



PARTICLE ACCELERATION AT SHOCKS PROPAGATING IN PARTIALLY IONIZED PLASMA

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LECTURE III

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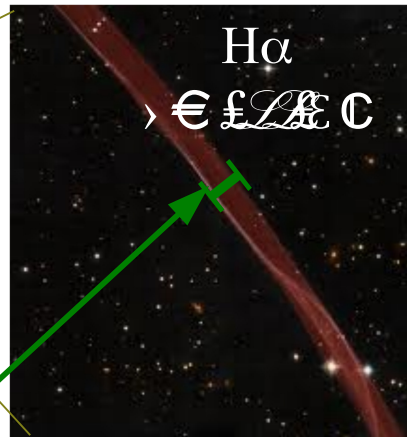
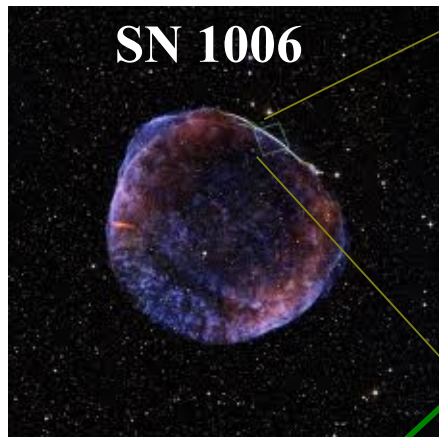
SUMMARY OF PAST LECTURES

- ◆ DSA in test-particle limit
 - ◆ $f(E) \propto E^{-2}$ slope in tension with observations in gamma-rays
 - ◆ $E_{max} \ll PeV$
- ◆ Non-linear DSA (efficient acceleration)
 - ◆ Magnetic field amplification \rightarrow OK with observations
 - ◆ Shock modification \rightarrow larger compression ratio
 - ◆ Spectra harder than $E^{-2} \rightarrow$ NOT OBSERVED
(But the effects of scattering centers can produce steeper spectra)

ADDING MORE PIECES OF REAL PHYSICS:

- ◆ ISM is not homogeneous
 - ◆ Hydrodynamical instabilities
- ◆ ISM can be partially ionized
 - ◆ Which is the role of neutral particles?

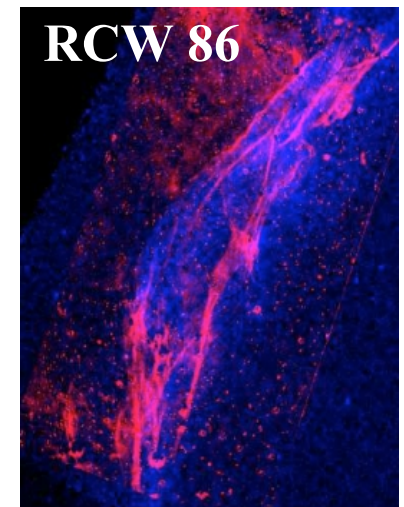
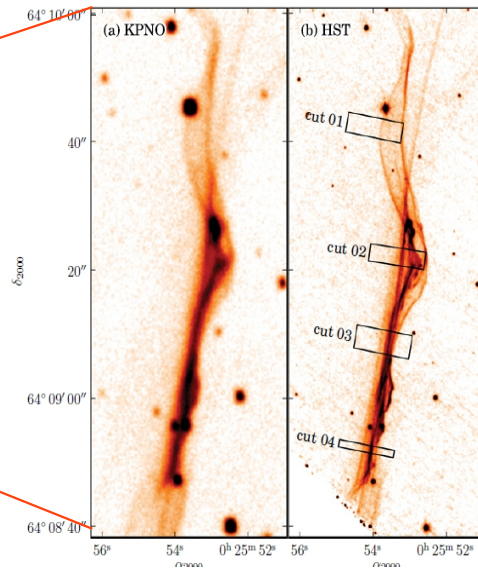
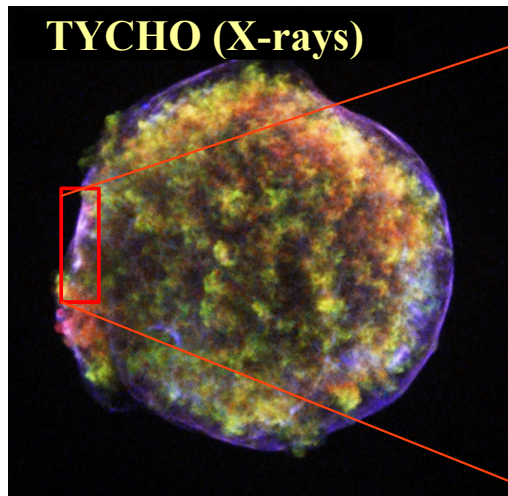
Balmer-Dominated Shocks



Thickness $\sim 10'' \rightarrow 3 \times 10^{17}$ cm
 H α resolution $\sim 0.7'' \rightarrow 2 \times 10^{16}$ cm



H α emission

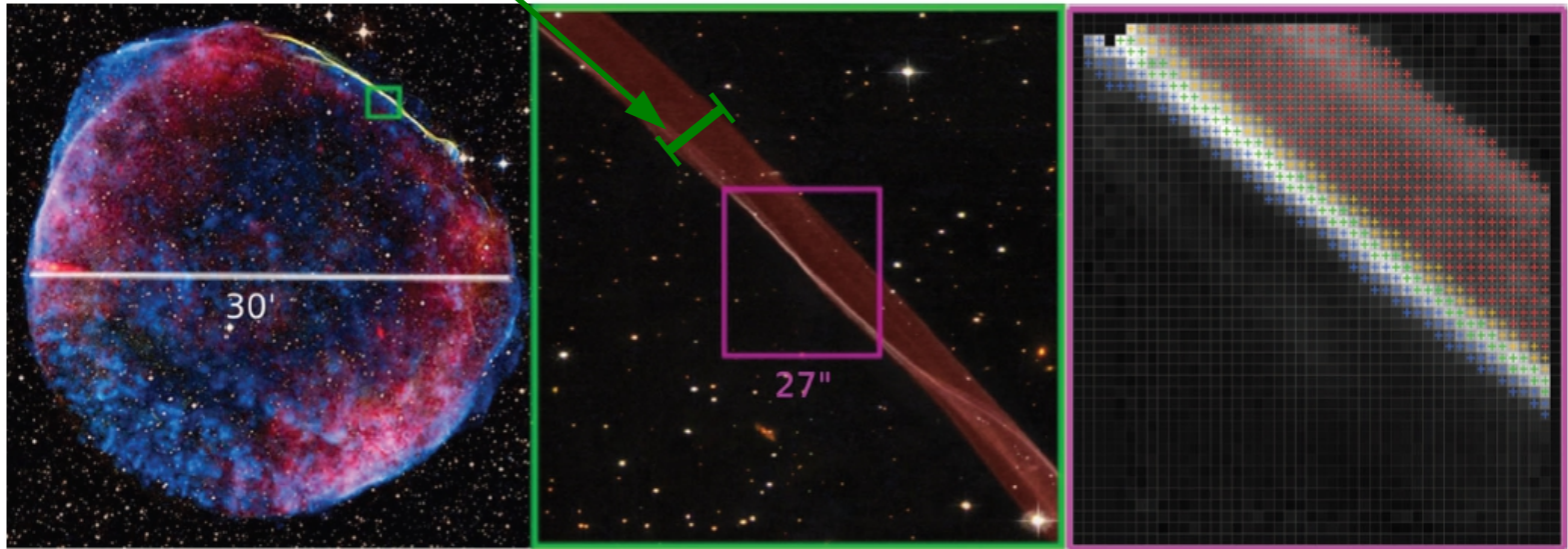


Close up view of SN 1006

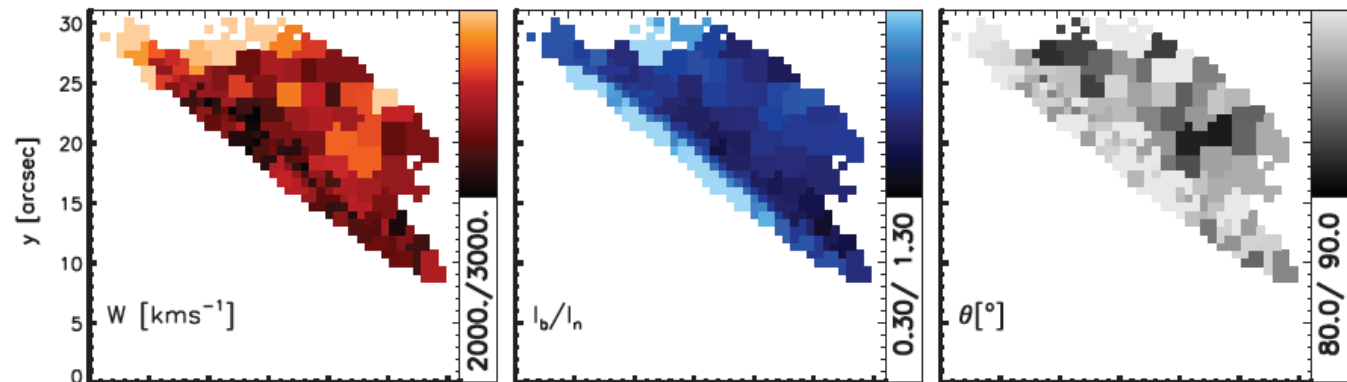
[Nikolic et al. (2013)]

Shock thickness $\sim 10'' \rightarrow 3 \pm 10^{17}$ cm
H α resolution $\sim 0.7'' \rightarrow 2 \pm 10^{16}$ cm

