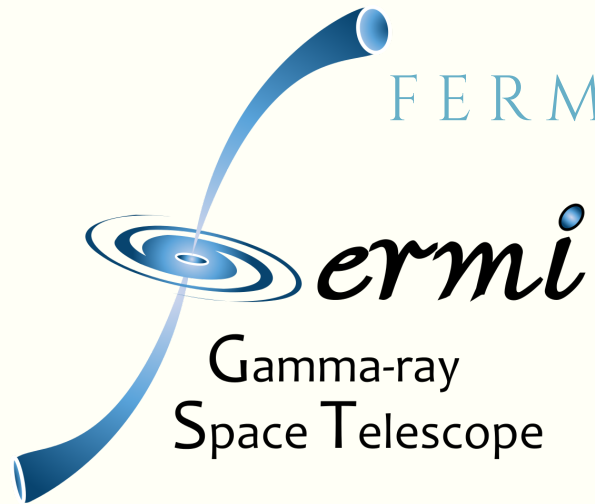




IMPORTANT STUFF



FERMI SUMMER SCHOOL 2019

Students all around the world is coming together in Delaware, USA to use some of the Fermi tools. Students spend time working directly with experts in instrumentation, analysis, theory and modeling to develop and extend their own research projects.

[read more >](#)

THE VIRDEN CENTRE IS HOSTING A BBQ ON THE PATIO!

TONIGHT @ 6:30



[read more >](#)

SPONSORED



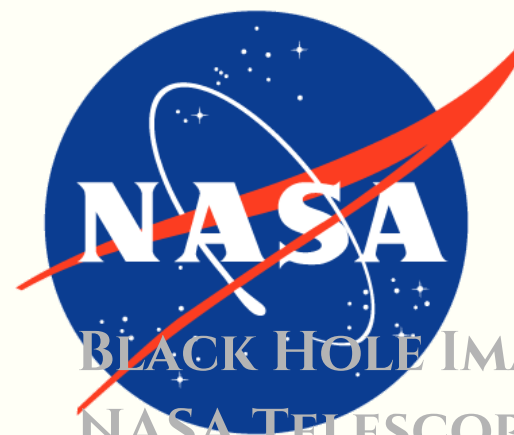
NEWS

STUDENT SET FIRE ON BBQ WITH LIQUID AND HOME-MADE TORCH

JUNE 3, 2019

To students, Bolt* and Robert" accidentally set a BBQ on fire due to inexperience and bad judgement during this years Fermi summer school in Delaware. (* - names have been changed to protect the privacy of the individuals)

[read more >](#)



BLACK HOLE IMAGE MAKES HISTORY; NASA TELESCOPES COORDINATED OBSERVATIONS

APRIL 10, 2019

Using the Event Horizon Telescope, scientists obtained an image of the black hole at the center of galaxy M87, outlined by emission from hot gas swirling around it under the influence of strong gravity near its event horizon.

[read more >](#)



EVENT HORIZON TELESCOPE COLLABORATION ET AL.



GROUP: HIGH-ENERGY ASTROPHYSICS

POSITION: SECOND YEAR M.SC. STUDENT

SUPERVISOR: PROF. MARKUS BÖTTCHER



NRF SARCHI CHAIR OF ASTROPHYSICS AND SPACE PHYSICS CENTRE FOR SPACE RESEARCH

GROUP: HIGH-ENERGY ASTROPHYSICS

POSITION: SECOND YEAR M.SC. STUDENT

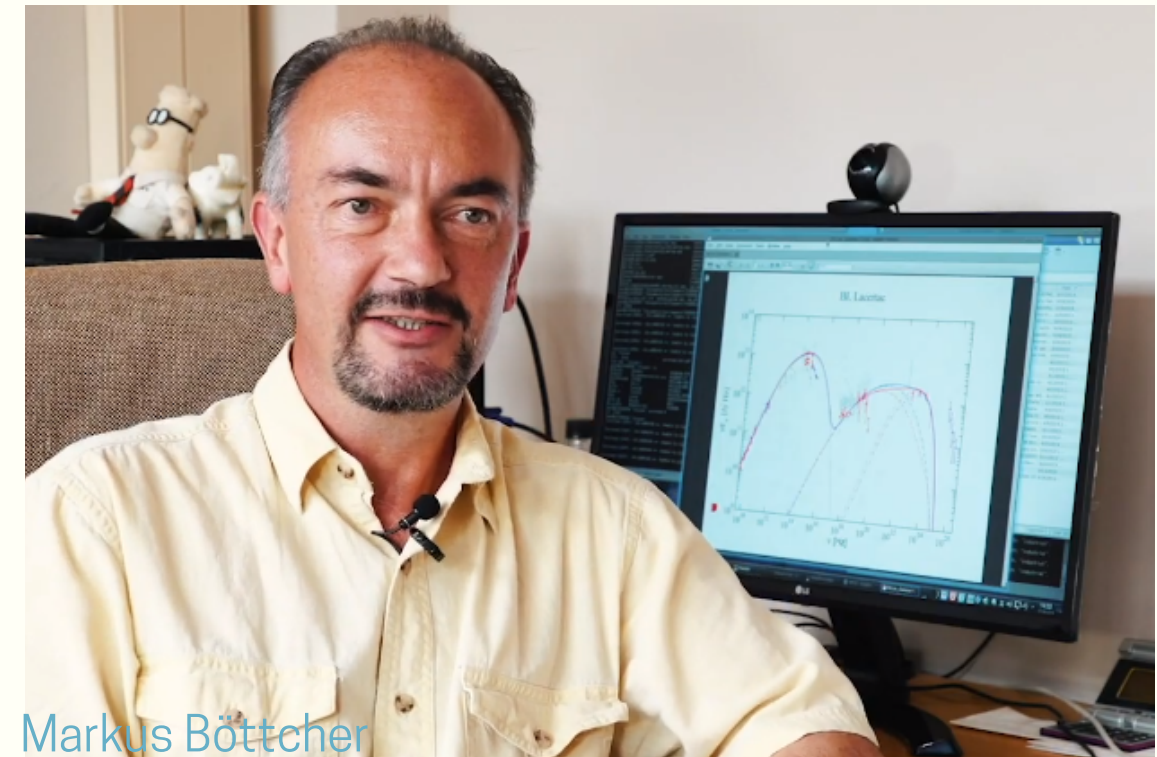
SUPERVISOR: **PROF. MARKUS BÖTTCHER**



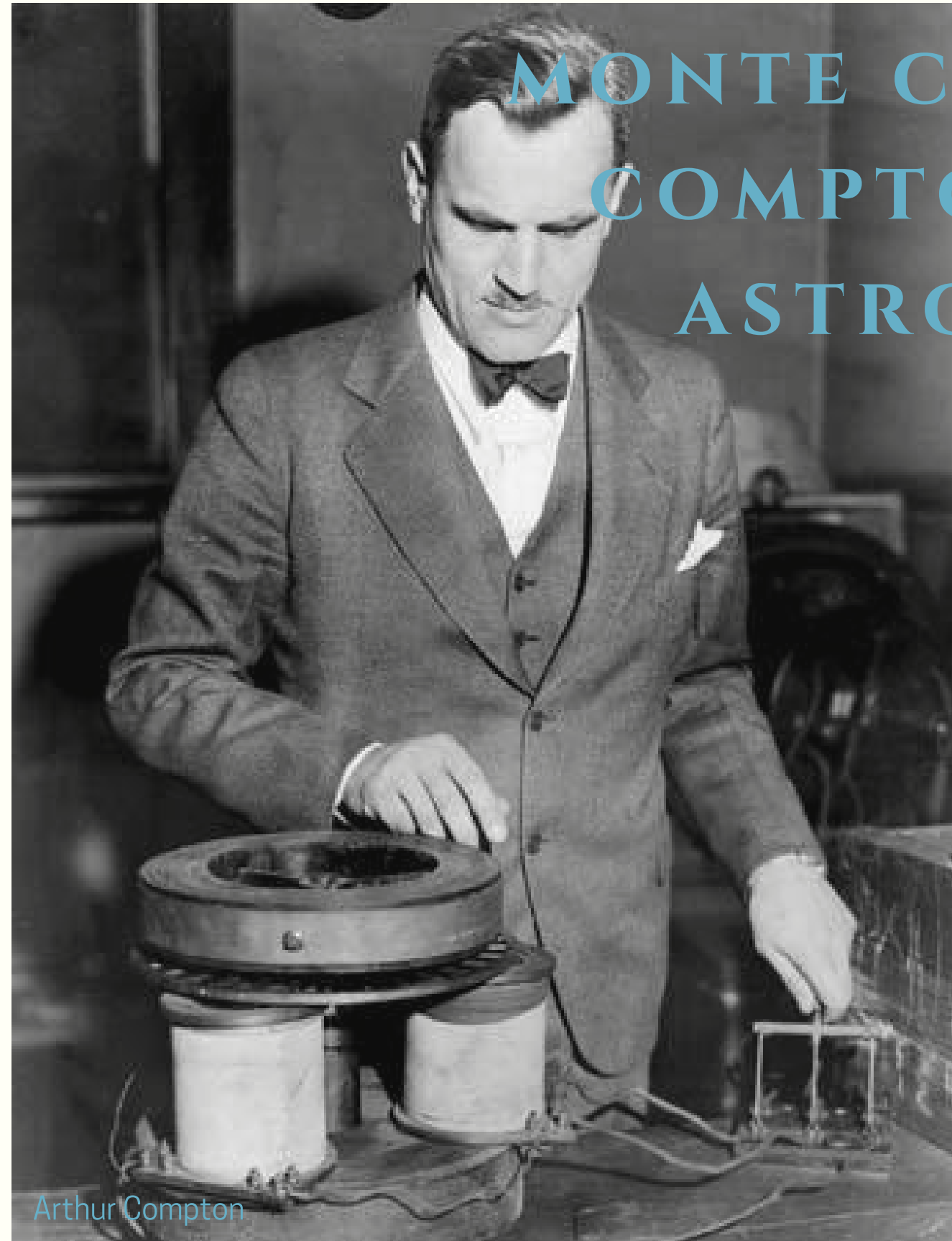
Research interests



Memberships



Markus Böttcher



MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

SUPERVISOR: PROF. MARKUS BÖTTCHER

STATUS: incomplete

DUE DATE: October 2019

Arthur Compton

[read more >](#)

WHAT?

WHY?

HOW?

SOME RESULTS

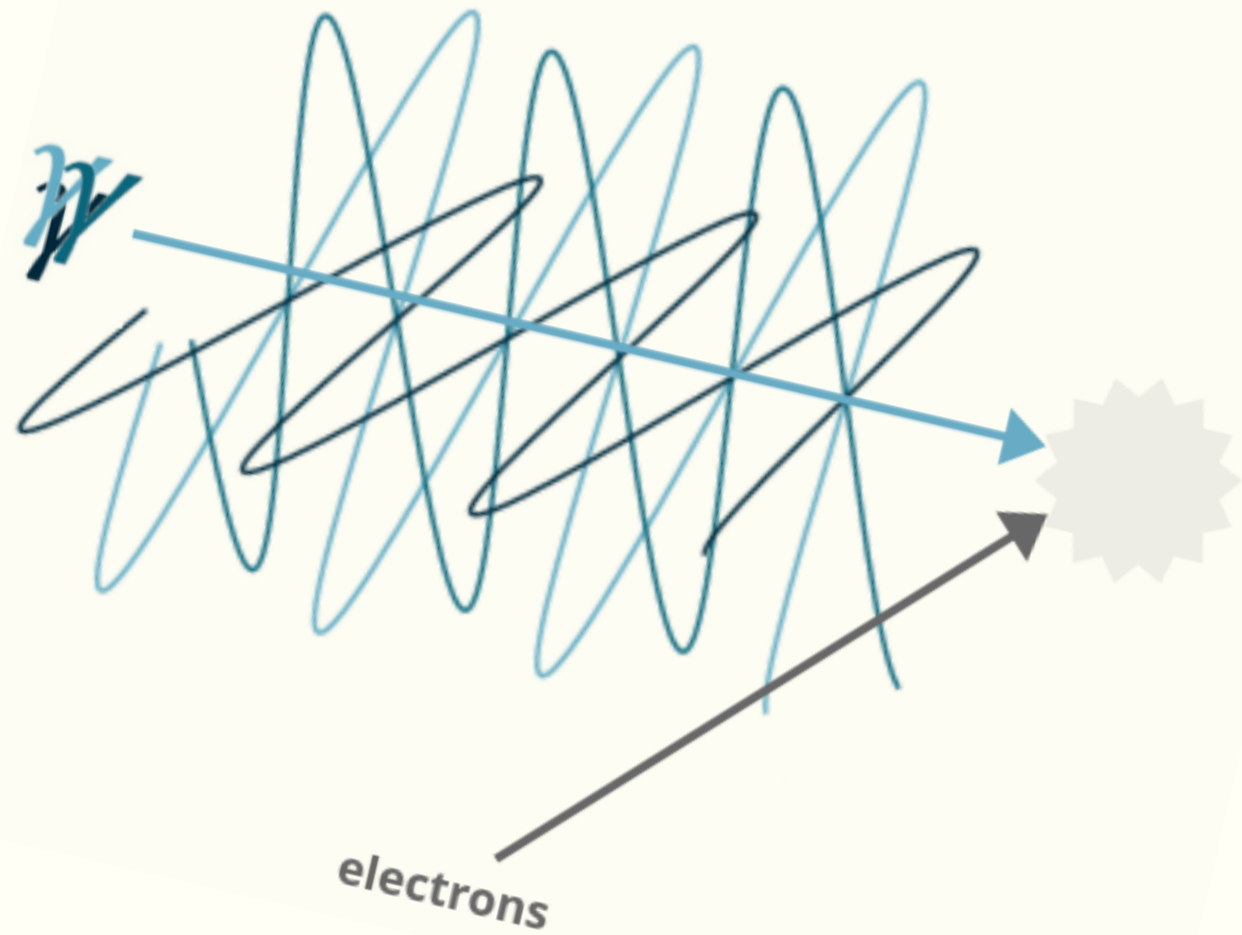
PROSPECTS

REFERENCES





WHAT IS THE POLARIZATION OF HIGH-ENERGY PHOTONS DUE TO COMPTON SCATTERING?



A diagram showing an unpolarized electric field. It consists of multiple blue wavy lines oscillating in various directions, with a blue arrow pointing to the right. A large grey question mark is overlaid on the left side of the diagram.

unpolarized
electric-field
is oscillating in
different directions

A diagram showing a polarized electric field. It consists of a single blue wavy line oscillating in one direction, with a blue arrow pointing to the right.

polarized
electric-field
is oscillating in
one direction



Arthur Compton

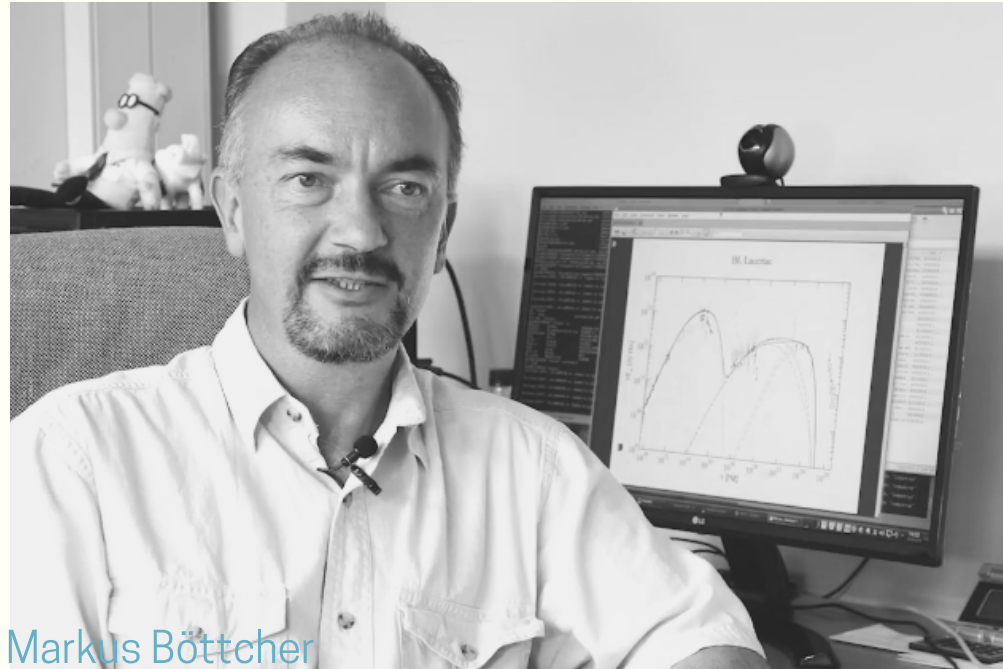
TLDR: QUOTE SMARTER PEOPLE



CONVINCE ME



Vannevar Bush and Arthur Compton

**TLDR: QUOTE SMARTER PEOPLE**

Markus Böttcher

“...there are currently great prospects for future detection of high-energy (X-ray and gamma-ray) polarization from blazars. Thus, it is timely to consider model predictions of such high-energy polarization.”

“High-energy polarization can thus be used as a diagnostic between leptonic and hadronic models.”

BÖTTCHER, 2019

Not convinced?





TLDR: QUOTE SMARTER PEOPLE



A few things to think about (far from exhaustive)...

What is the power source?

Accretion-powered jet

Pulsar wind

What is the particle acceleration mechanism?

Jet shocks

Magnetic reconnection

Wind shocks

What are the dominant particles?

Hadronic

Leptonic

How are the γ -rays produced?

Pion decay

Inverse Compton

Curvature Radiation

Where are the γ -rays produced?

Near the jet

Wind collision region

Pulsar wind zone

Circumstellar environment

Pulsar magnetosphere

What modulates the flux?

Geometry

Photon fields

Matter density

B-fields

Other effects?

Wind clumping

Pair cascades

Doppler boosting

Many of these are not mutually exclusive...

HOLDER, 2019

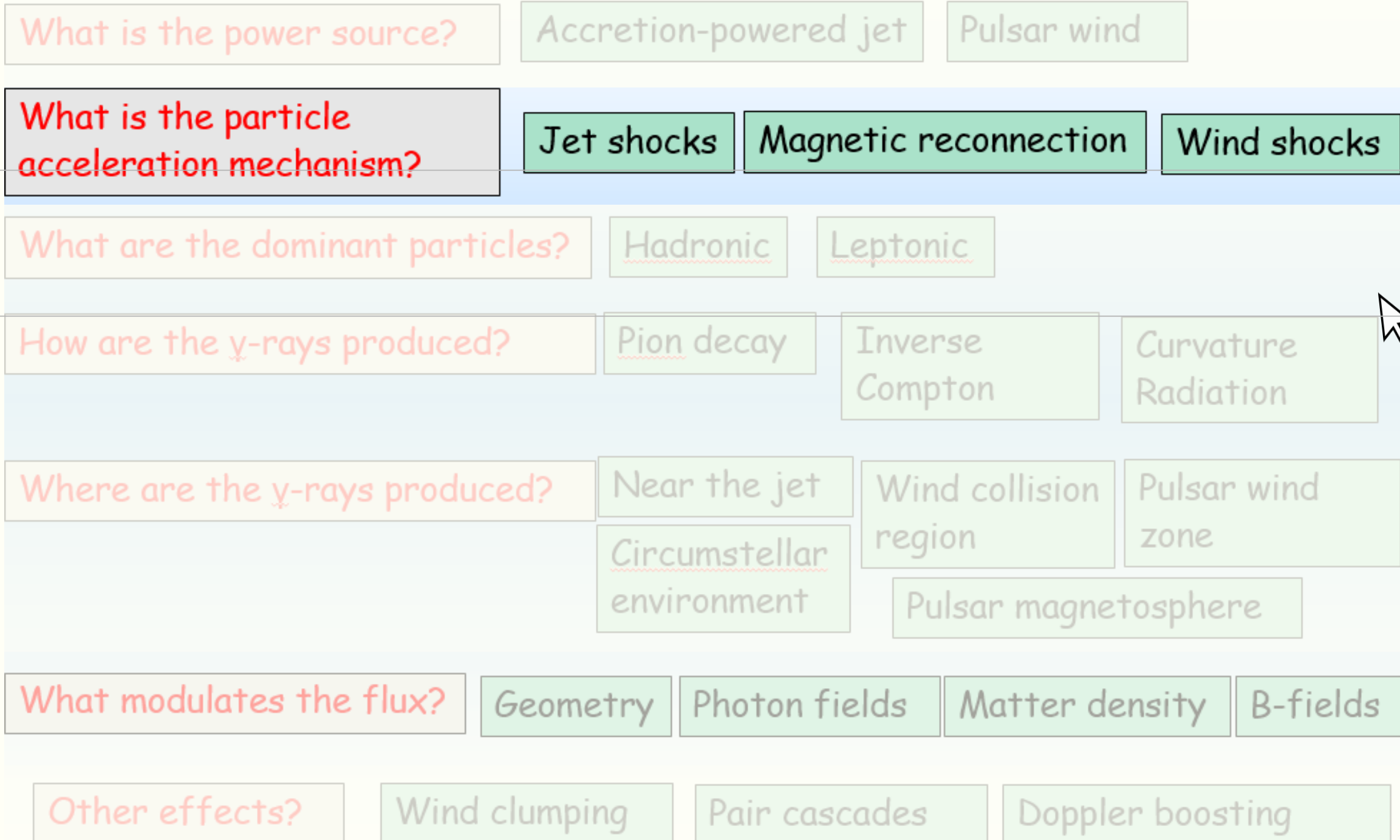


TLDR: QUOTE SMARTER PEOPLE



Jamie Holder

A few things to think about (far from exhaustive)...



Many of these are not mutually exclusive...

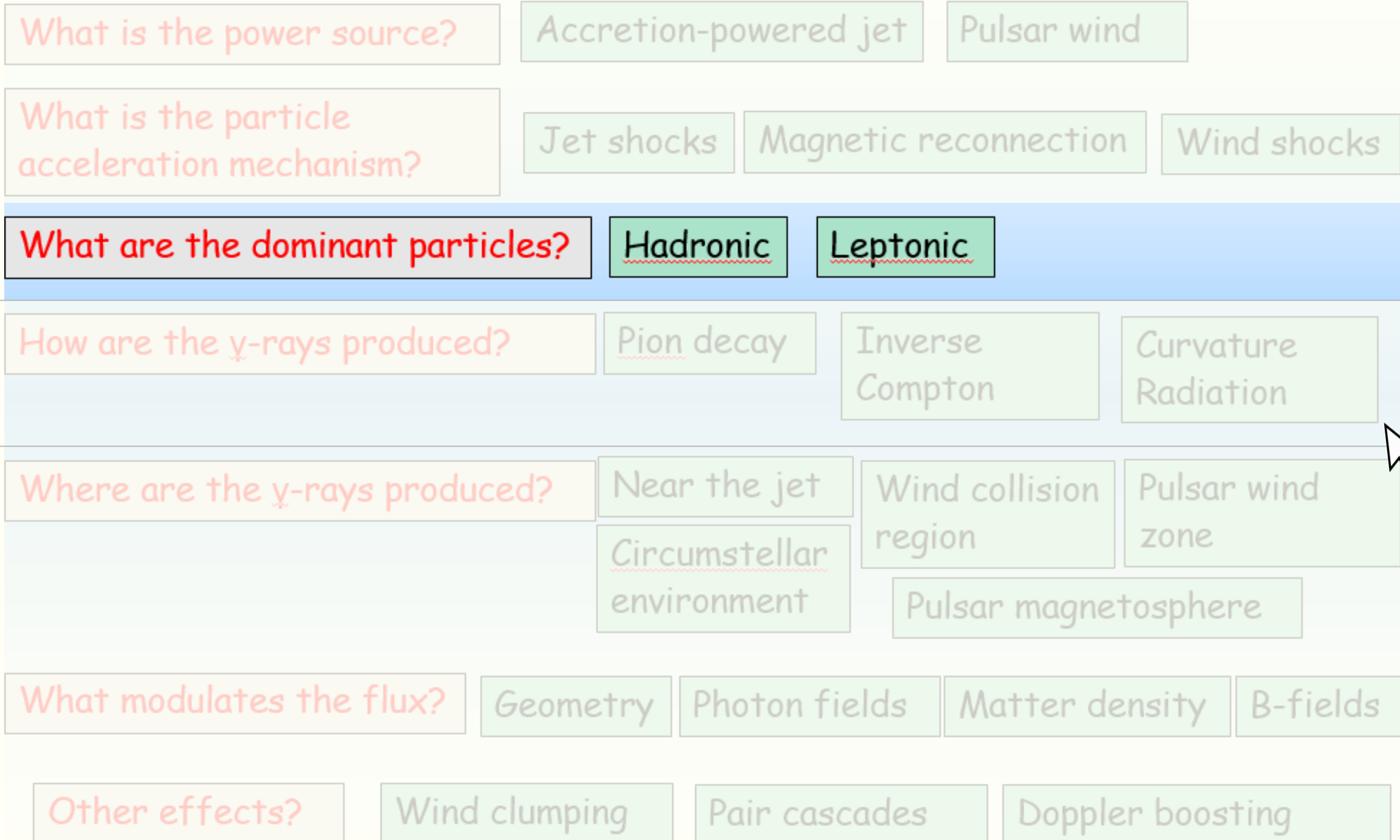
HOLDER, 2019



TLDR: QUOTE SMARTER PEOPLE



A few things to think about (far from exhaustive)...



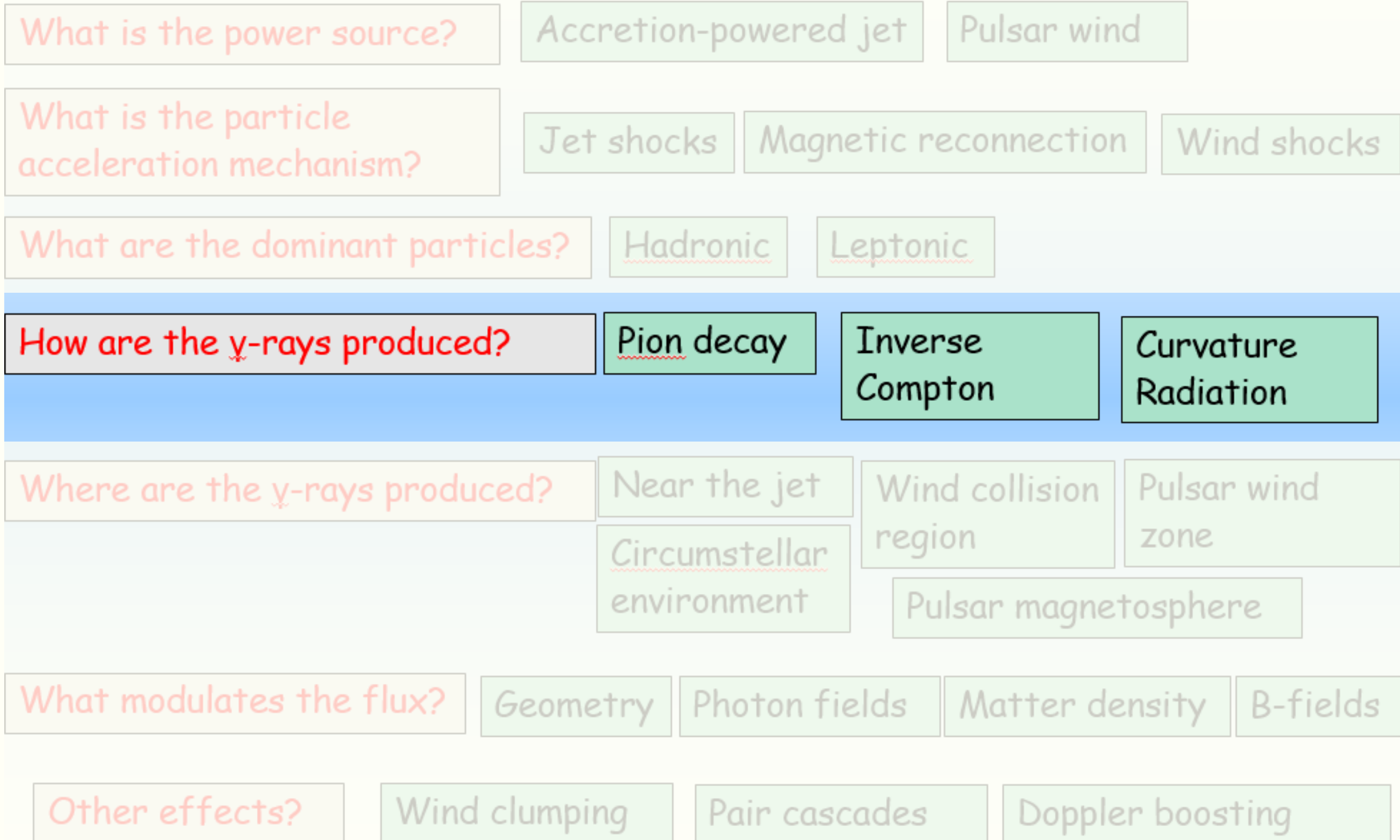
Many of these are not mutually exclusive...

HOLDER, 2019

TLDR: QUOTE SMARTER PEOPLE



A few things to think about (far from exhaustive)...



Many of these are not mutually exclusive...

HOLDER, 2019



John Von Neumann, Richard Feynman, and Stanislaw Ulam



Nicholas Metropolis

MONTE CARLO METHODS

Monte Carlo methods is a class of computational algorithms that rely on the randomness and repetitive nature of the process to produce numerical results

[read more >](#)





John Von Neumann, Richard Feynman, and Stanislaw Ulam

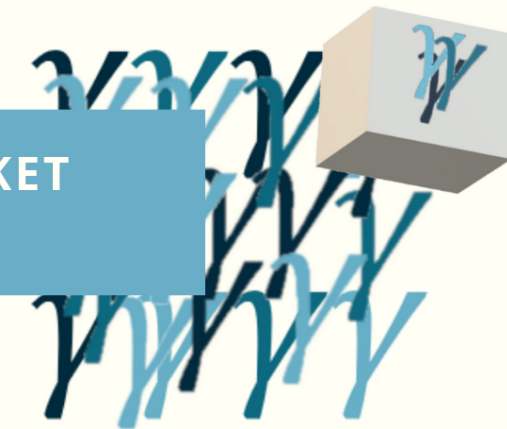


Nicholas Metropolis

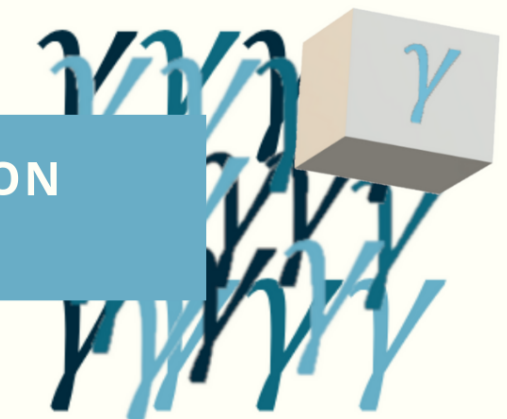
MONTE CARLO METHODS

Monte Carlo methods is a class of computational algorithms that rely on the randomness and repetitive nature of the process to produce numerical results

PHOTON PACKET
APPROACH



SINGLE PHOTON
APPROACH





John Von Neumann, Richard Feynman, and Stanislaw Ulam

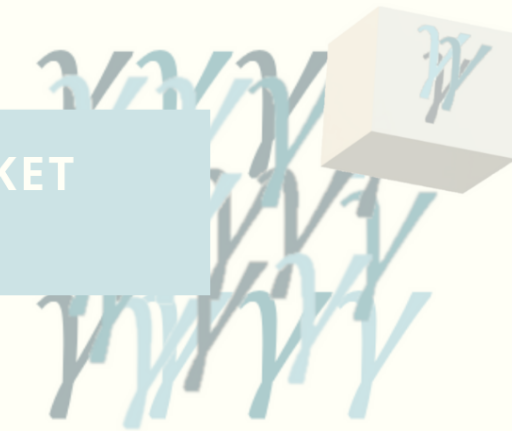


Nicholas Metropolis

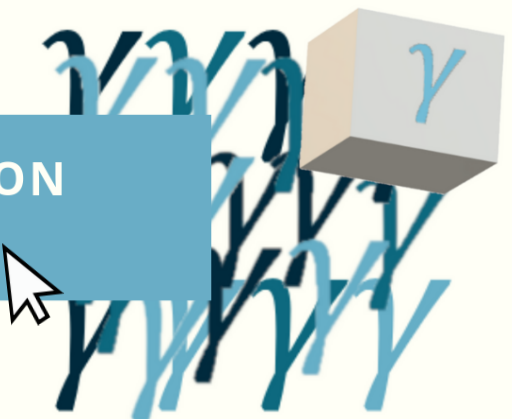
MONTE CARLO METHODS

Monte Carlo methods is a class of computational algorithms that rely on the randomness and repetitive nature of the process to produce numerical results

PHOTON PACKET
APPROACH



SINGLE PHOTON
APPROACH





SINGLE PHOTON APPROACH

GENERATE A SEED PHOTON

CALCULATE THE POLARIZATION SIGNATURES BEFORE SCATTERING

DRAW AN ELECTRON

PERFORM COMPTON SCATTERING

CALCULATE THE POLARIZATION SIGNATURES AFTER SCATTERING

RESULTS

[view frame of refreneces >](#)

MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

WHAT?

WHY?

HOW?

SOME RESULTS

PROSPECTS

REFERENCES



SINGLE PHOTON APPROACH



BOOST >

TRANSFORM >

TRANSFORM >

BOOST >

MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

WHAT?

WHY?

HOW?

SOME RESULTS

PROSPECTS

REFERENCES



SINGLE PHOTON APPROACH



BOOST >

TRANSFORM >

TRANSFORM >

BOOST >

OBSERVER

BULK BOOST EQUATIONS

EMISSION

Böttcher et al, 2012

[view input parameters >](#)

MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

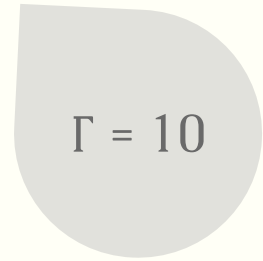
WHAT? WHY? **HOW?** SOME RESULTS PROSPECTS REFERENCES



SINGLE PHOTON APPROACH



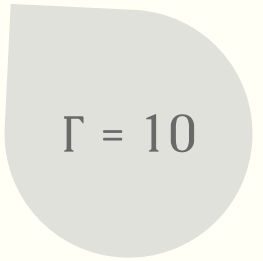
BOOST >



TRANSFORM >

TRANSFORM >

BOOST >



OBSERVER

BULK BOOST EQUATIONS

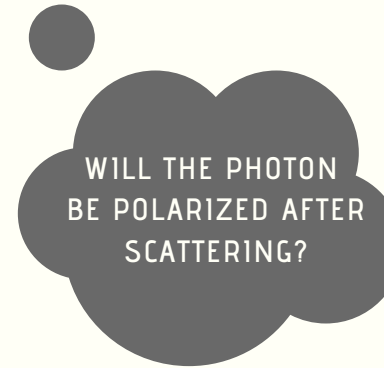
Böttcher et al, 2012

EMISSION

[view input parameters >](#) $\Gamma = 10$



SINGLE PHOTON APPROACH



[Monte Carlo methods >](#)



SINGLE PHOTON APPROACH



$$P_{scatt} = \frac{\sigma_{KN}}{\sigma_T}$$



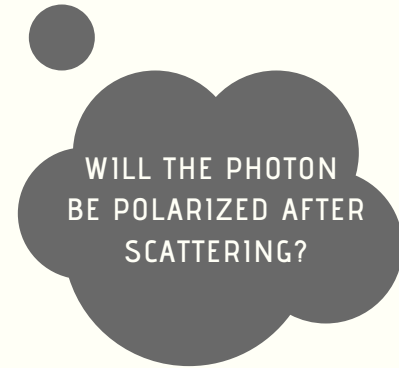
SINGLE PHOTON APPROACH



$$P_{pol} = \Pi_{scatt}$$



SINGLE PHOTON APPROACH



[Monte Carlo methods >](#)



SINGLE PHOTON APPROACH



WILL THE PHOTON UNDERGO COMPTON SCATTERING?

WILL THE PHOTON BE POLARIZED AFTER SCATTERING?

$$P \begin{cases} < \xi [0,1] \rightarrow \text{NO} \\ > \xi [0,1] \rightarrow \text{YES} \end{cases}$$

MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

WHAT?

WHY?

HOW?

