for photo-pion interactions to take place.
- α is the time it takes the blob to move to the centre of the cloud.
- t_f is the total integration time.

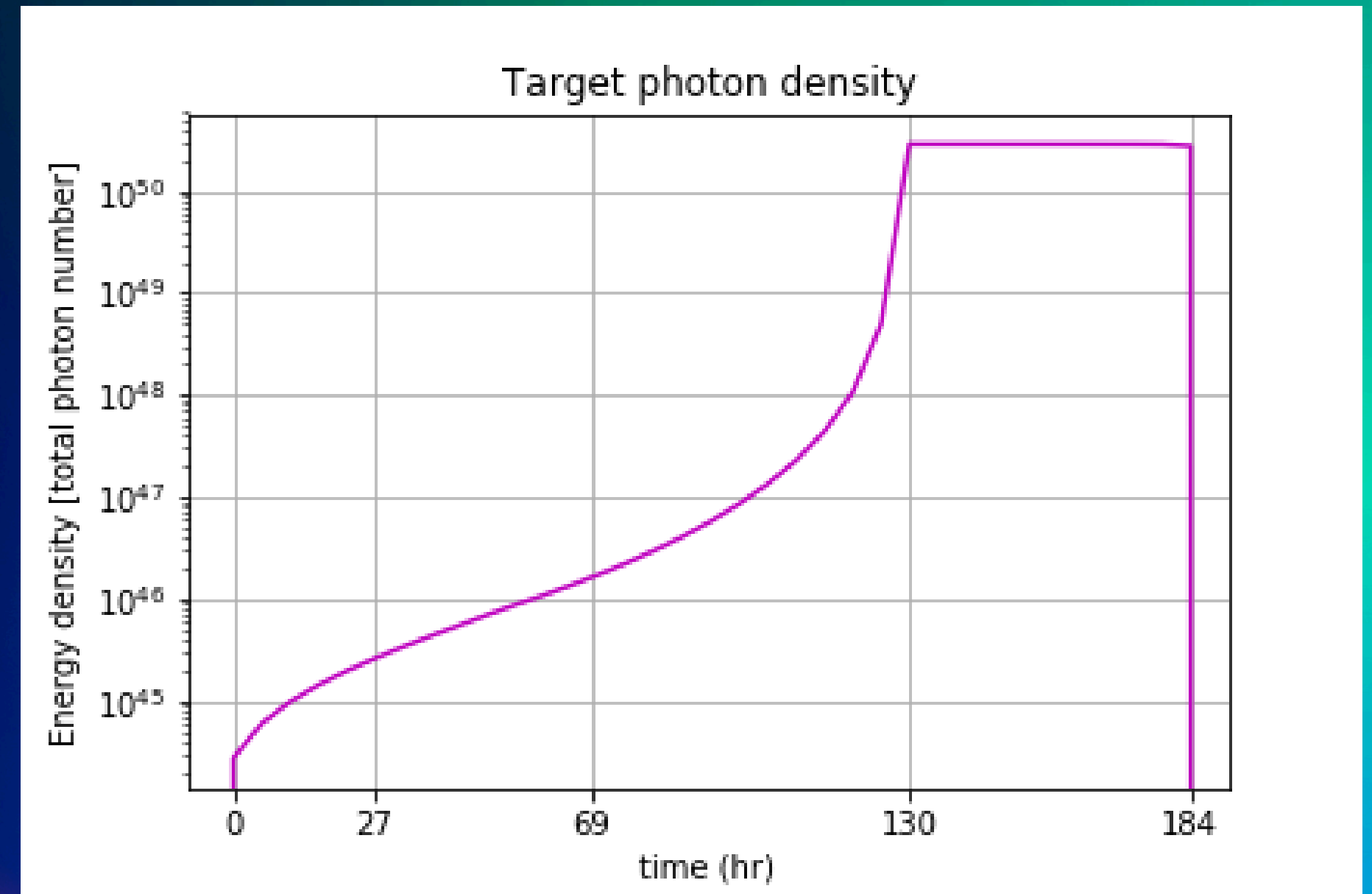
$$\langle u'_{R, sy} \rangle = \frac{4\Gamma^6 \nu F_\nu(sy) d_L^2 \tau R_{cl}^2}{3(R_m - R_b)} \left(\frac{4}{(\beta c)^4} \left[\frac{1}{\alpha^2 x_f} + \frac{2}{\alpha^3} \ln \left(\frac{t_f}{2x_f} \right) \right] \right)$$