Image obtained using an integral-field spectrograph VIMOS at VLT

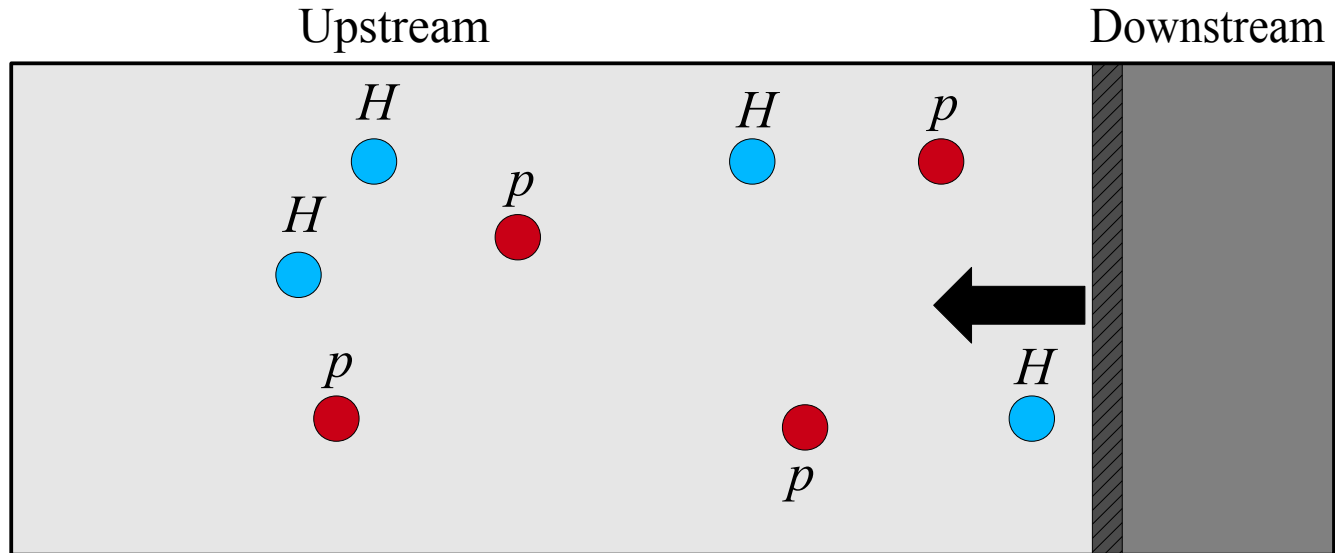


For each pixel you can get a Balmer spectrum



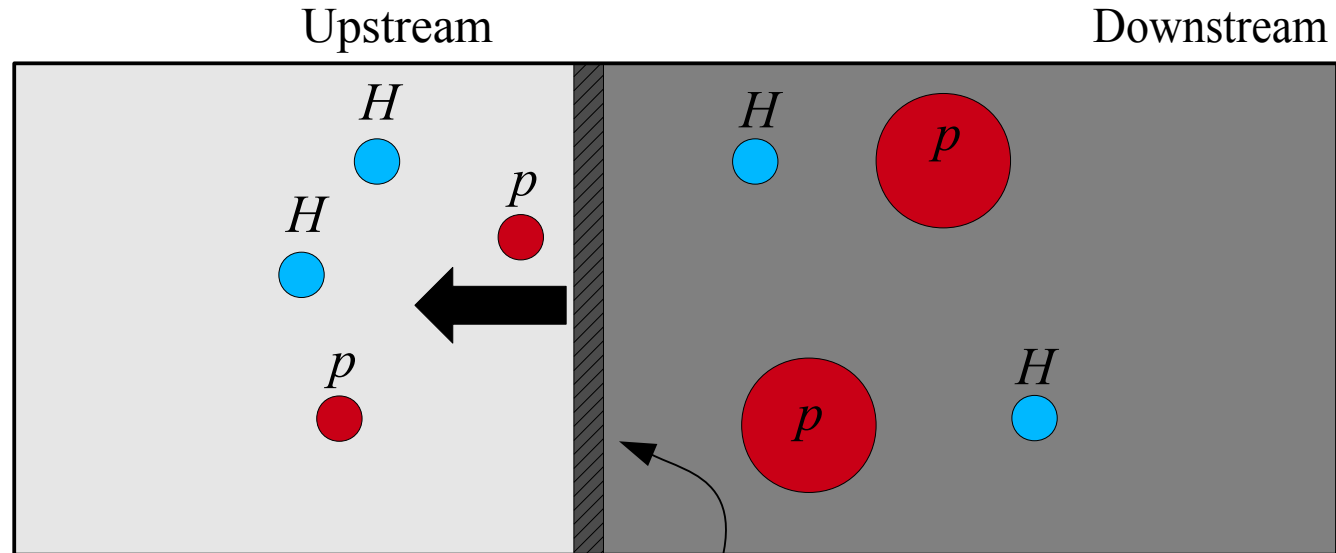
Basic physics of Balmer shocks

[Chevalier & Raymond(1978); Chevalier et al (1980)]



Basic physics of Balmer shocks

[Chevalier & Raymond(1978); Chevalier et al (1980)]



- Collisionless shocks heats up only ions

Shock thickness:

$$\lambda \approx \xi r_{L,th} \approx 10^{10} \left(\frac{B}{\mu G} \right)^{-1} \left(\frac{T}{10^8 K} \right)^{1/2} \text{ cm} \ll \lambda_{coll}$$

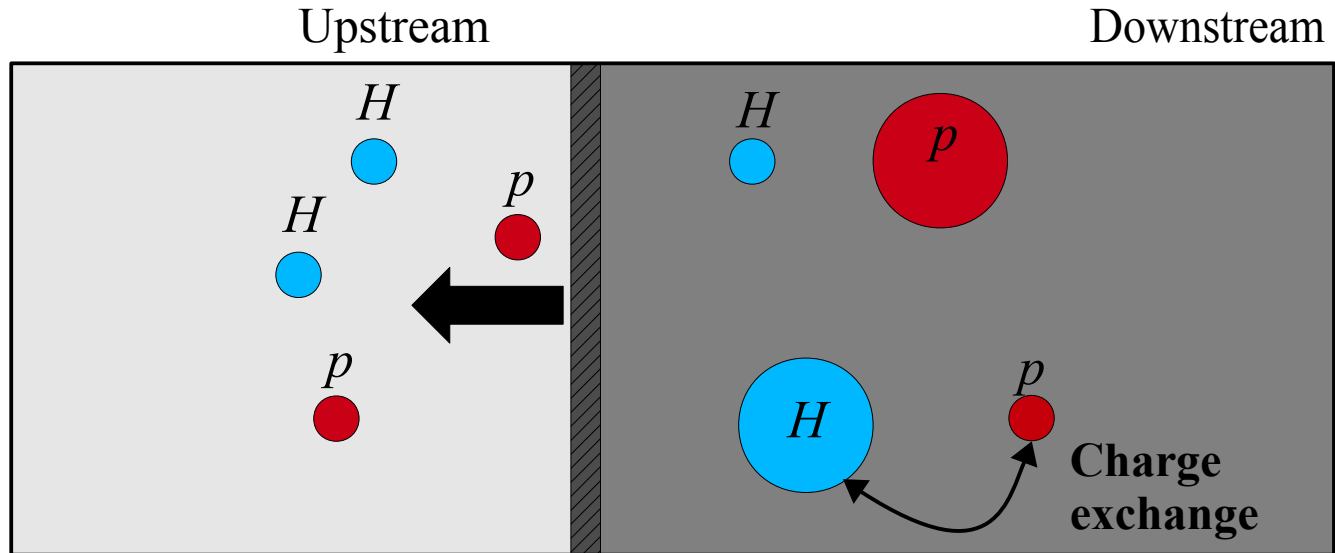
**Collisional length scale
(ionization or charge-exchange):**

$$\lambda_{coll} \approx \frac{u_{sh}}{(n \sigma_{coll} v_{rel})} \approx 10^{15-16} \text{ cm} \left(\frac{n}{1 \text{ cm}^{-3}} \right)^{-1}$$

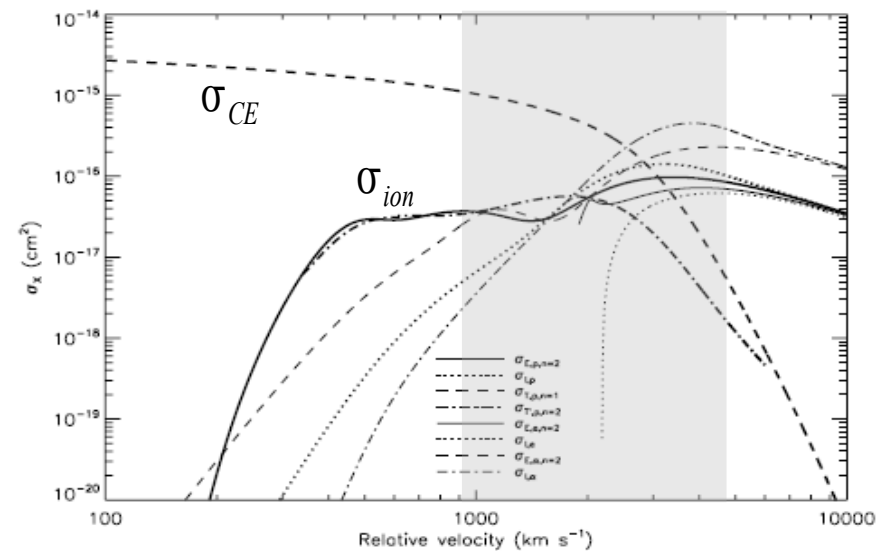
Collisionless shocks are mediated by electromagnetic plasma processes
 → At zeroth order the neutral component does not feel the shock discontinuity