SOME RESULTS

PROSPECTS

REFERENCES



SINGLE PHOTON APPROACH



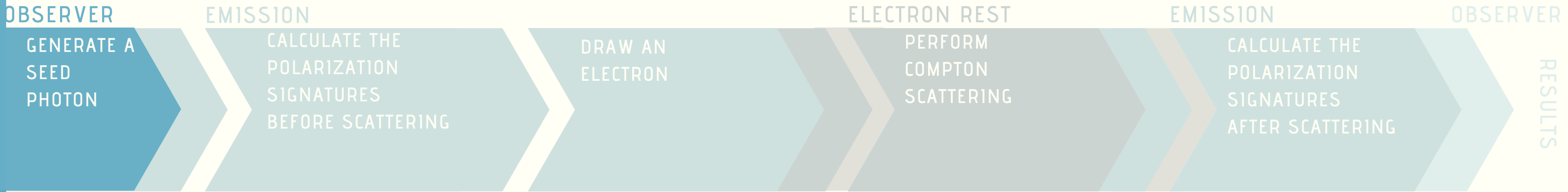
DIRECTION
ISOTROPIC DISTRIBUTION

ENERGY
BLACK-BODY DISTRIBUTION

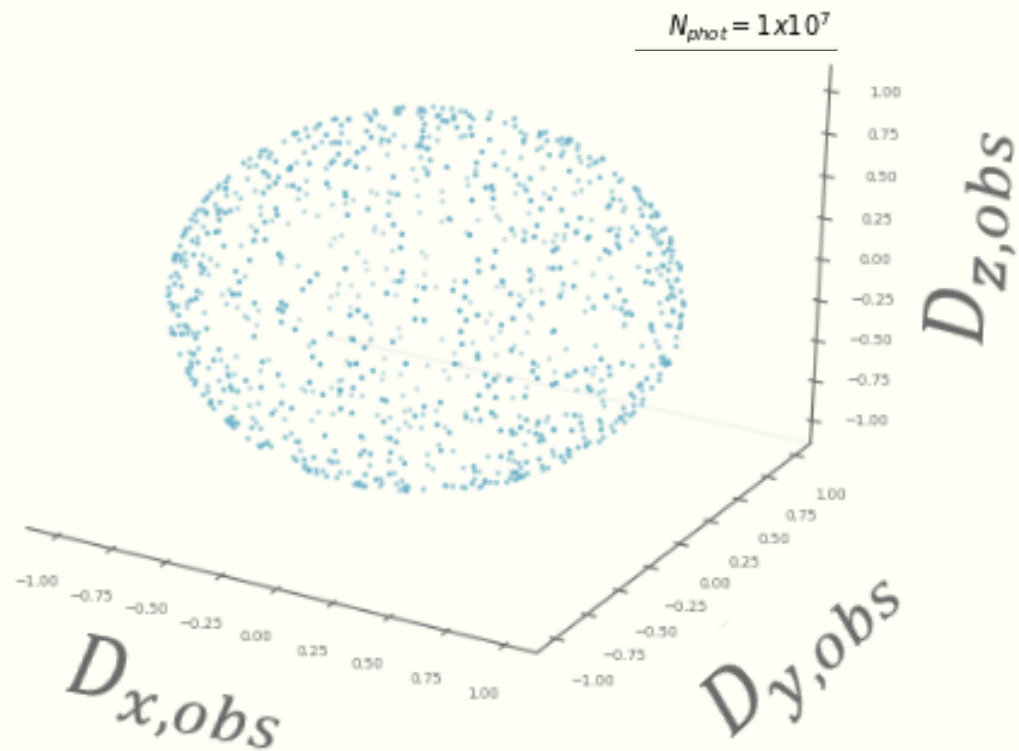
[view for all photons >](#)



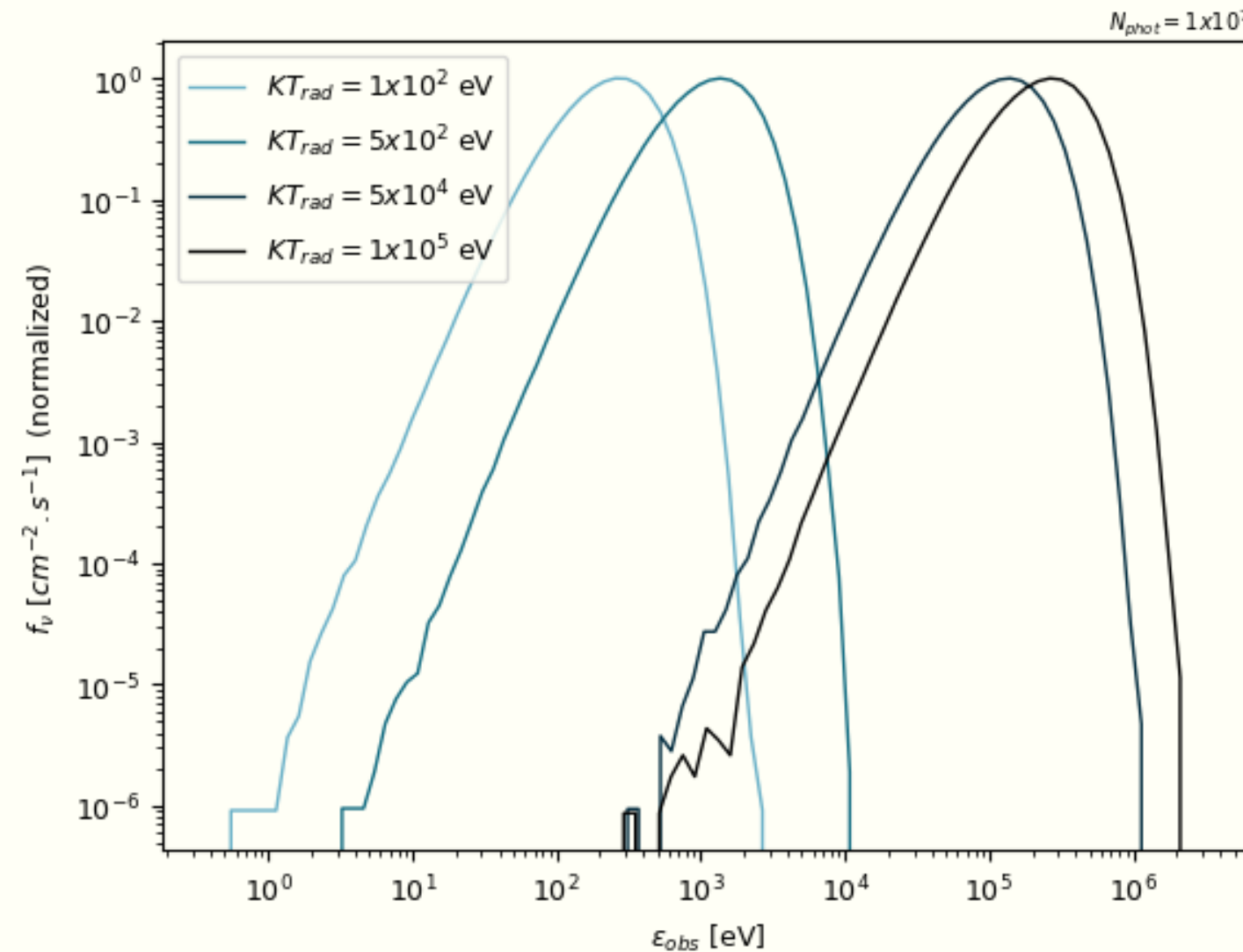
SINGLE PHOTON APPROACH



DIRECTION
ISOTROPIC DISTRIBUTION



ENERGY
BLACK-BODY DISTRIBUTION



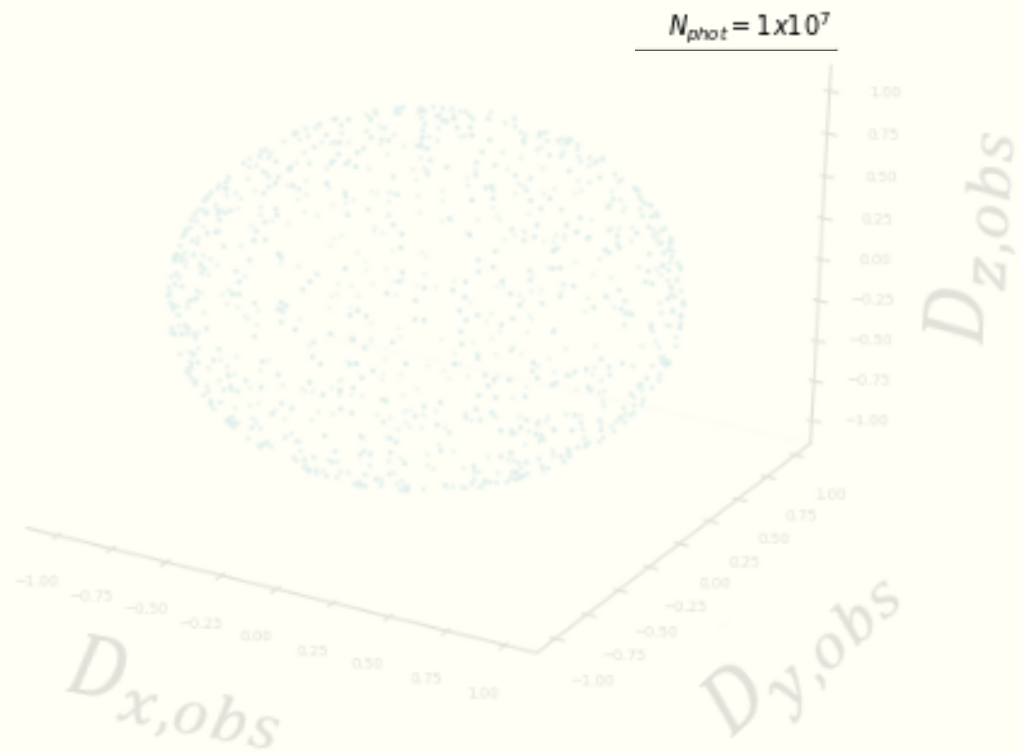
[view input parameters >](#)



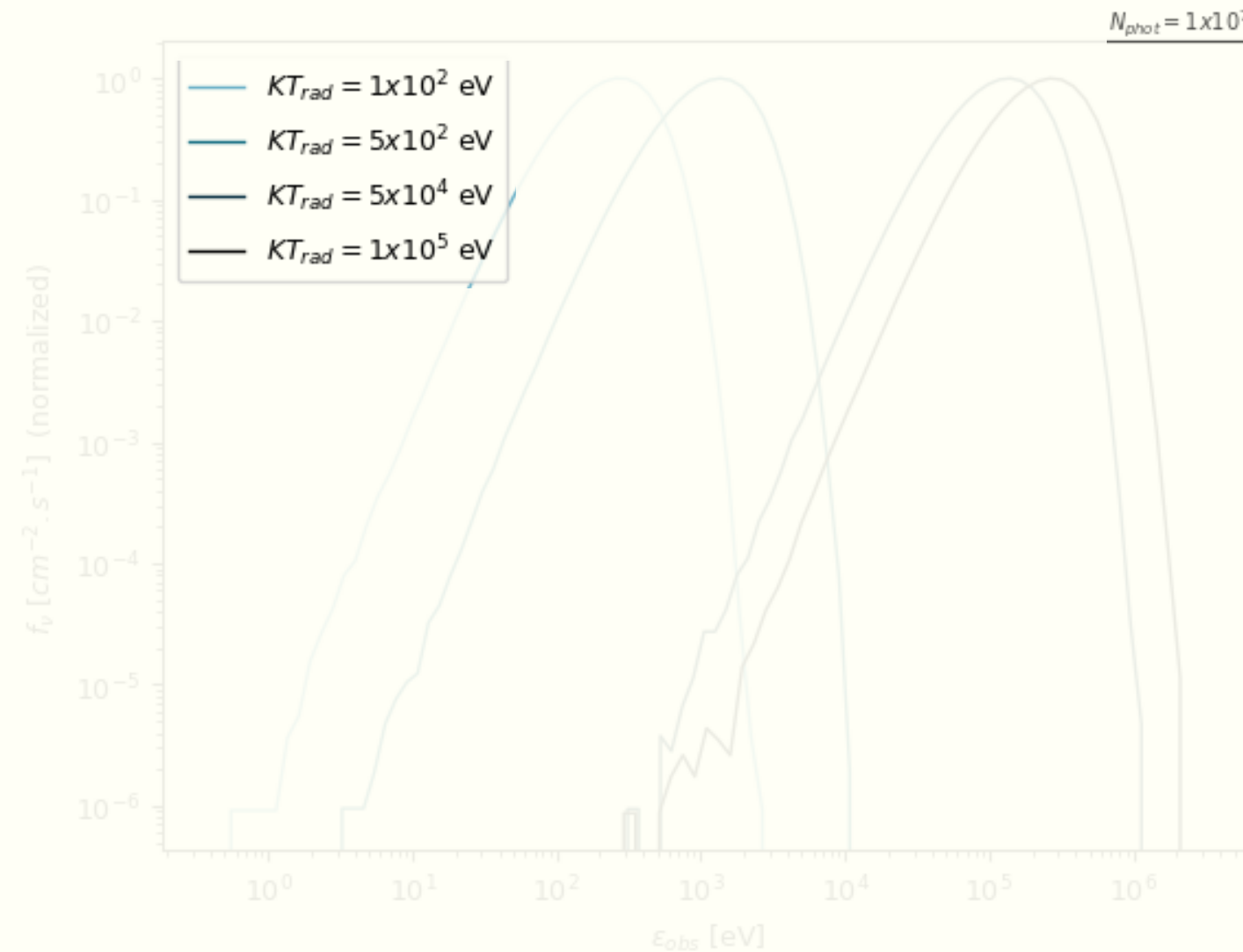
SINGLE PHOTON APPROACH



DIRECTION ISOTROPIC DISTRIBUTION



ENERGY BLACK-BODY DISTRIBUTION

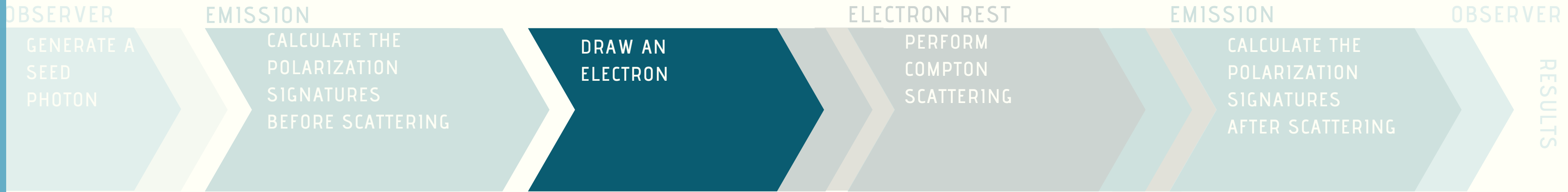


[view input parameters >](#)

$\Gamma = 10$; KT_{rad}



SINGLE PHOTON APPROACH



DIRECTION

ISOTROPIC DISTRIBUTION

ENERGY

THERMAL DISTRIBUTION

[view for all electrons >](#)





SINGLE PHOTON APPROACH

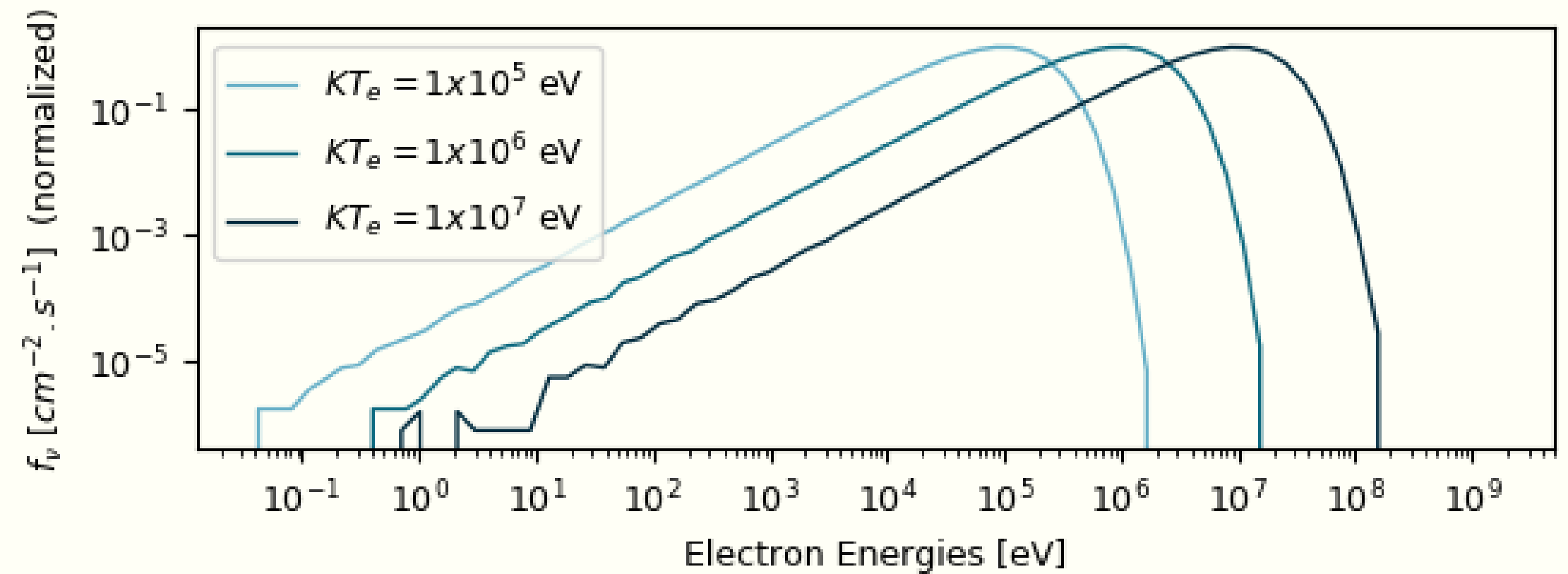
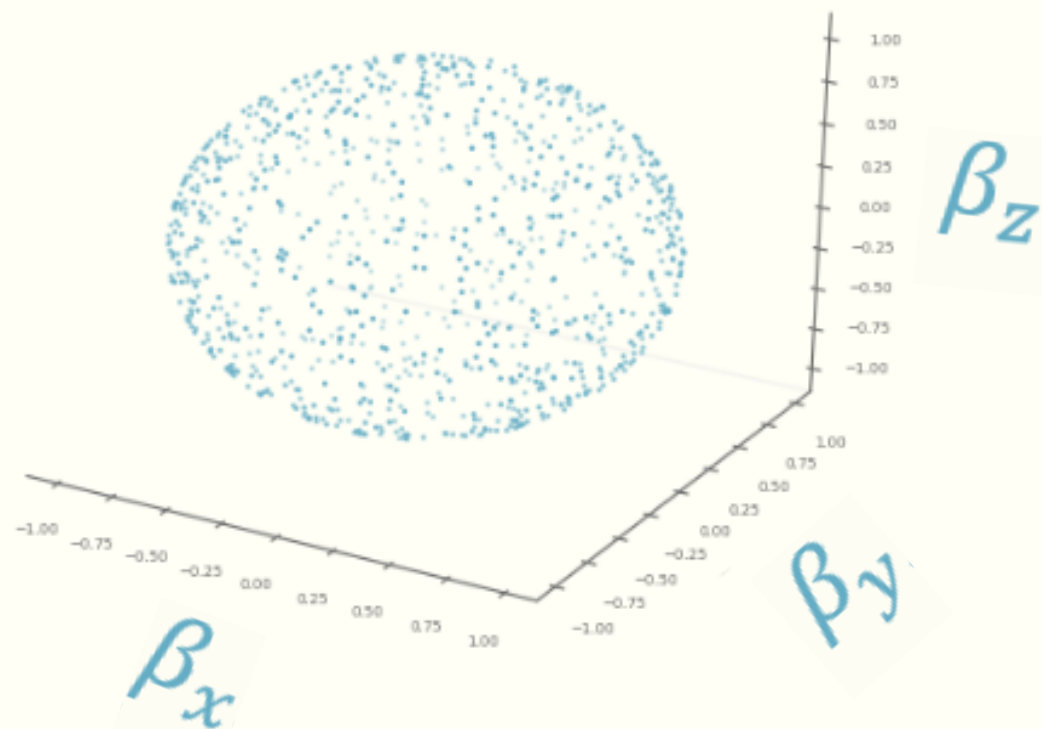


DIRECTION

ISOTROPIC DISTRIBUTION

ENERGY

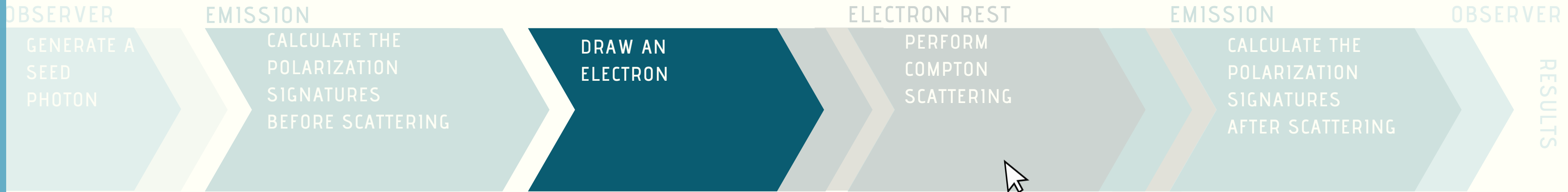
THERMAL DISTRIBUTION



[view input parameters >](#)

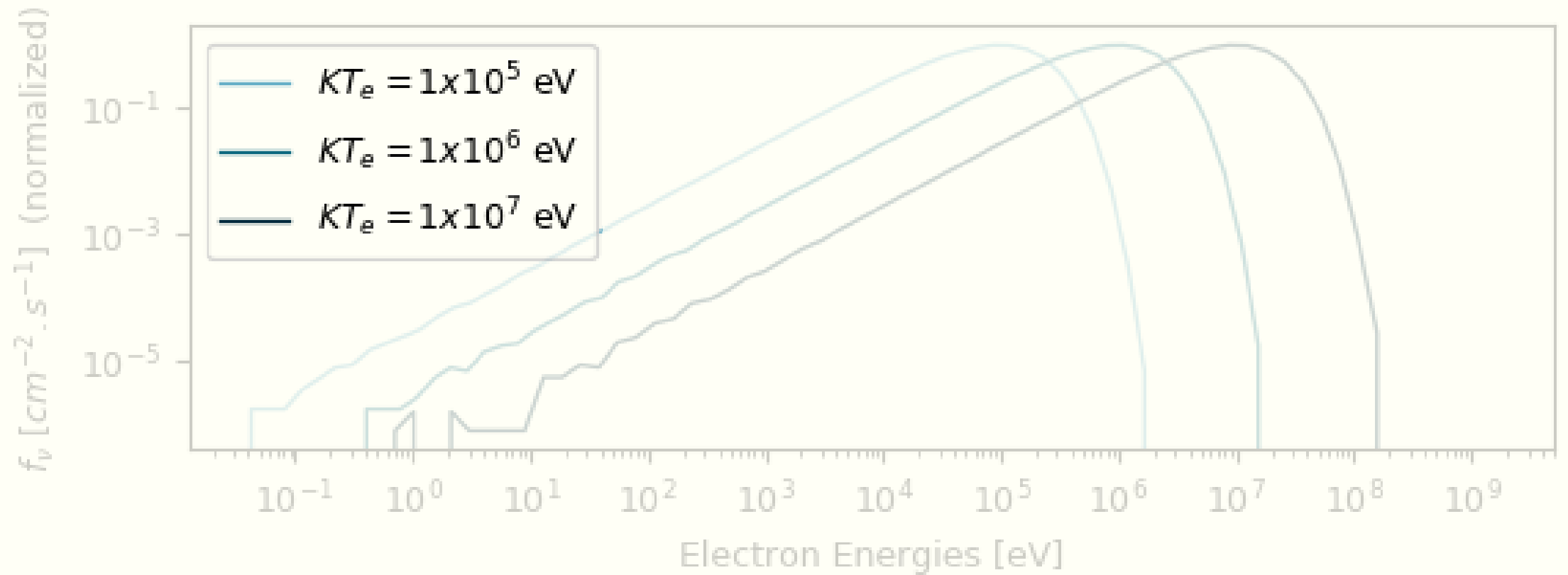
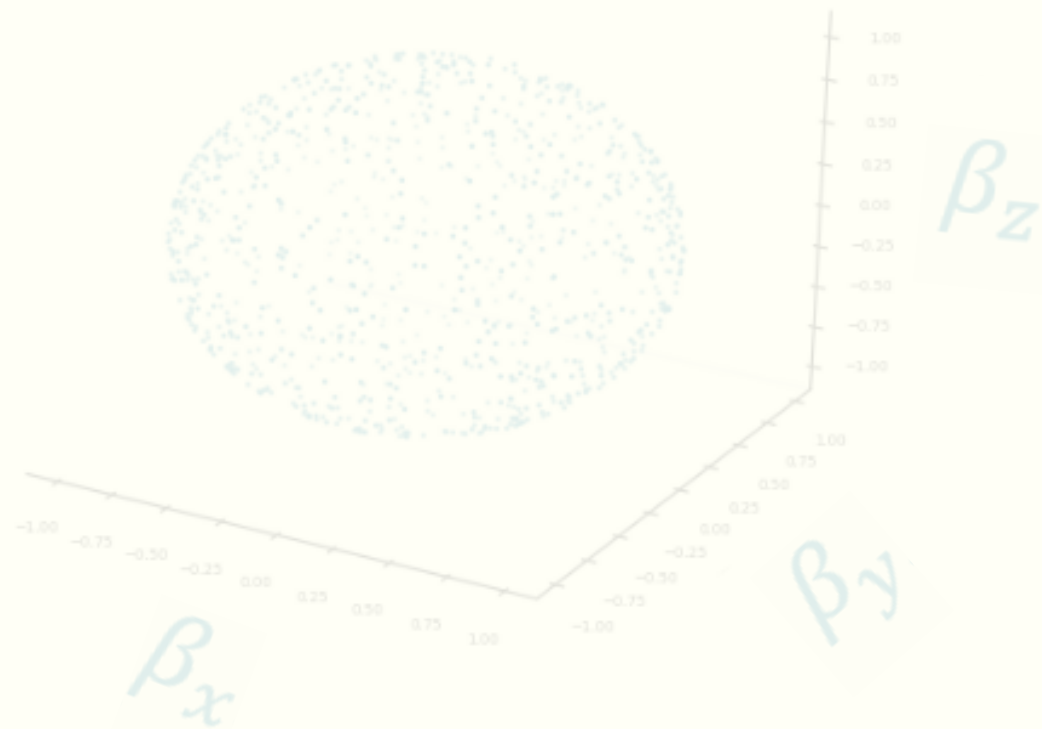


SINGLE PHOTON APPROACH



DIRECTION
ISOTROPIC DISTRIBUTION

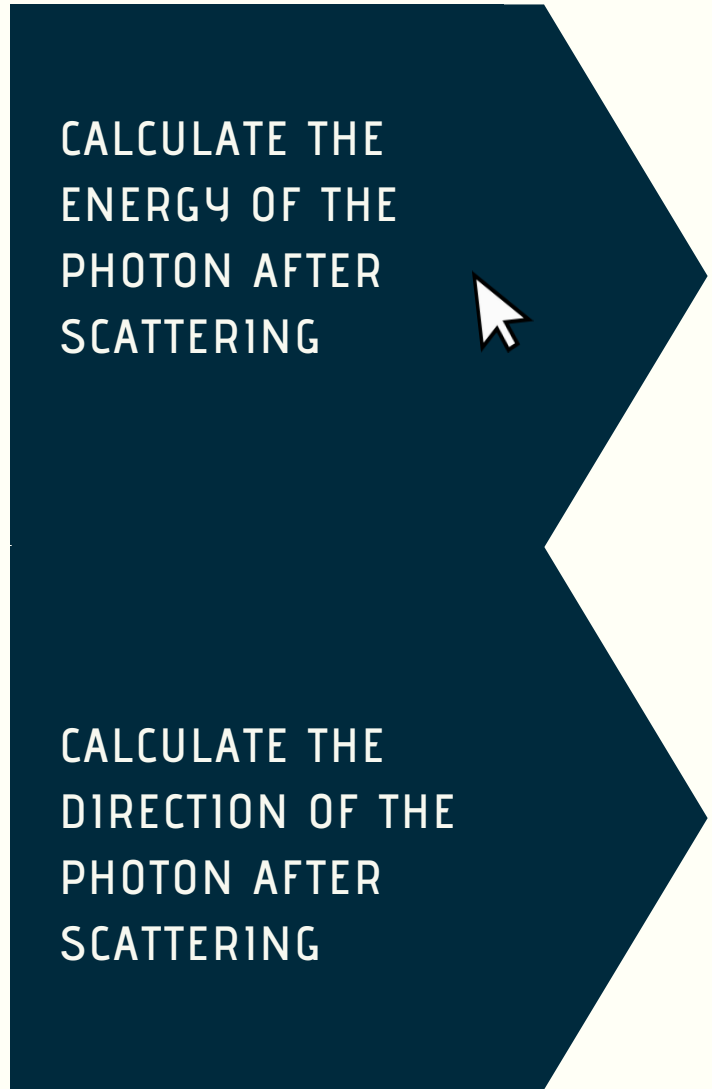
ENERGY
THERMAL DISTRIBUTION



[view input parameters >](#) $\Gamma = 10$; KT_{rad} and KT_e



SINGLE PHOTON APPROACH



$$\epsilon'_e = \frac{\epsilon_e}{1 + \frac{\epsilon_e}{m_e c^2} (1 - \cos \theta_{sc})}$$

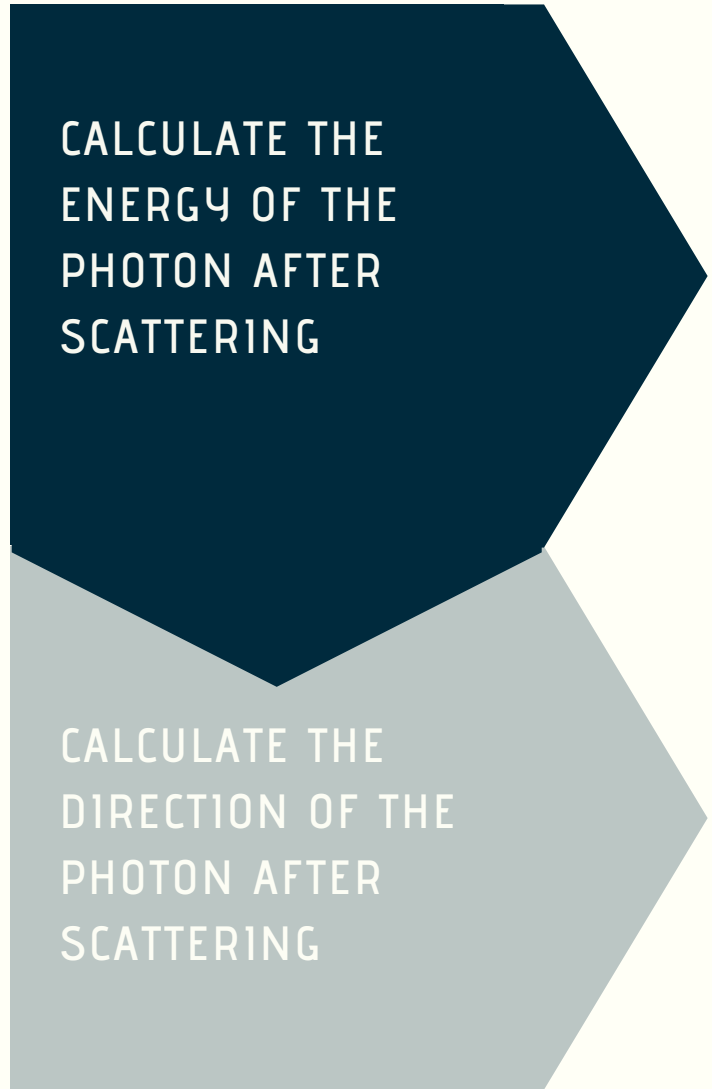
$$D'_{e,x} = D_{e,x} \cos \theta_{sc} + P_{e,x} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,y} P_{e,z} - D_{e,z} P_{e,y})$$

$$D'_{e,y} = D_{e,y} \cos \theta_{sc} + P_{e,y} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,z} P_{e,x} - D_{e,x} P_{e,z})$$

$$D'_{e,z} = D_{e,z} \cos \theta_{sc} + P_{e,z} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,x} P_{e,y} - D_{e,y} P_{e,x})$$



SINGLE PHOTON APPROACH



ANGLE BETWEEN THE SEED AND SCATTERED PHOTON

$$\epsilon'_e = \frac{\epsilon_e}{1 + \frac{\epsilon_e}{m_e c^2} (1 - \cos \Theta_{sc})}$$

[view for all photons >](#)

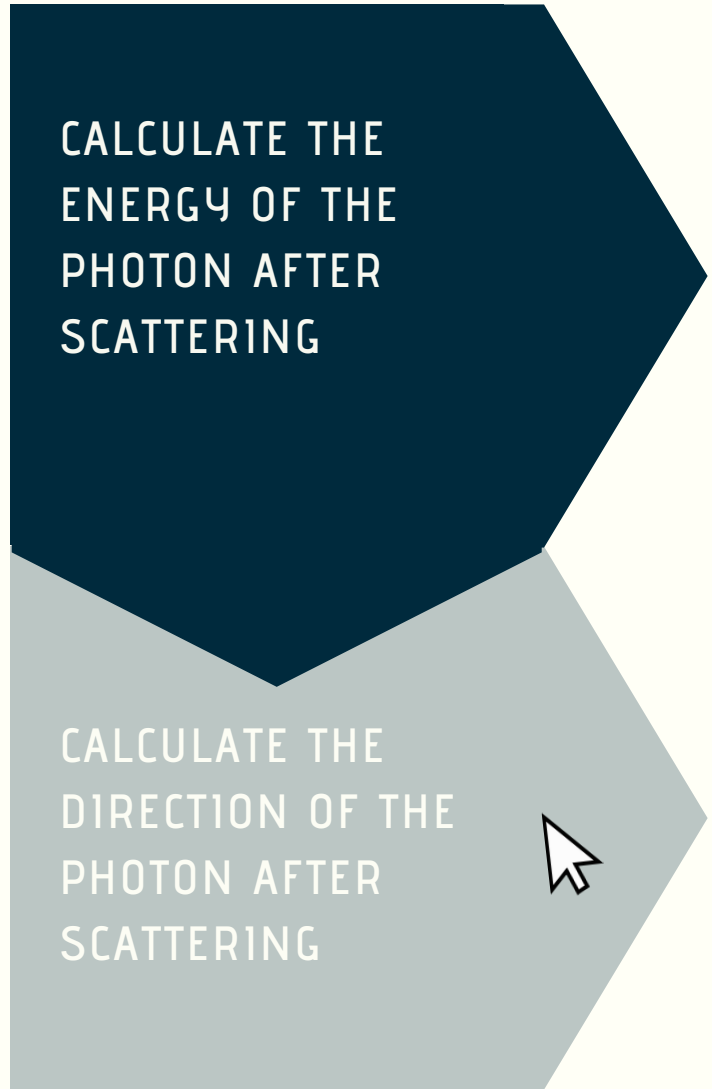
$$D'_{e,x} = D_{e,x} \cos \Theta_{sc} + P_{e,x} \sin \Theta_{sc} \cos \Phi_{sc} + \sin \Theta_{sc} \sin \Phi_{sc} (D_{e,y} P_{e,z} - D_{e,z} P_{e,y})$$

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$$D'_{e,z} = D_{e,z} \cos \Theta_{sc} + P_{e,z} \sin \Theta_{sc} \cos \Phi_{sc} + \sin \Theta_{sc} \sin \Phi_{sc} (D_{e,x} P_{e,y} - D_{e,y} P_{e,x})$$



SINGLE PHOTON APPROACH



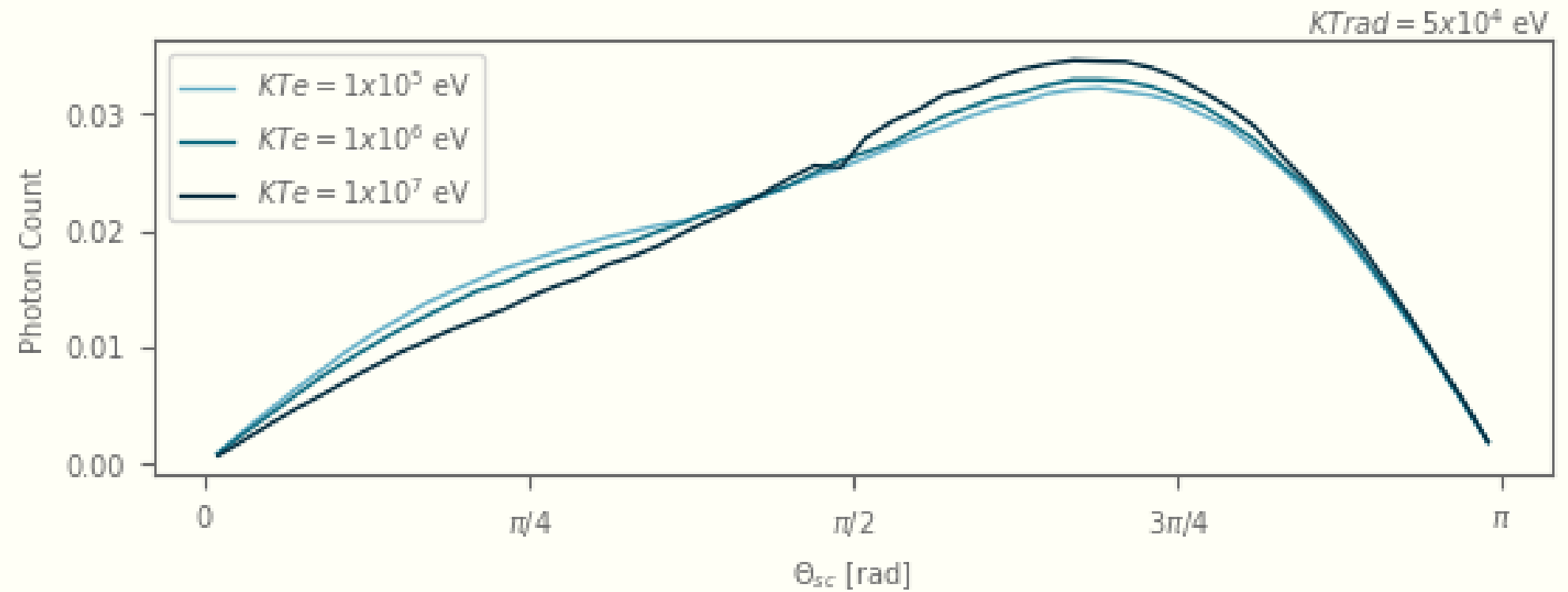
$$\epsilon'_e = \frac{\epsilon_e}{1 + \frac{\epsilon_e}{m_e c^2} (1 - \cos \Theta_{sc})}$$

ANGLE BETWEEN THE SEED AND SCATTERED PHOTON

$$D'_{e,x} = D_{e,x} \cos \Theta_{sc} + P_x$$

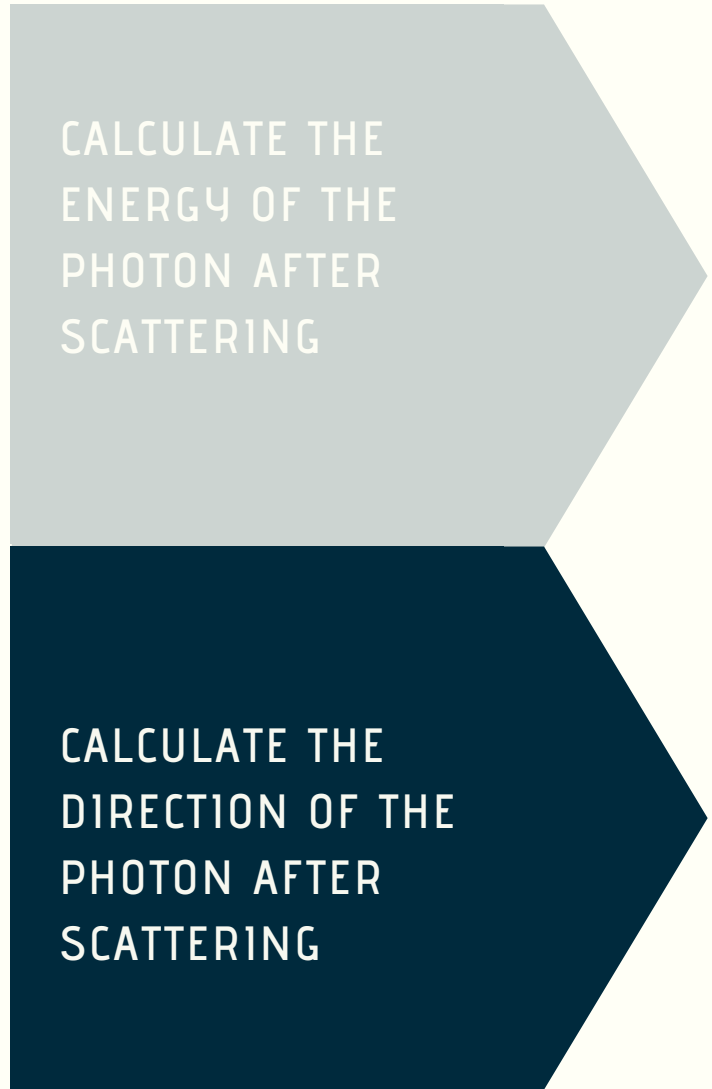
$$D'_{e,y} = D_{e,y} \cos \Theta_{sc} + P_y$$

$$D'_{e,z} = D_{e,z} \cos \Theta_{sc} + P_z$$





SINGLE PHOTON APPROACH



$$\epsilon'_e = \frac{\epsilon_e}{1 + \frac{\epsilon_e}{m_e c^2} (1 - \cos \theta_{sc})}$$

ANGLE BETWEEN THE POLARIZATION VECTOR OF THE SEED PHOTON AND THE PLANE OF SCATTERING

[view for all photons >](#)

$$D'_{e,x} = D_{e,x} \cos \theta_{sc} + P_{e,x} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,y} P_{e,z} - D_{e,z} P_{e,y})$$

$$D'_{e,y} = D_{e,y} \cos \theta_{sc} + P_{e,y} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,z} P_{e,x} - D_{e,x} P_{e,z})$$

$$D'_{e,z} = D_{e,z} \cos \theta_{sc} + P_{e,z} \sin \theta_{sc} \cos \Phi_{sc} + \sin \theta_{sc} \sin \Phi_{sc} (D_{e,x} P_{e,y} - D_{e,y} P_{e,x})$$

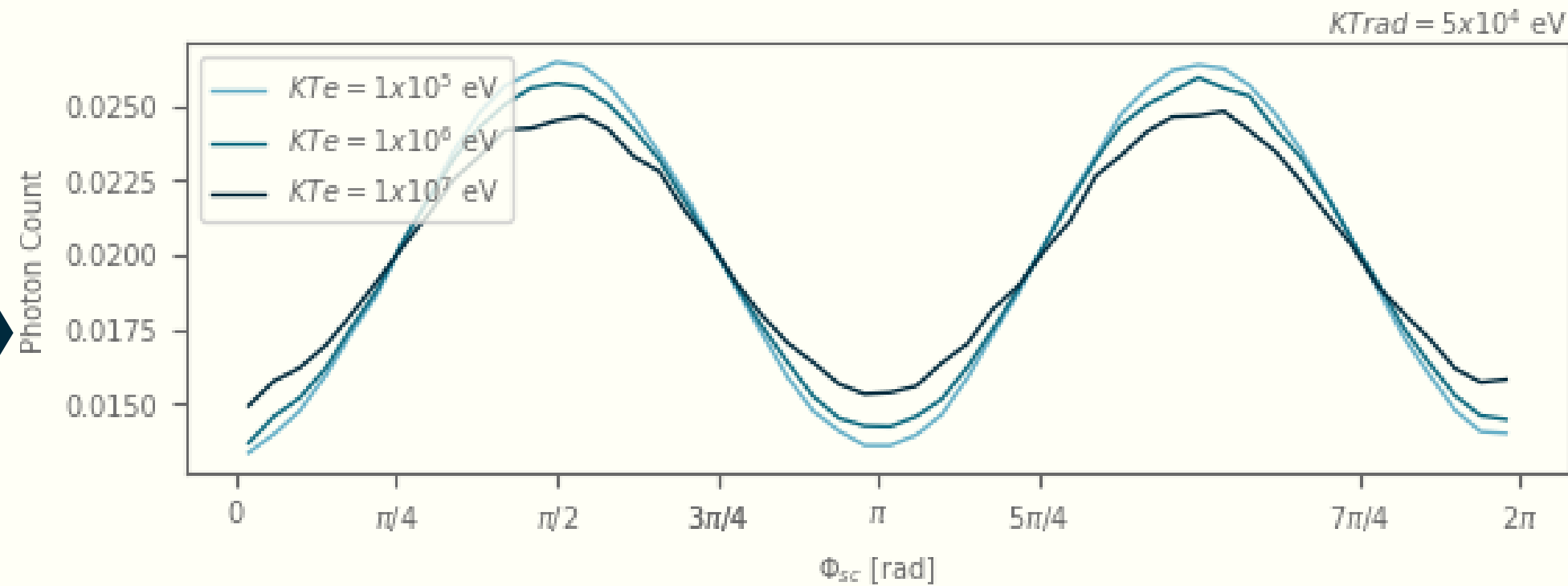


SINGLE PHOTON APPROACH



CALCULATE THE ENERGY OF THE PHOTON AFTER SCATTERING

$$\epsilon'_e = \frac{\epsilon_e}{1 + \frac{\epsilon_e}{m_e c^2} (1 - \cos \theta_{sc})}$$



ANGLE BETWEEN THE POLARIZATION VECTOR OF THE SEED PHOTON AND THE PLANE OF SCATTERING

$$D_{e,y}P_{e,z} - D_{e,z}P_{e,y}$$

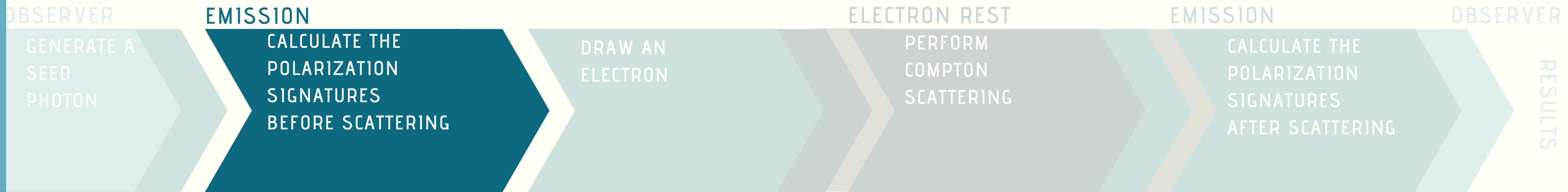
$$D_{e,z}P_{e,x} - D_{e,x}P_{e,z}$$

$$D_{e,x}P_{e,y} - D_{e,y}P_{e,x}$$

CALCULATE THE DIRECTION OF THE PHOTON AFTER SCATTERING



SINGLE PHOTON APPROACH



CALCULATE THE POLARIZATION VECTOR

CALCULATE THE CONTRIBUTIONS OF THE PHOTON TO THE STOKES PARAMETERS

view for all photons >

$$\vec{P}_{em} = \sin \alpha_r \vec{Q}_+ + \cos \alpha_r \vec{Q}_-$$

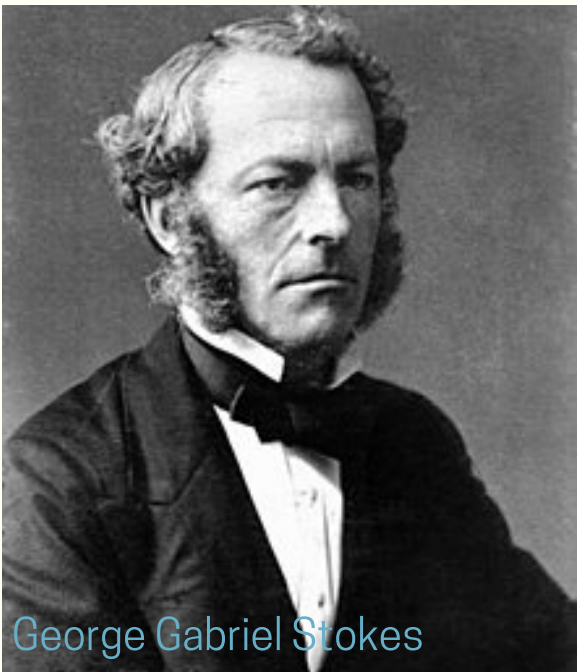
$$\alpha_r \in [0, 2\pi]$$

$$Q_i = (\vec{P}_{em} \cdot \vec{Q}_+)^2 - (\vec{P}_{em} \cdot \vec{Q}_-)^2$$

$$U_i = (\vec{P}_{em} \cdot \vec{U}_+)^2 - (\vec{P}_{em} \cdot \vec{U}_-)^2$$

WILL THE PHOTON UNDERGO COMPTON SCATTERING?