- By substituting in all the variables the predicted target photon density can be found

Target Photon Energy Density

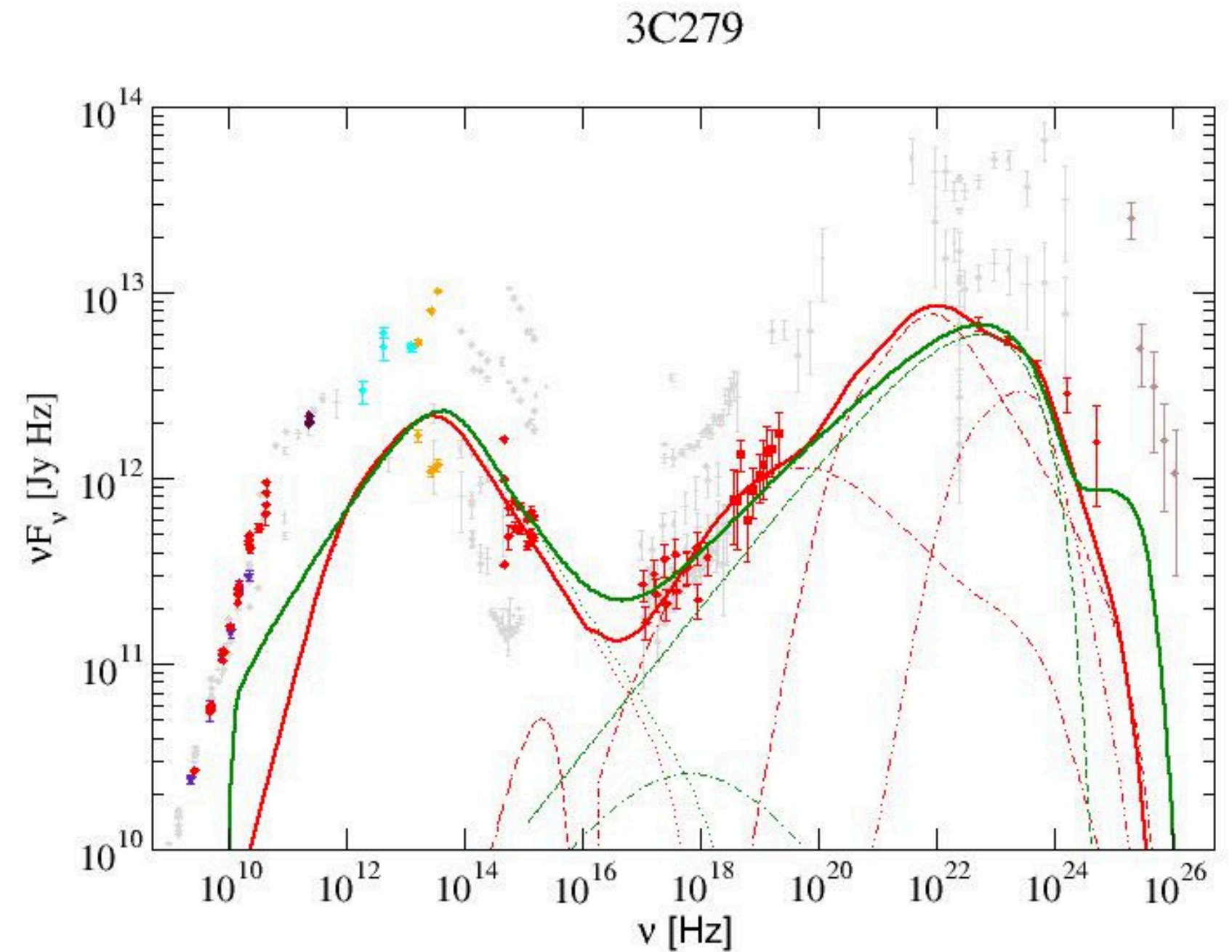
Will the mirror model actually work?