Basic physics of Balmer shocks

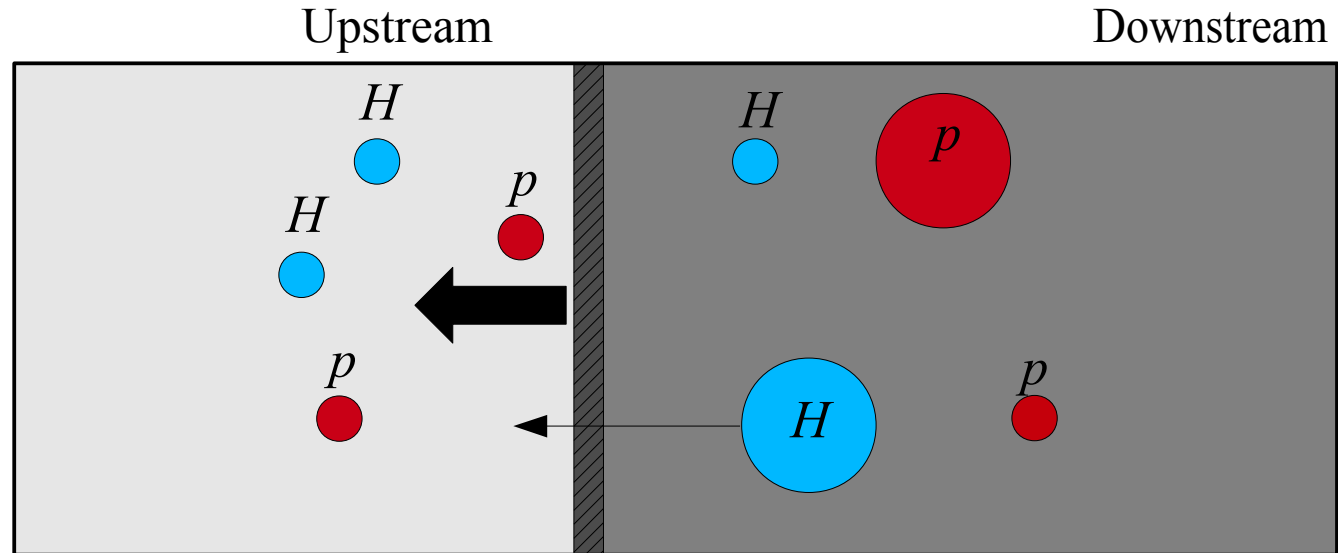
[Chevalier & Raymond(1978); Chevalier et al (1980)]



- Collisionless shocks heats up only ions
- Charge exchange can occur before ionization is completed because $\sigma_{ce} > \sigma_{ion} \rightarrow$ a new population of hot hydrogen arises

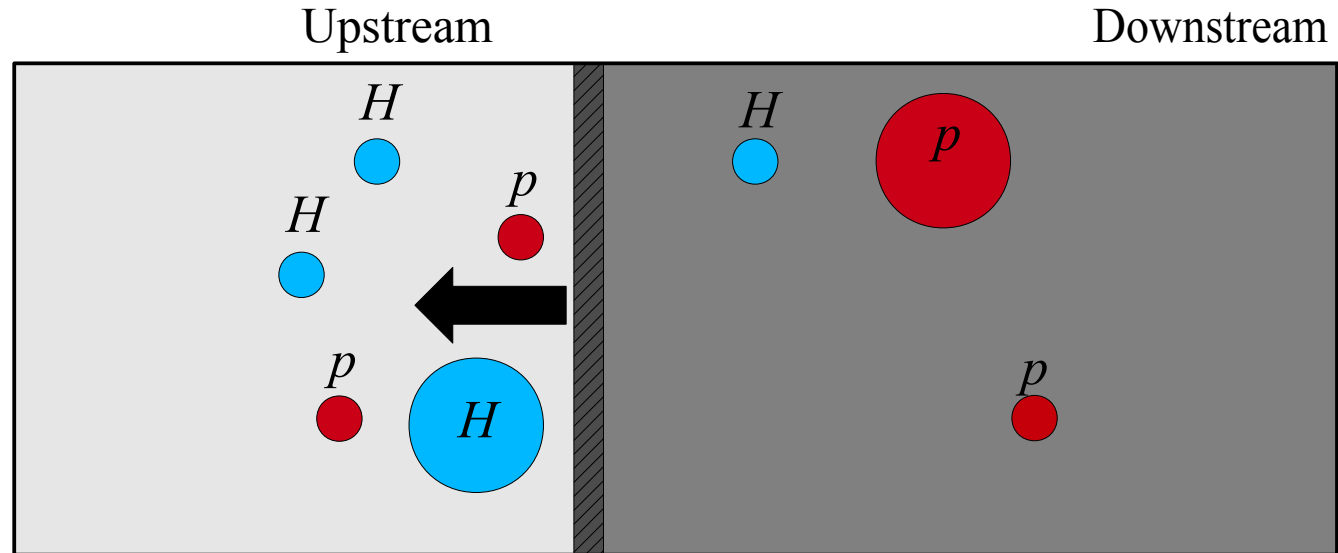


Basic physics of Balmer shocks



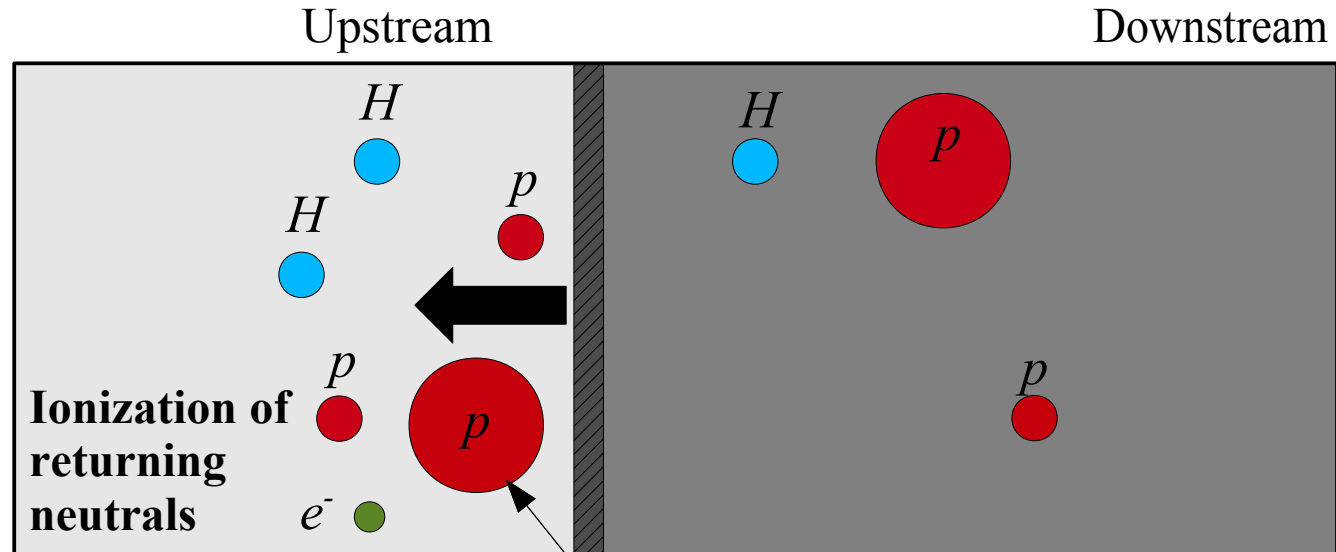
- Collisionless shocks heats up only ions
- Charge exchange can occur before ionization is completed because $\sigma_{ce} > \sigma_{ion}$ → a new population of hot hydrogen arises
- Hot hydrogen atoms can recross the shock and transfer momentum and energy upstream → formation of a *neutral precursor*