WILL THE PHOTON BE POLARIZED AFTER SCATTERING?



George Gabriel Stokes



SINGLE PHOTON APPROACH



CALCULATE THE POLARIZATION VECTOR

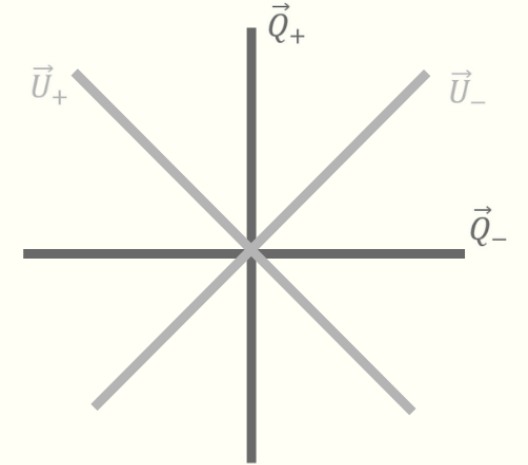
$$\vec{P}_{em} = \sin \alpha_r \vec{Q}_+ + \cos \alpha_r \vec{Q}_-$$

$$\alpha_r \in [0, 2\pi]$$

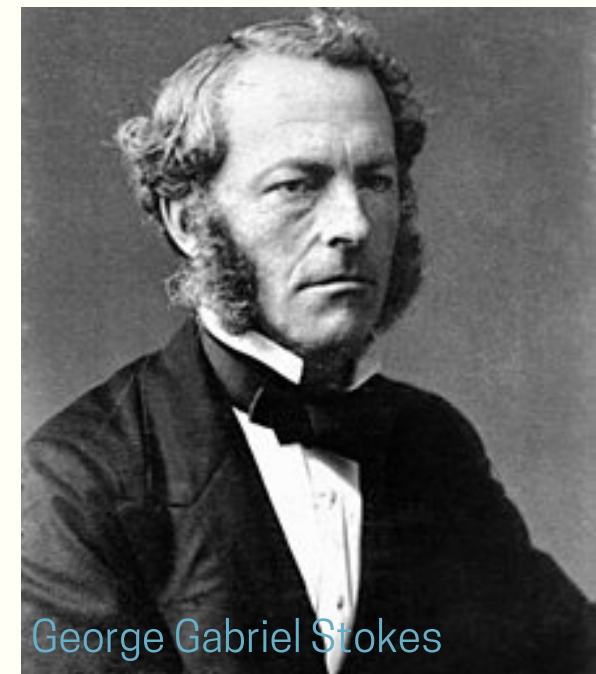
CALCULATE THE CONTRIBUTIONS OF THE PHOTON TO THE STOKES PARAMETERS

$$Q_i = (\vec{P}_{em} \cdot \vec{Q}_+)^2 - (\vec{P}_{em} \cdot \vec{Q}_-)^2$$

$$U_i = (\vec{P}_{em} \cdot \vec{U}_+)^2 - (\vec{P}_{em} \cdot \vec{U}_-)^2$$



[view for all photons >](#)



George Gabriel Stokes



SINGLE PHOTON APPROACH



STOKES PARAMETERS ARE ADDITIVE

$$Q = \sum_{i=0}^{N_{phot}} Q_i$$

$$U = \sum_{i=0}^{N_{phot}} U_i$$

POLARIZATION SIGNATURES

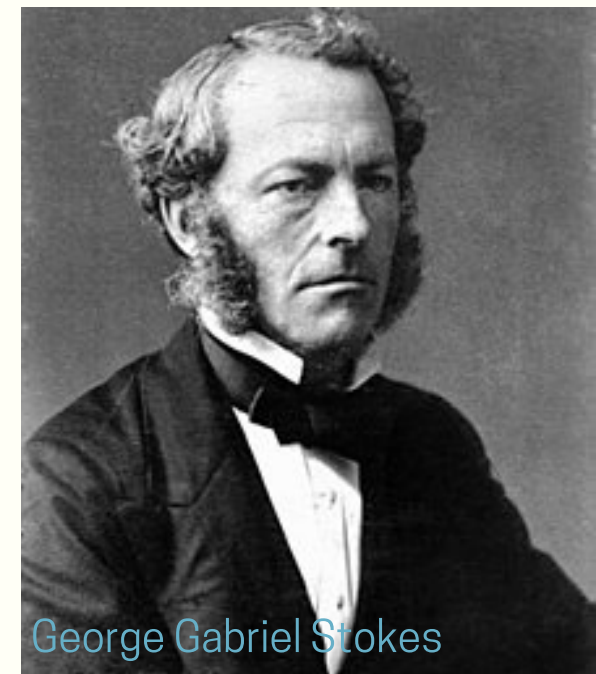
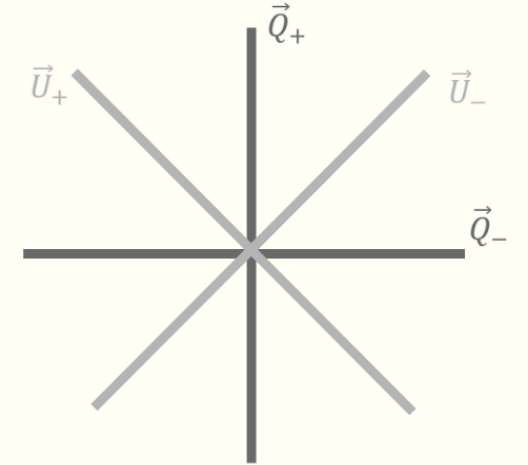
BINNED IN THE VIEWING ANGLE AND PHOTON ENERGIES

$$\Pi = \frac{\sqrt{Q^2 + U^2}}{N_{phot}}$$

$$\chi = \frac{1}{2} \tan^{-1} \frac{U}{Q}$$

WILL THE PHOTON UNDERGO COMPTON SCATTERING?

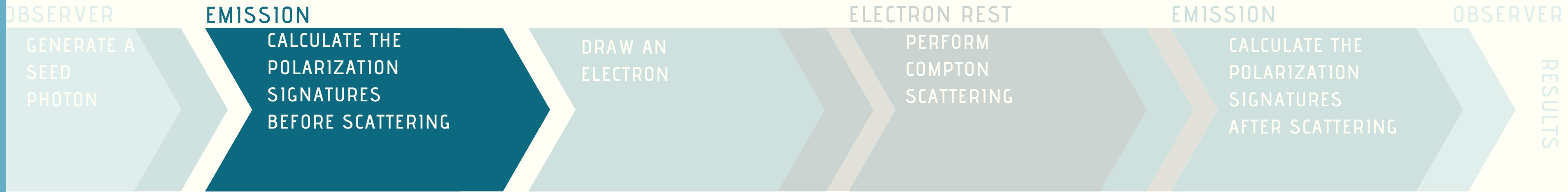
WILL THE PHOTON BE POLARIZED AFTER SCATTERING?



George Gabriel Stokes



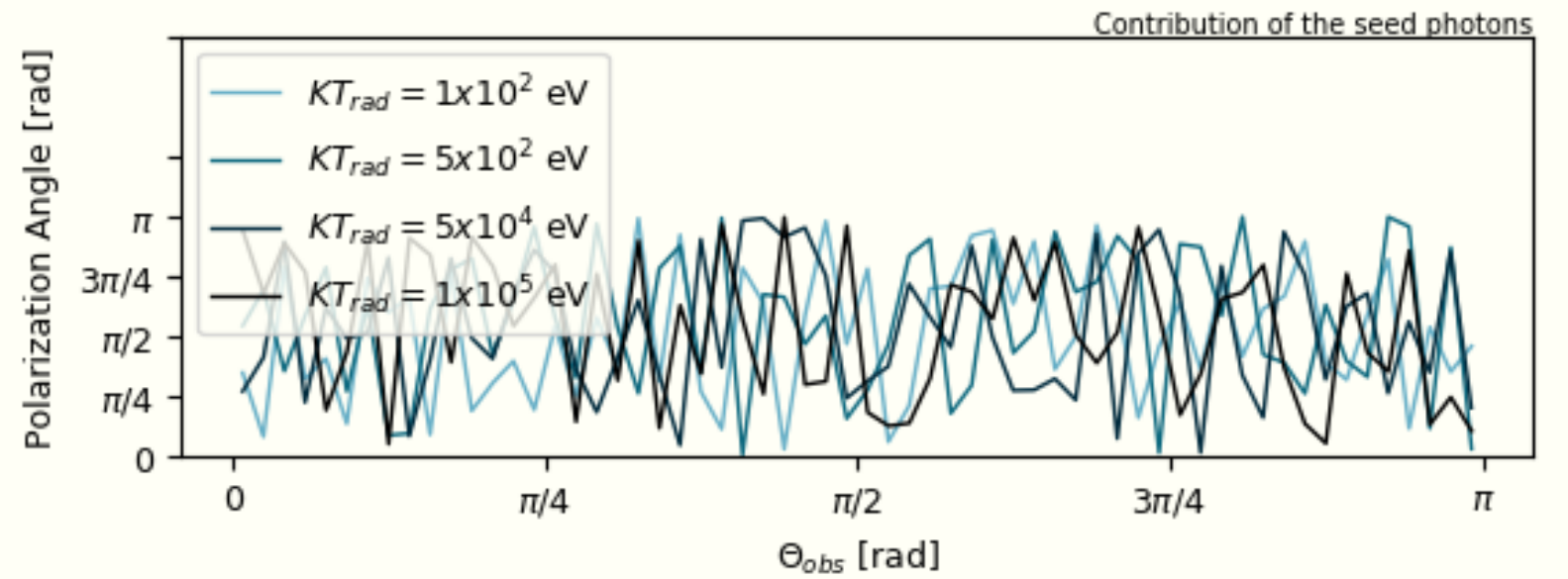
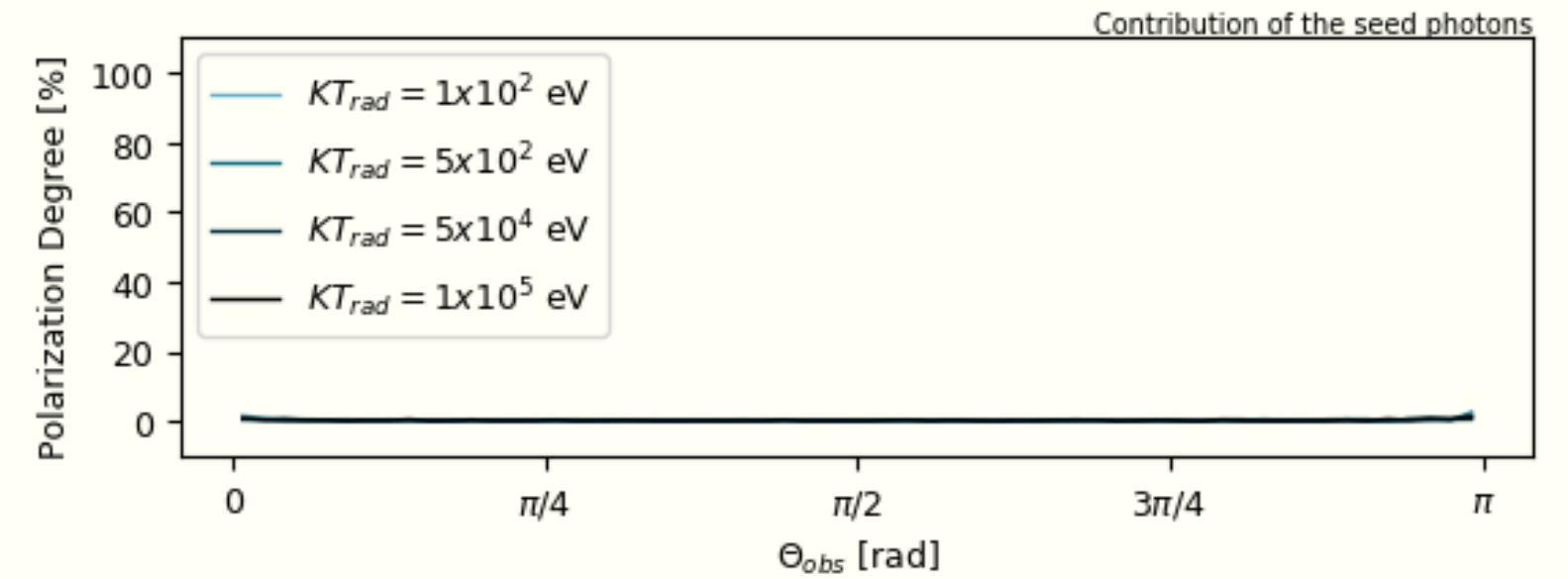
SINGLE PHOTON APPROACH



POLARIZATION SIGNATURES

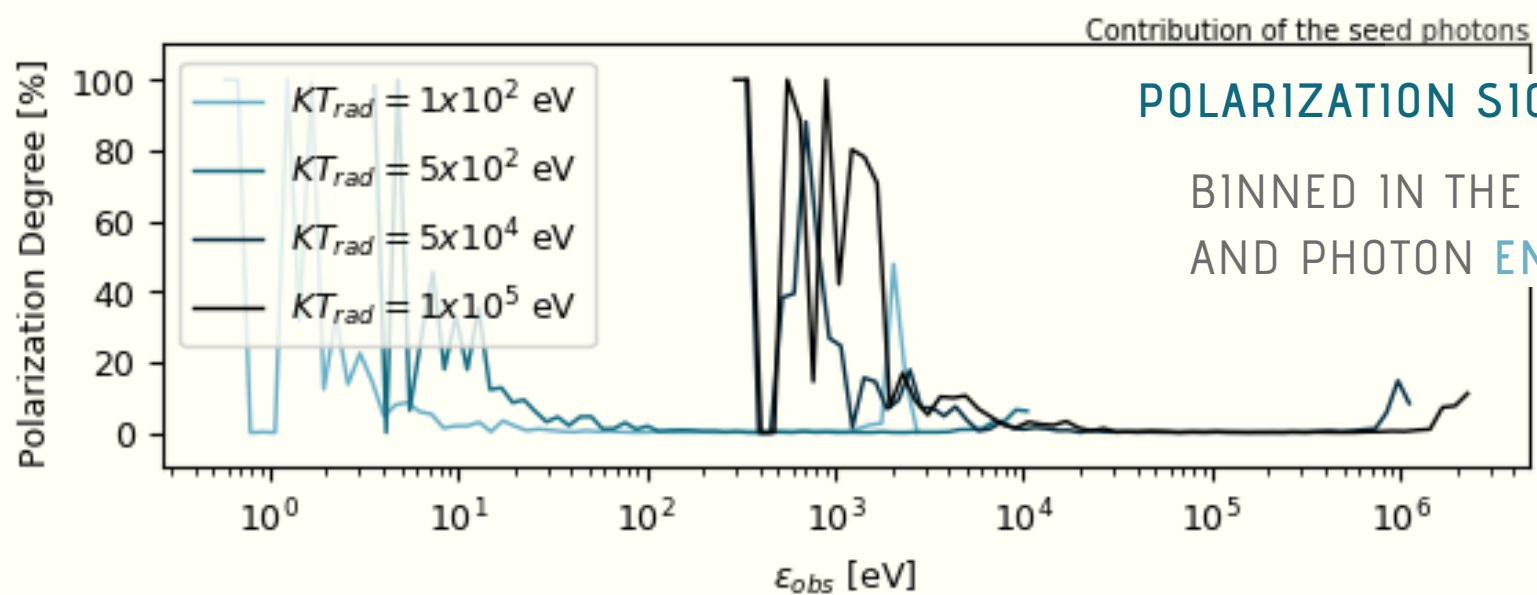
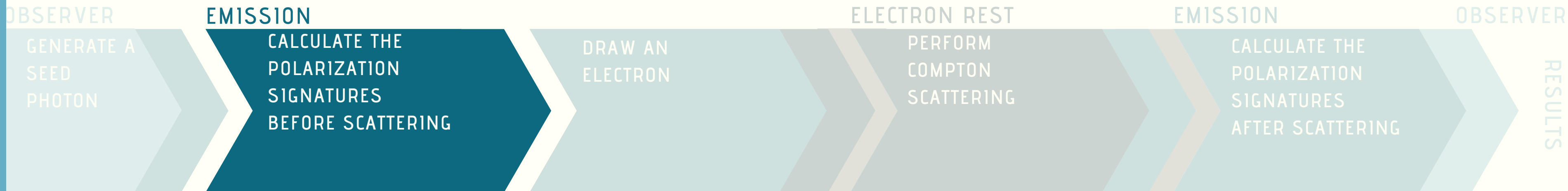
BINNED IN THE VIEWING ANGLE AND PHOTON ENERGIES

WILL UNDERSTAND





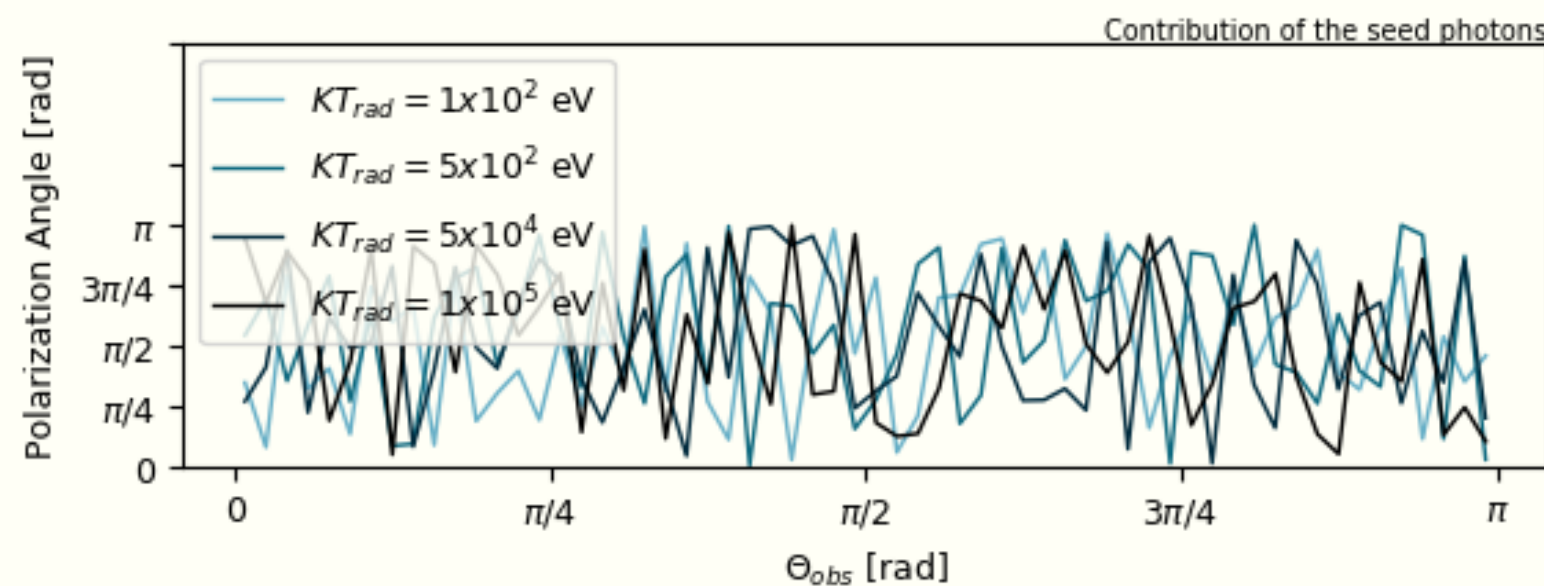
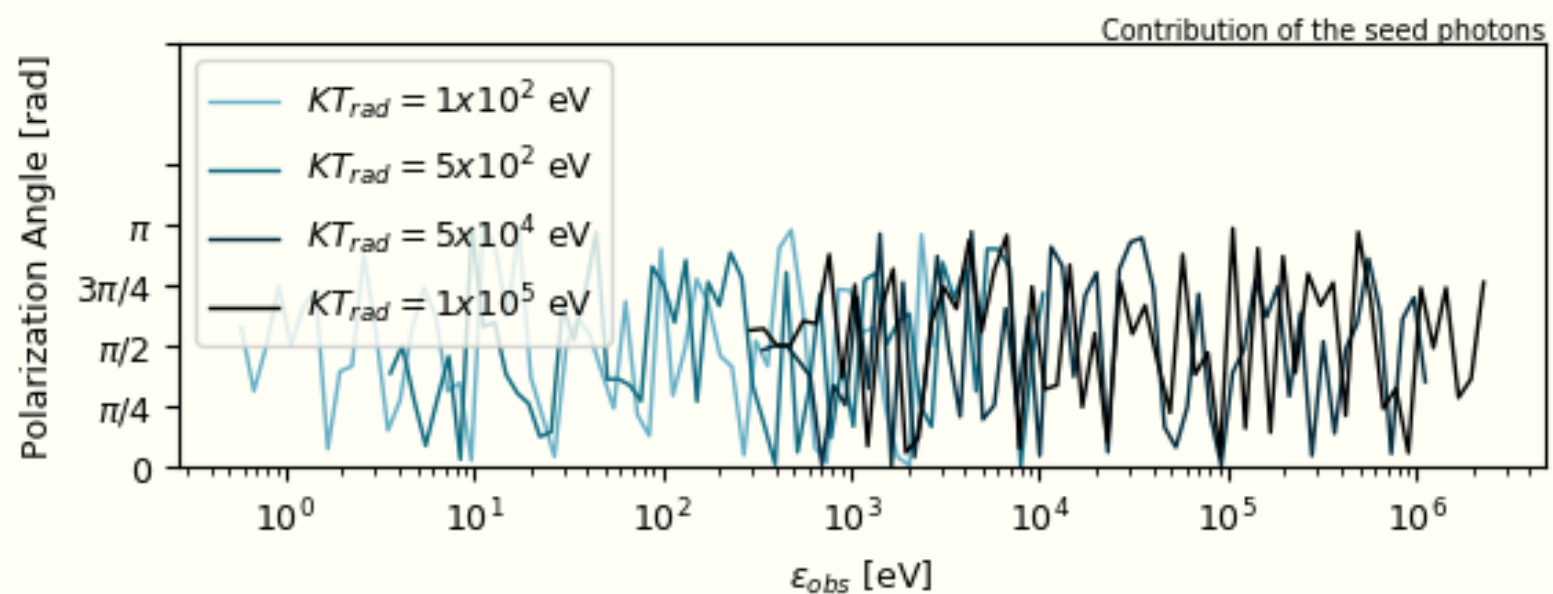
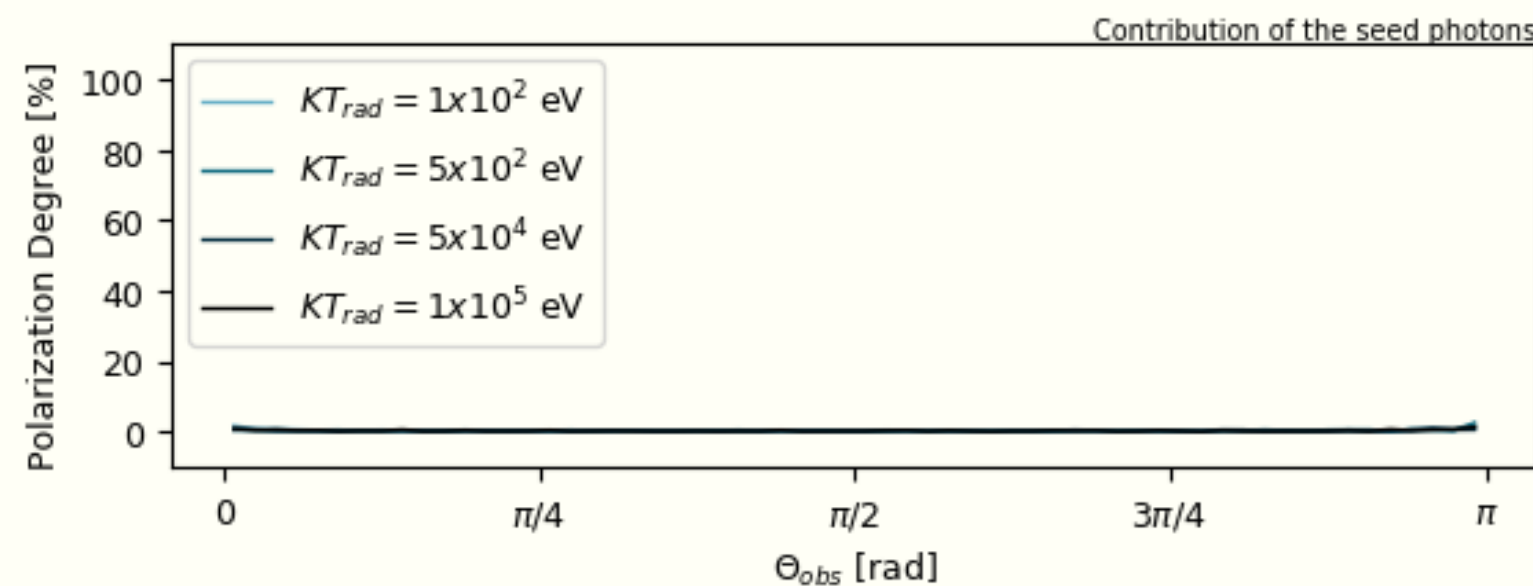
SINGLE PHOTON APPROACH



POLARIZATION SIGNATURES

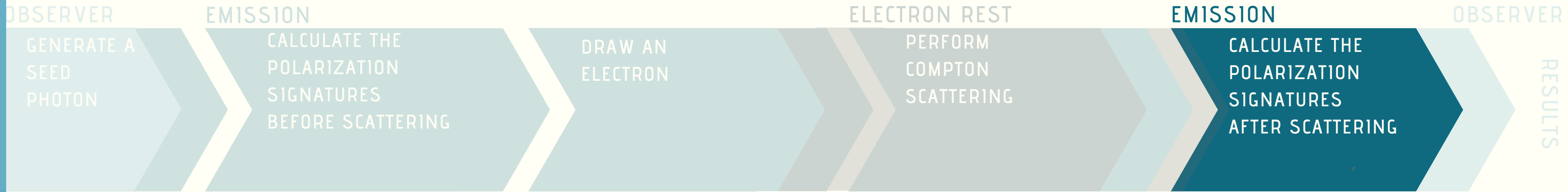
BINNED IN THE VIEWING ANGLE AND PHOTON ENERGIES

WILL UNDERSTAND





SINGLE PHOTON APPROACH



CALCULATE THE POLARIZATION VECTOR

CALCULATE THE CONTRIBUTIONS OF THE PHOTON TO THE STOKES PARAMETERS

UNPOLARIZED

$$\vec{P}'_{em} = \sin \alpha_r \vec{Q}'_+ + \cos \alpha_r \vec{Q}'_-$$

$$\alpha_r \in [0, 2\pi]$$

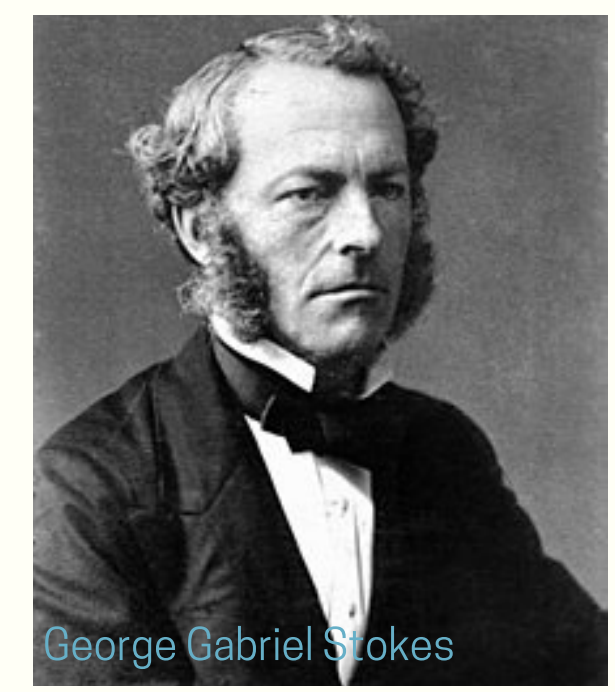
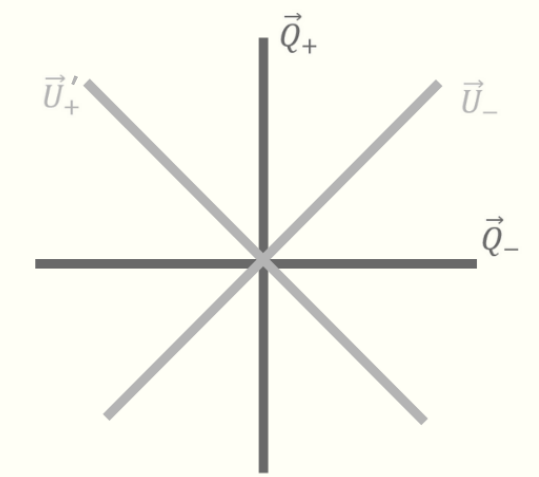
POLARIZED

$$\vec{P}'_{em} = \frac{1}{P'_{em}} (\vec{P}'_{em} \times \vec{D}'_{em}) \times \vec{D}'_{em}$$

Matt et al, 1995

$$Q'_i = (\vec{P}_{em} \cdot \vec{Q}'_+)^2 - (\vec{P}_{em} \cdot \vec{Q}'_-)^2$$

$$U'_i = (\vec{P}_{em} \cdot \vec{U}'_+)^2 - (\vec{P}_{em} \cdot \vec{U}'_-)^2$$



[view for all photons >](#)



SINGLE PHOTON APPROACH



CALCULATE THE POLARIZATION VECTOR

UNPOLARIZED

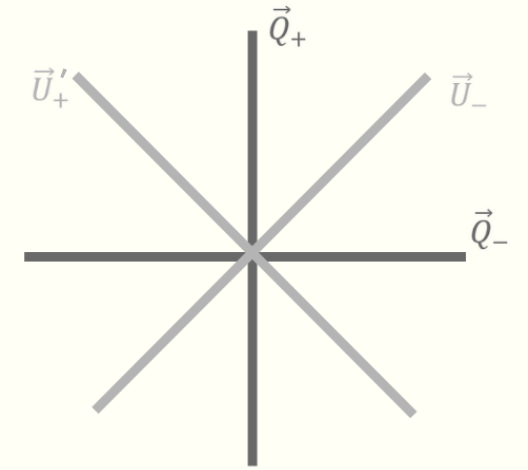
$$\vec{P}'_{em} = \sin \alpha_r \vec{Q}'_+ + \cos \alpha_r \vec{Q}'_-$$

$$\alpha_r \in [0, 2\pi]$$

POLARIZED

$$\vec{P}'_{em} = \frac{1}{P'_{em}} (\vec{P}'_{em} \times \vec{D}'_{em}) \times \vec{D}'_{em}$$

Matt et al, 1995

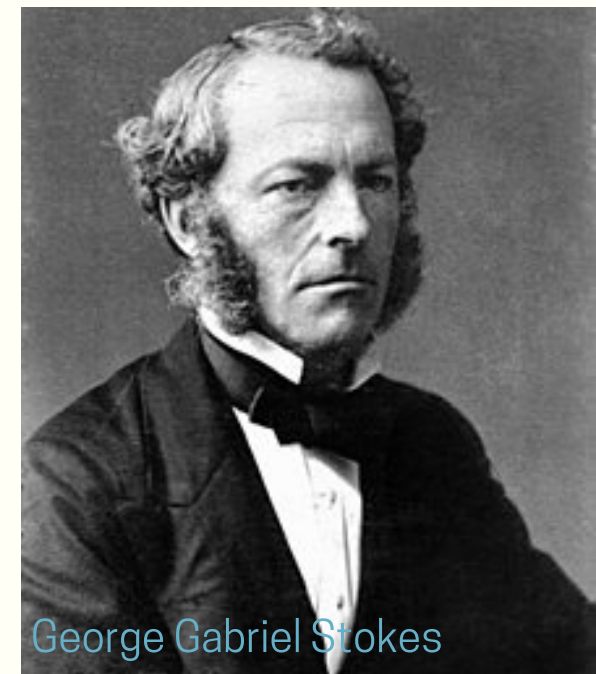


CALCULATE THE CONTRIBUTIONS OF THE PHOTON TO THE STOKES PARAMETERS

$$Q' = (\vec{P}_{em} \cdot \vec{Q}_+)^2 - (\vec{P}_{em} \cdot \vec{Q}_-)^2$$

$$U' = (\vec{P}_{em} \cdot \vec{U}_+)^2 - (\vec{P}_{em} \cdot \vec{U}_-)^2$$

view for all photons >

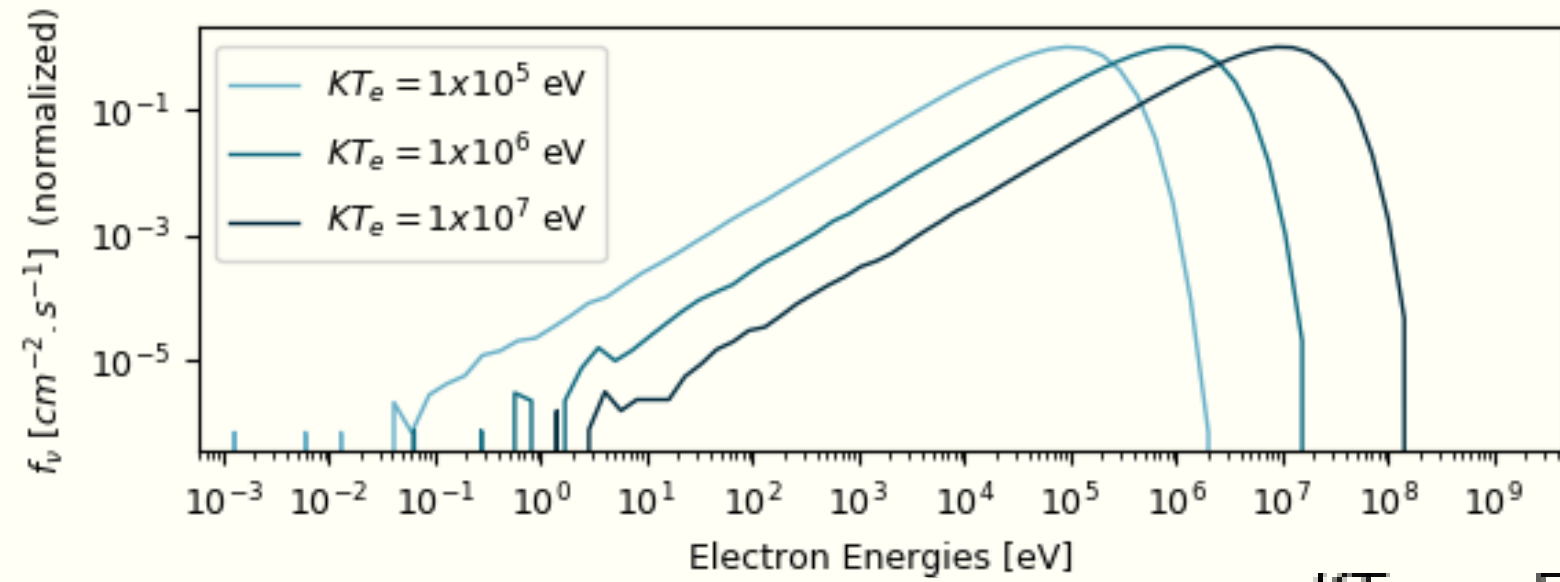


George Gabriel Stokes



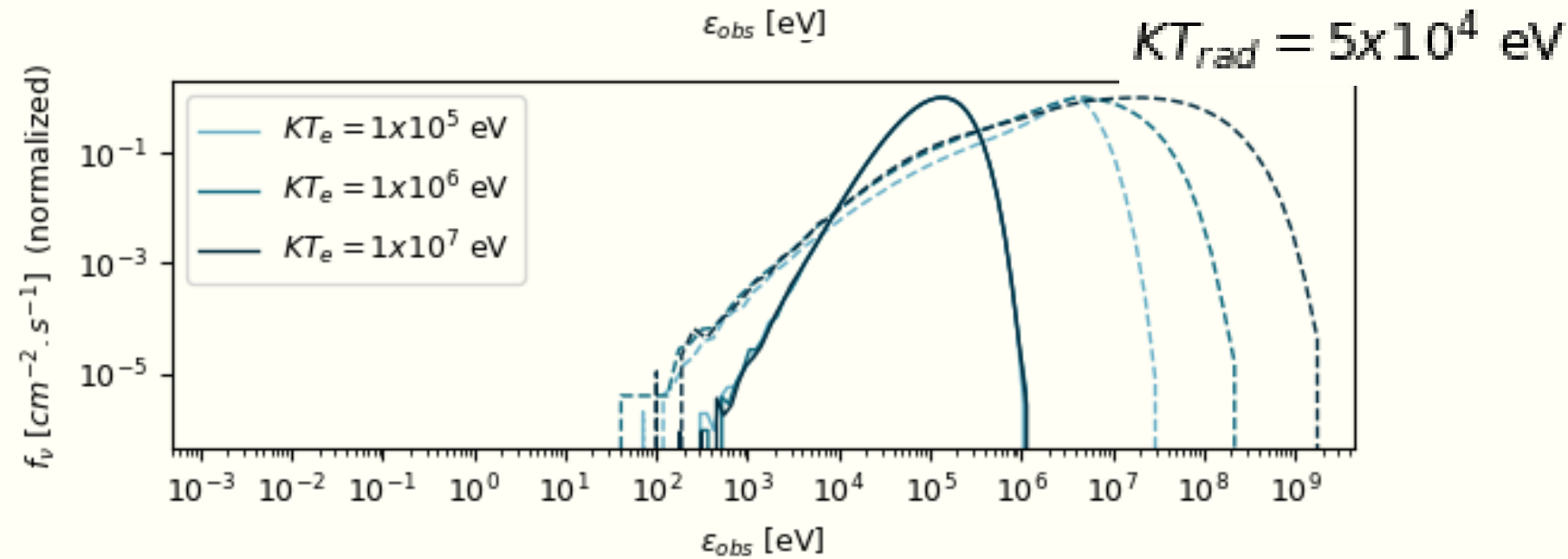
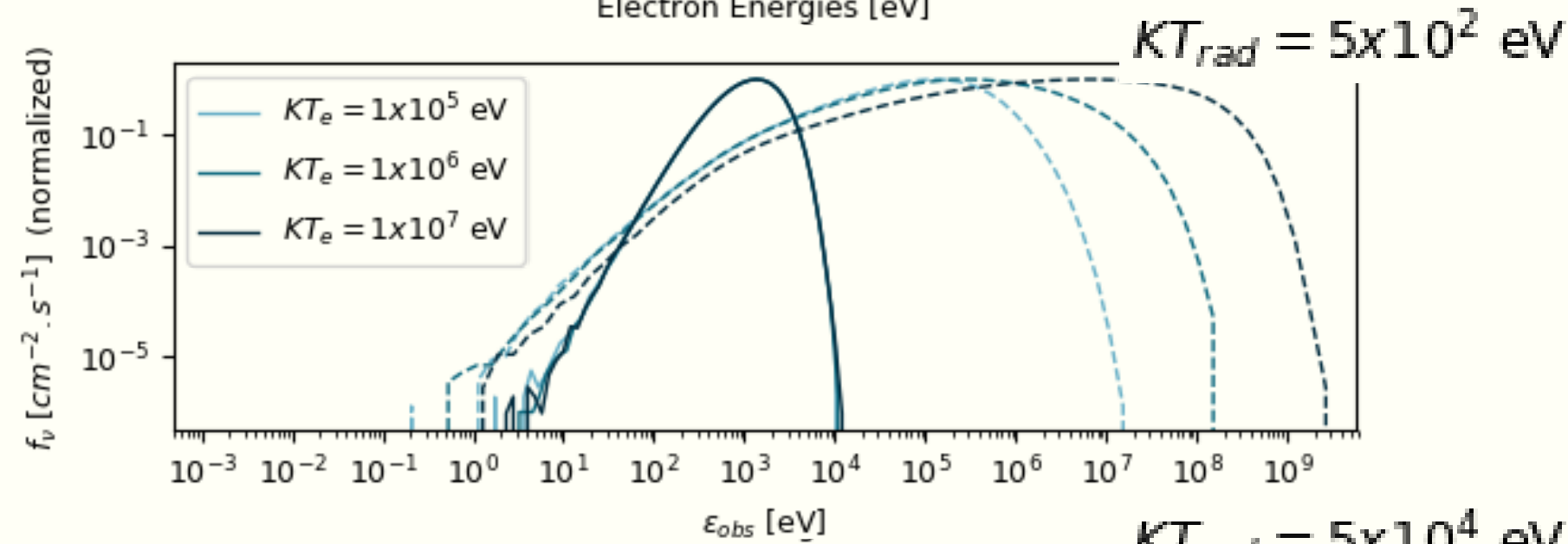
SPECTRAL ENERGY DISTRIBUTIONS

POLARIZATION SIGNAL



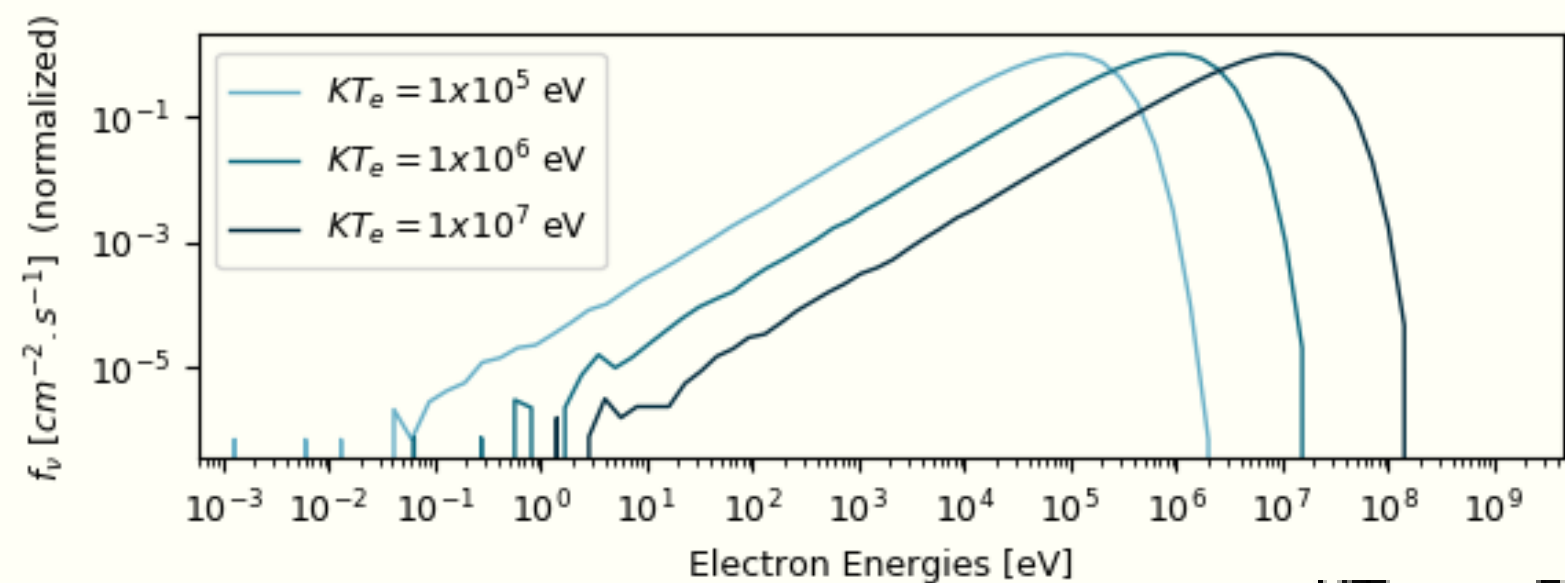
PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES

why?