- The required target photon energy density: $280 \text{ erg}\cdot\text{cm}^{-3}$.
- Estimated actual target photon energy density for standard parameters: $35.2 \text{ erg}\cdot\text{cm}^{-3}$
- Order of magnitude difference.
- By calculating the Lorentz factor for the relativistic protons at the peak of the GEV Fermi-LAT spectrum using the synchrotron frequency.
- The Lorentz factor is used to calculate the synchrotron cooling rate which is compared to the photon-pion energy loss-rates from which the above calculated density is found.
- Conclusively, the target photon field was dense enough for photo-pion production to take place



Motivation

- Leptonic fit - **Redline**
- Lepto-Hadronic fit - **Greenline**
- Electron synchrotron radiation - Component 1
- Proton synchrotron radiation - Component 2
- Photo-Pion Production - Component 3
- We investigate if the photo-pion component can be able to produce the VHE flare.



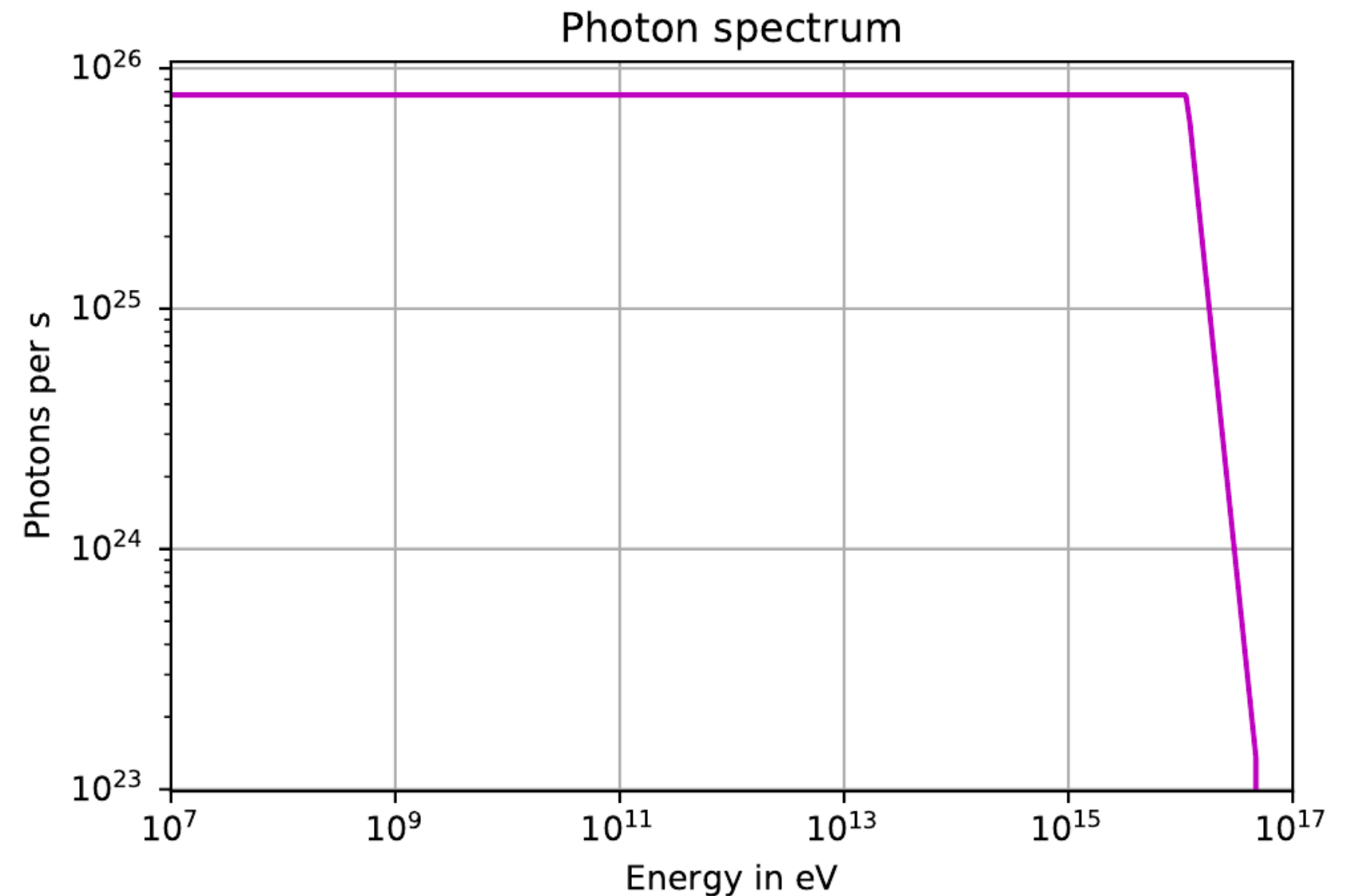
[BÖTTCHER, 2013]