Basic physics of Balmer shocks



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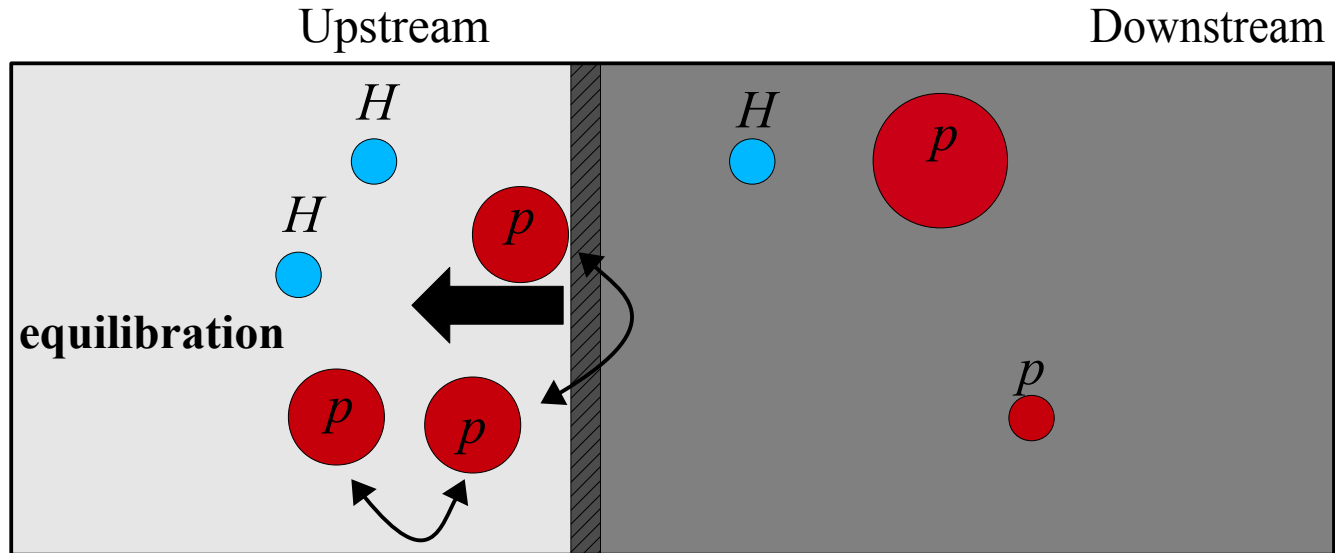
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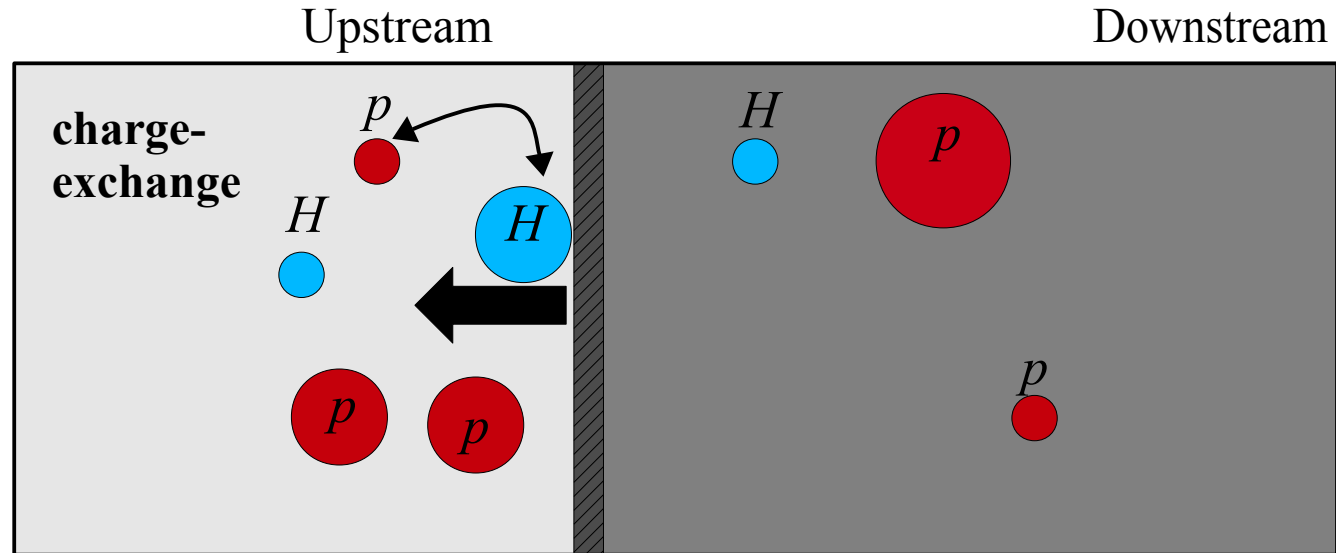
Pick-up ions

Basic physics of Balmer shocks



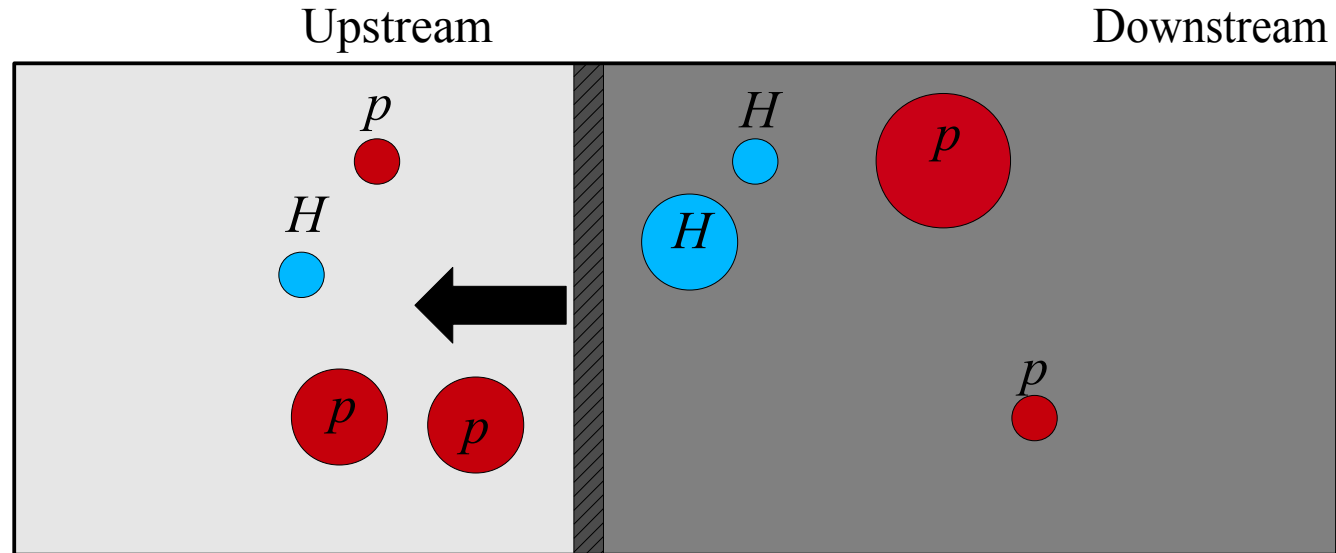
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Basic physics of Balmer shocks



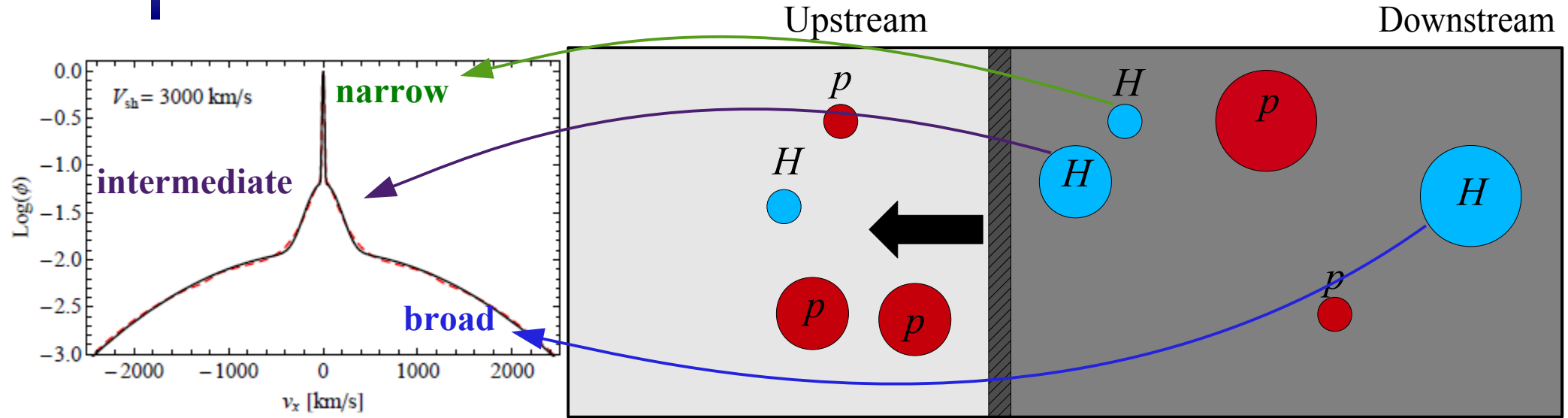
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- Charge-exchange with protons in the precursor generate a third population of warm hydrogen

Basic physics of Balmer shocks



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- Hot hydrogen atoms can recross the shock and transfer momentum and energy upstream → formation of a *neutral precursor*
- Charge-exchange with protons in the precursor generate a third population of warm hydrogen