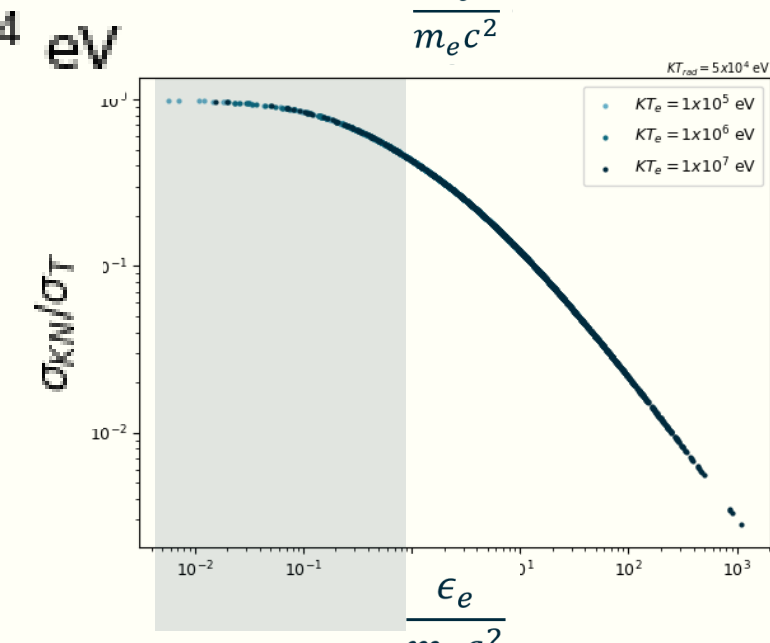
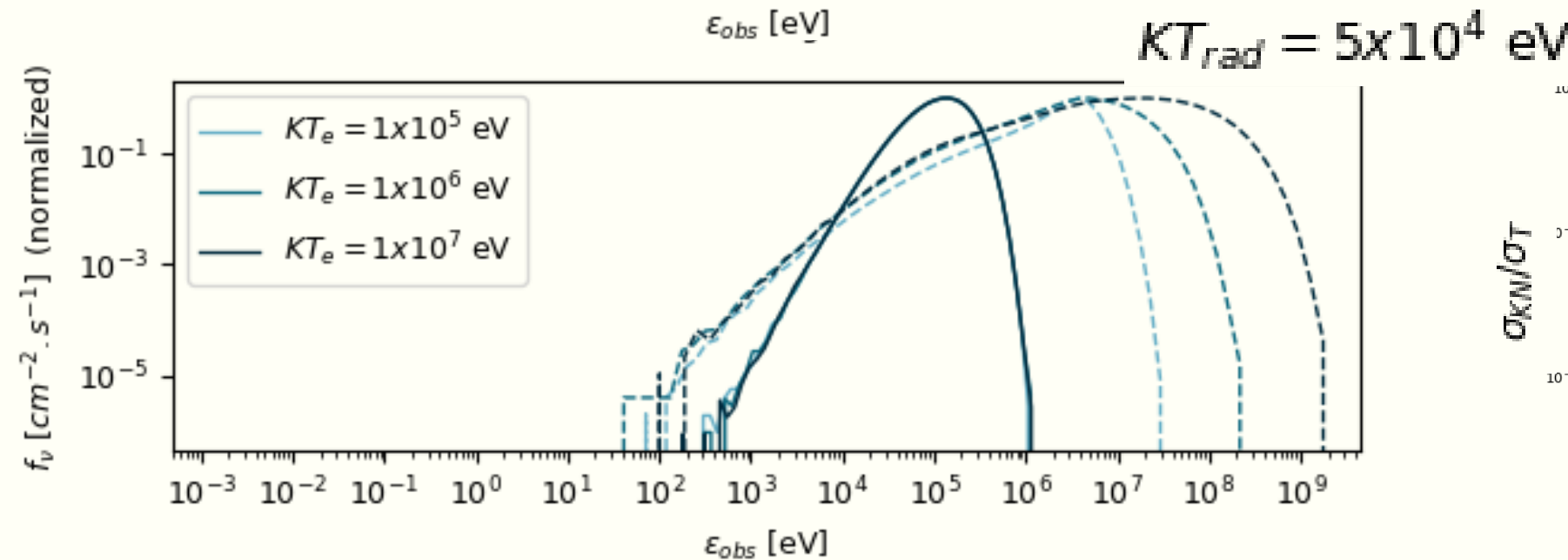
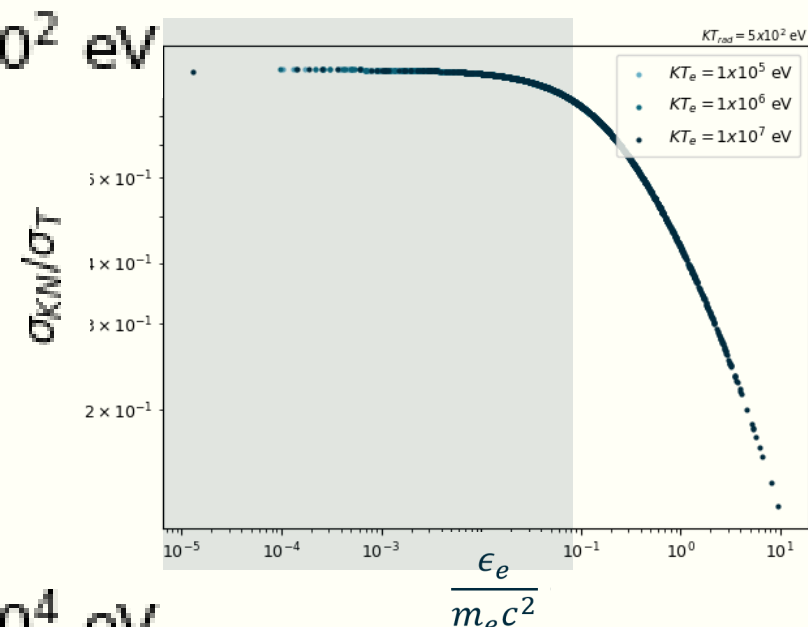
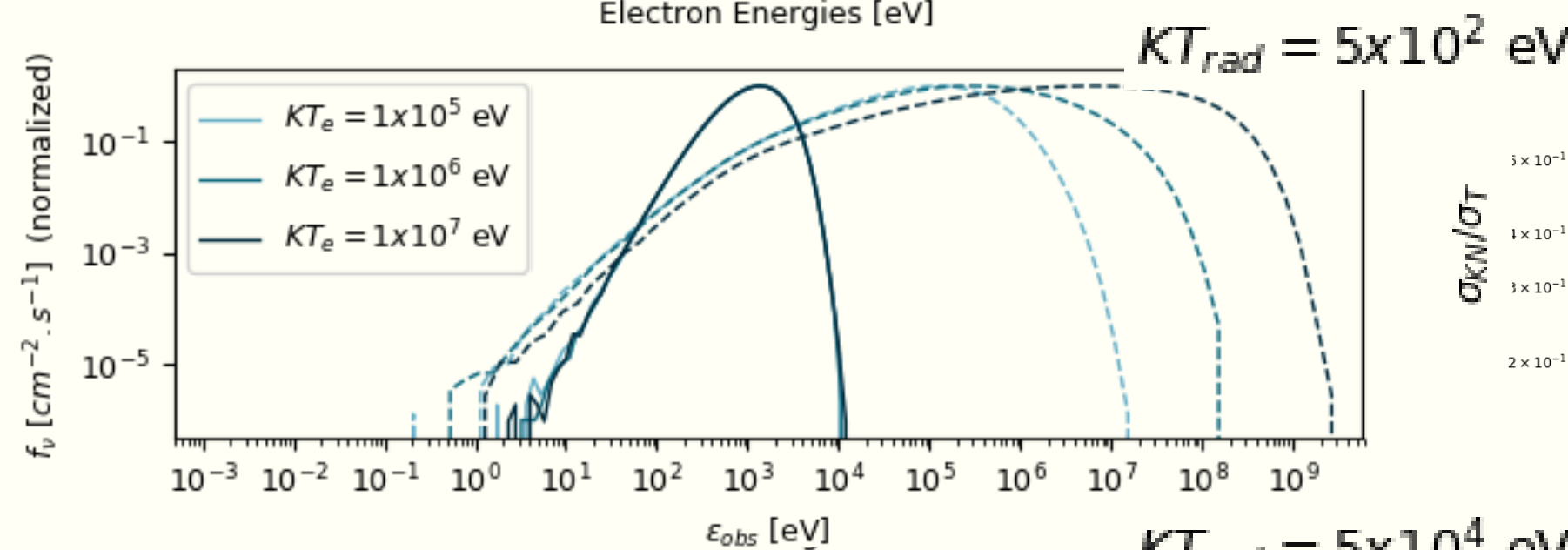




SPECTRAL ENERGY DISTRIBUTIONS



PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES



POLARIZATION SIGNAL

$$\frac{\epsilon_e}{m_e c^2} \ll 1 \rightarrow \text{THOMSON REGIME}$$

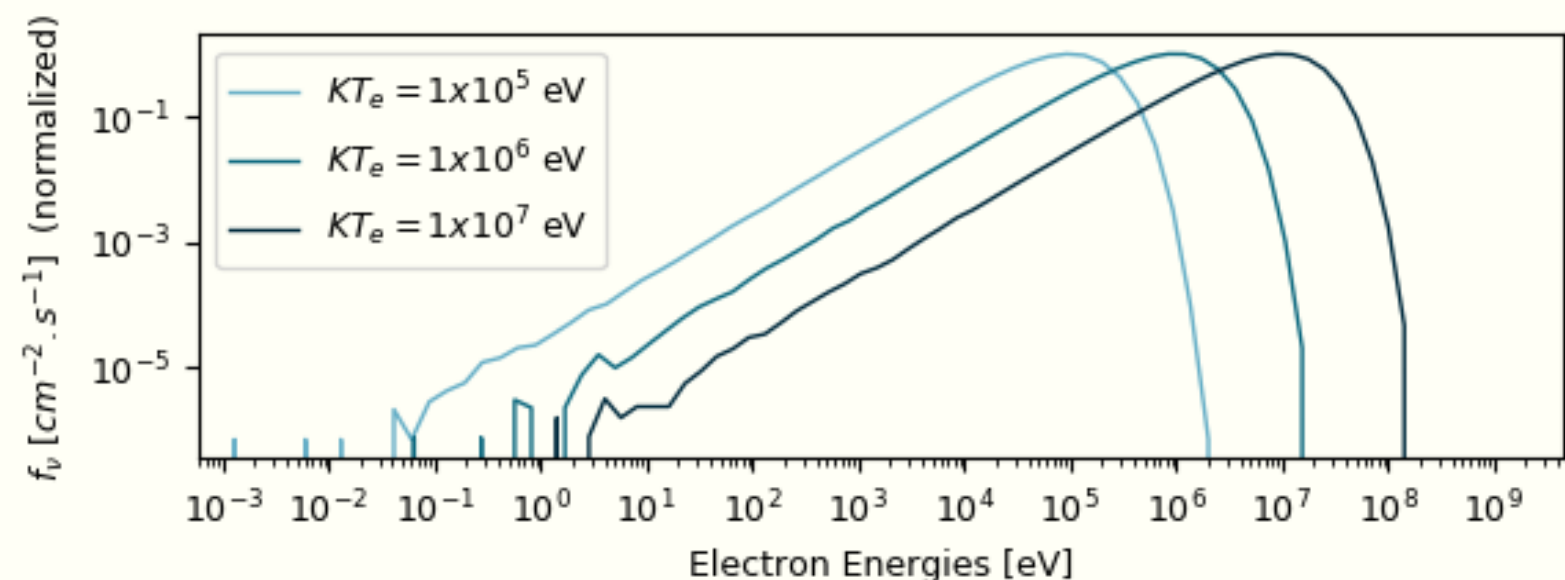
$$\epsilon'_e \sim \epsilon_e$$

$$\frac{\epsilon_e}{m_e c^2} \gg 1 \rightarrow \text{KLEIN NISHINA LIMIT}$$

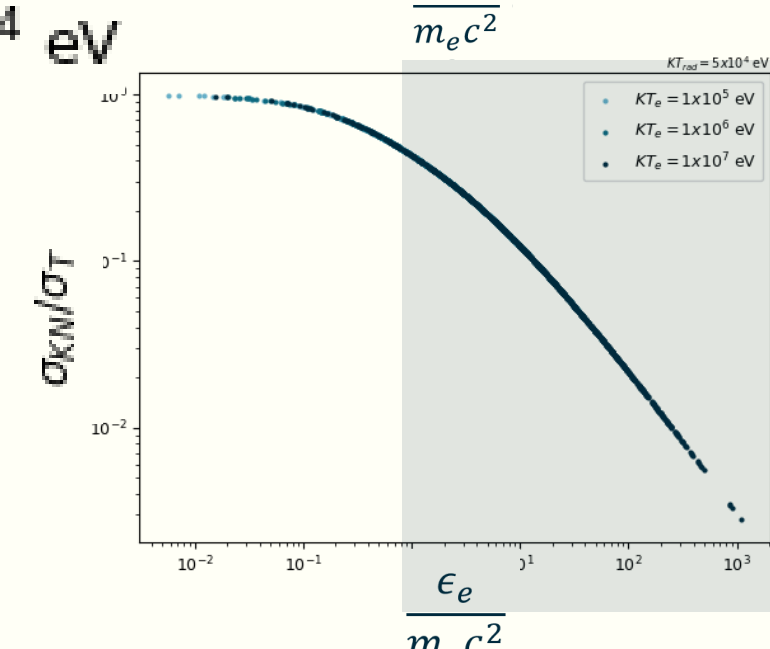
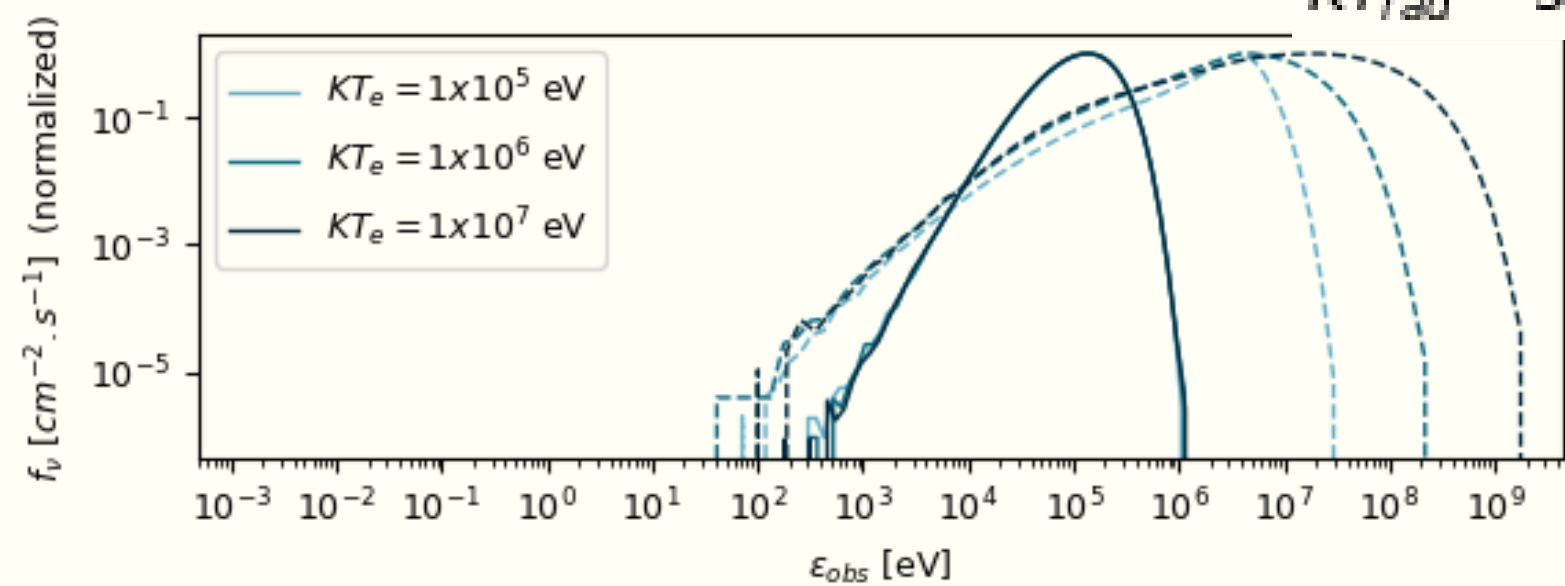
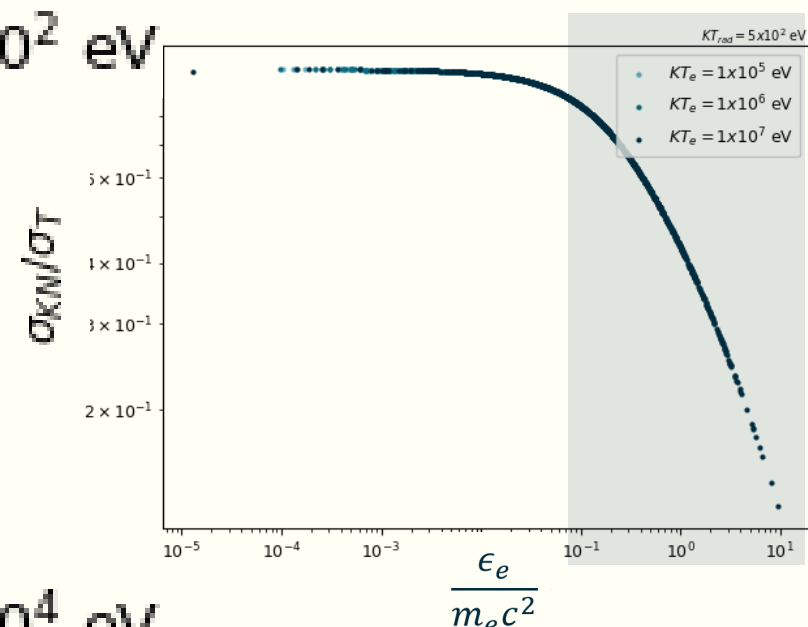
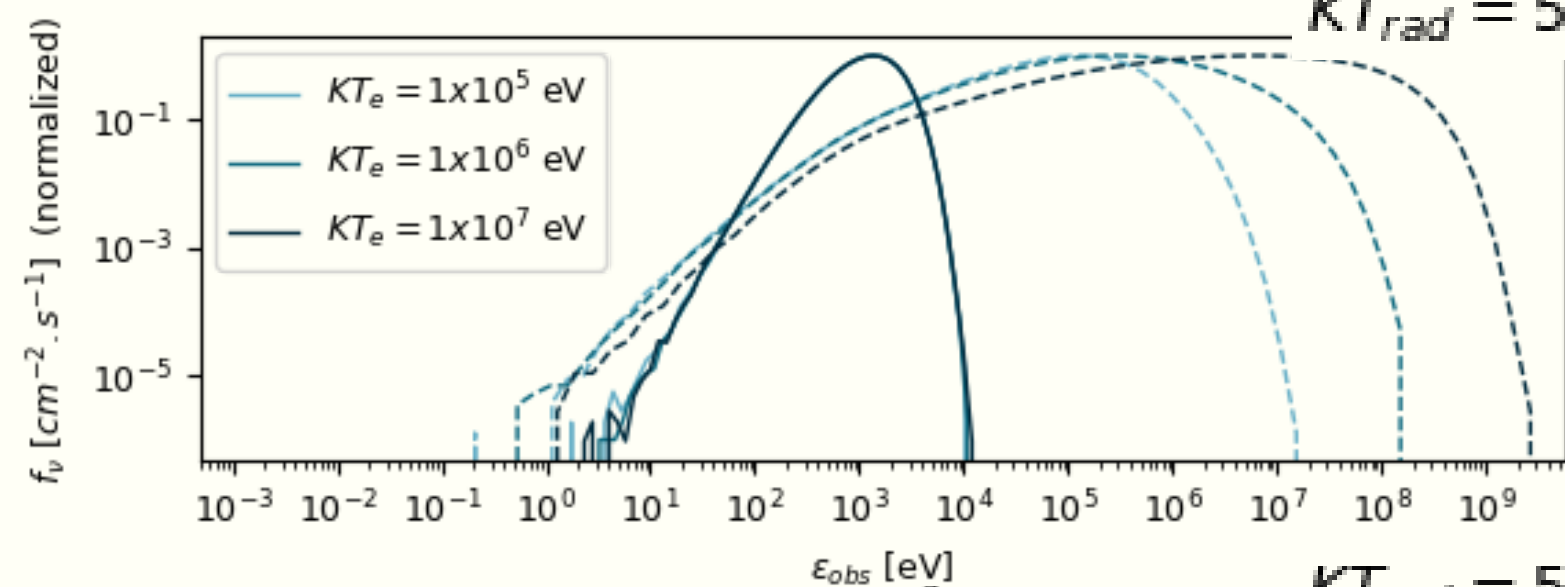
$$\epsilon'_e \sim 1$$



SPECTRAL ENERGY DISTRIBUTIONS



PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES



POLARIZATION SIGNAL

$$\frac{\epsilon_e}{m_e c^2} \ll 1 \rightarrow \text{THOMSON REGIME}$$

$$\epsilon'_e \sim \epsilon_e$$

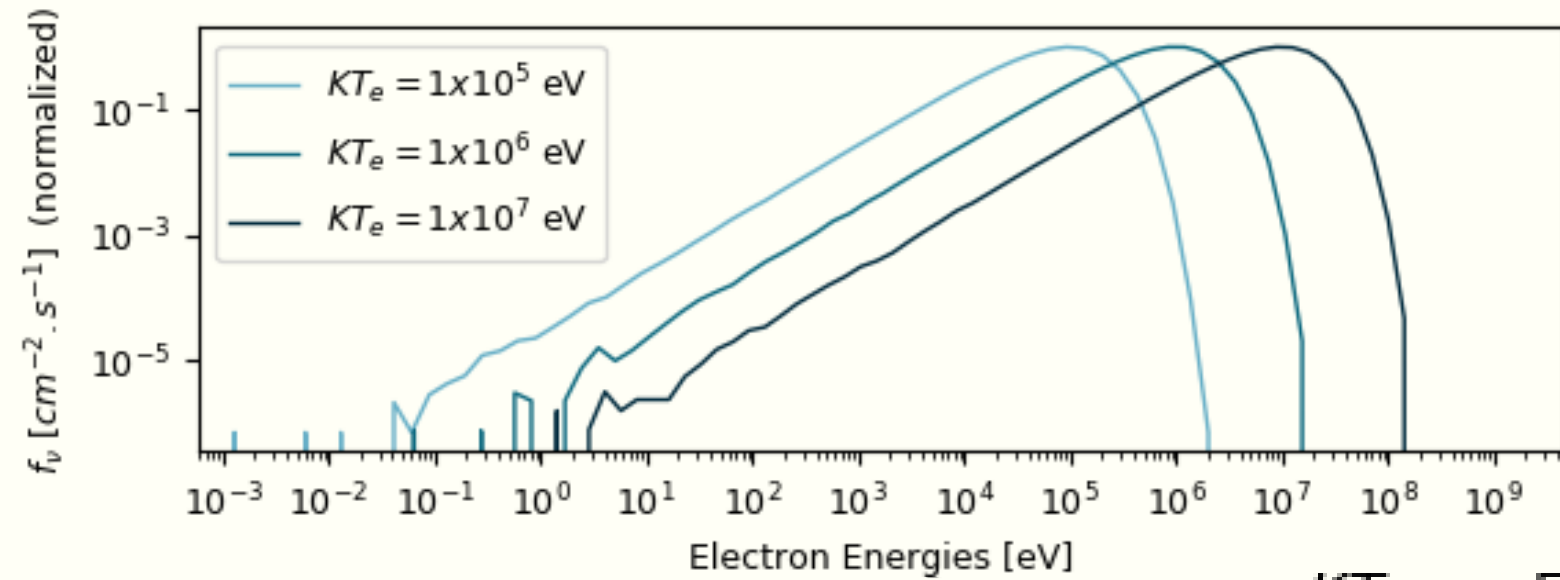
$$\frac{\epsilon_e}{m_e c^2} \gg 1 \rightarrow \text{KLEIN NISHINA LIMIT}$$