Photo-pion production

$$N_{\gamma}^{\pi_0}(\epsilon) = \sigma_0 n_0 \frac{c N_0 E_{\Delta}}{2 m_{\pi} c^2 (\alpha + 1)} \times \int_{\max[\epsilon \frac{m_e}{m_{\pi}}, \gamma_b, \frac{E_{\Delta}}{2 \epsilon_2 m_e c^2}]}^{\gamma_{cr, max}} d\gamma_{\pi} \gamma_{\pi}^{-(2+s)} \left(\max \left[\epsilon_1, \frac{E_{\Delta}}{2 \gamma_{\pi} m_e c^2} \right] - \epsilon_2^{-(\alpha+1)} \right)$$

[BÖTTCHER AND DERMER, 1998]

- Photon number spectra
- Use $\sigma_0 = 2 \times 10^{-28} \text{ cm}^2$, the photo-pion differential cross-section, and $E_{\Delta} = 330 \text{ M eV}$, the energy at the threshold for the delta resonance, to find the number spectra.
- The pions are produced near-threshold energy in the proton's rest frame.
- γ_b represents the minimum Lorentz factor beyond which we have the power-law proton spectrum.



Magnetic Field

The Eddington Luminosity is: $1.3e+47$

B=1:

The Proton Luminosity: $1e+49$

The Poynting-flux Luminosity: $3.8e+43$

B=25:

The Proton Luminosity: $4.2e+47$

The Poynting-flux Luminosity: $2.3e+46$

B=50:

The Proton Luminosity: $2.1e+47$

The Poynting-flux Luminosity: $9.4e+46$

B=75:

The Proton Luminosity: $1.4e+47$

The Poynting-flux Luminosity: $2.1e+47$

B=100:

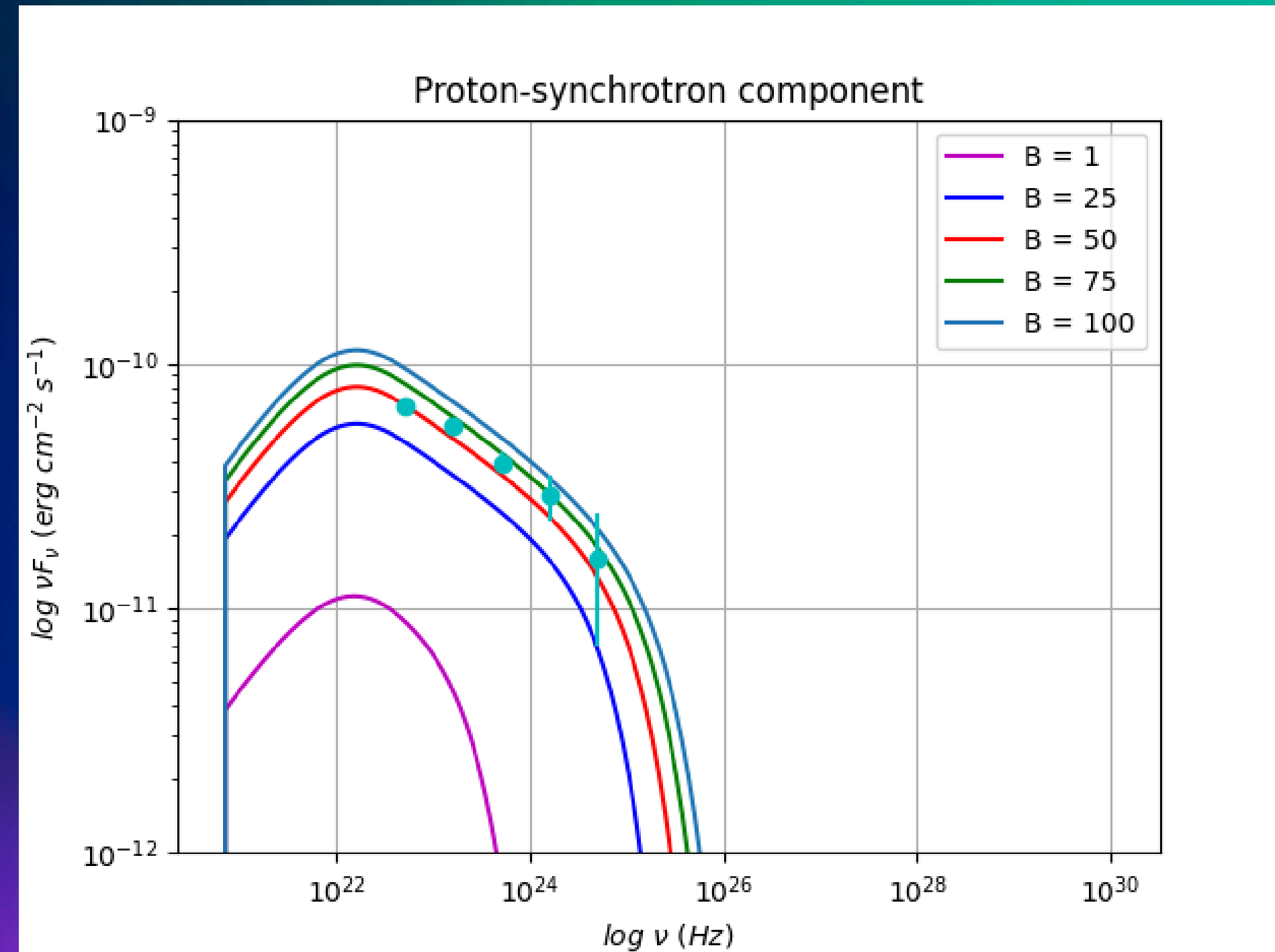
The Proton Luminosity: $1e+47$

The Poynting-flux Luminosity: $3.8e+47$

- The proton Luminosity decreases as the magnetic field increases.
- The Poynting-flux Luminosity increases as the magnetic field does.
- Gammabreak decreases as the magnetic field does.

R_{cl}	$1 \times 10^{16} \text{ cm}$
τ	0.01

N_0	3×10^{38}
B	varied
p	1.8
δ	10
R_b	$1 \times 10^{16} \text{ cm}$



Normalisation

The Eddington Luminosity is: $1.3e+47$

$n_0=7.75e37$:

The Proton Luminosity: $5.4e+46$

The Poynting-flux Luminosity: $9.4e+46$

$n_0=9e37$:

The Proton Luminosity: $6.3e+46$

The Poynting-flux Luminosity: $9.4e+46$

$n_0=1e38$:

The Proton Luminosity: $6.9e+46$

The Poynting-flux Luminosity: $9.4e+46$

$n_0=3e38$:

The Proton Luminosity: $2e+47$

The Poynting-flux Luminosity: $9.4e+46$

$n_0=5e38$:

The Proton Luminosity: $3.5e+47$

The Poynting-flux Luminosity: $9.4e+46$

- The proton Luminosity increases as the normalisation increases.
- The Poynting-flux Luminosity stays stable as the normalisation is varied.
- Gammabreak stays stable as the normalisation varies.

R_{cl}	$1 \times 10^{16} \text{ cm}$
τ	0.01

N_0	varied
B	50 G
p	1.8
δ	10
R_b	$1 \times 10^{16} \text{ cm}$