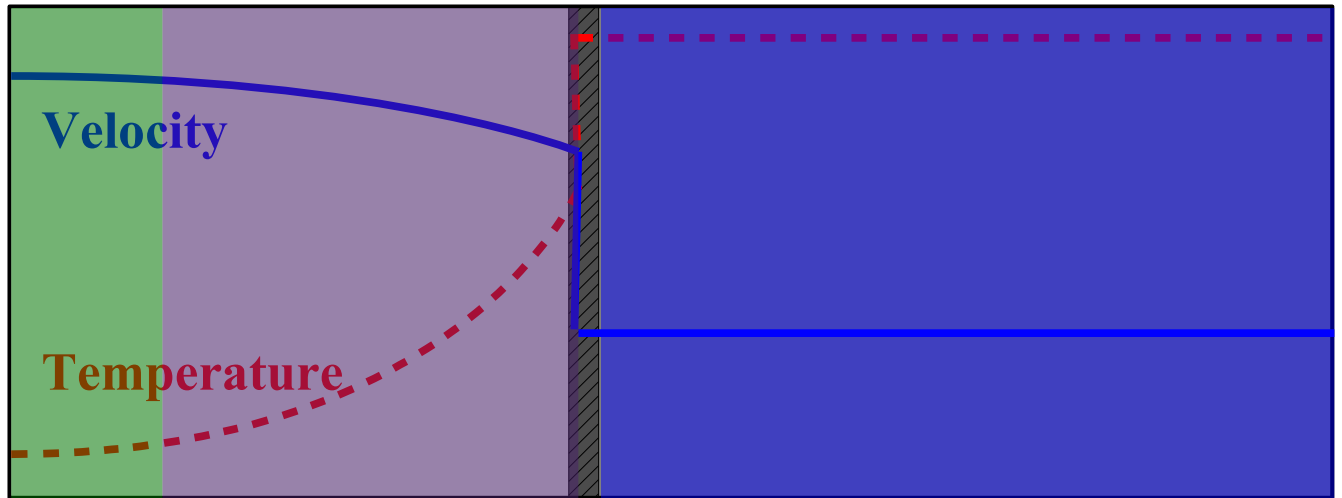
Basic physics of Balmer shocks



$$W_{narrow} \propto \sqrt{T_0}$$

$$W_{inter} \propto \sqrt{T_{pr}}$$

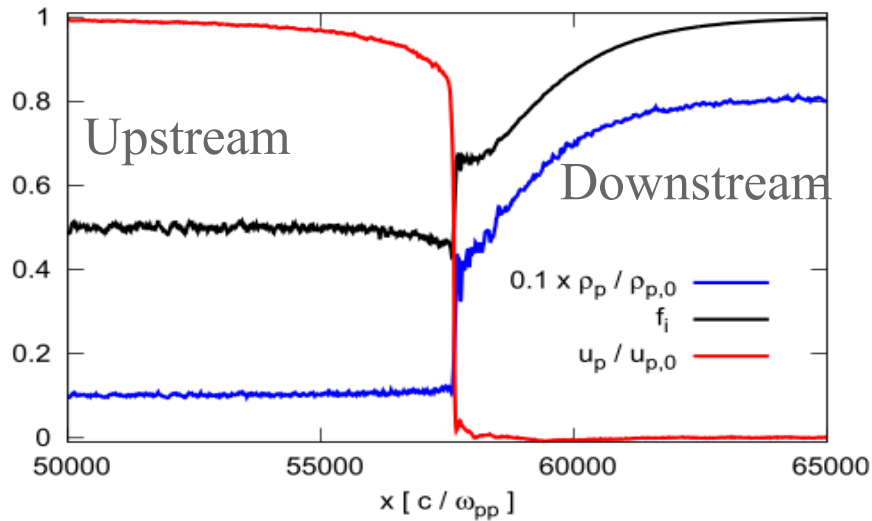
$$W_{broad} \propto \sqrt{T_2} \sim V_{sh}$$



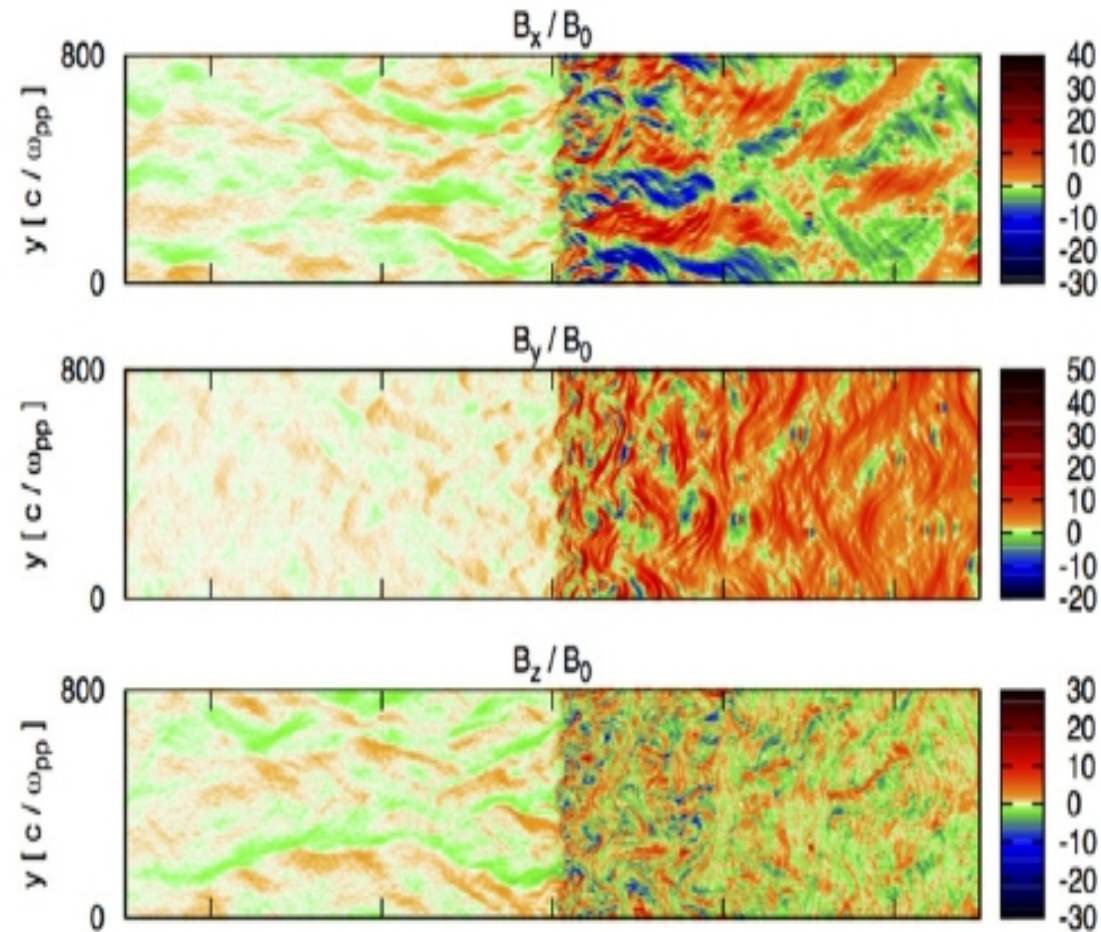
Results from simulations

[Results from Y. Ohira (2016), ApJ 817, 137]

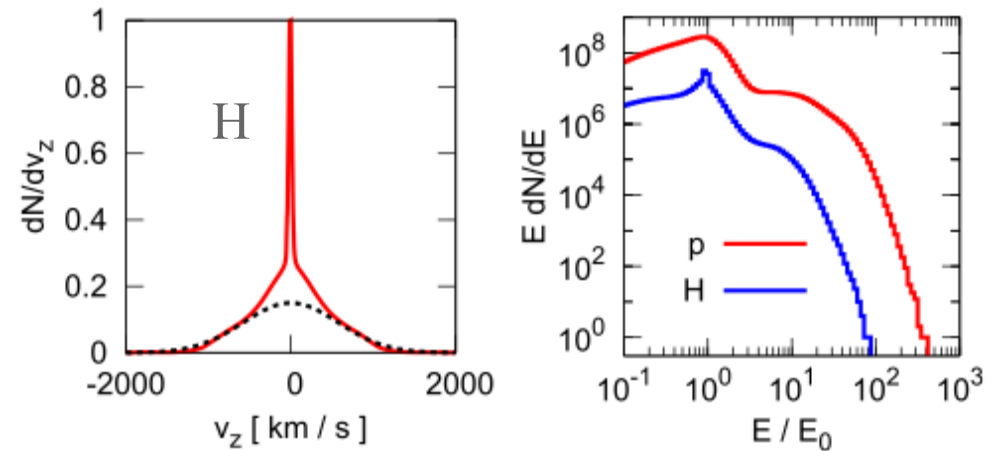
Shock structure



Magnetic field amplification



Particles' distributions



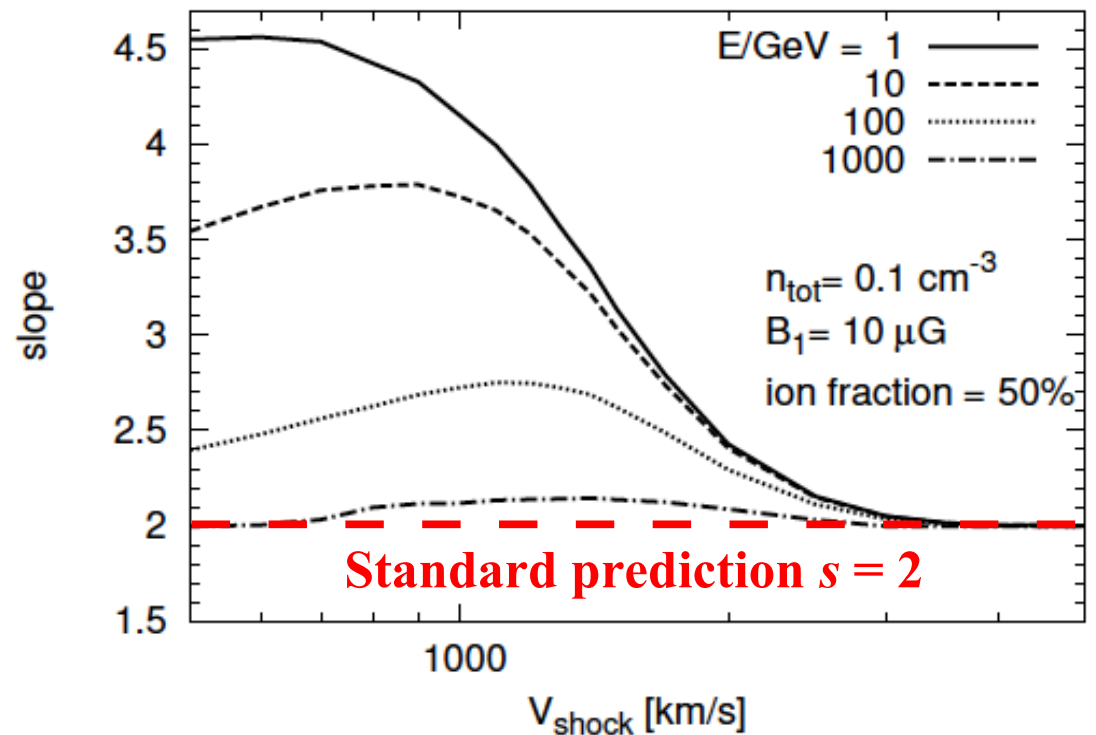
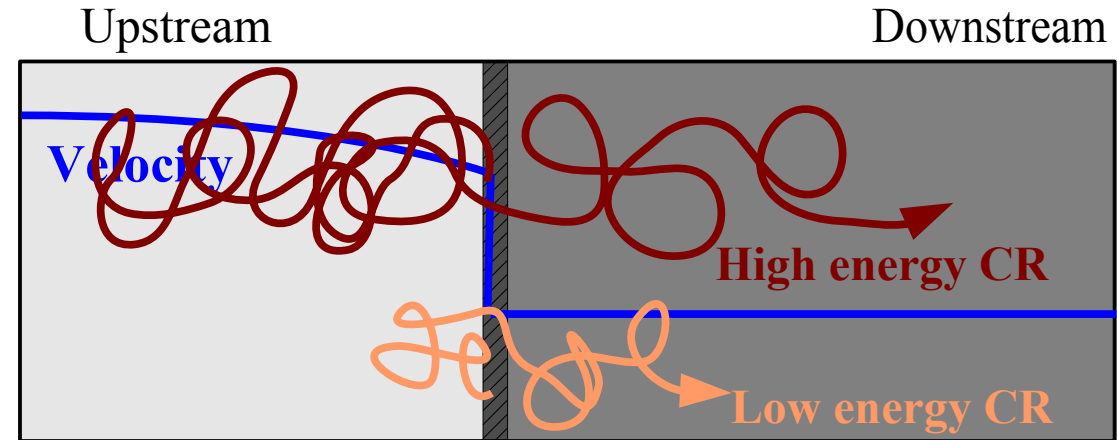
CR acceleration in presence of neutrals: test-particle regime