$$\epsilon'_e \sim 1$$



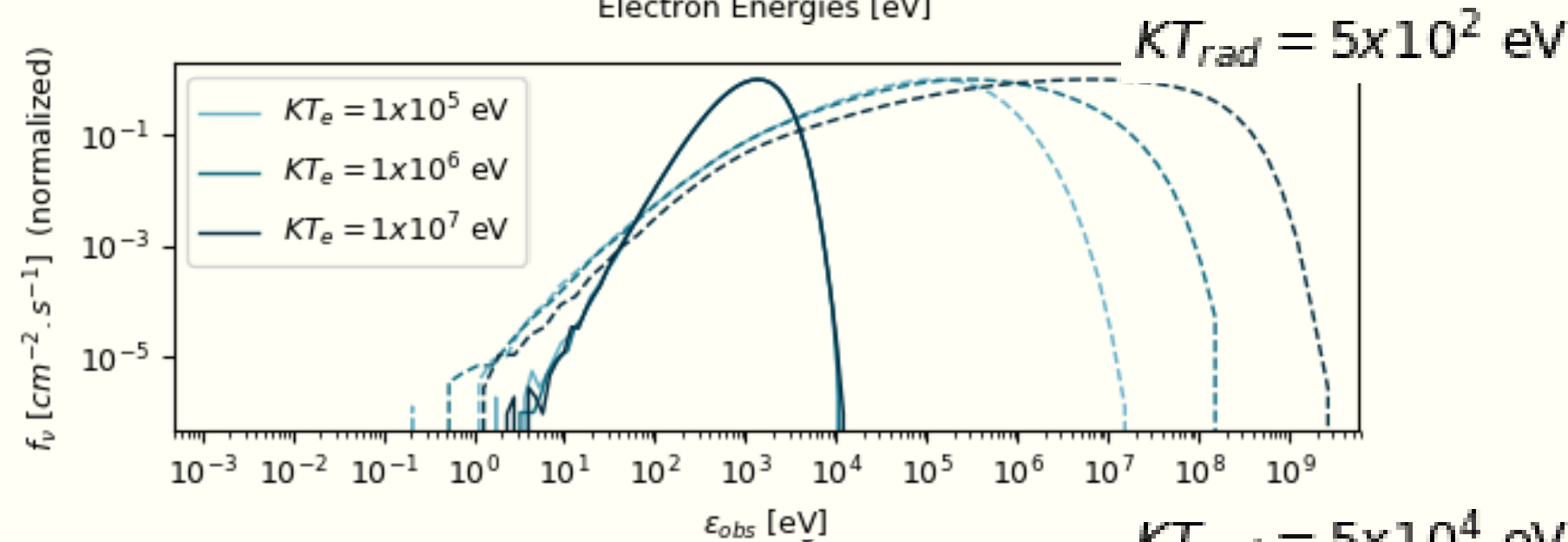
SPECTRAL ENERGY DISTRIBUTIONS

POLARIZATION SIGNAL

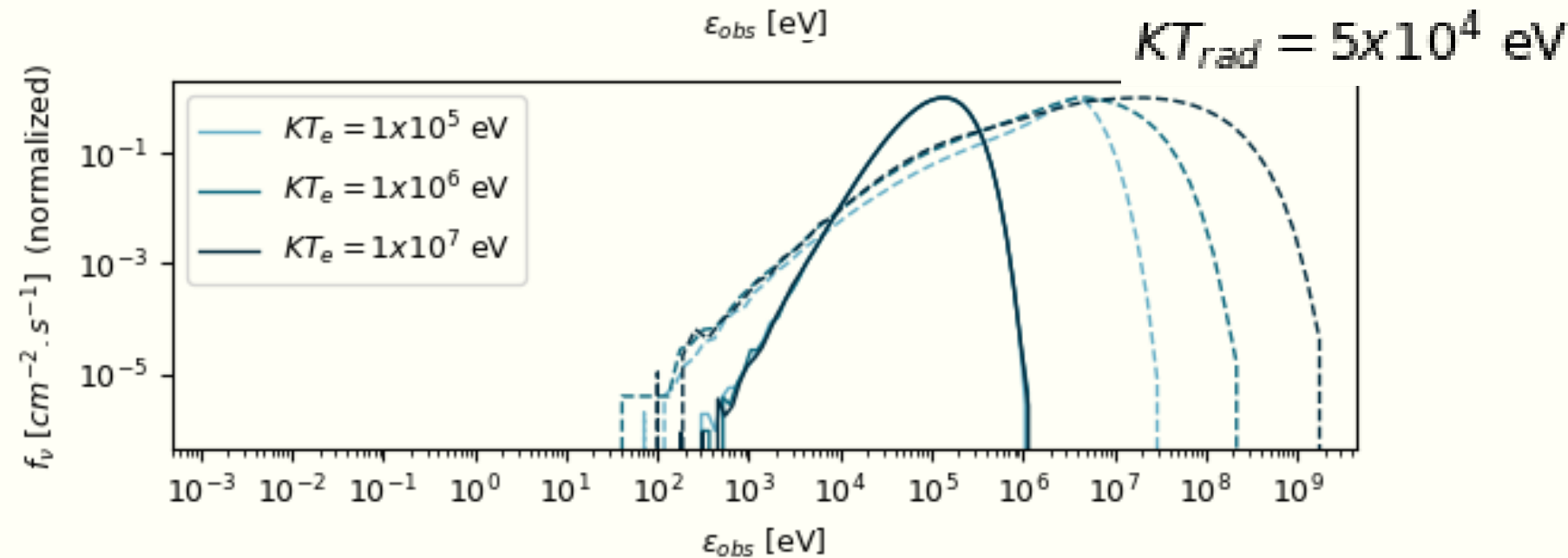


PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES

$$\epsilon'_{obs} \sim \Gamma^2 \gamma^2 \epsilon_{obs}$$



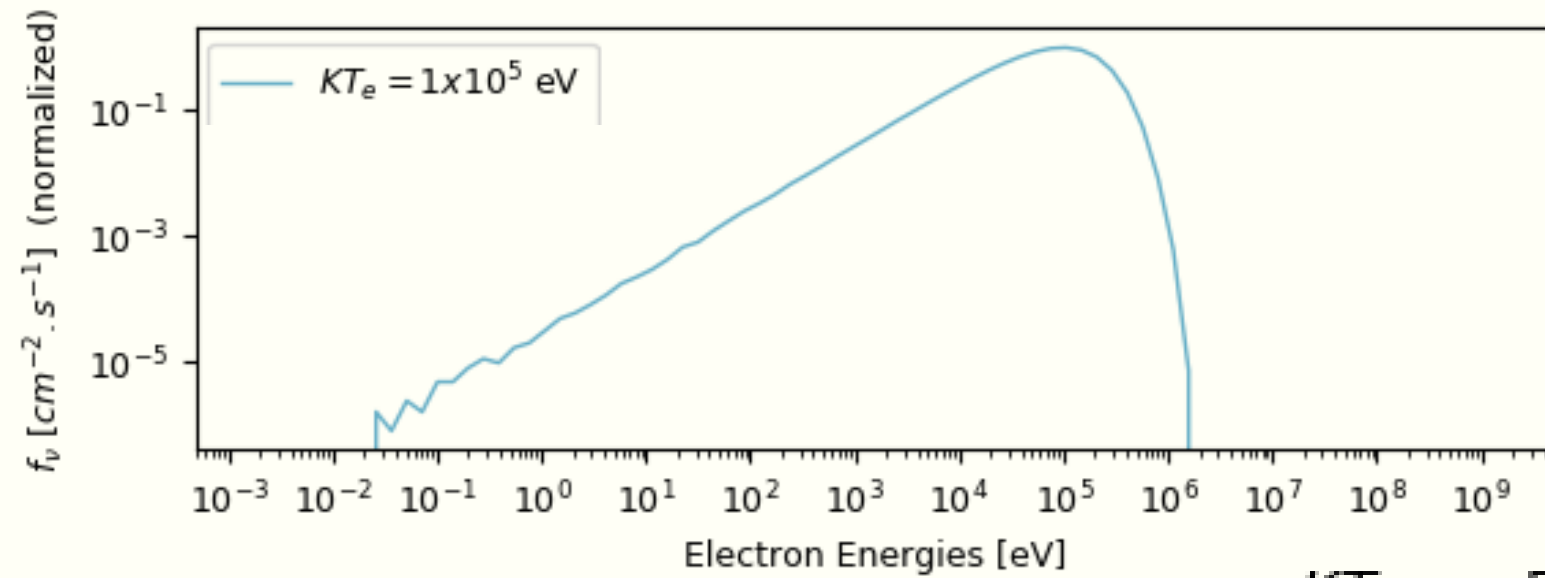
SCATTERED PHOTON
ENERGIES INCREASE
WITH THE INCREASE OF
THERMAL TEMPERATURES





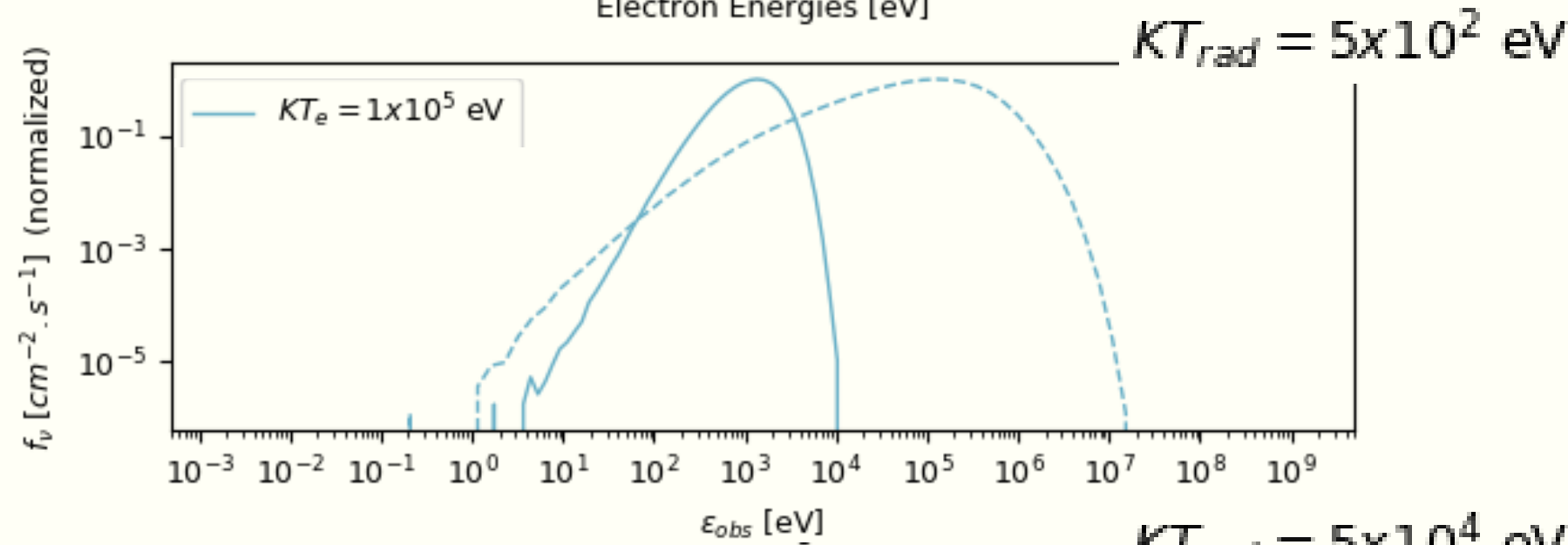
SPECTRAL ENERGY DISTRIBUTIONS

POLARIZATION SIGNAL

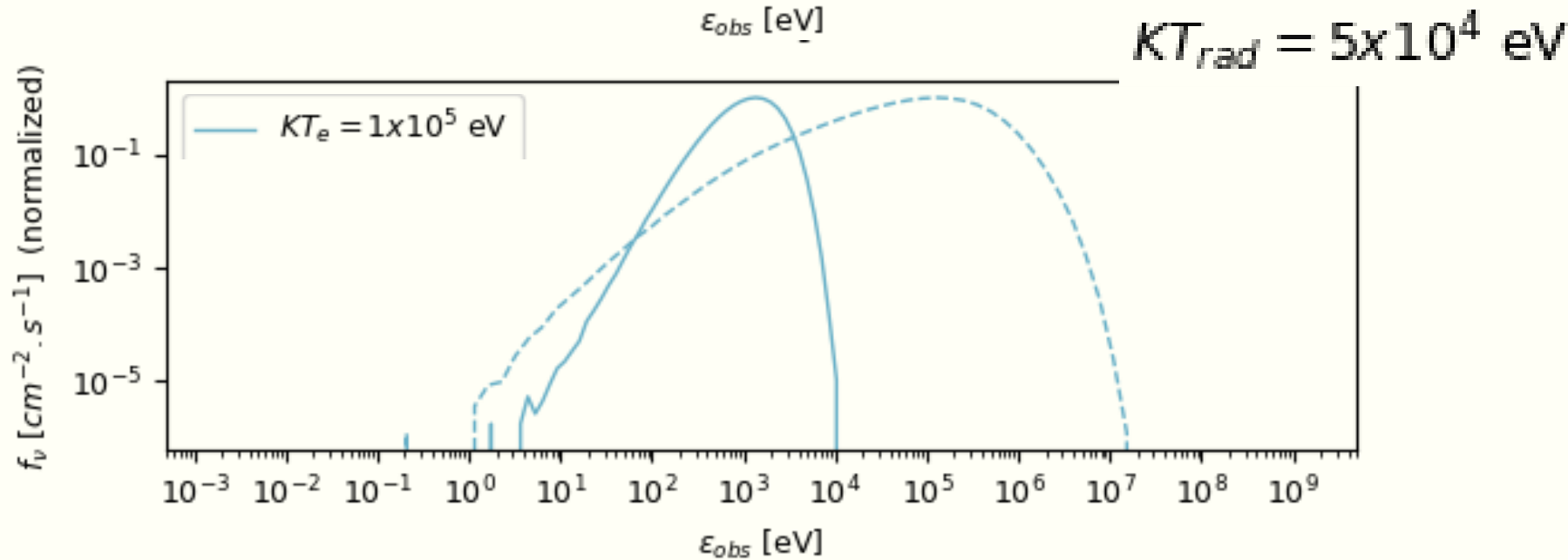


PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES

$$\epsilon'_{obs} \sim \Gamma^2 \gamma^2 \epsilon_{obs}$$



SCATTERED PHOTON
ENERGIES INCREASE
WITH THE INCREASE OF
THERMAL TEMPERATURES

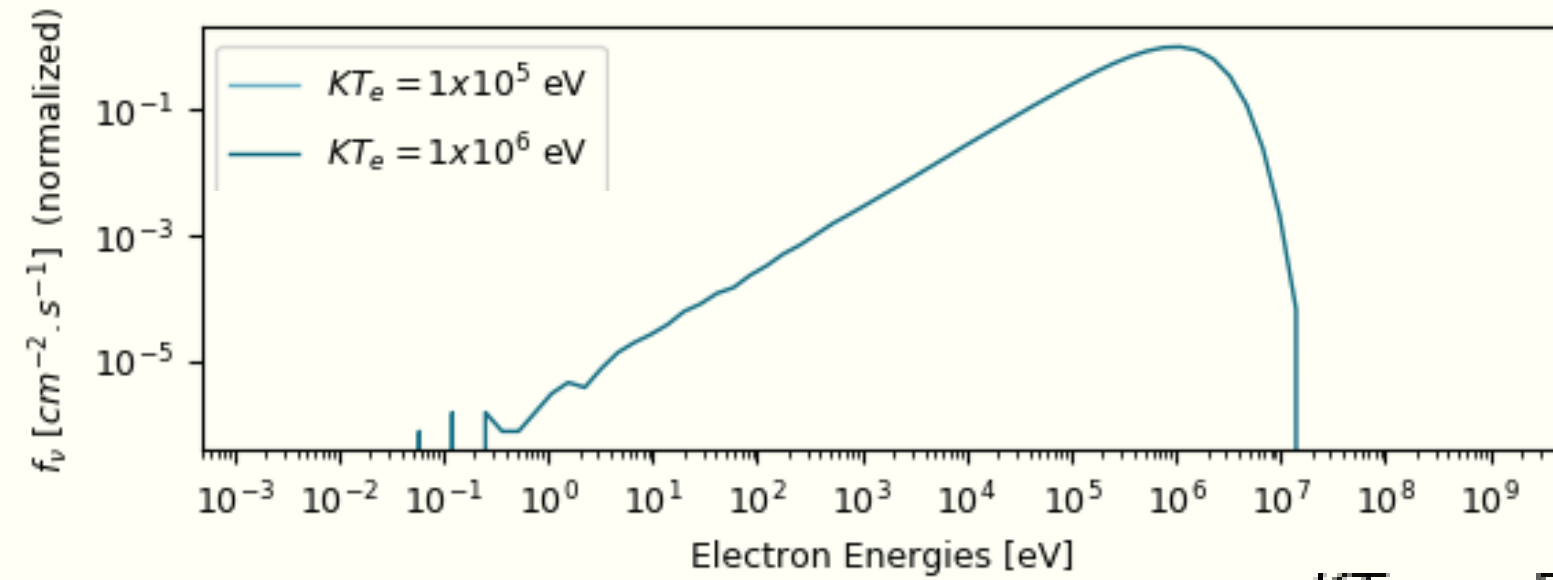


$$\frac{\epsilon_e}{m_e c^2}$$



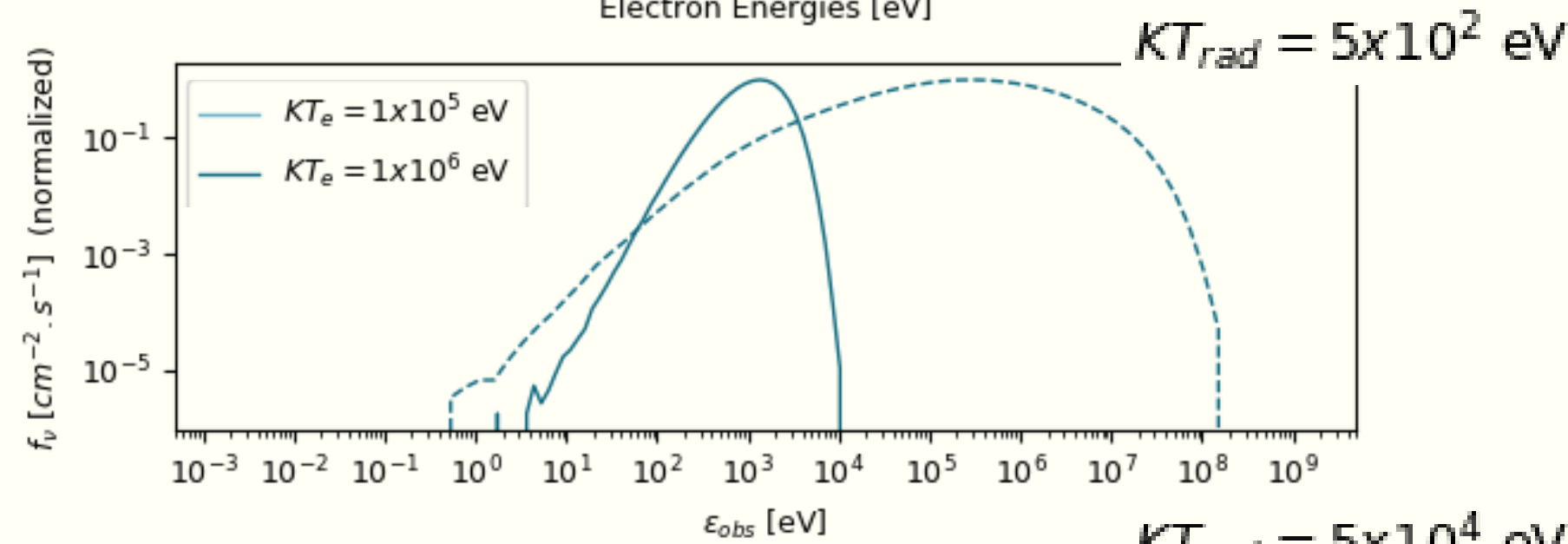
SPECTRAL ENERGY DISTRIBUTIONS

POLARIZATION SIGNAL

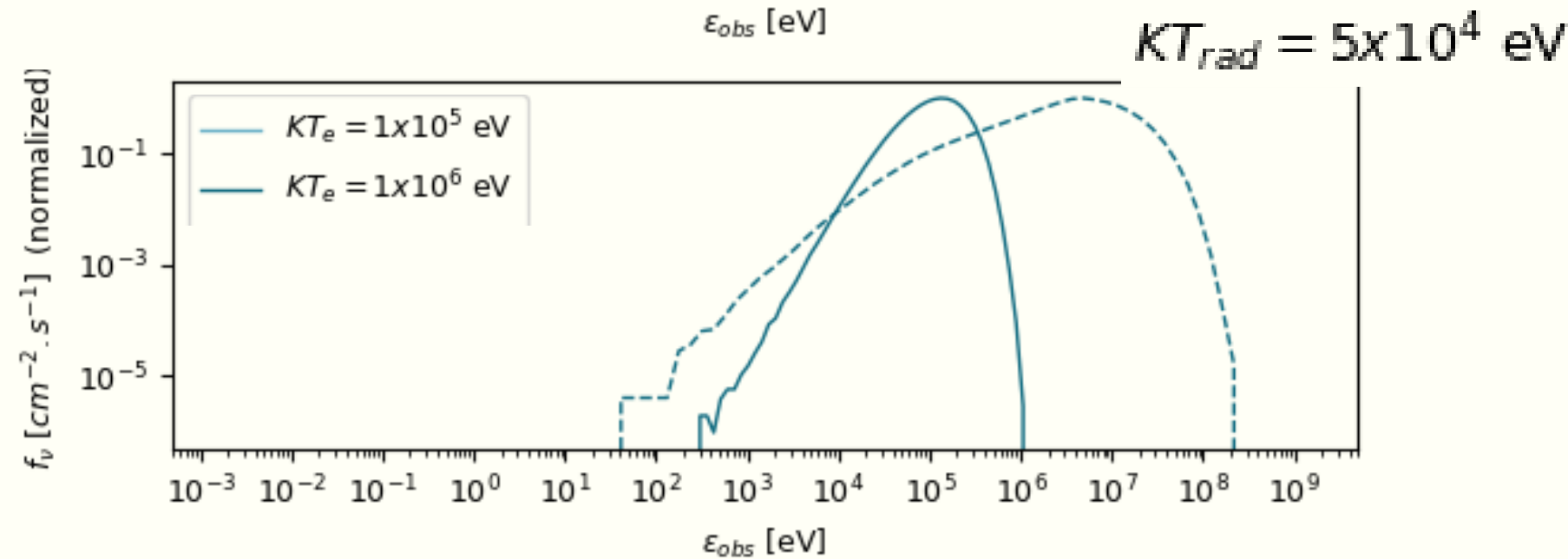


PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES

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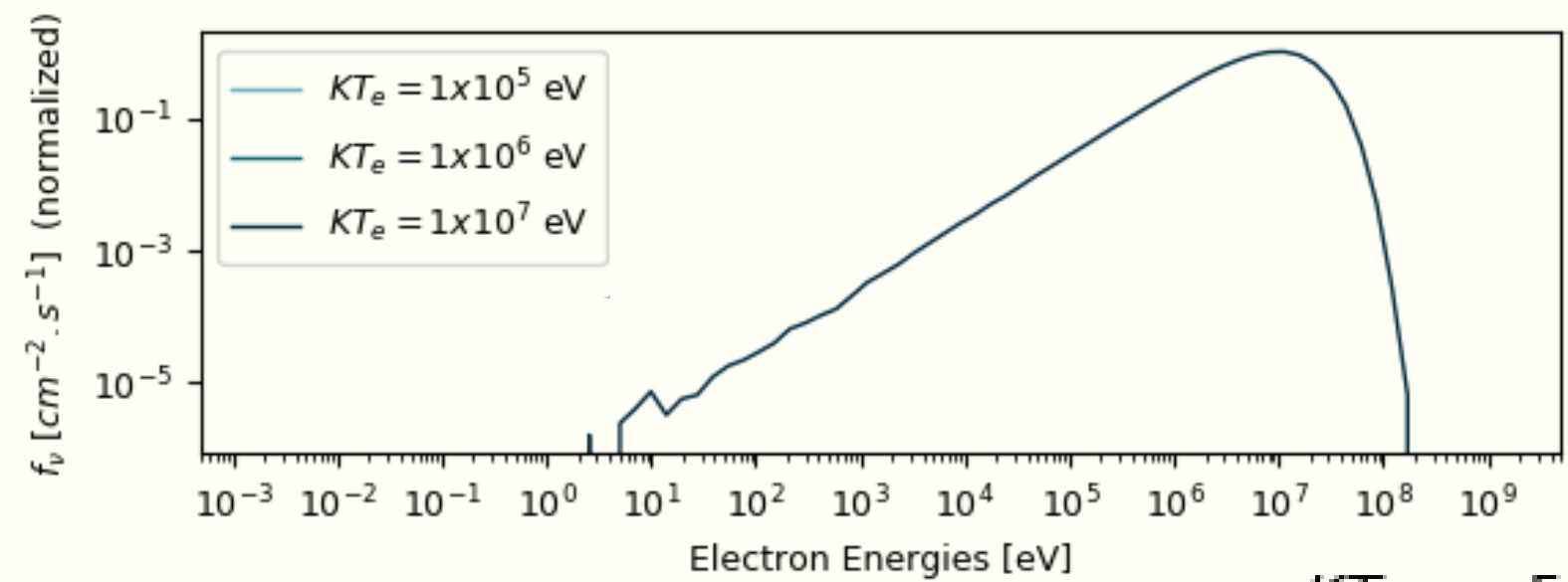


SCATTERED PHOTON
ENERGIES INCREASE
WITH THE INCREASE OF
THERMAL TEMPERATURES



POLARIZATION SIGNAL 

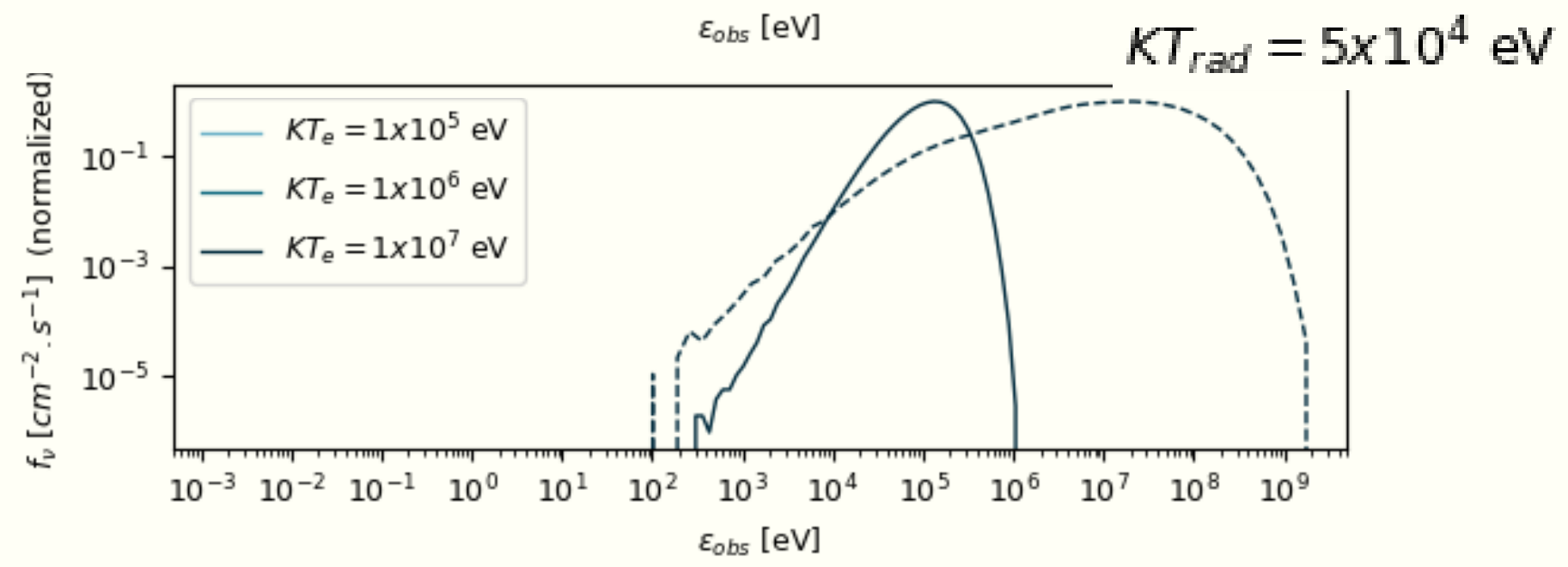
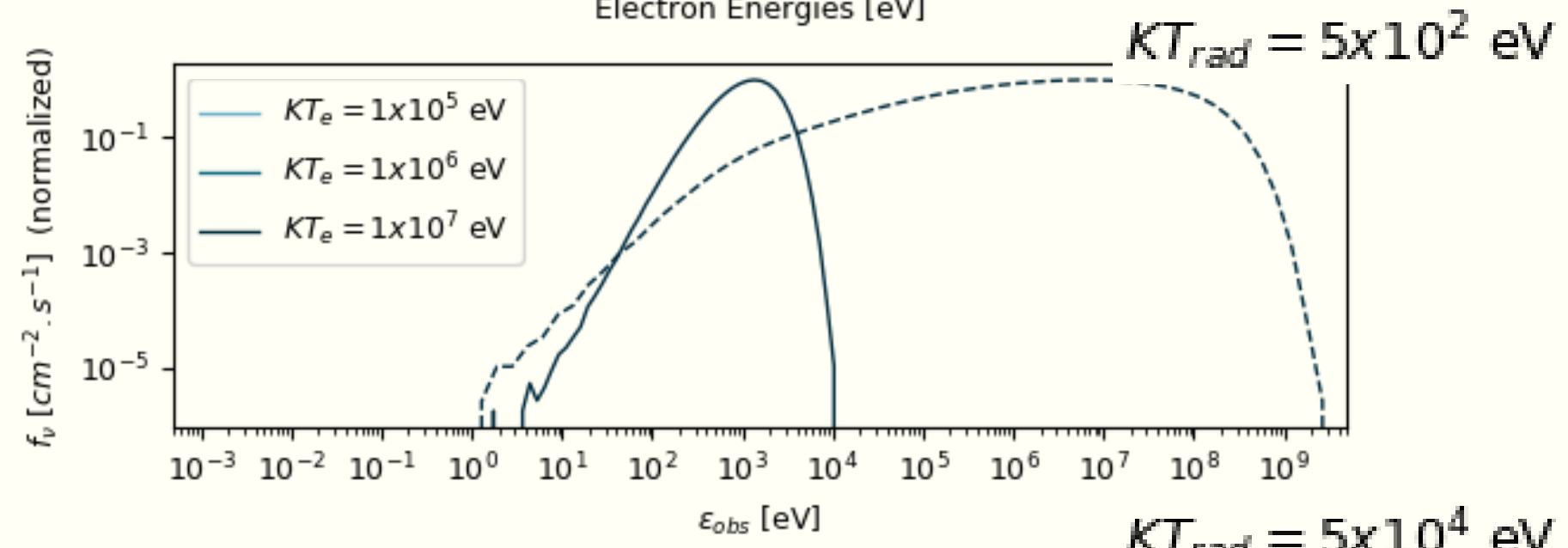
SPECTRAL ENERGY DISTRIBUTIONS



PHOTON ENERGIES
SHIFT TO HIGHER
ENERGIES

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SCATTERED PHOTON
ENERGIES INCREASE
WITH THE INCREASE OF
THERMAL TEMPERATURES

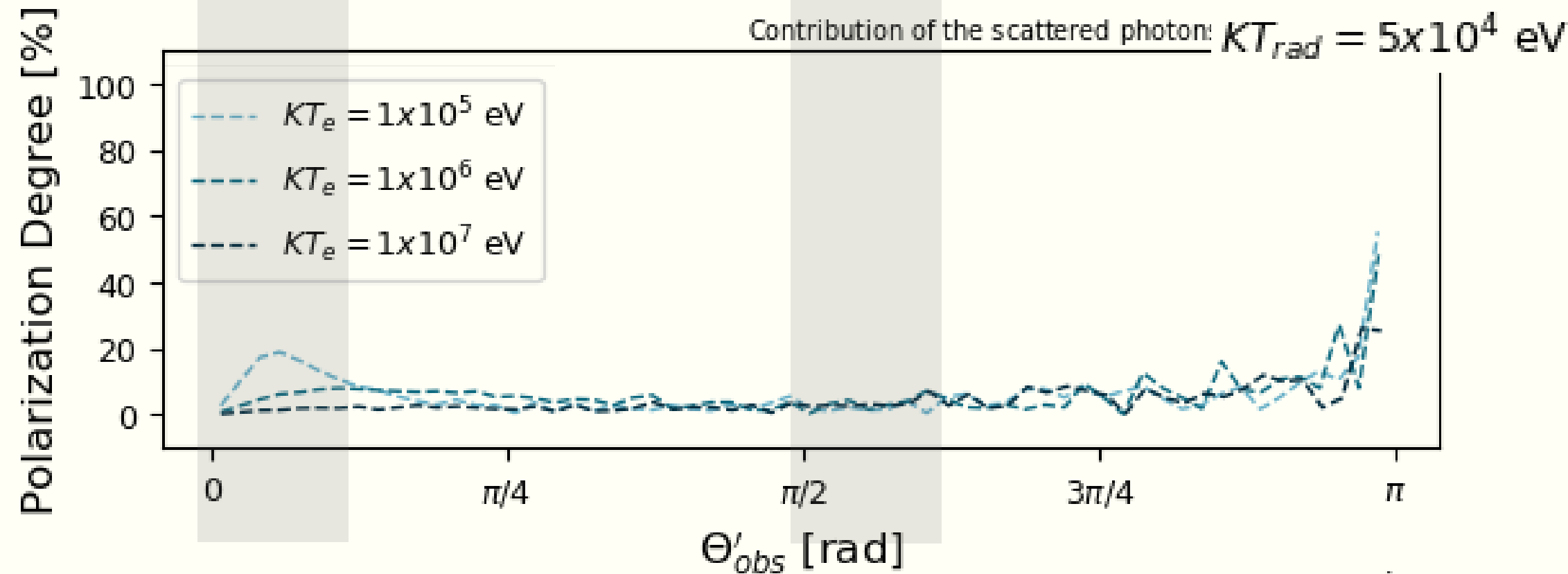
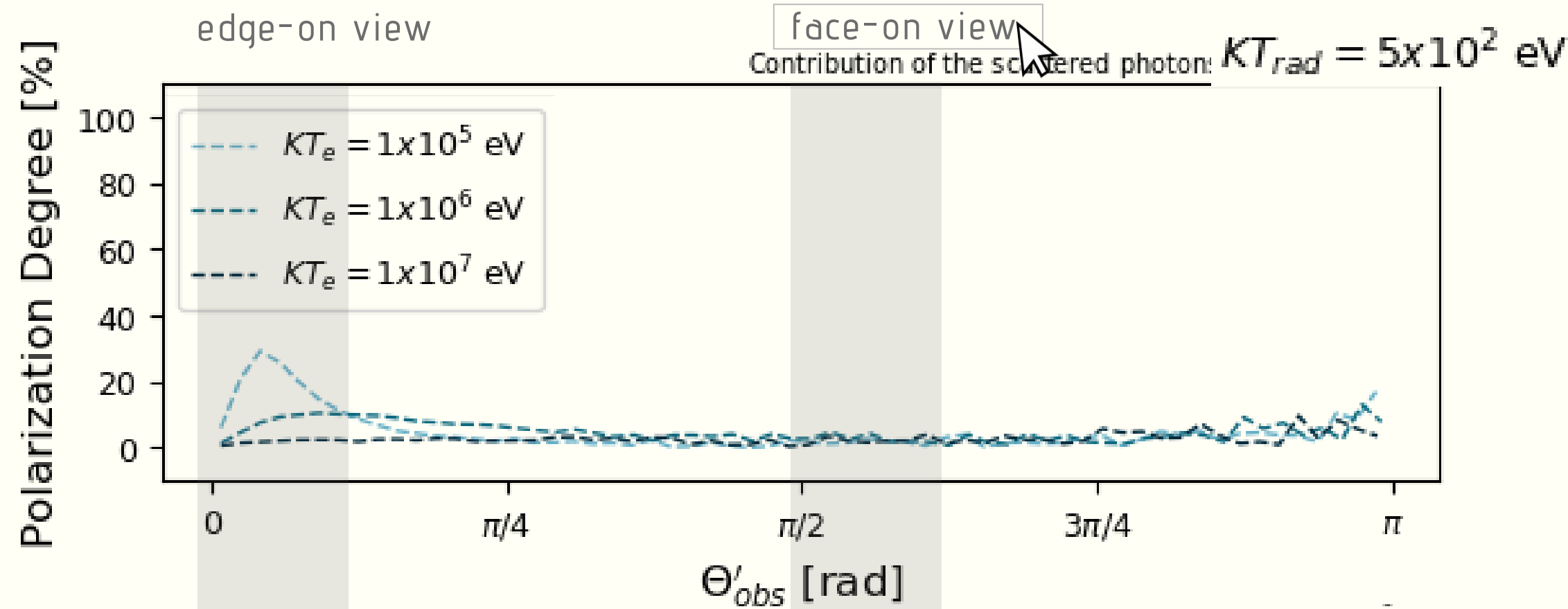




POLARIZATION SIGNAL

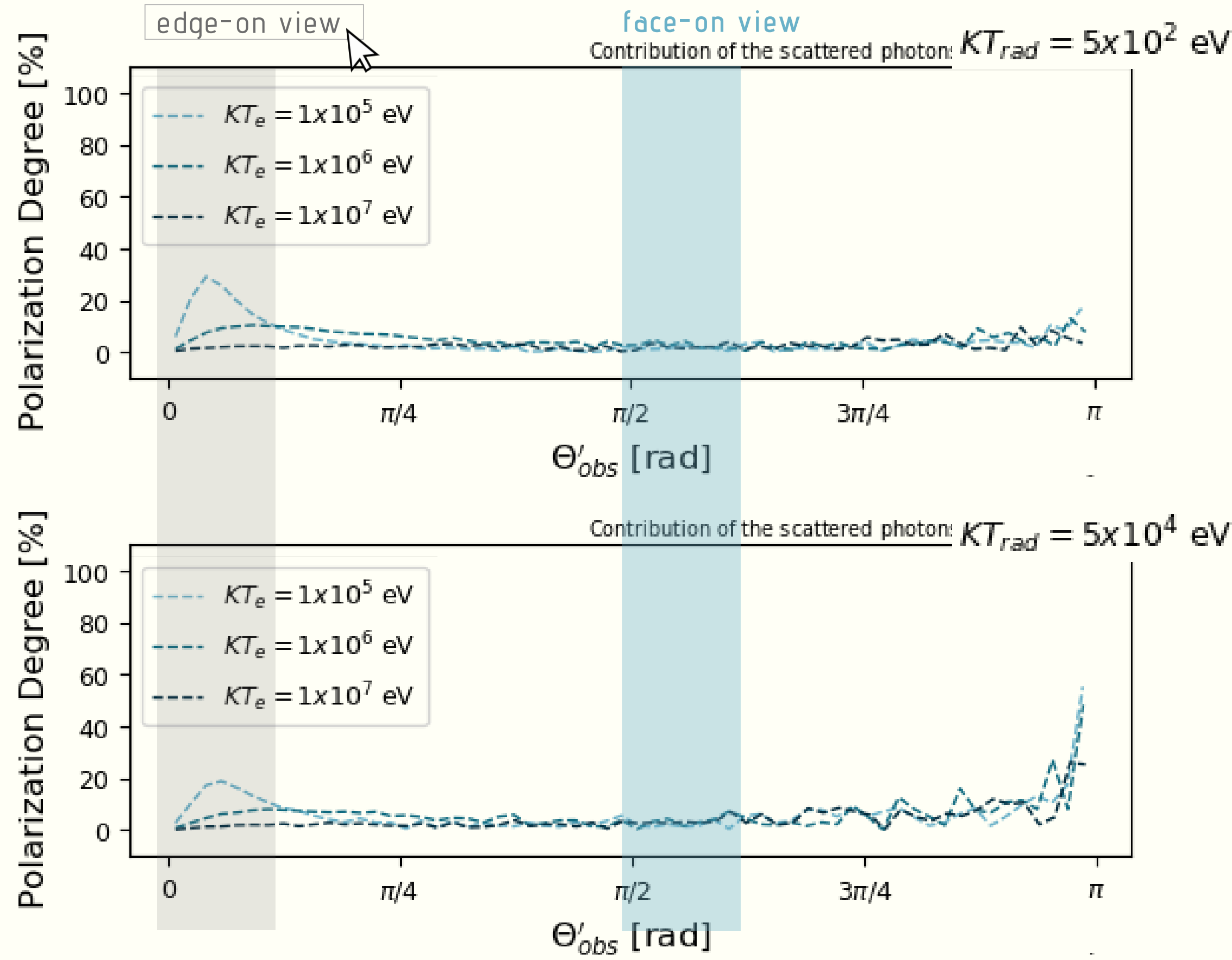
BINNED IN VIEWING ANGLE

BINNED IN ENERGY



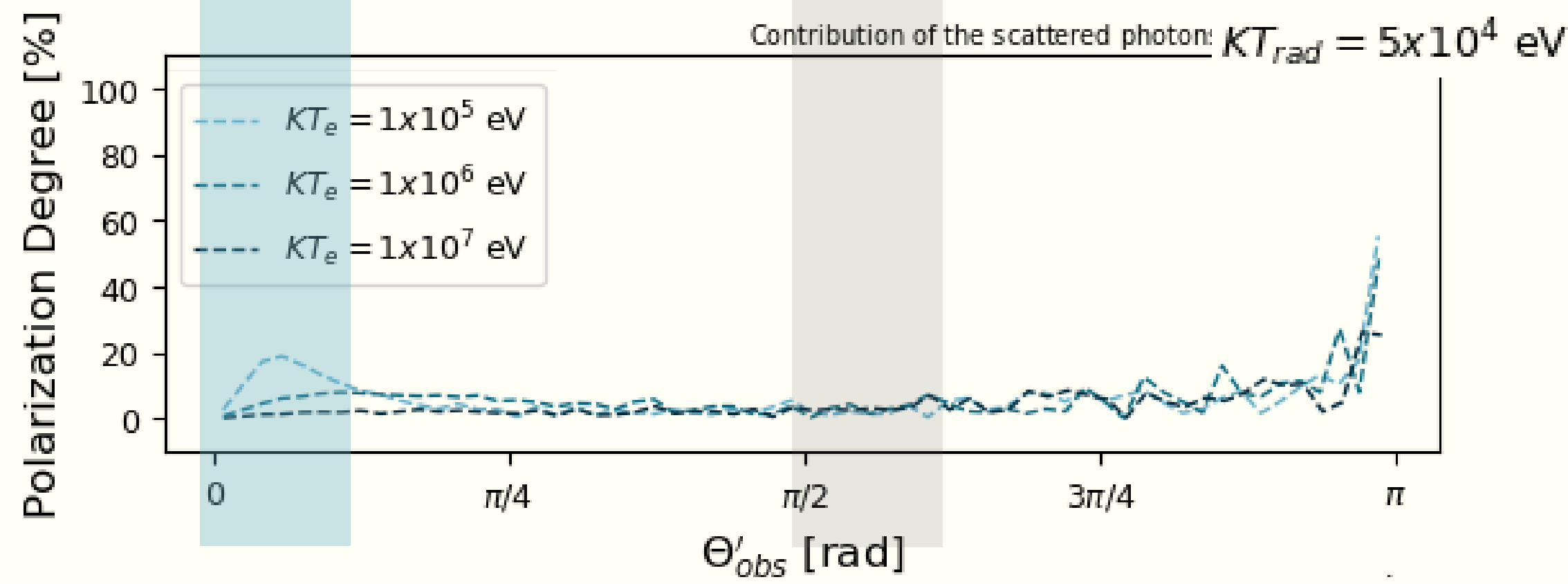
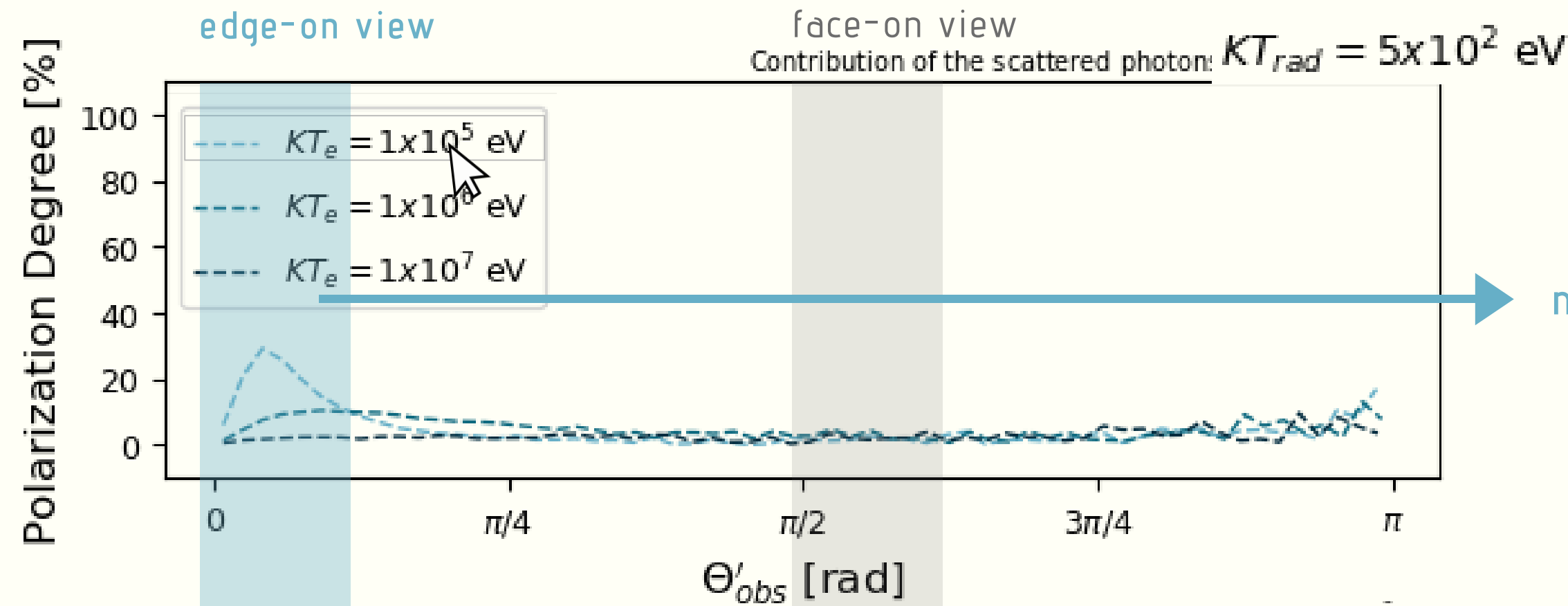
POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

shows at which angle is the polarization degree at the maximum and how the polarization angle changes as a function of the viewing angle



POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

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POLARIZATION SIGNAL
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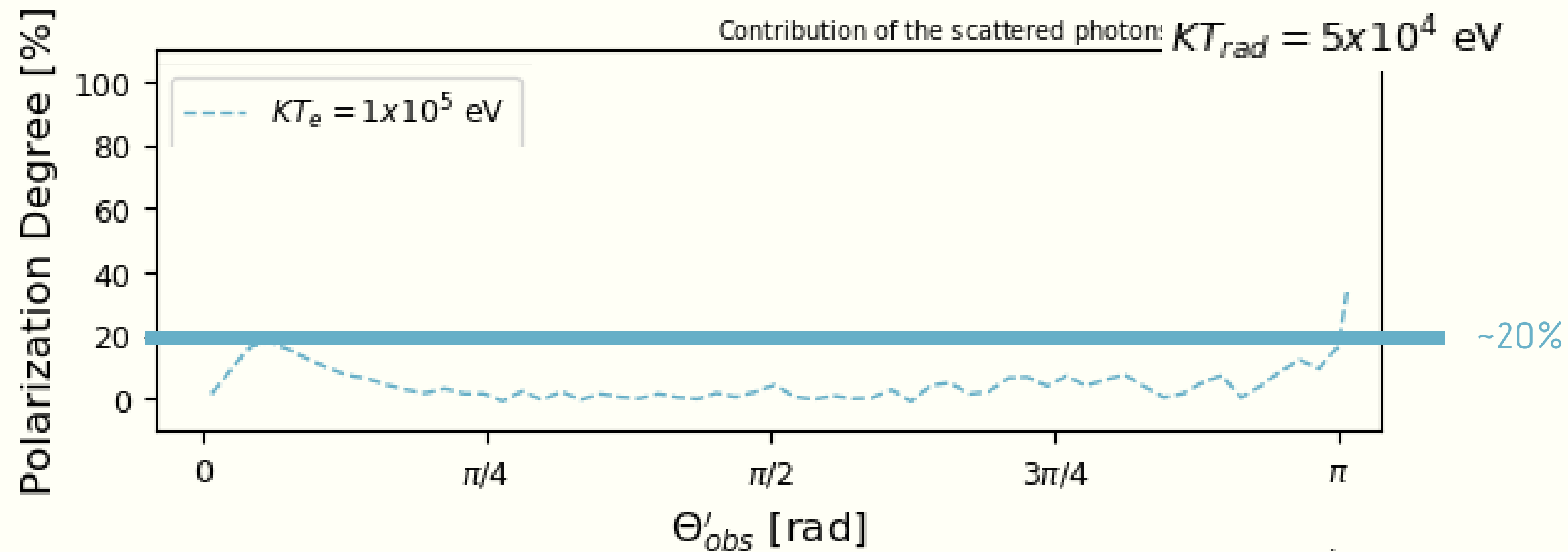
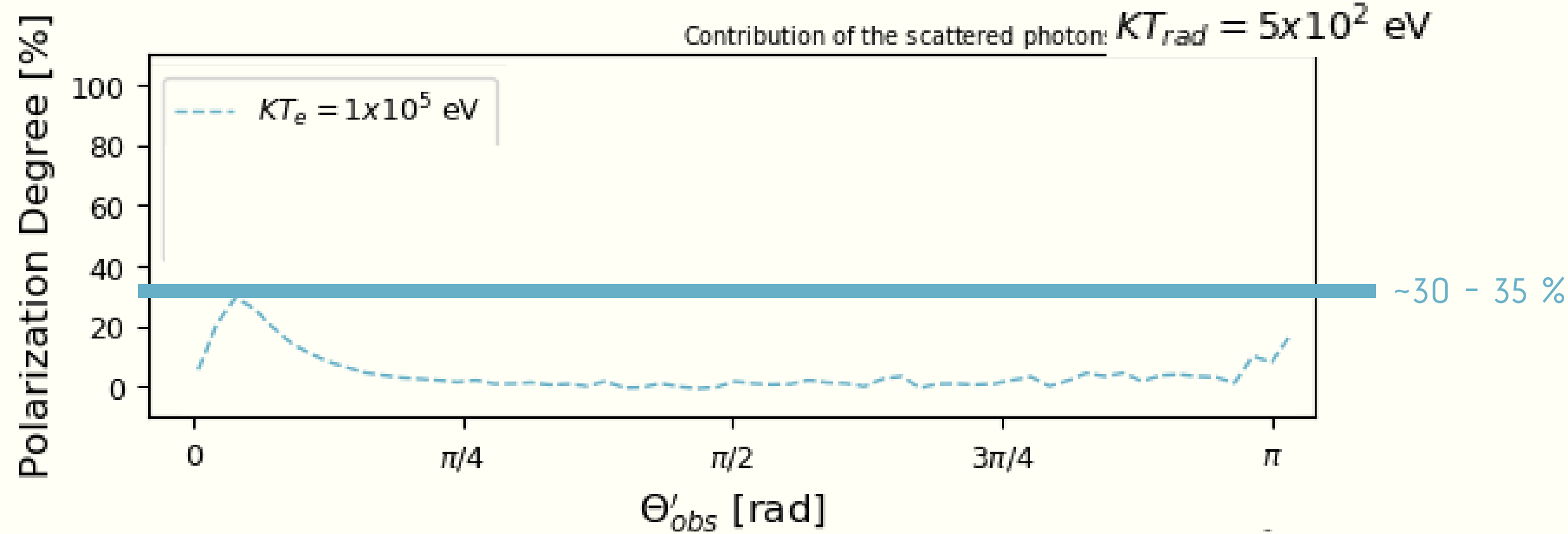
POLARIZATION SIGNAL

BINNED IN VIEWING ANGLE

BINNED IN ENERGY

POLARIZATION DEGREES
DECREASE WITH THE
INCREASE OF PHOTON
TEMPERATURES

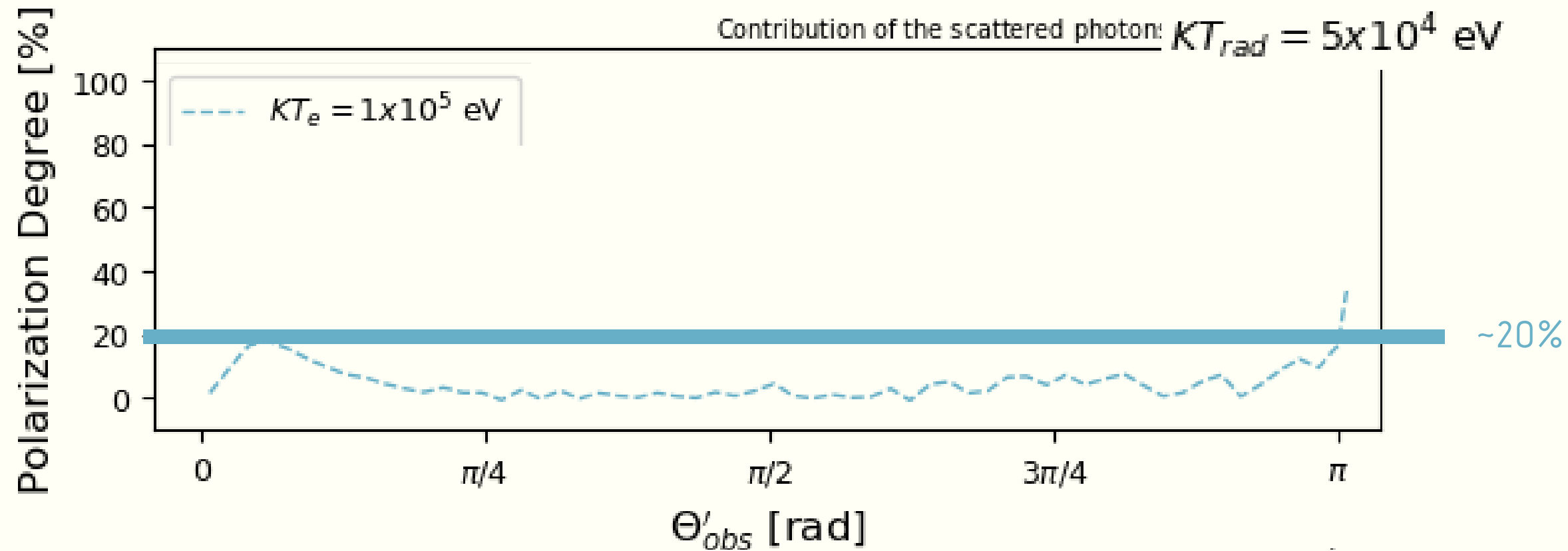
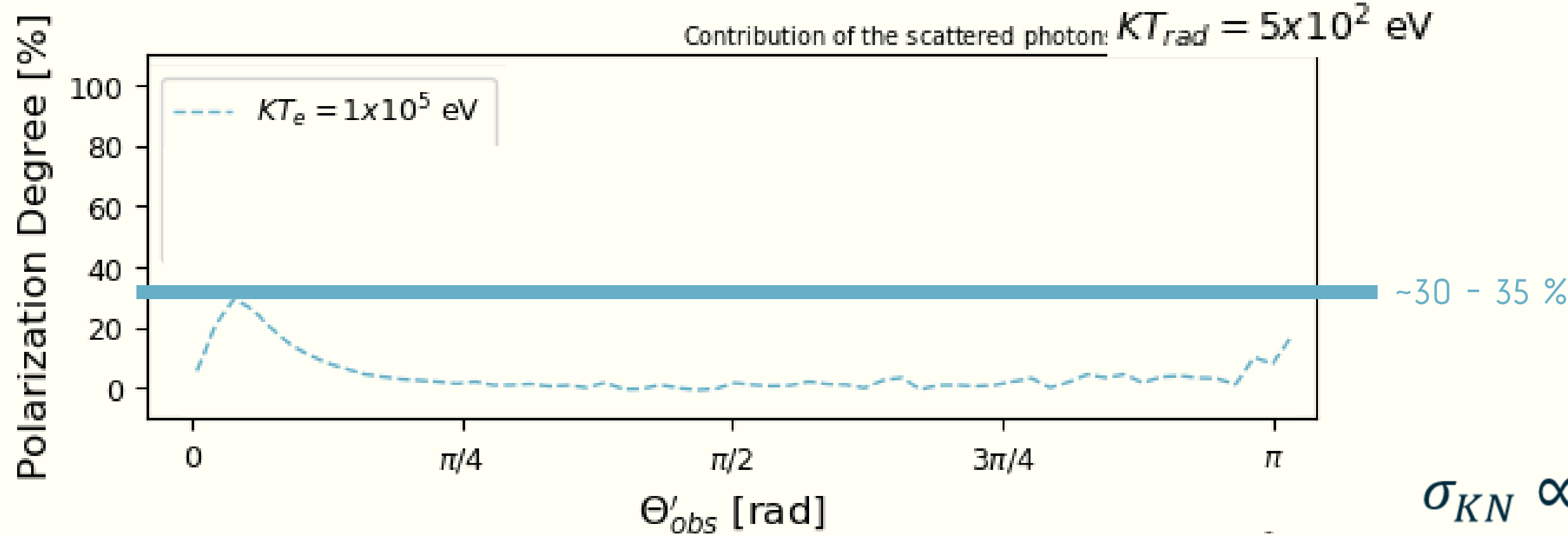
why?





POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

POLARIZATION DEGREES
 DECREASE WITH THE
 INCREASE OF PHOTON
 TEMPERATURES



$$\sigma_{KN} \propto \left(\frac{\epsilon'_e}{\epsilon_e} + \frac{\epsilon_e}{\epsilon'_e} \right) - 2 + 4 \left(\vec{P}_e \cdot \vec{P}'_e \right)$$

$$\frac{\epsilon_e}{m_e c^2} \ll 1 \rightarrow \text{THOMSON REGIME}$$

$$\epsilon'_e \sim \epsilon_e$$

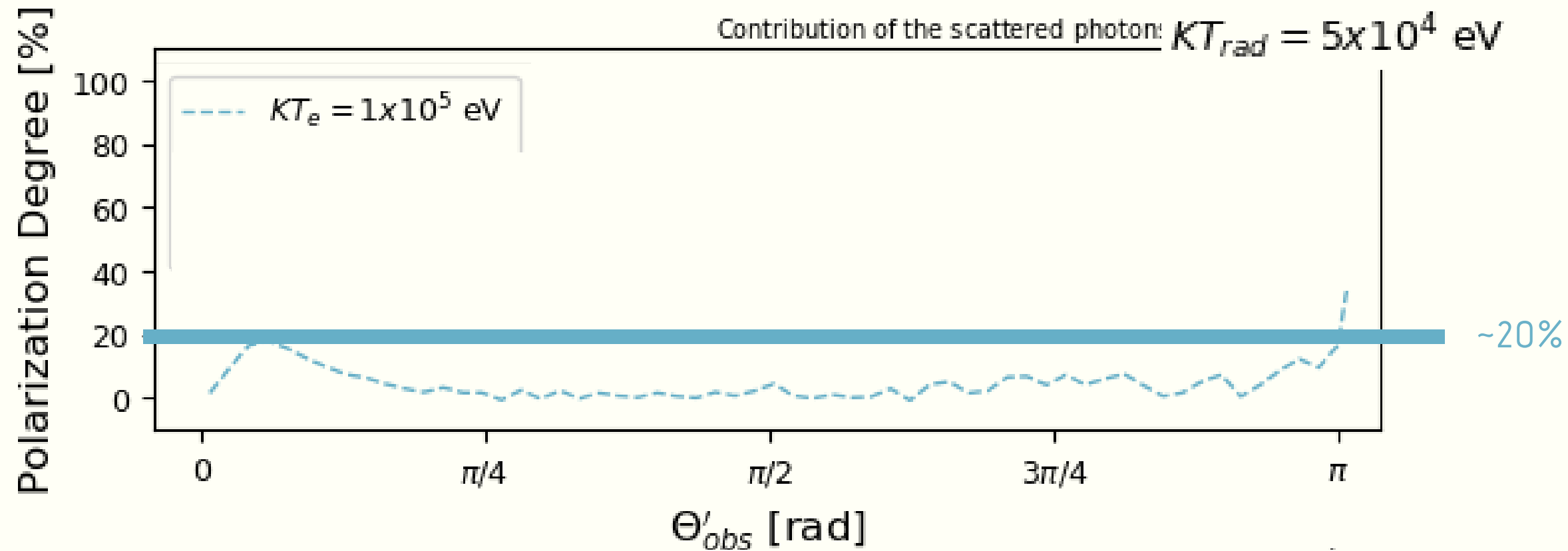
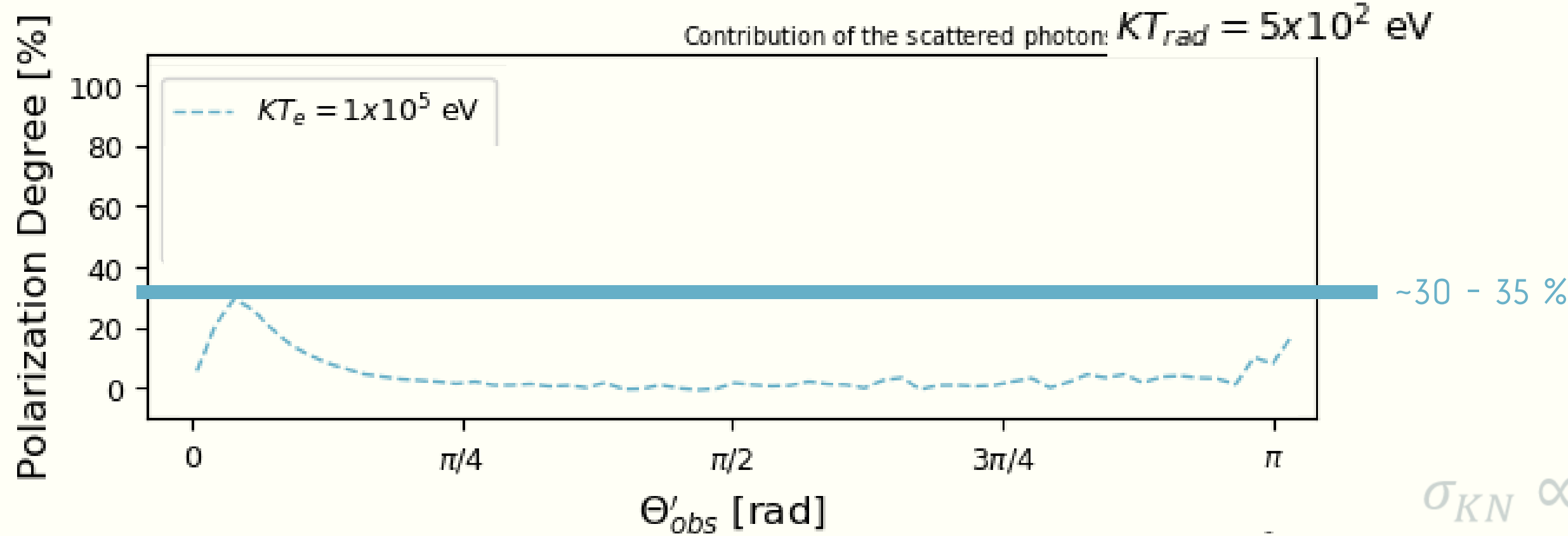
$$\frac{\epsilon_e}{m_e c^2} \gg 1 \rightarrow \text{KLEIN NISHINA LIMIT}$$

$$\epsilon'_e \sim 1$$



POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

POLARIZATION DEGREES
 DECREASE WITH THE
 INCREASE OF PHOTON
 TEMPERATURES



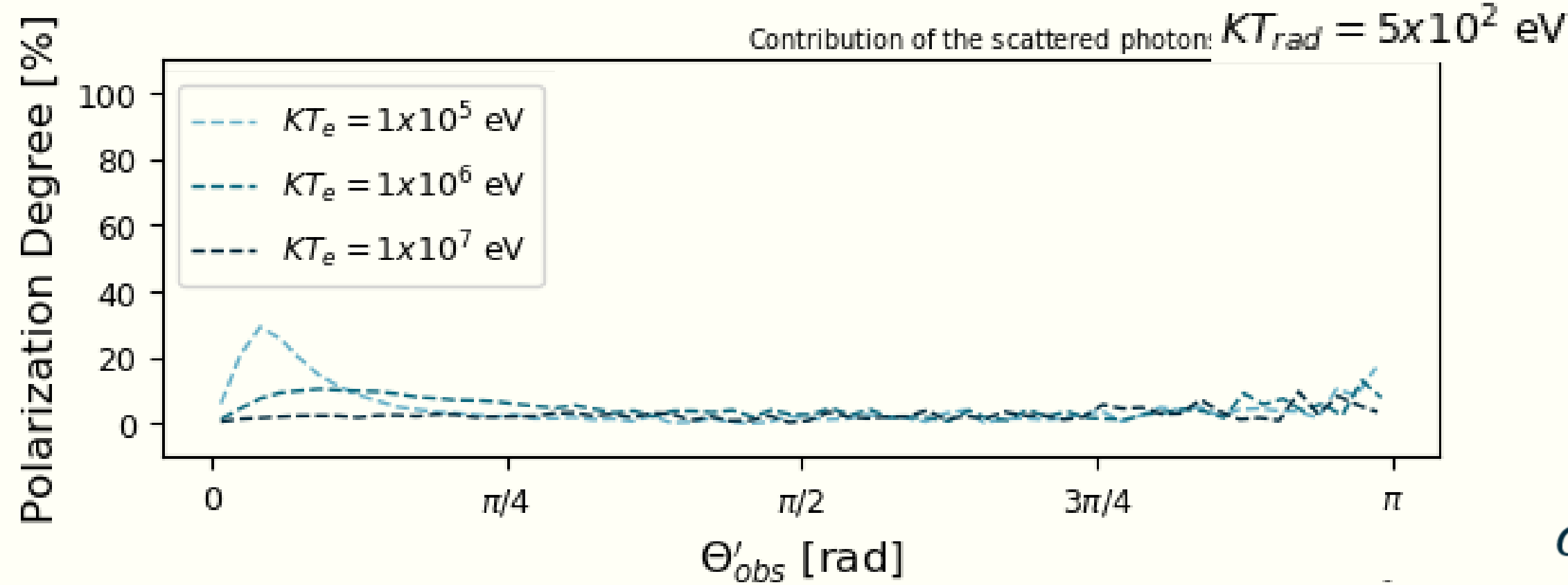
$$\sigma_{KN} \propto \left(\frac{\epsilon'_e}{\epsilon_e} + \frac{\epsilon_e}{\epsilon'_e} \right) - 2 + 4 \left(\vec{P}_e \cdot \vec{P}'_e \right)$$

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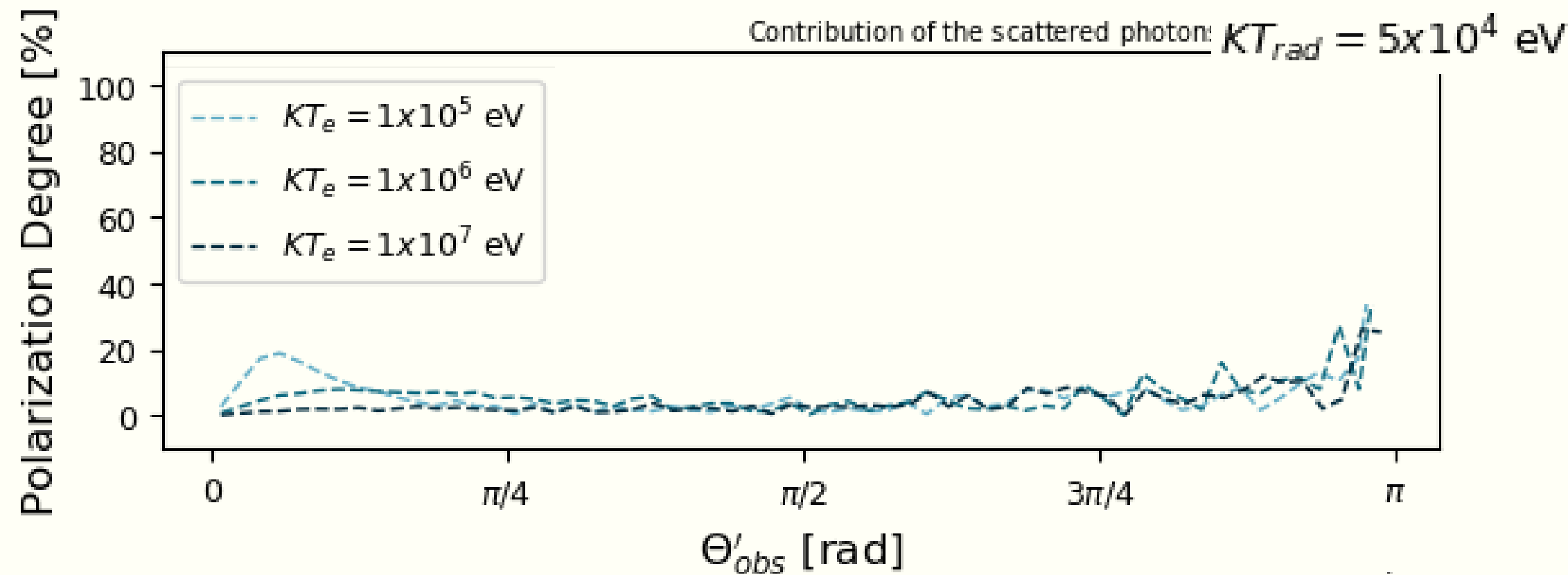
$$\epsilon'_e \sim 1$$



POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

POLARIZATION DEGREES
 DECREASE WITH THE
 INCREASE OF PHOTON
 TEMPERATURES

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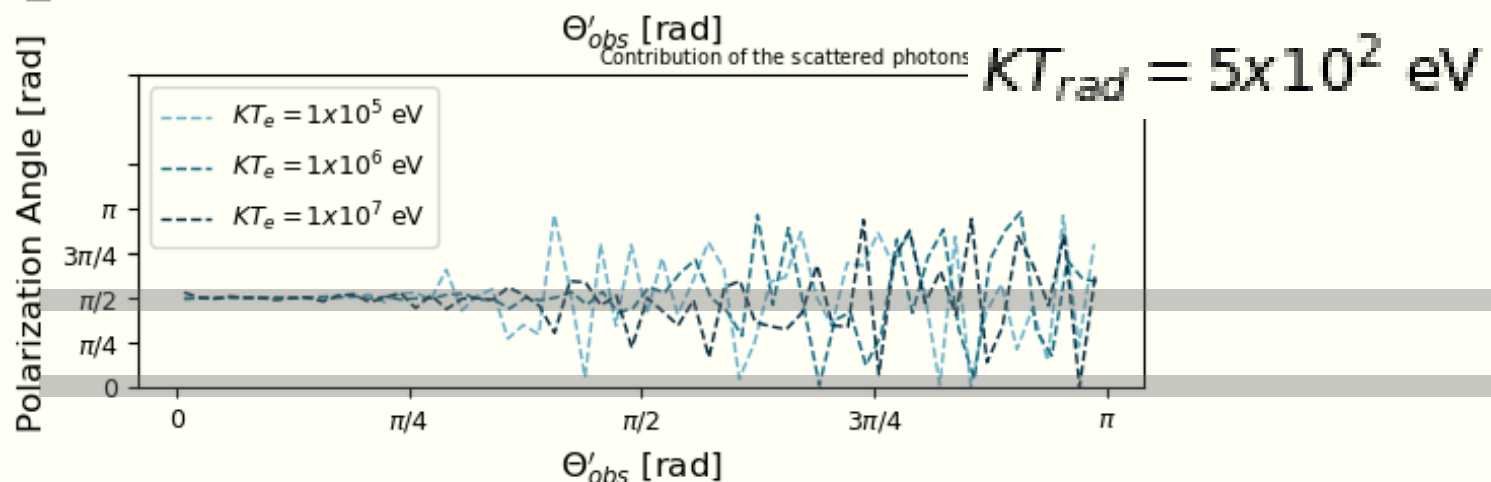
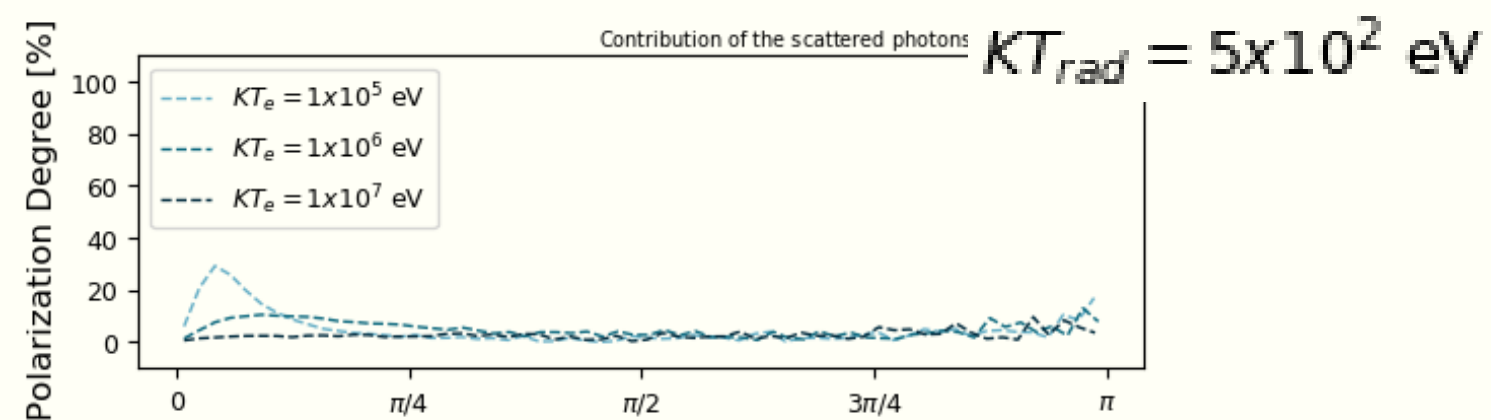


POLARIZATION DEGREES
 DECREASE WITH THE
 INCREASE OF THERMAL
 TEMPERATURES

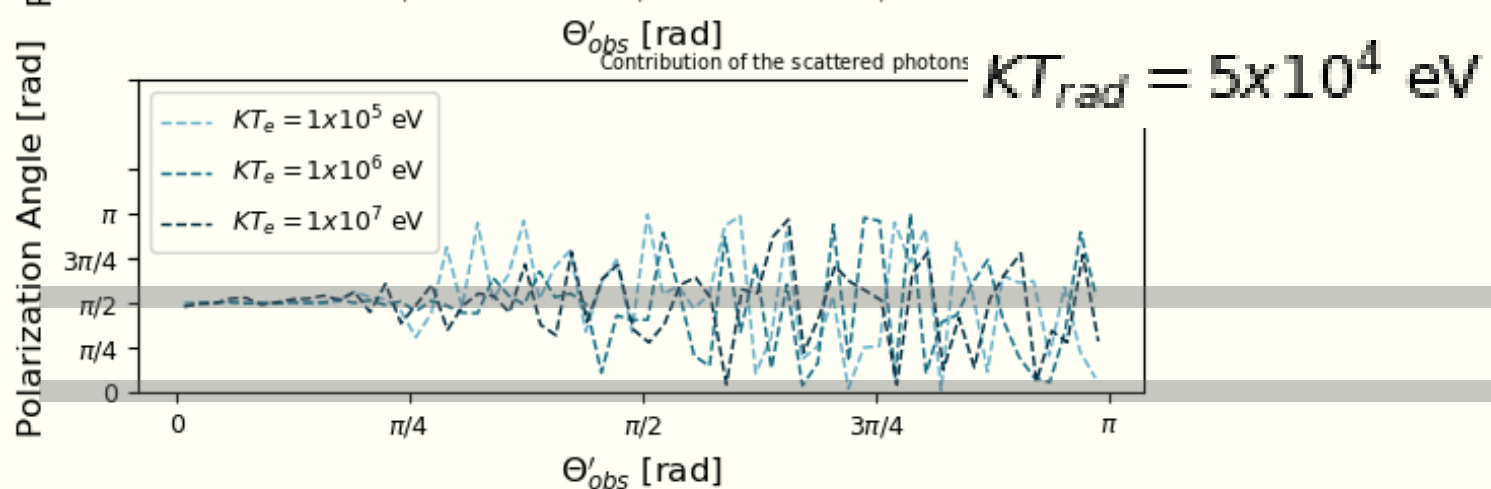
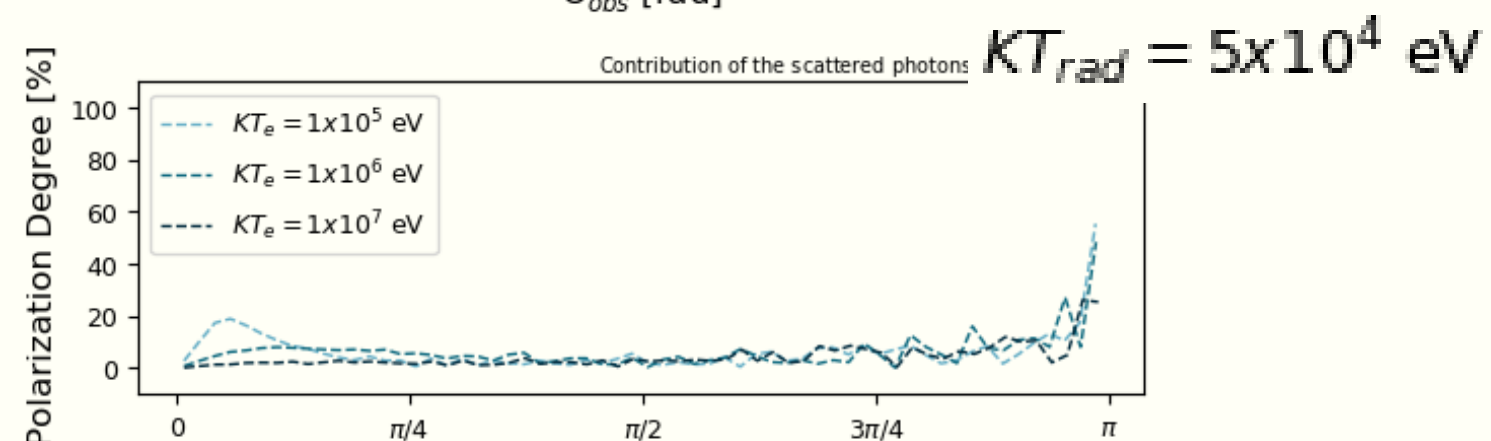
[show polarization angle >](#)



POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY



VERTICAL POLARIZATION
 HORIZONTAL POLARIZATION

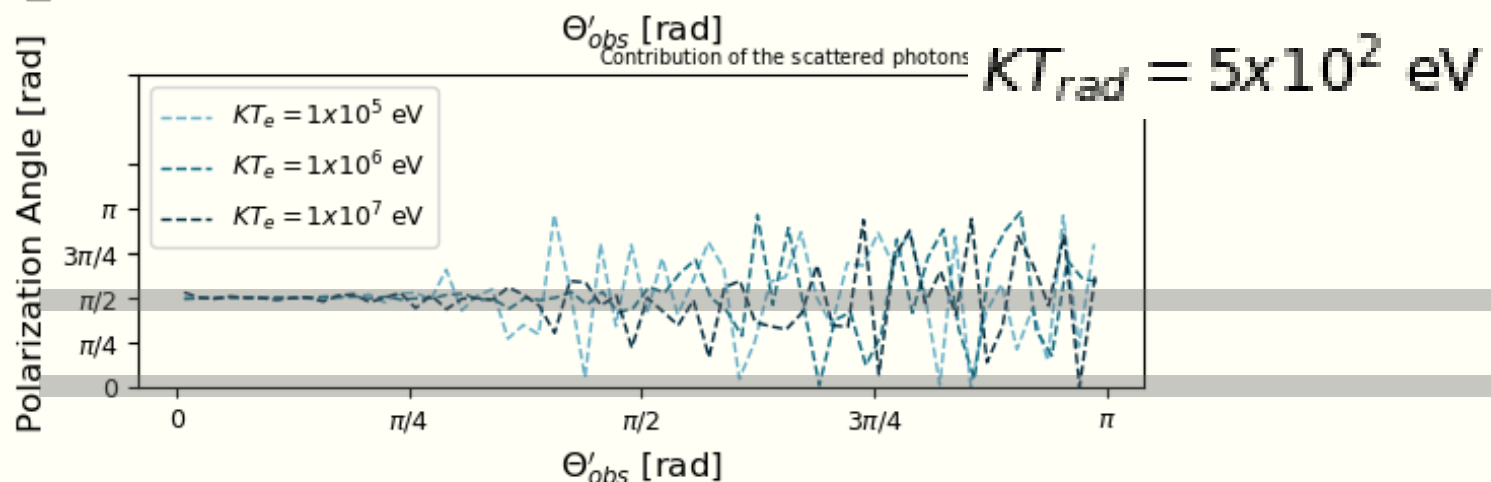
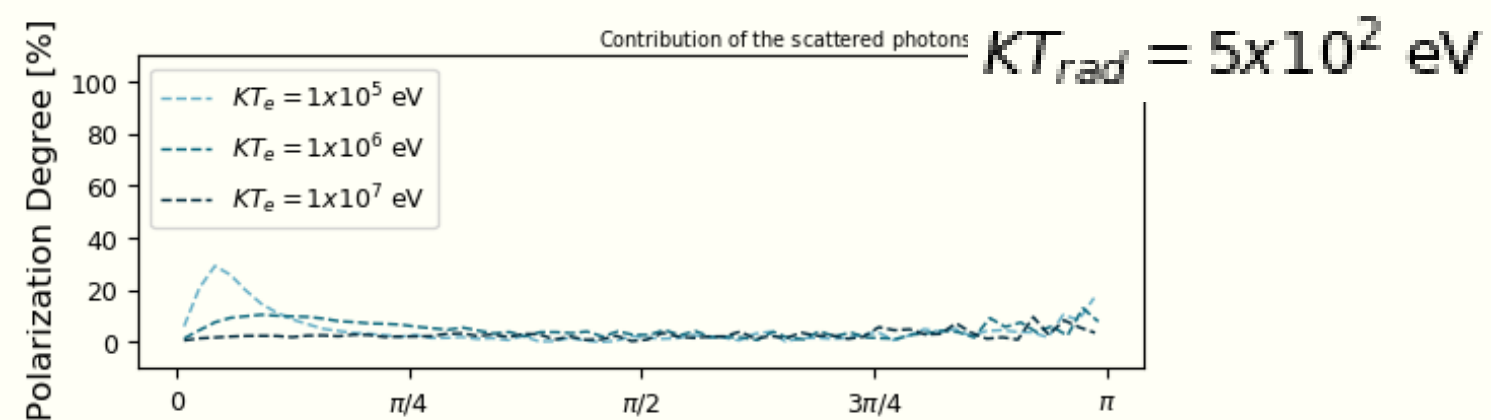


VERTICAL POLARIZATION
 HORIZONTAL POLARIZATION

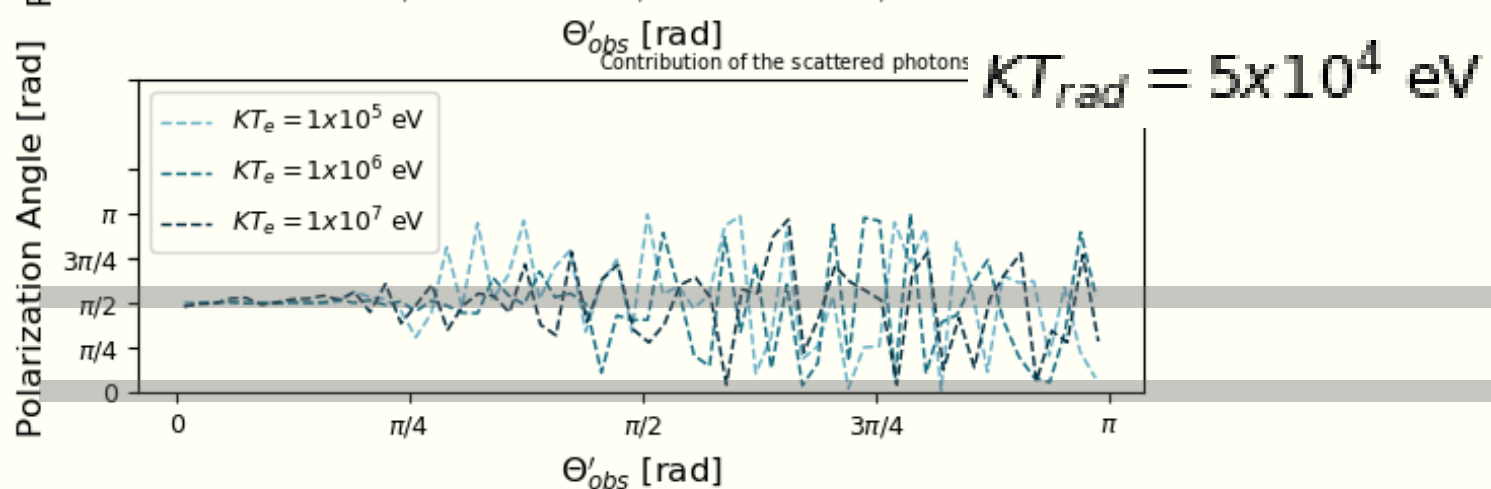
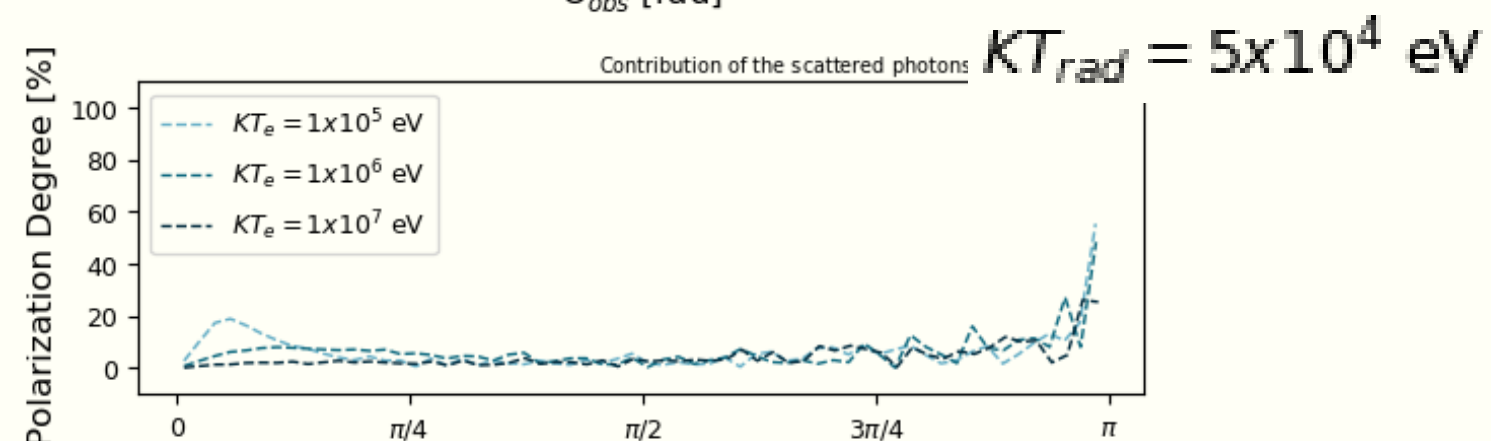
shows at which angle is the polarization degree at the maximum and how the polarization angle changes as a function of the viewing angle



POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY



VERTICAL POLARIZATION
 HORIZONTAL POLARIZATION



VERTICAL POLARIZATION
 HORIZONTAL POLARIZATION

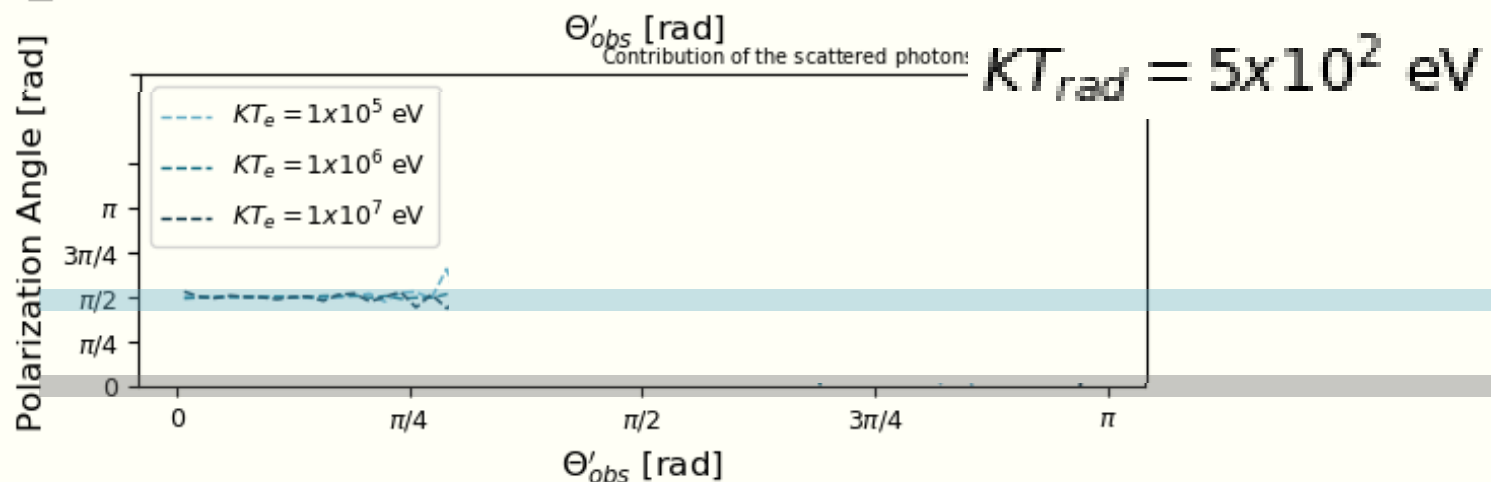
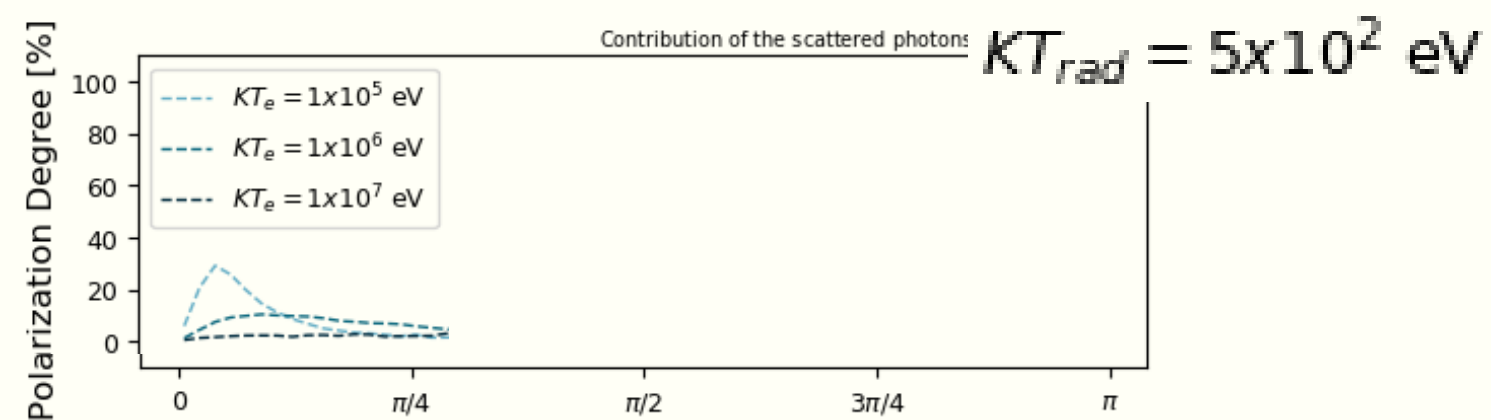
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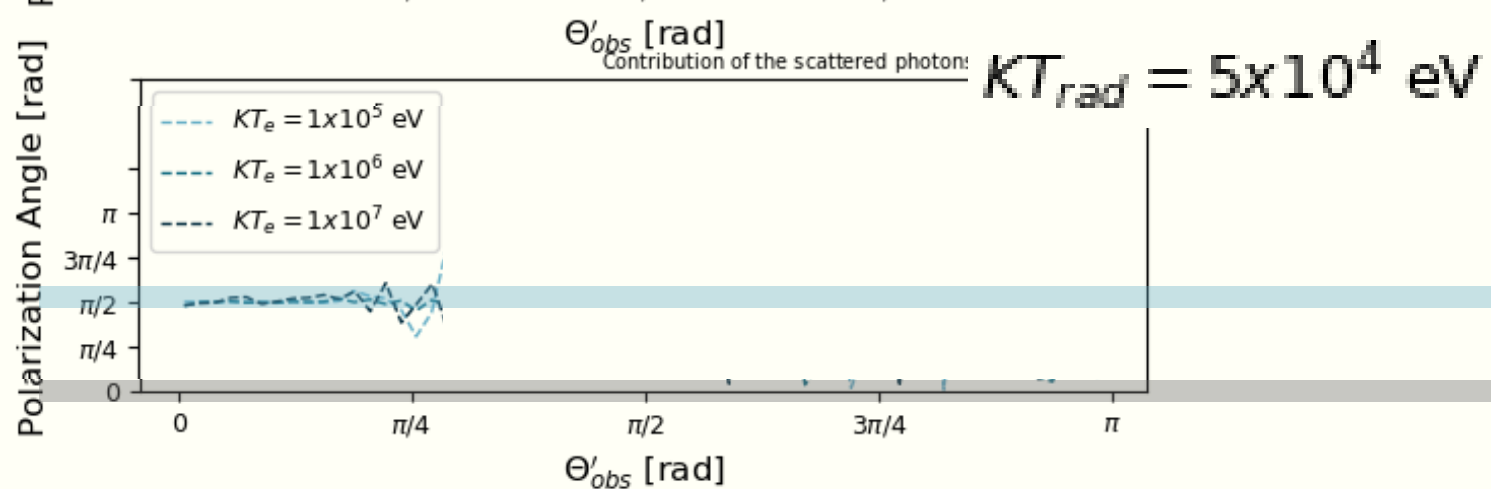
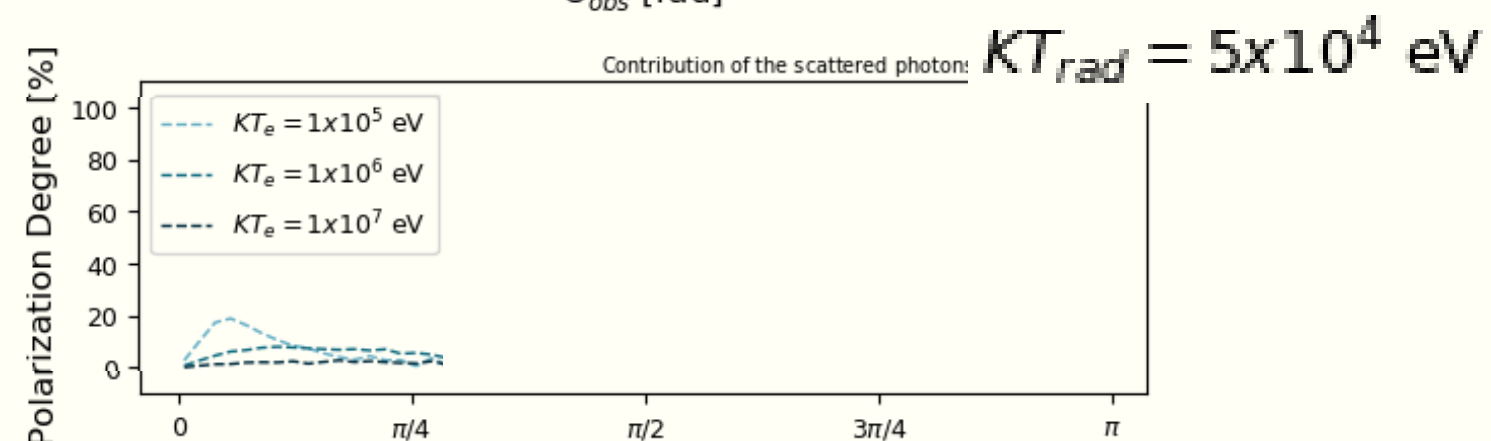
POLARIZATION SIGNAL