The compression ratio is a function of particle energy:

$$r(E) = \frac{u_1(E)}{u_2(E)}$$

Slope of CR spectrum

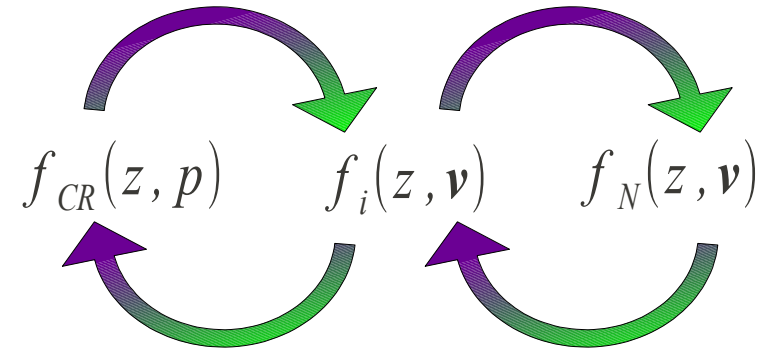
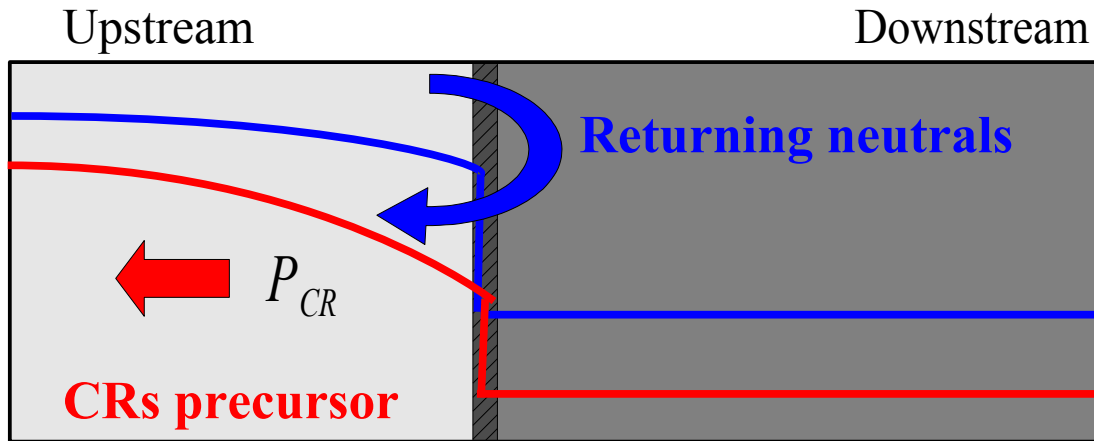
$$s(E) = \frac{r+2}{r-1}$$



→ For $V_{sh} < 3000$ km/s and large neutral fraction the CR spectrum can be very steep

Acceleration of CRs in presence of neutrals: the semi-analytical approach

[G.M., Blasi, Bandiera, Amato, & Caprioli, 2013. *ApJ* 768, 148]



Acceleration of CRs in presence of neutrals: the semi-analytical approach

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Boltzmann equation for neutrals

$$v_z \frac{\partial f_N}{\partial z} = f_i \beta_N - f_N \beta_i$$

Transport equation for CRs

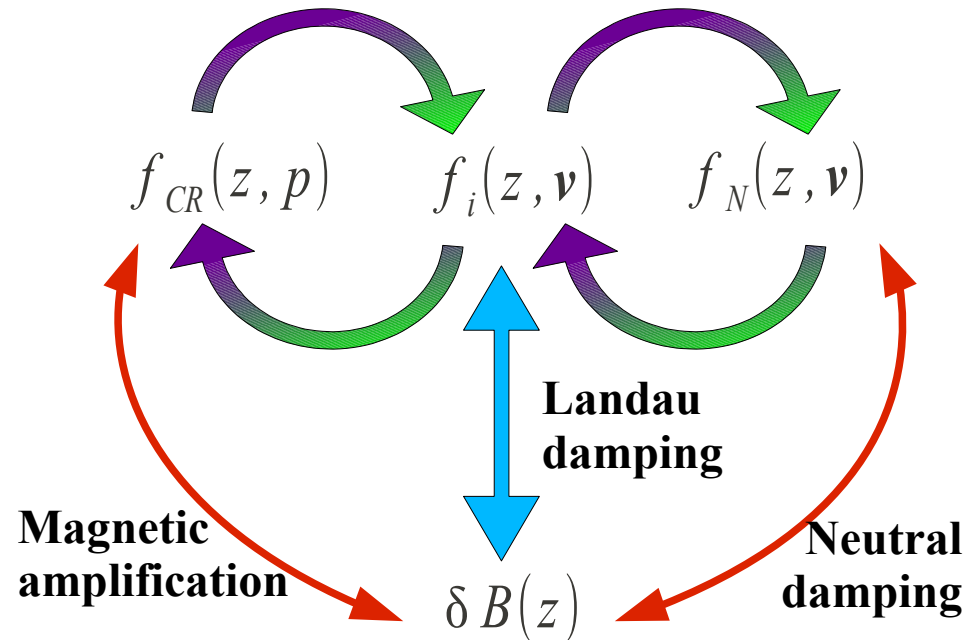
$$\frac{\partial}{\partial z} \left[D(z, p) \frac{\partial f_{CR}}{\partial z} \right] - u \frac{\partial f_{CR}}{\partial z} + \frac{1}{3} \frac{du}{dz} p \frac{\partial f_{CR}}{\partial p} = 0$$

Fluid equations couple CRs + neutrals + ions

$$\frac{\partial}{\partial z} \left[\rho_i u_i + F_{mass} \right] = 0$$

$$\frac{\partial}{\partial z} \left[\rho_i u_i^2 + P_i + P_{CR} + F_{mom} \right] = 0$$

$$\frac{\partial}{\partial z} \left[\frac{1}{2} \rho_i u_i^3 + \frac{\gamma}{\gamma-1} P_i u_i + F_{en} \right] = -u \frac{\partial P_{CR}}{\partial z}$$



Transport equation for magnetic field

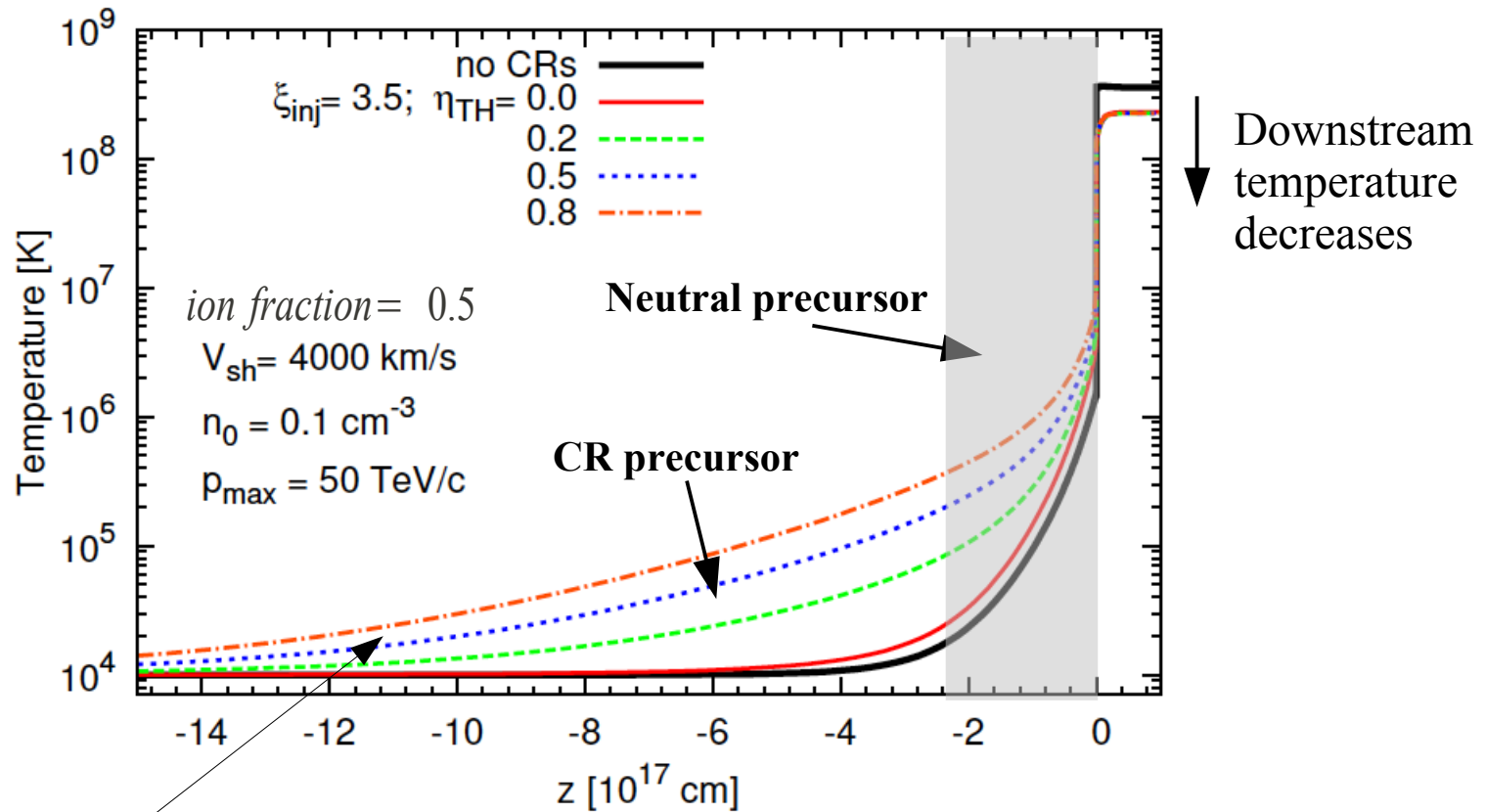
$$\frac{\partial F_w}{\partial z} = u \frac{\partial P_w}{\partial z} + P_w \left[\sigma_{CR}(k, z) - \Gamma(k, z) \right]$$

Electrons:

$$u_e = u_i; \quad n_e = n_i; \quad T_e = \beta T_p$$

Neutral-precursor vs CR-precursor

Temperature profile for acceleration efficiency $\epsilon_{CR} \sim 40\%$



Heating in the upstream depends on the amount of magnetic turbulence damped

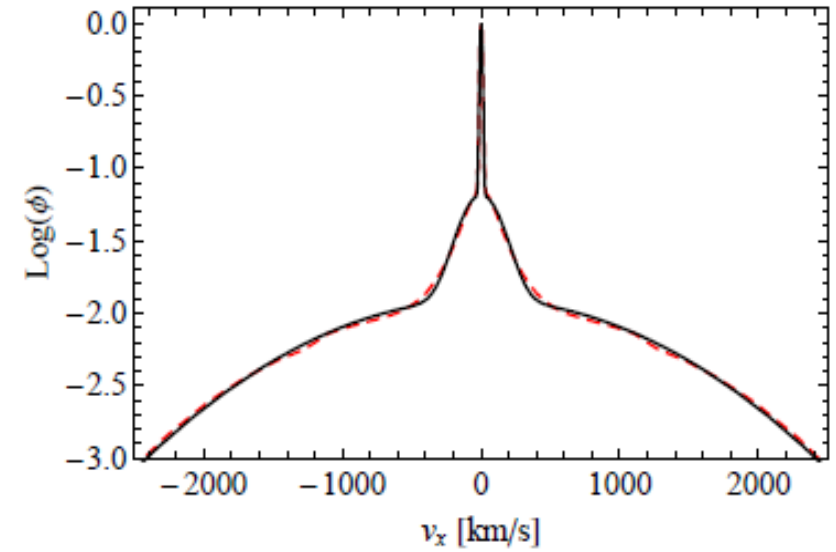
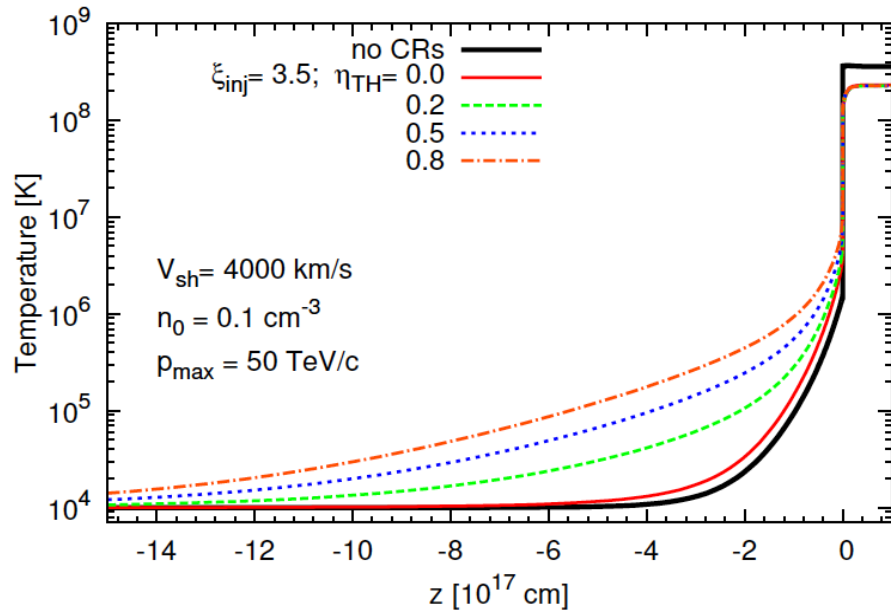
Transport Eq. for magnetic field

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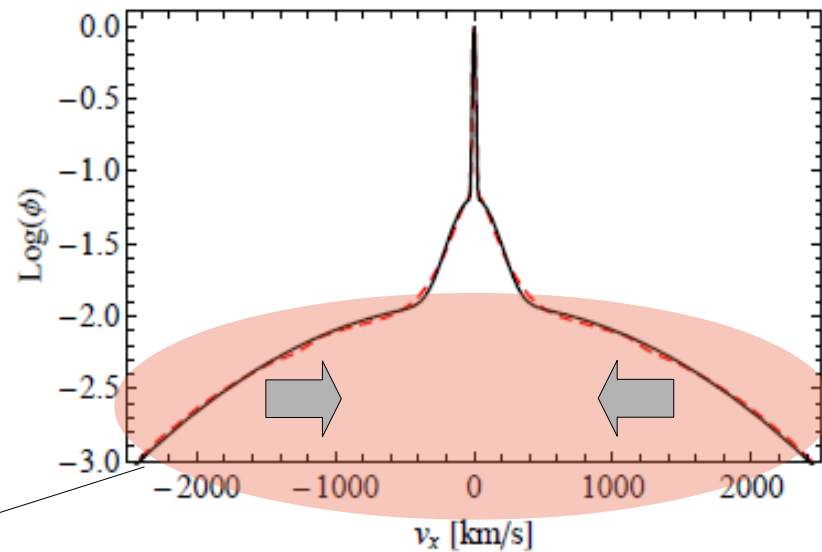
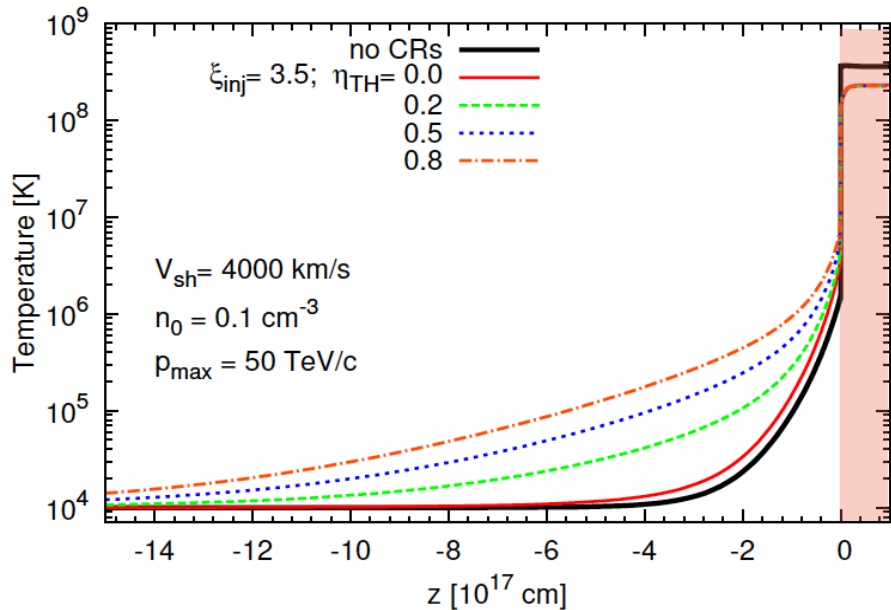
Damping rate

$$\Gamma(k, z) = \eta_{TH} \sigma_{CR}(k, z)$$

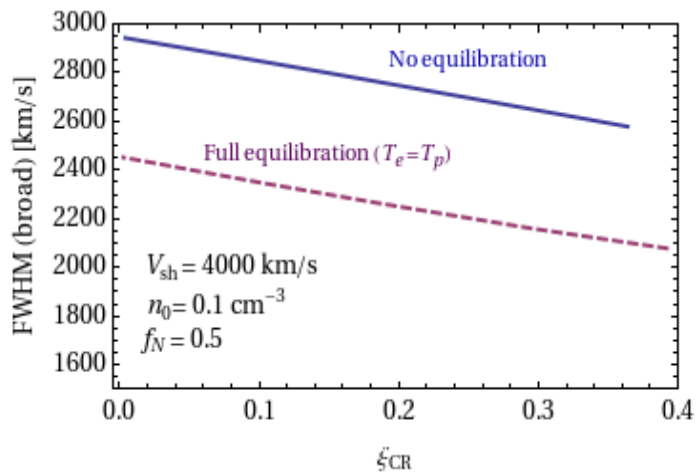
Width of H α lines vs. acceleration efficiency