BINNED IN VIEWING ANGLE

BINNED IN ENERGY



VERTICAL POLARIZATION
HORIZONTAL POLARIZATION



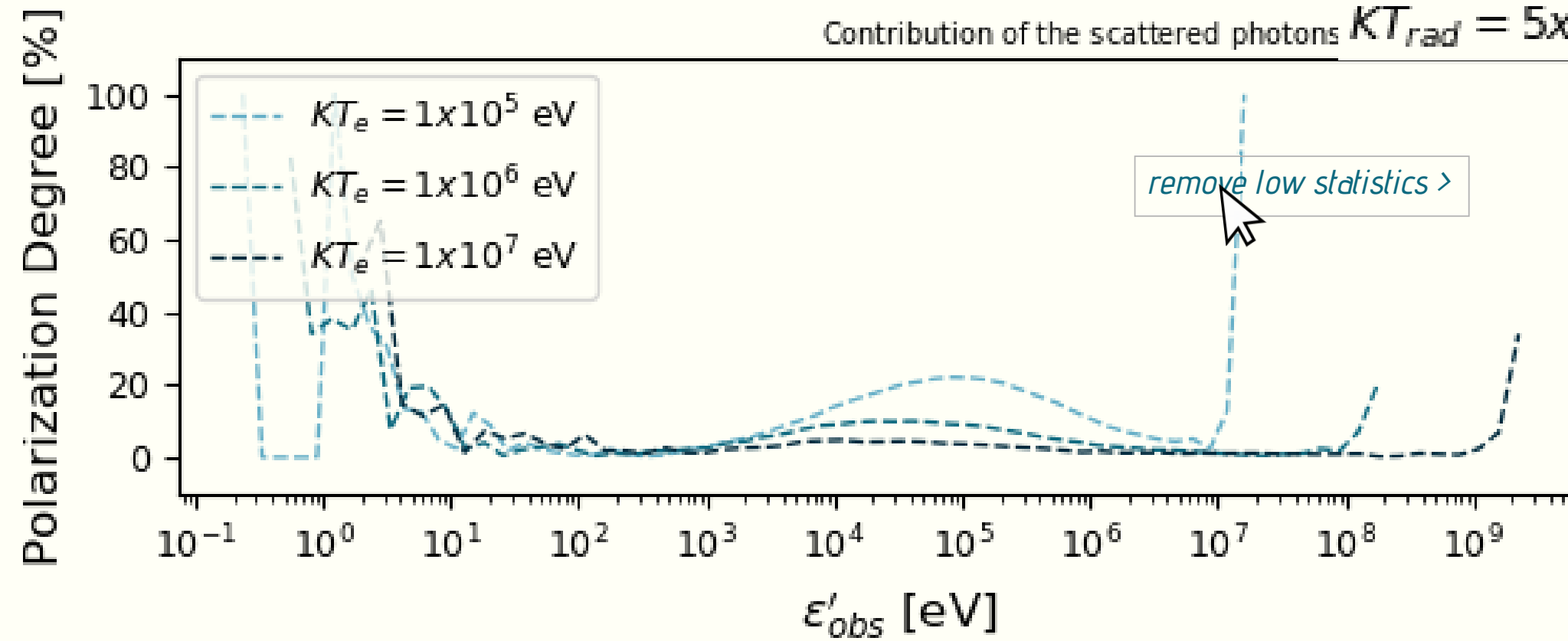
POLARIZED PHOTONS
SCATTER PREFERENTIALLY
PERPENDICULAR TO THEIR
ELECTRIC FIELD VECTOR

VERTICAL POLARIZATION
HORIZONTAL POLARIZATION

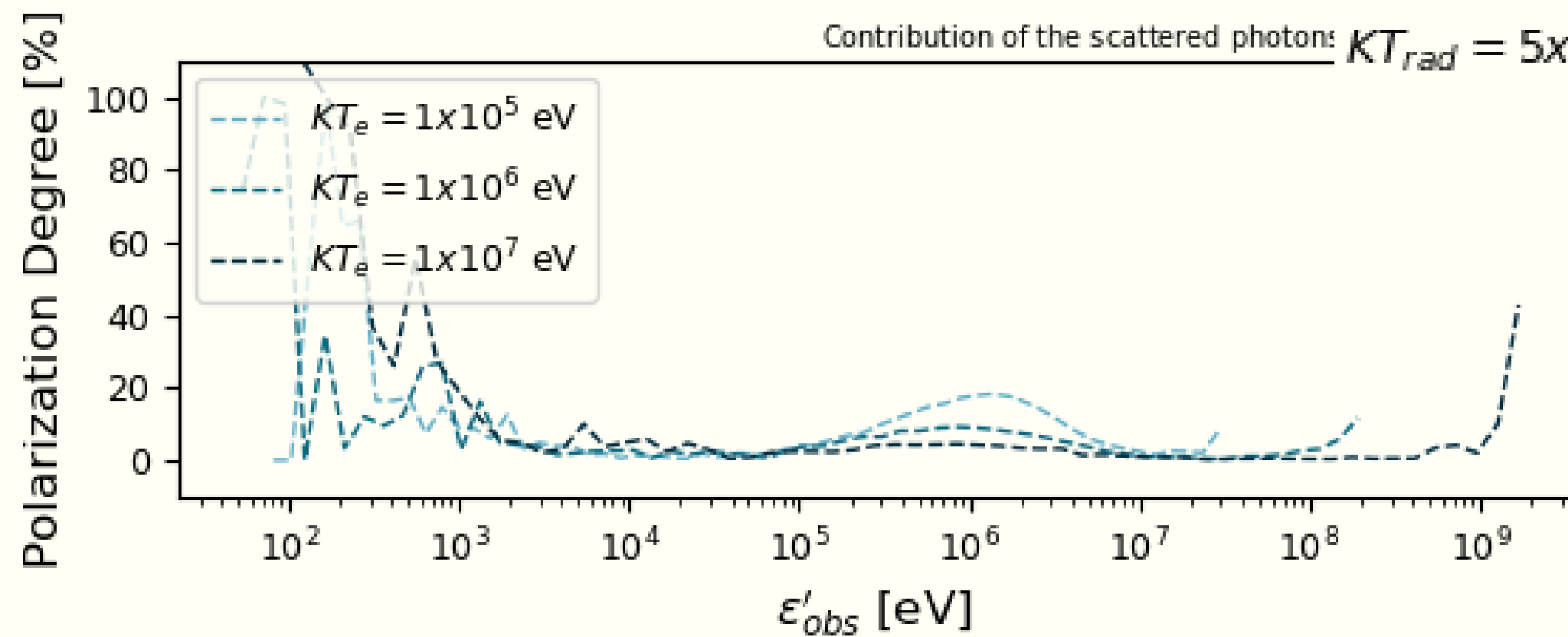


POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

Contribution of the scattered photons $KT_{rad} = 5 \times 10^2$ eV



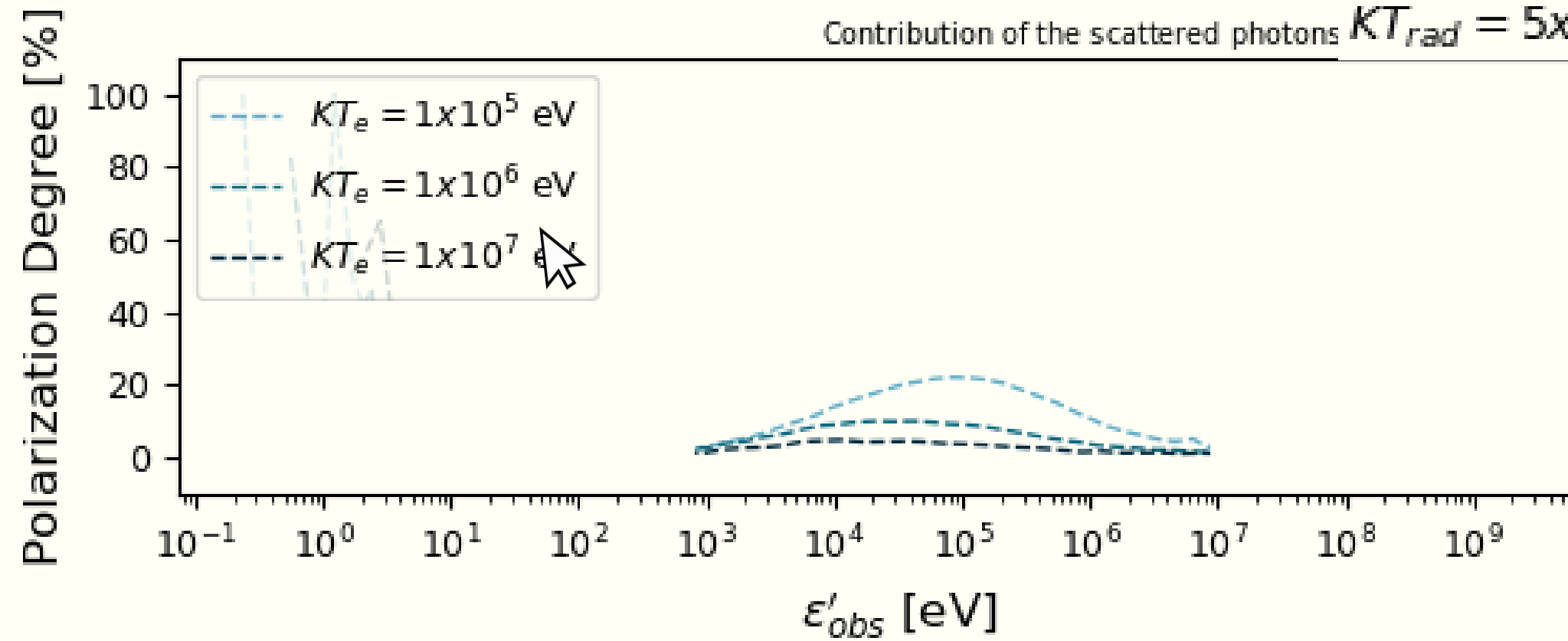
Contribution of the scattered photons: $KT_{rad} = 5 \times 10^4$ eV



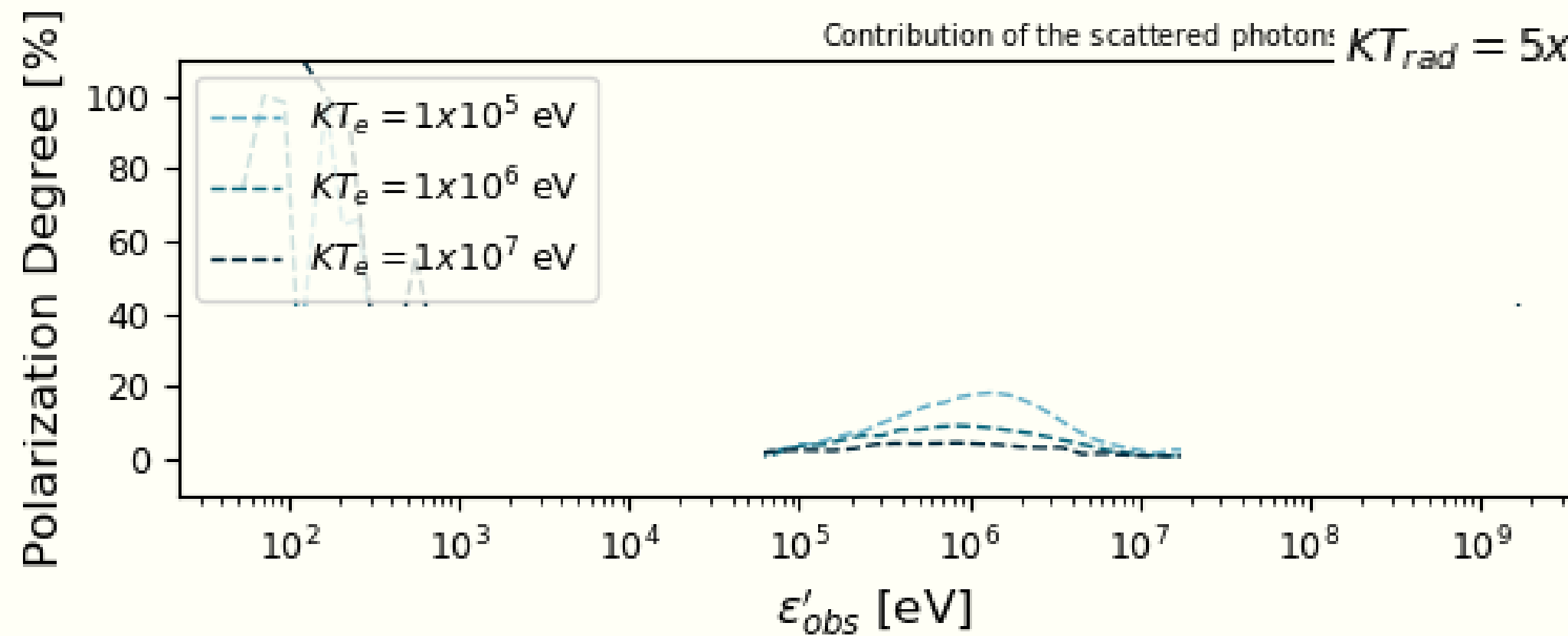


POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

Contribution of the scattered photons $KT_{rad} = 5 \times 10^2$ eV



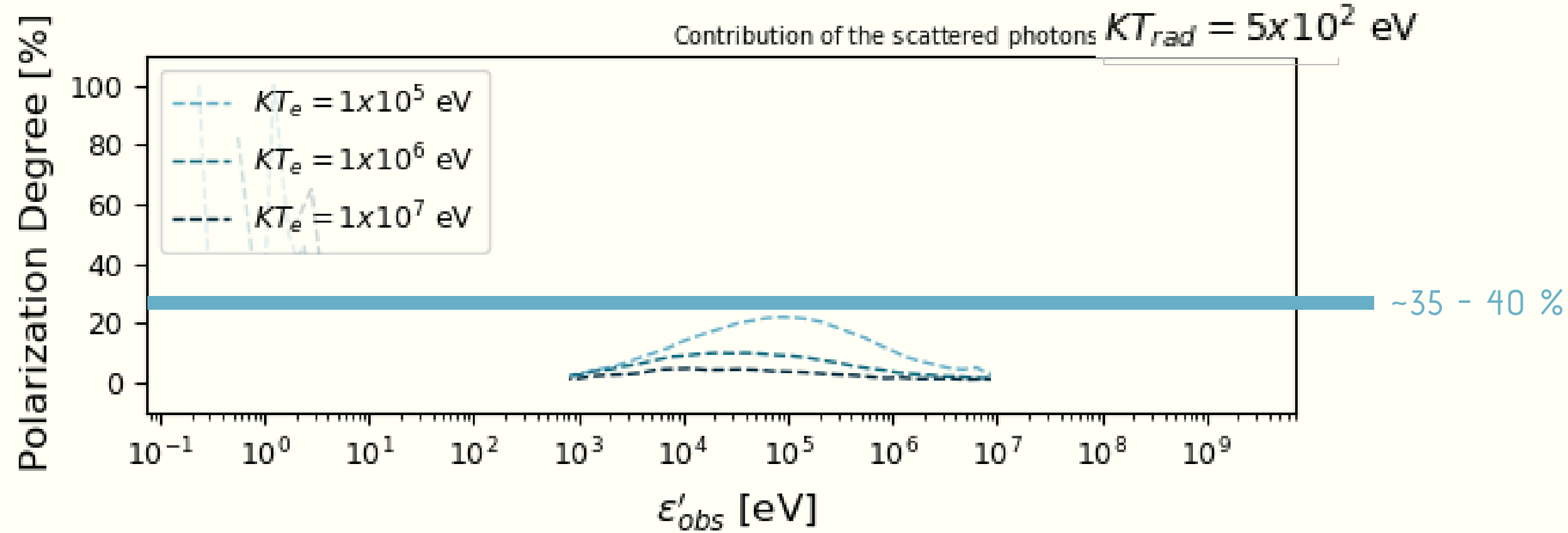
Contribution of the scattered photons: $KT_{rad} = 5 \times 10^4$ eV



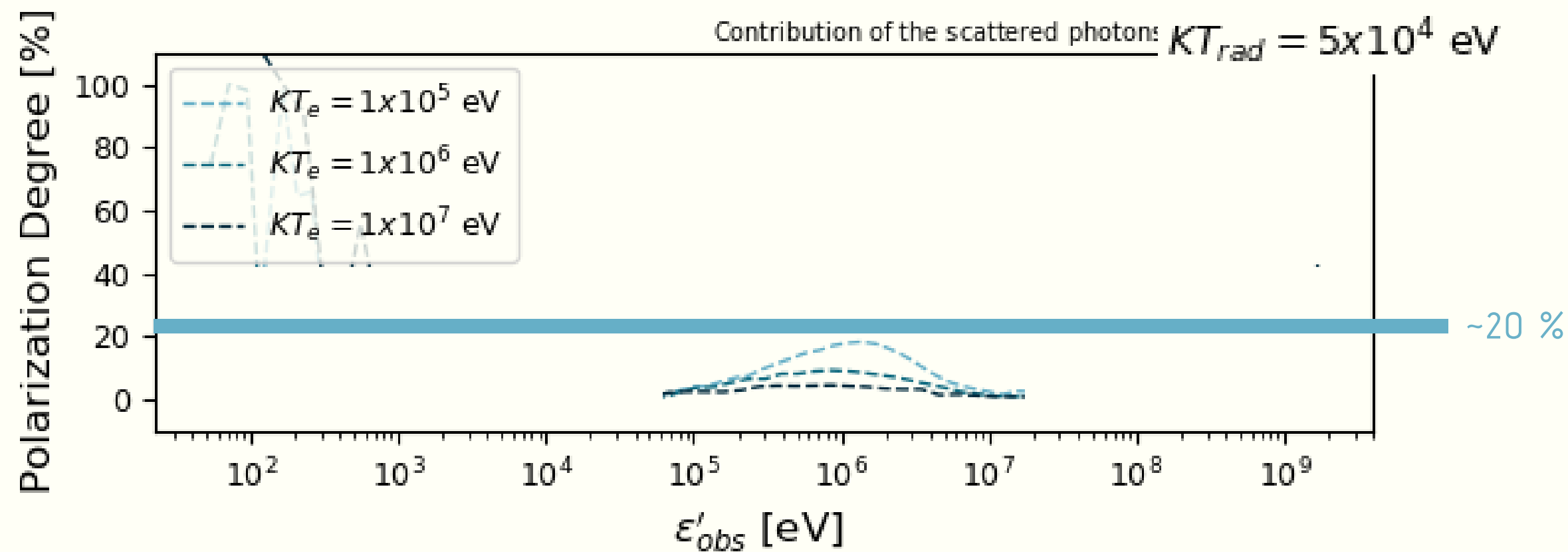


POLARIZATION SIGNAL

BINNED IN VIEWING ANGLE
BINNED IN ENERGY



POLARIZATION DEGREES
DECREASE WITH THE
**INCREASE OF PHOTON
TEMPERATURES**



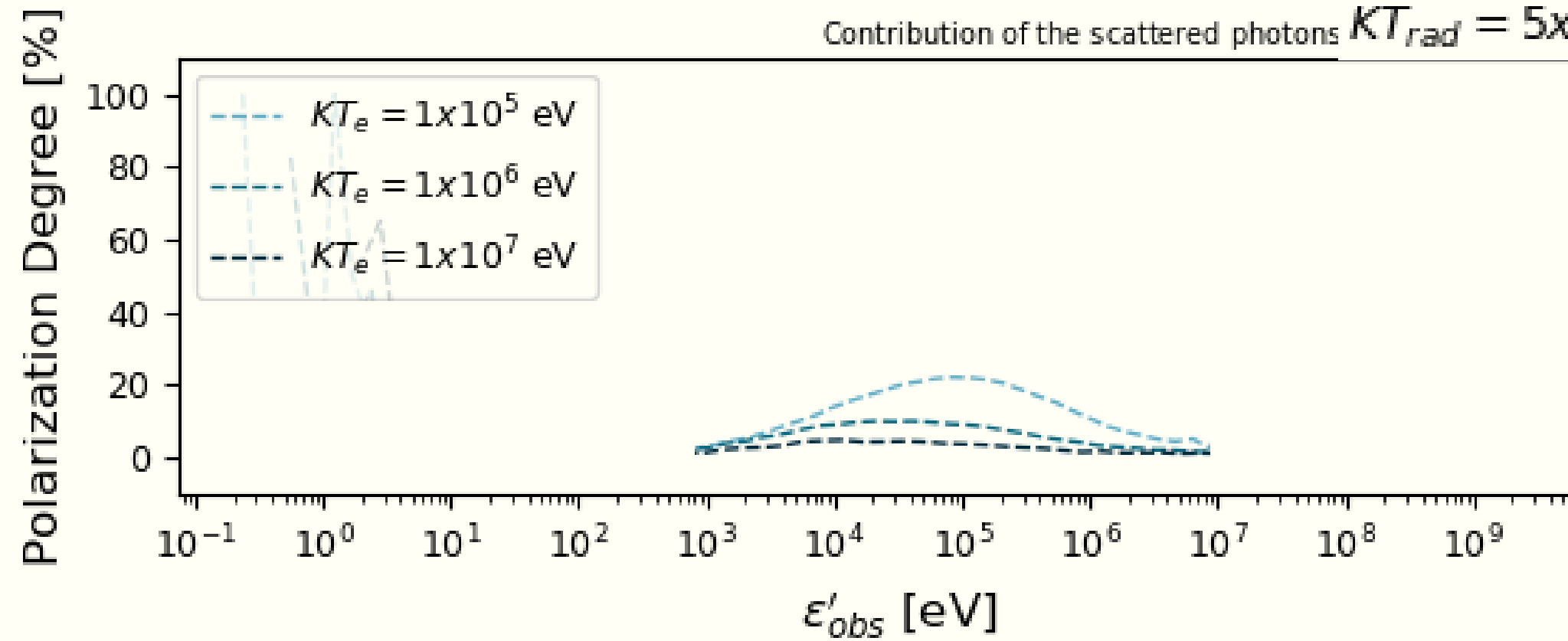
POLARIZATION DEGREES
DECREASE WITH THE
**INCREASE OF THERMAL
TEMPERATURES**



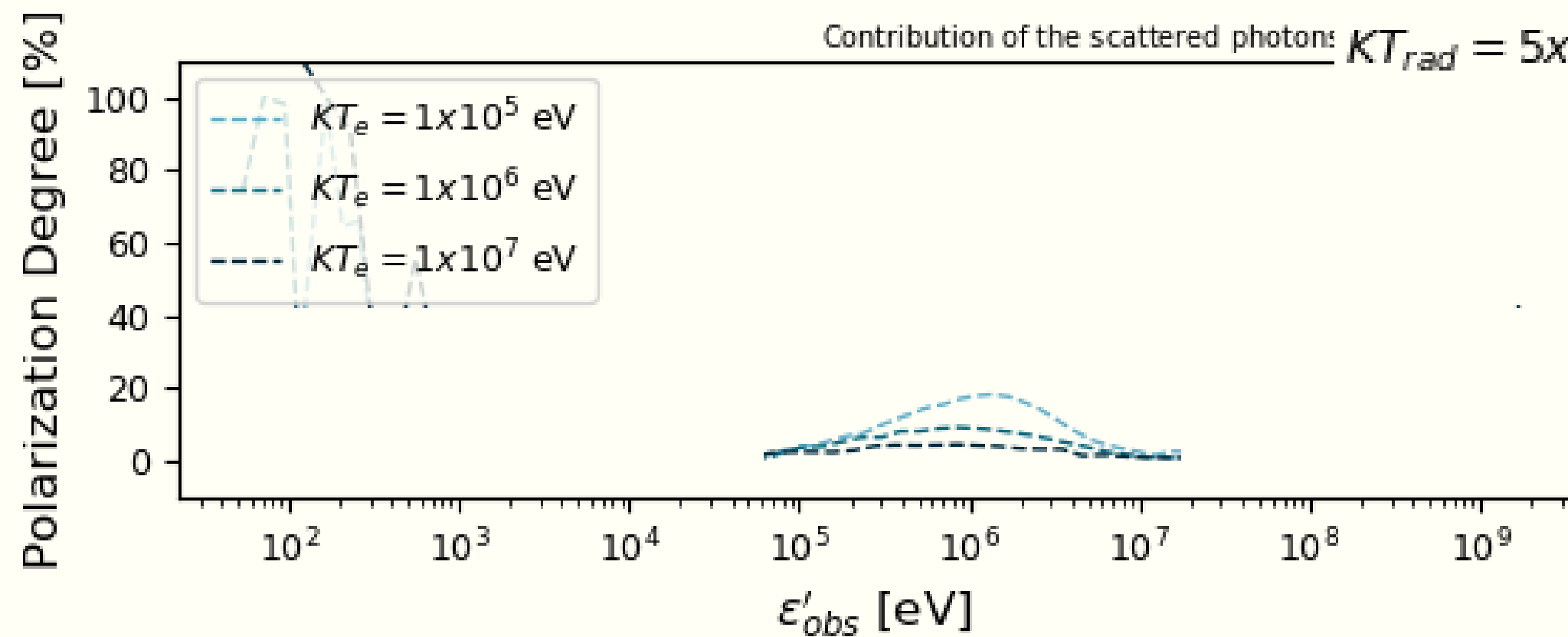
POLARIZATION SIGNAL

BINNED IN VIEWING ANGLE
 BINNED IN ENERGY

Contribution of the scattered photons $KT_{rad} = 5 \times 10^2$ eV

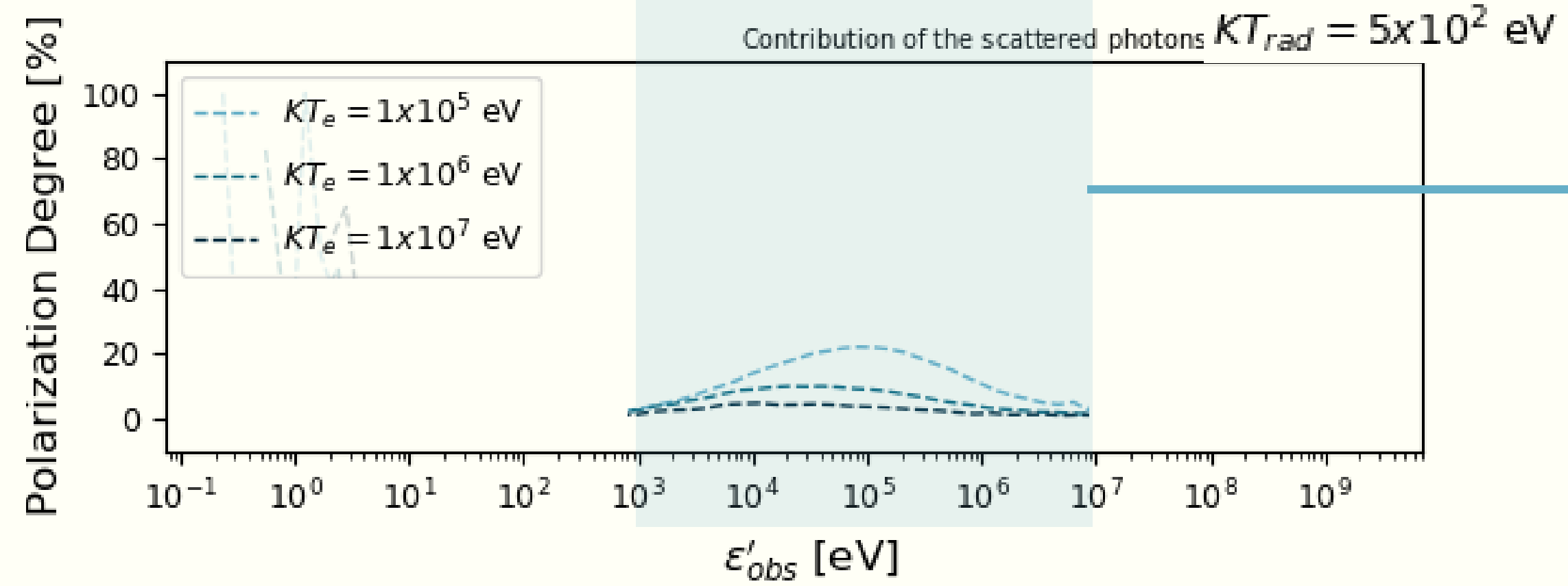


Contribution of the scattered photons: $KT_{rad} = 5 \times 10^4$ eV



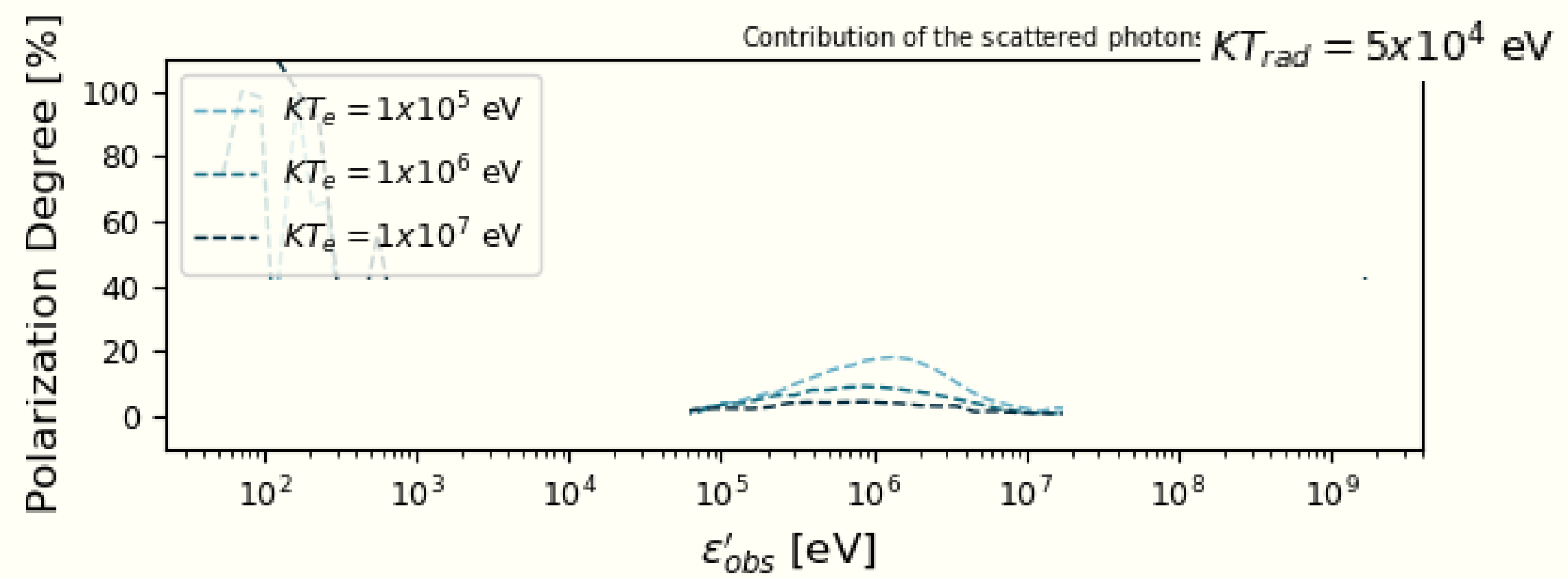
allows the evaluation of which energy band is more convenient in terms of the amplitude of the polarization signal

POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY



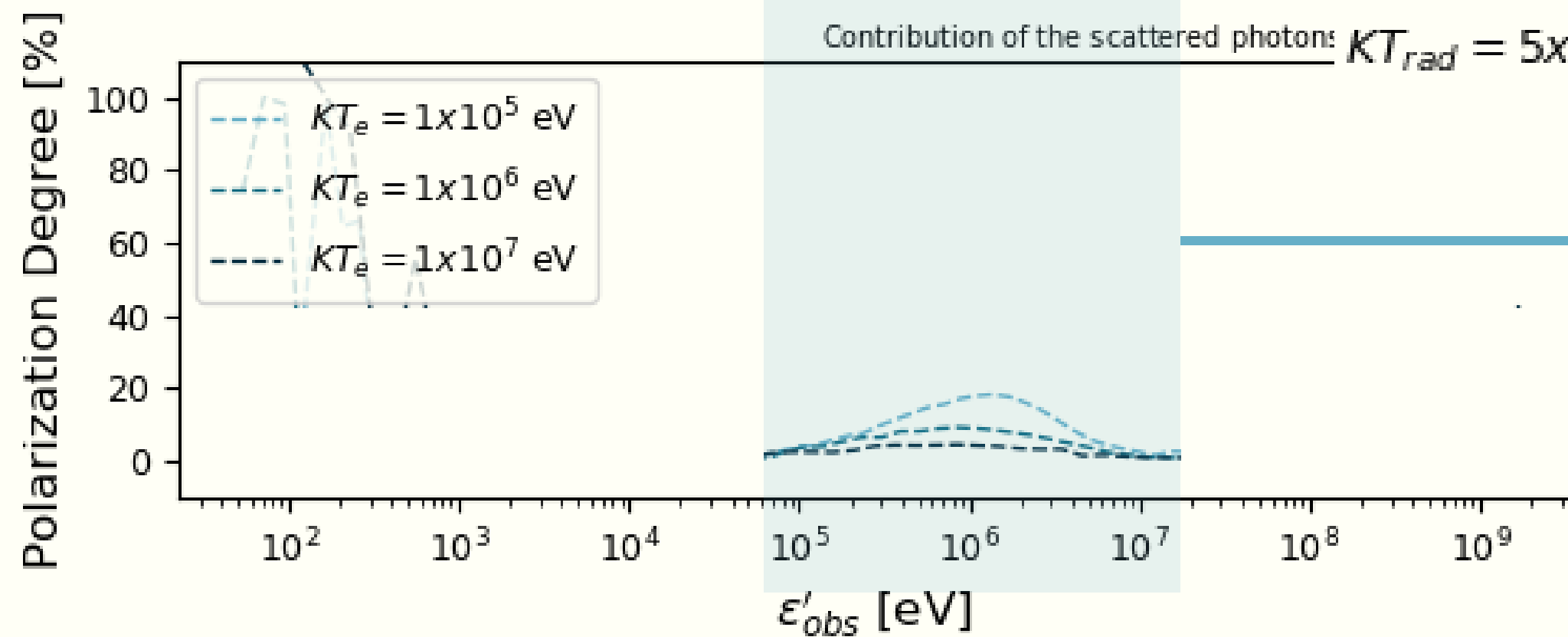
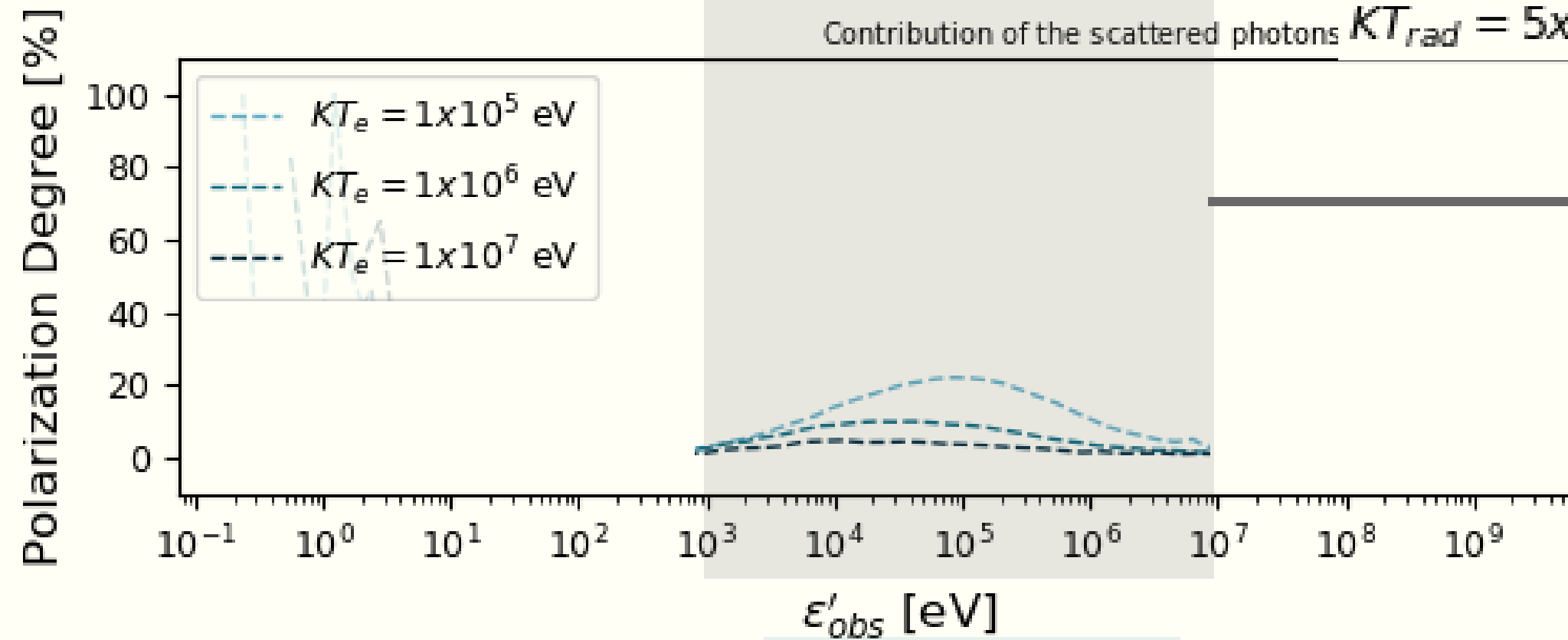
maximum polarization is in the range of $10^3 - 10^7 \text{ eV}$

allows the evaluation of which energy band is more convenient in terms of the amplitude of the polarization signal





POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY



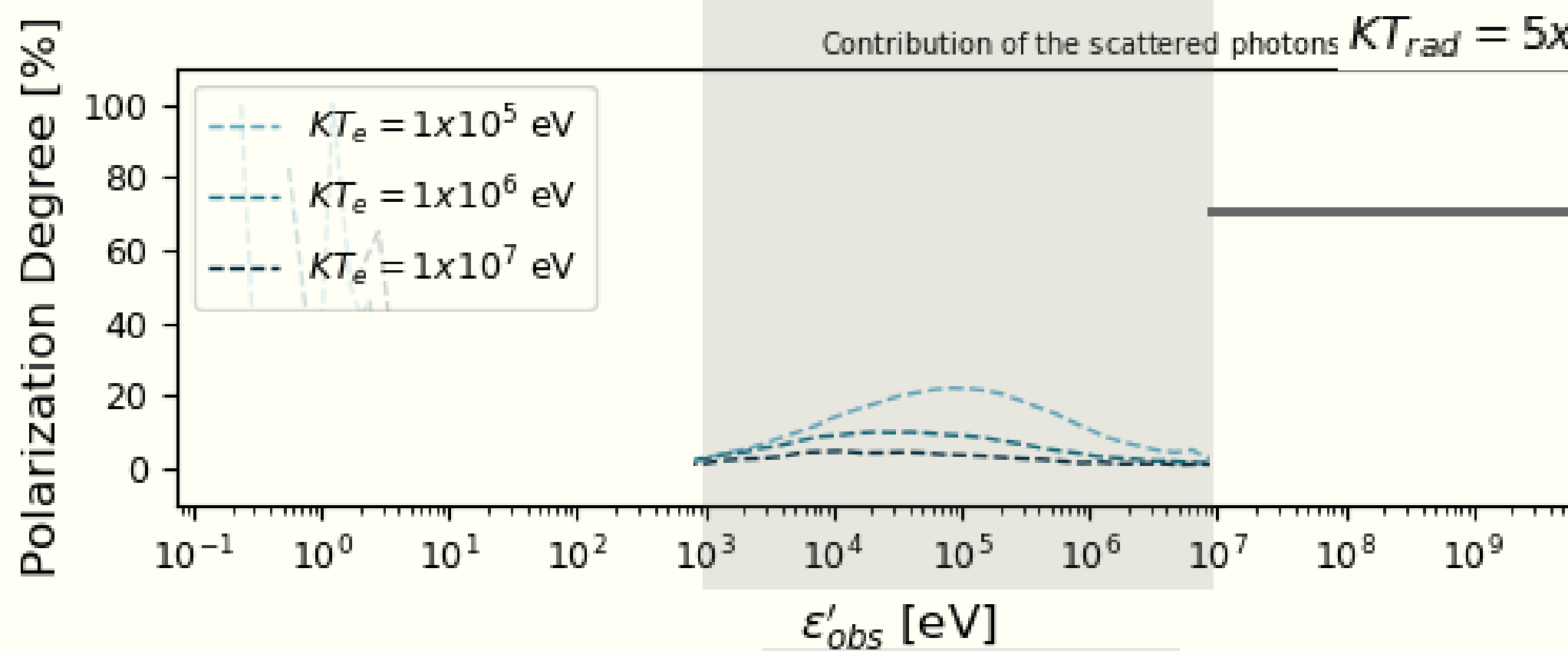
allows the evaluation of which energy band is more convenient in terms of the amplitude of the polarization signal

maximum polarization is in the range of $10^3 - 10^7 \text{ eV}$

maximum polarization is in the range of $10^5 - 10^7 \text{ eV}$



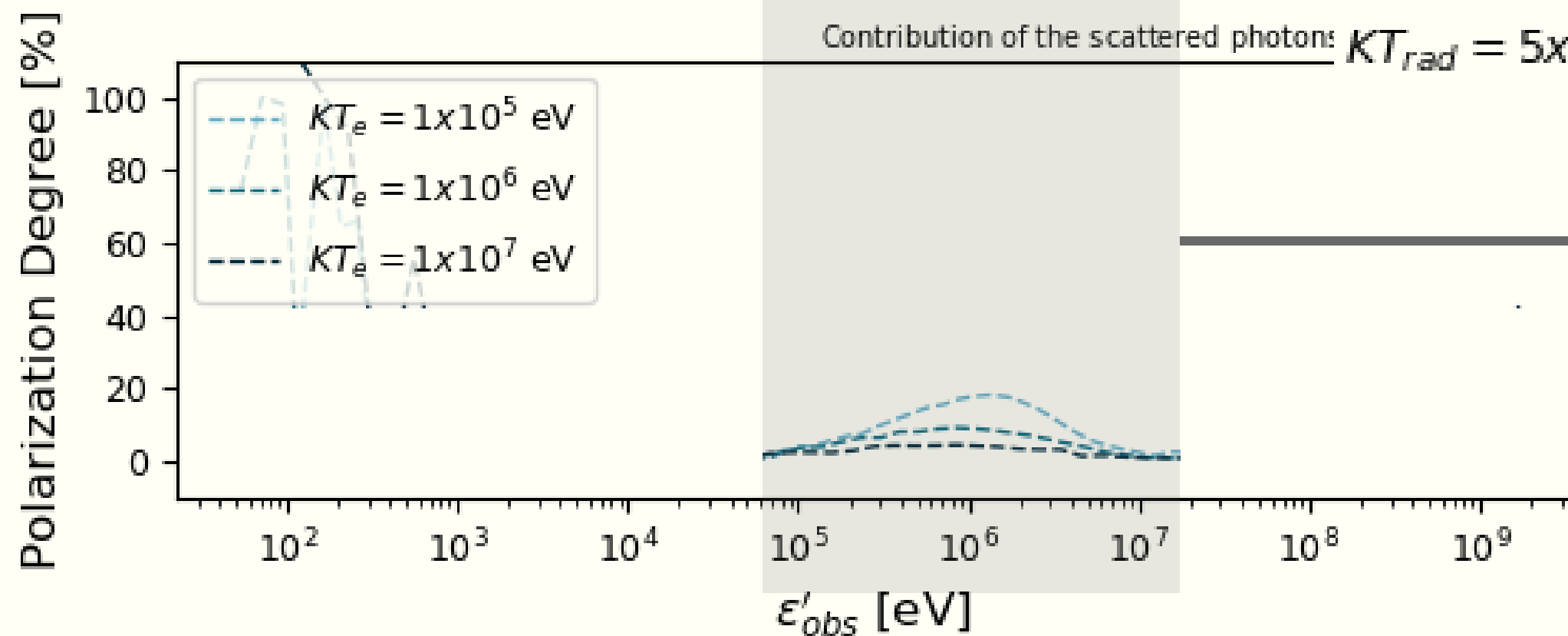
POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY



maximum polarization is in the range of $10^3 - 10^7 \text{ eV}$

MAXIMUM POLARIZATION SHIFT TO HIGHER ENERGIES FOR HIGHER TARGET PHOTON ENERGIES

THE ENERGY RANGE IS SMALLER FOR HIGHER TARGET PHOTON ENERGIES



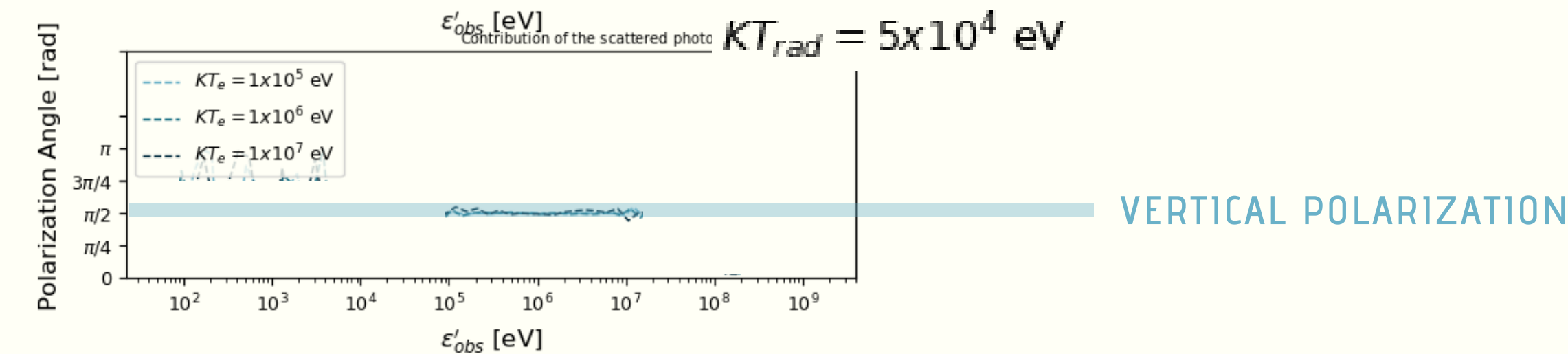
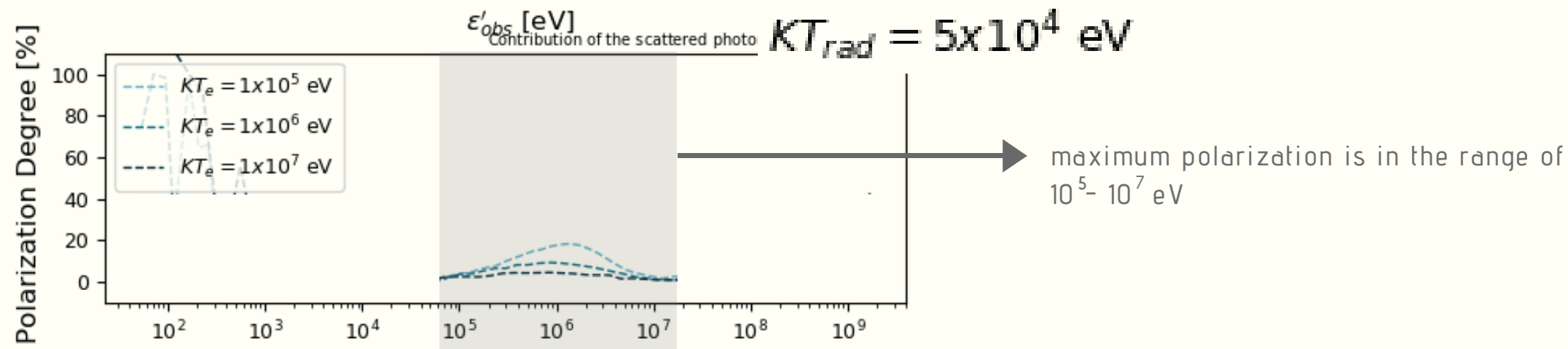
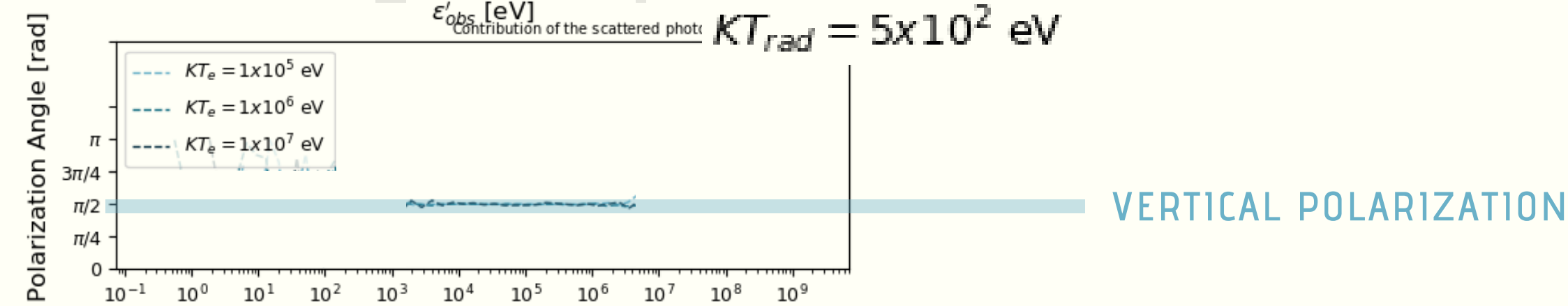
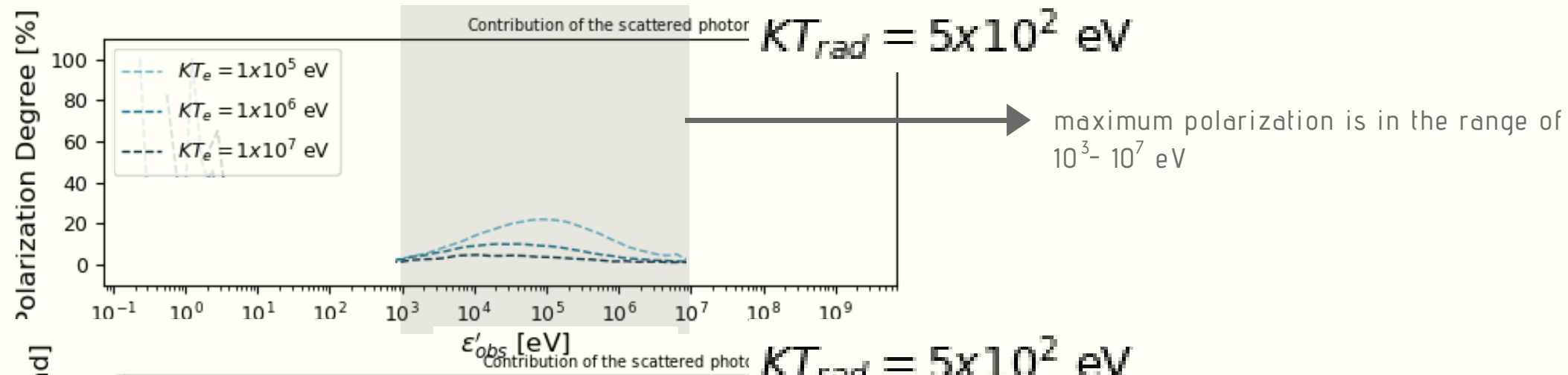
maximum polarization is in the range of $10^5 - 10^7 \text{ eV}$

[view polarization angles >](#)





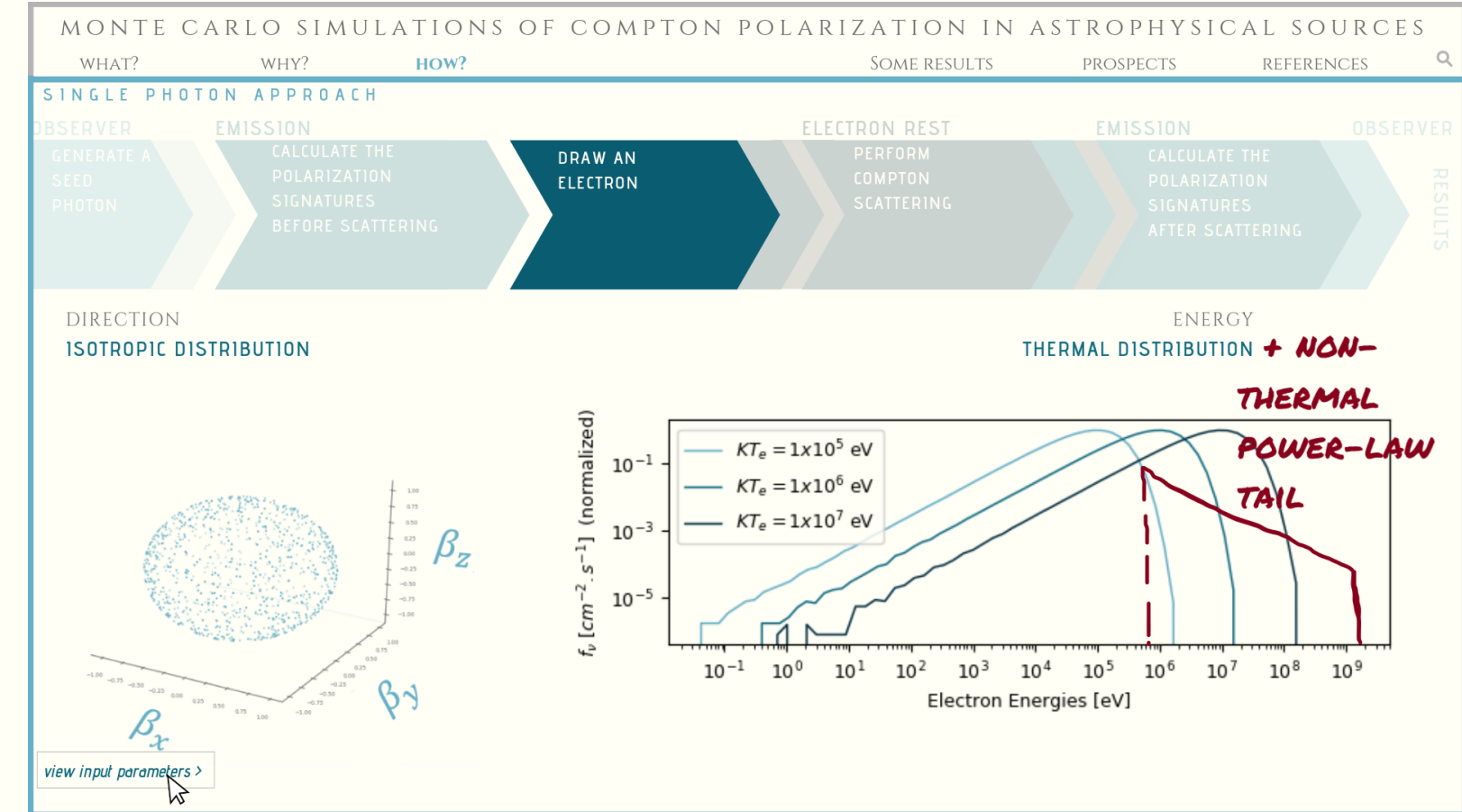
POLARIZATION SIGNAL
 BINNED IN VIEWING ANGLE
 BINNED IN ENERGY





NEAR FUTURE

ADD NON-THERMAL
POWER-LAW TAIL TO THE
THERMAL ELECTRON
DISTRIBUTION



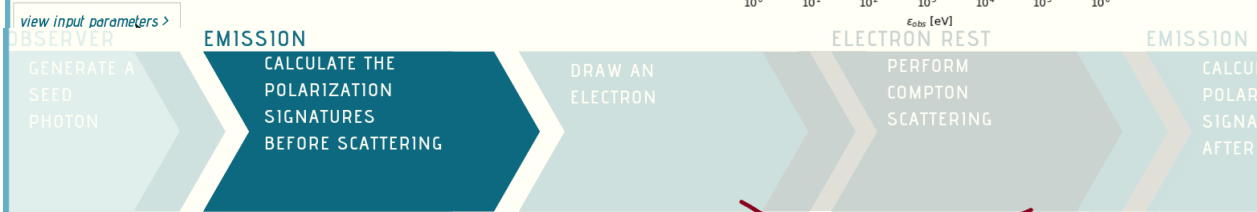
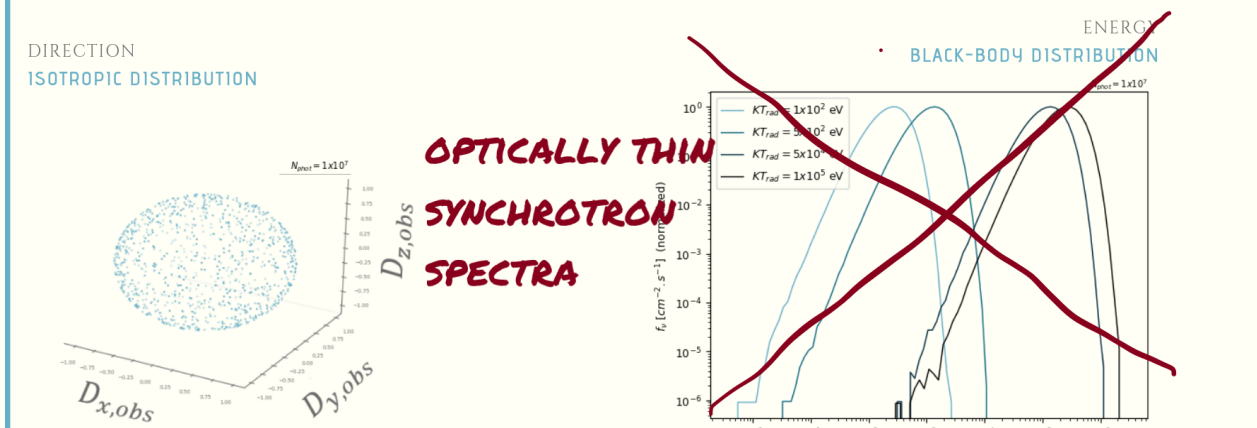
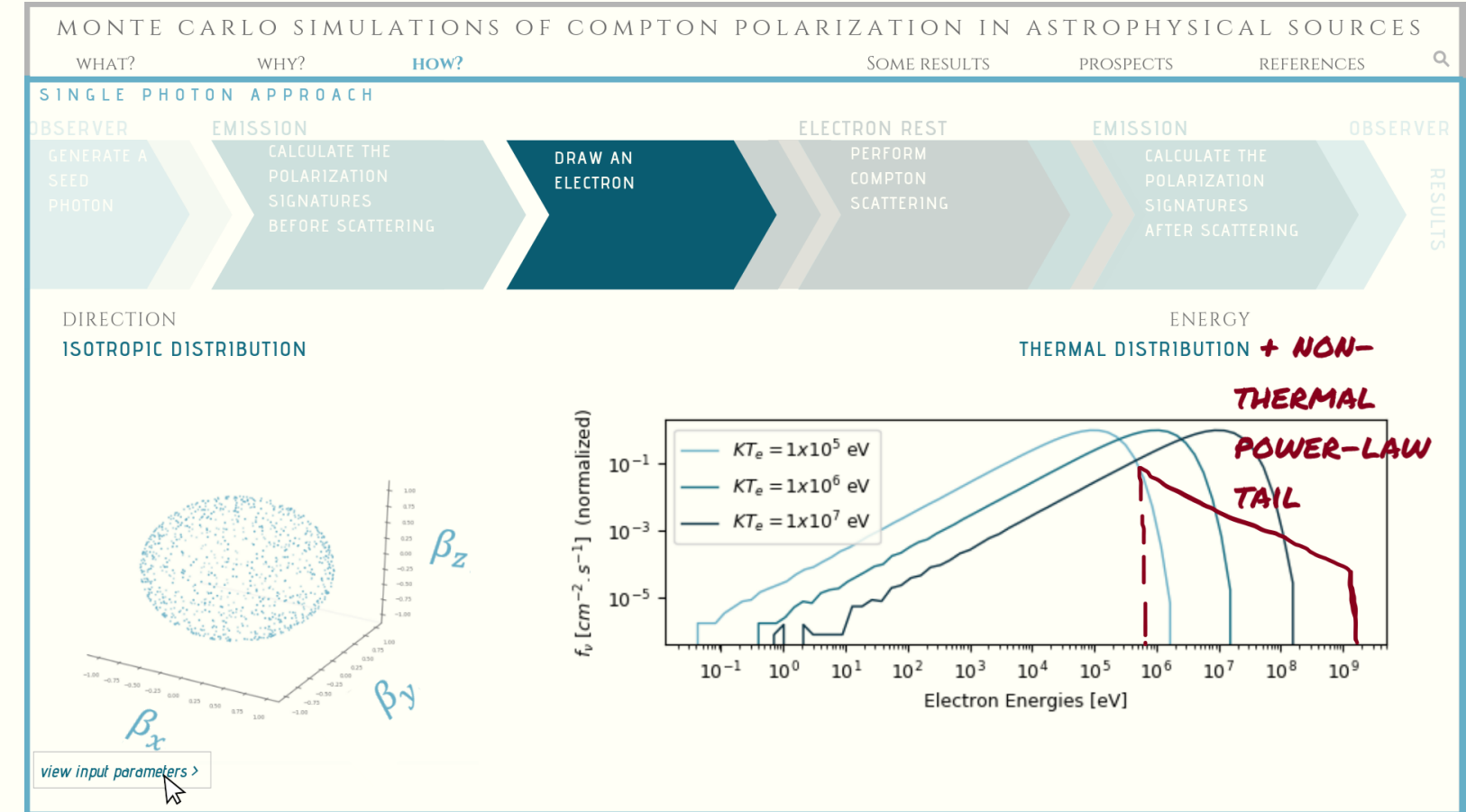
LONG TERM PROSPECTS





NEAR FUTURE

ADD NON-THERMAL POWER-LAW TAIL TO THE THERMAL ELECTRON DISTRIBUTION



POLARIZATION SIGNATURES

POLARIZATION VECTOR

STOKES PARAMETERS

$$\vec{P}_{em} = \sin \alpha_r \vec{Q}_+ + \cos \alpha_r \vec{Q}_-$$

$$\alpha_r \in [0, 2\pi]$$

UNPOLARIZED

WILL THE PHOTON BE POLARIZED AFTER SCATTERING?

$$Q = \sum_{i=1}^{N_{phot}} Q_i \quad U = \sum_{i=1}^{N_{phot}} U_i$$

SYNCHROTRON POLARIZATION

LONG TERM PROSPECTS

ADD SYNCHROTRON POLARIZATION TO SIMULATE THE TRANSITION FROM LOW-ENERGY TO HIGH-ENERGY POLARIZATION





Böttcher, M., 2019. Progress in Multi-wavelength and Multi-Messenger Observations of Blazars and Theoretical Challenges. *Galaxies*, 7(1), p.20.

Holder, J., 2019. *Gamma-Ray Binaries*, lecture notes, Fermi Summer School 2019, University of Delaware, delivered 30 May 2019.

Matt, G., Feroci, M., Rapisarda, M. and Costa, E., 1996. Treatment of Compton scattering of linearly polarized photons in Monte Carlo codes. *Radiation Physics and Chemistry*, 48(4), pp.403-411.

Tamborra, F., Matt, G. and Bianchi, S., 2013. MoCA: a Monte Carlo code for accretion in Astrophysics. Ph.D. Thesis. Roma Tre University,



SPECTRAL ENERGY DISTRIBUTIONS

POLARIZATION SIGNAL

INPUT PARAMETERS

BULK LORENTZ FACTOR

$$\Gamma = 10$$

TARGET PHOTON
ENERGIES

$$kT_{rad} = 5 \times 10^2 \text{ eV}$$

$$kT_{rad} = 5 \times 10^4 \text{ eV}$$

THERMAL ELECTRON
ENERGIES

— $kT_e = 1 \times 10^5 \text{ eV}$

— $kT_e = 1 \times 10^6 \text{ eV}$

— $kT_e = 1 \times 10^7 \text{ eV}$

MONTE CARLO SIMULATIONS OF COMPTON POLARIZATION IN ASTROPHYSICAL SOURCES

WHAT?

WHY?

HOW?

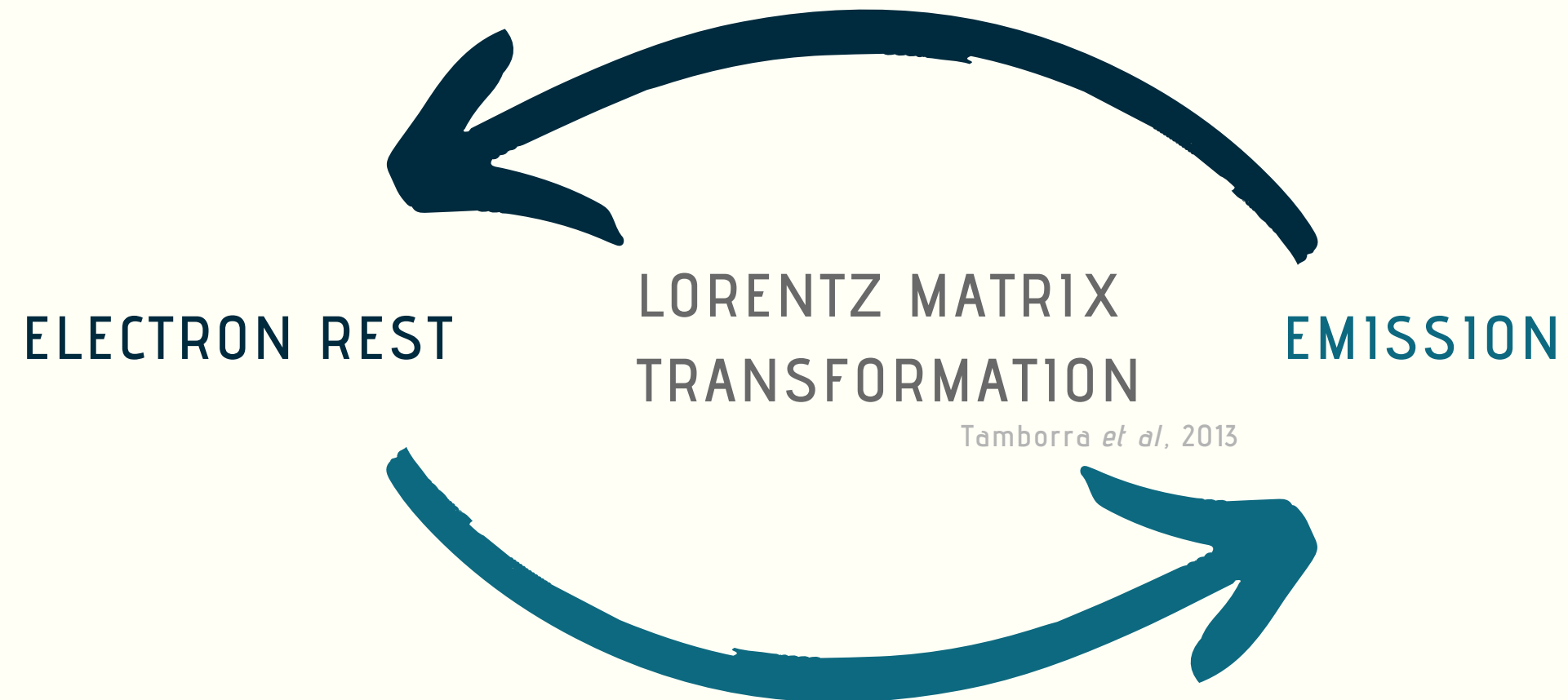
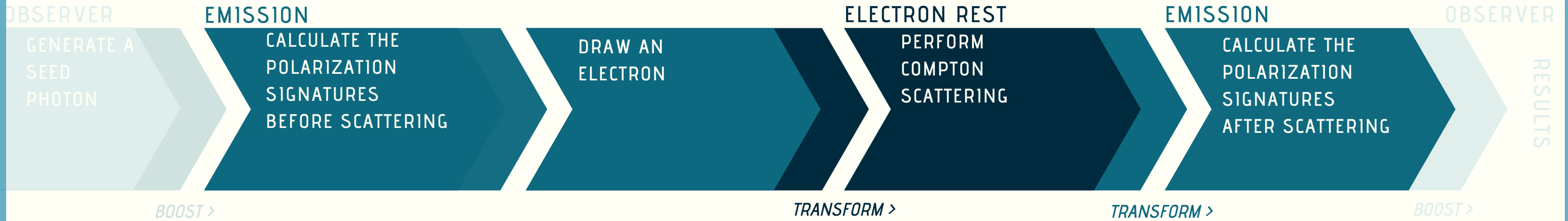
SOME RESULTS

PROSPECTS

REFERENCES

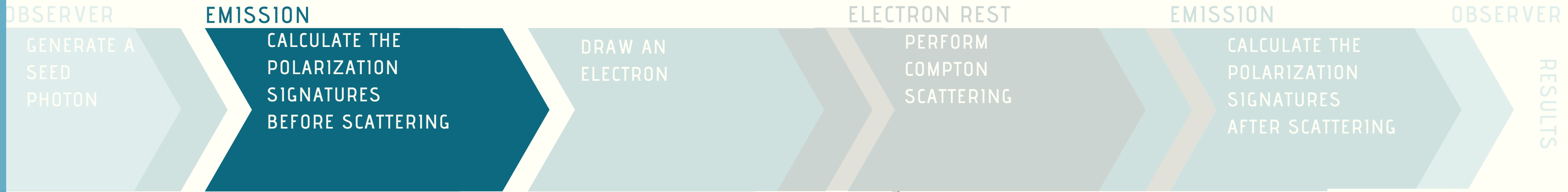


SINGLE PHOTON APPROACH





SINGLE PHOTON APPROACH



CALCULATE THE POLARIZATION VECTOR

$\alpha_r \in [0, 2\pi]$

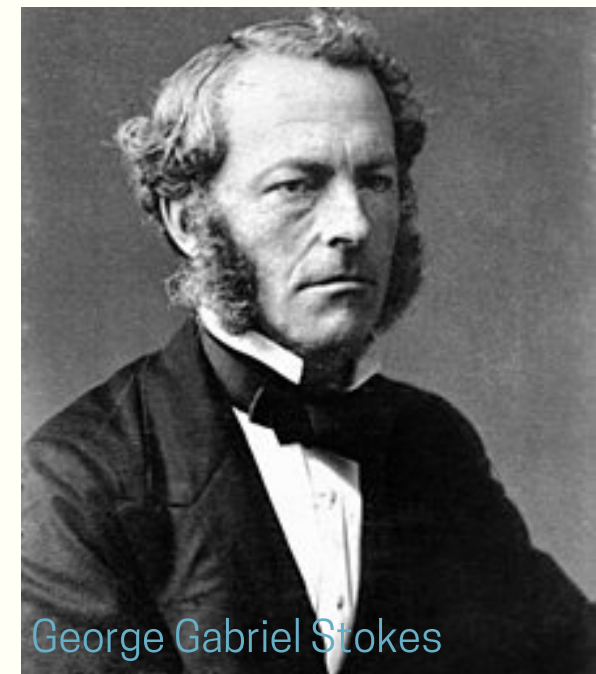
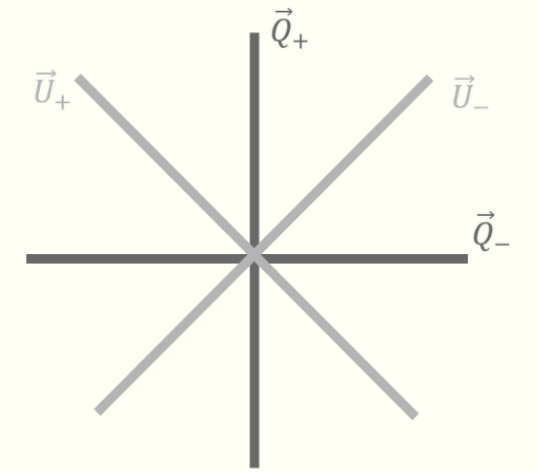
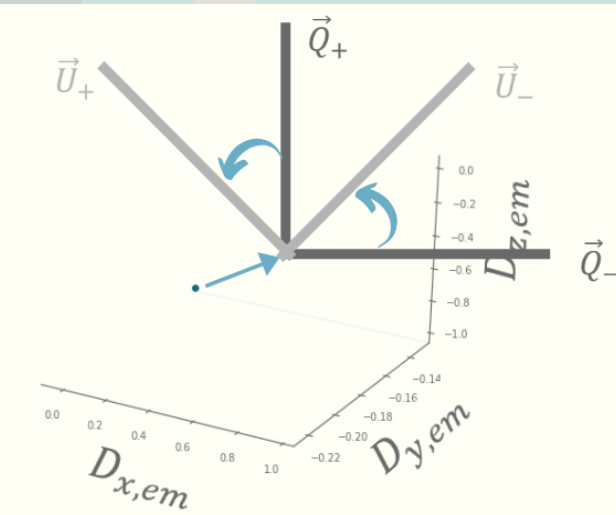
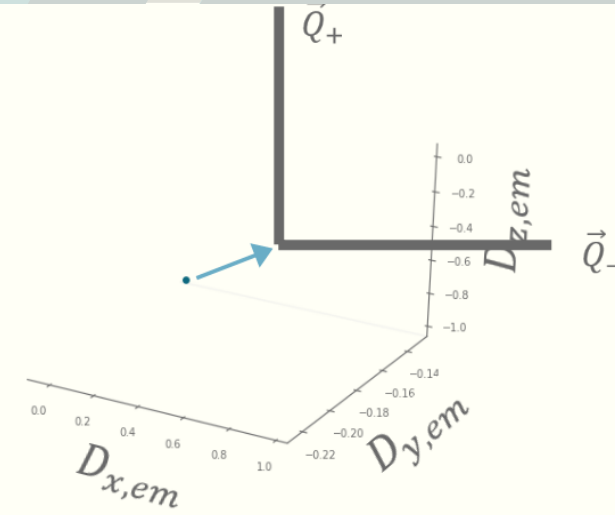
CALCULATE THE CONTRIBUTIONS OF THE PHOTON TO THE STOKES PARAMETERS

view for all photons >

$$\vec{P}_{em} = \sin \alpha_r \vec{Q}_+ + \cos \alpha_r \vec{Q}_-$$

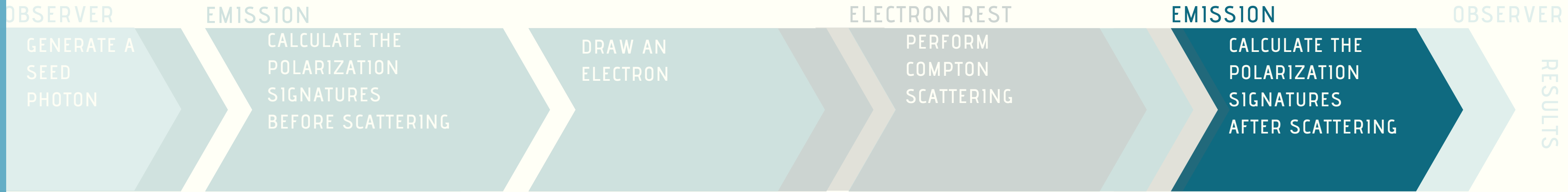
$$Q_i = (\vec{P}_{em} \cdot \vec{Q}_+)^2 - (\vec{P}_{em} \cdot \vec{Q}_-)^2$$

$$U_i = (\vec{P}_{em} \cdot \vec{U}_+)^2 - (\vec{P}_{em} \cdot \vec{U}_-)^2$$





SINGLE PHOTON APPROACH



STOKES PARAMETERS ARE ADDITIVE

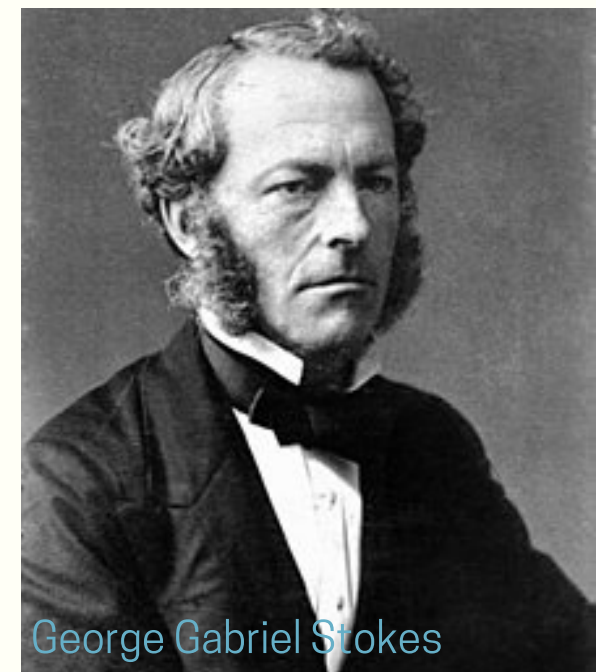
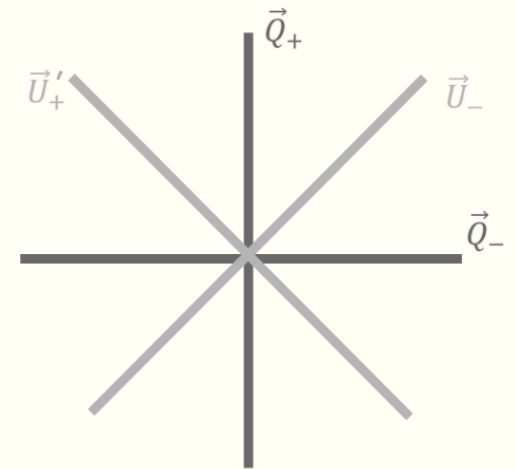
$$Q' = \sum_{i=0}^{N_{scatt}} Q'_i$$

$$U' = \sum_{i=0}^{N_{scatt}} U'_i$$

POLARIZATION SIGNATURES

$$\Pi' = \frac{\sqrt{Q'^2 + U'^2}}{N_{scatt}}$$

$$\chi' = \frac{1}{2} \tan^{-1} \frac{U'}{Q'}$$



George Gabriel Stokes