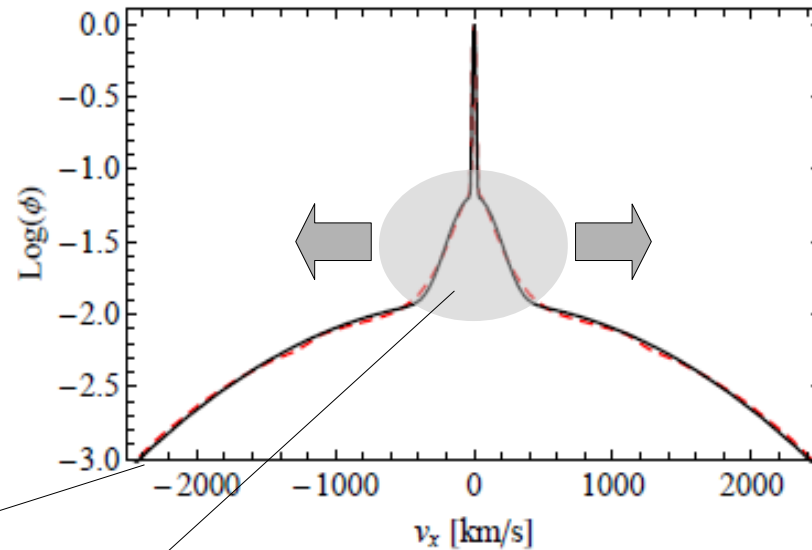
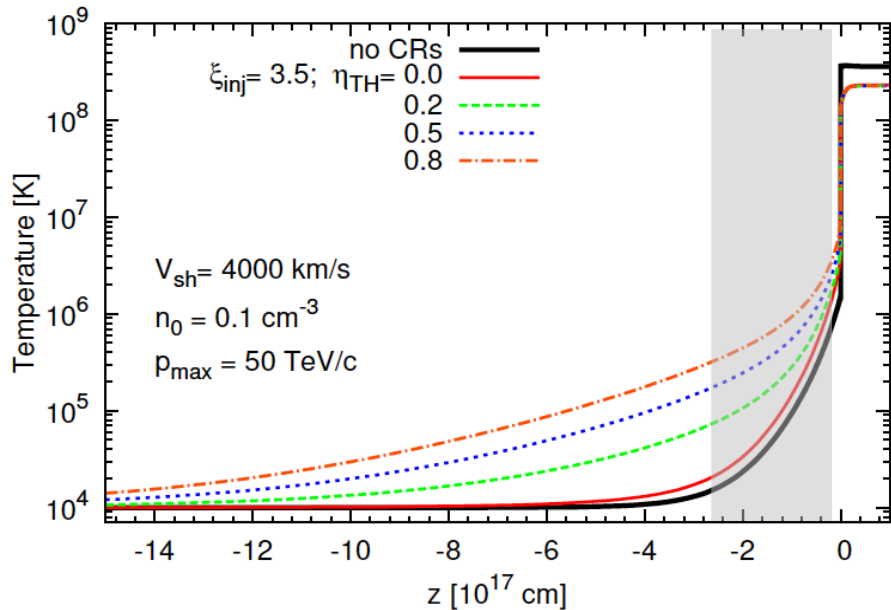
Width of H α lines vs. acceleration efficiency



FWHM of broad line
 → T of downstream

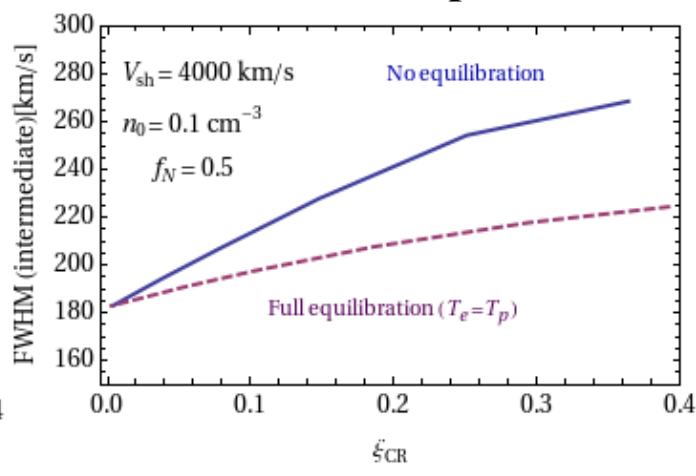
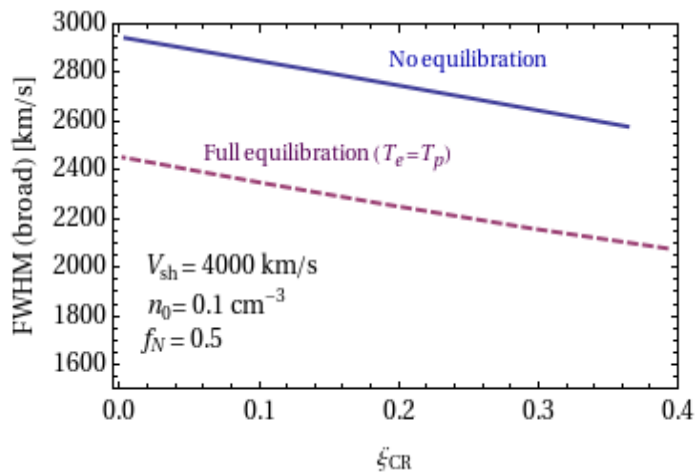


Width of H α lines vs. acceleration efficiency

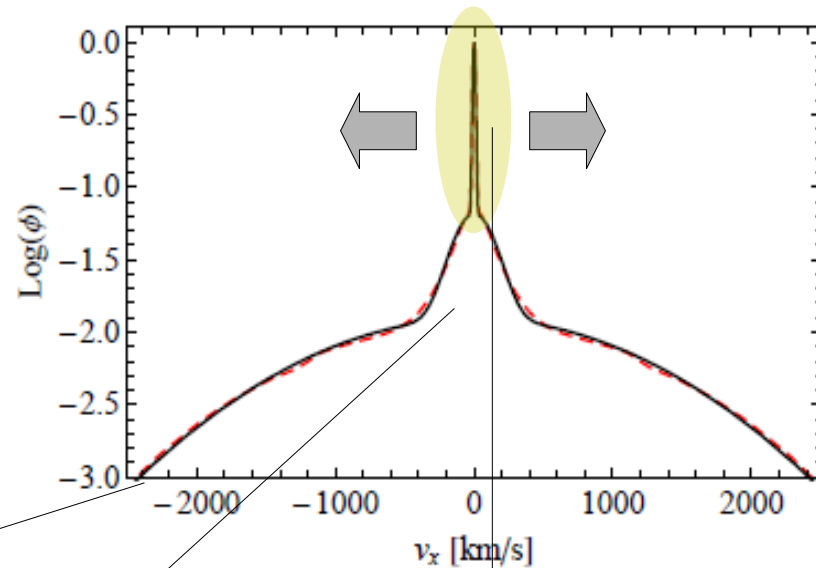
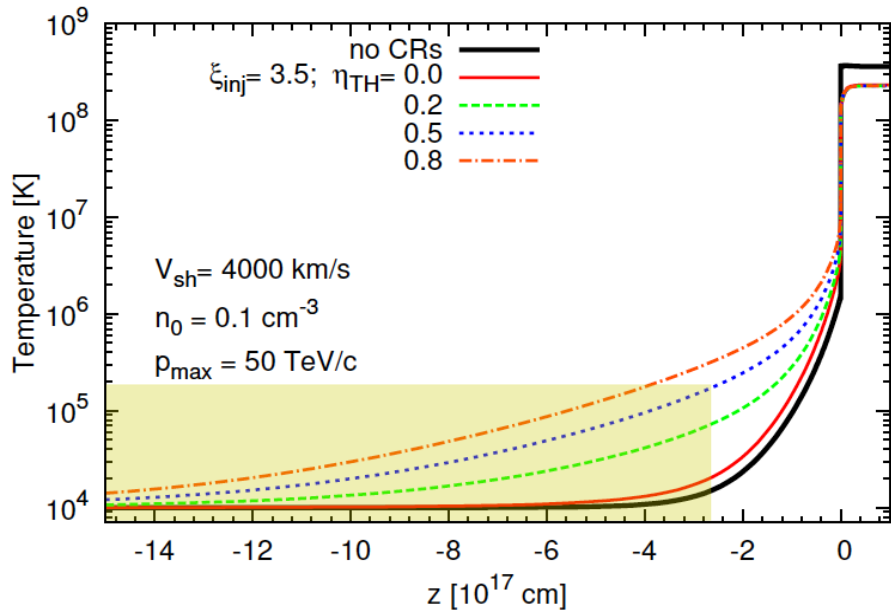


FWHM of broad line
 → T of downstream

FWHM of intermediate line
 → T of neutral precursor



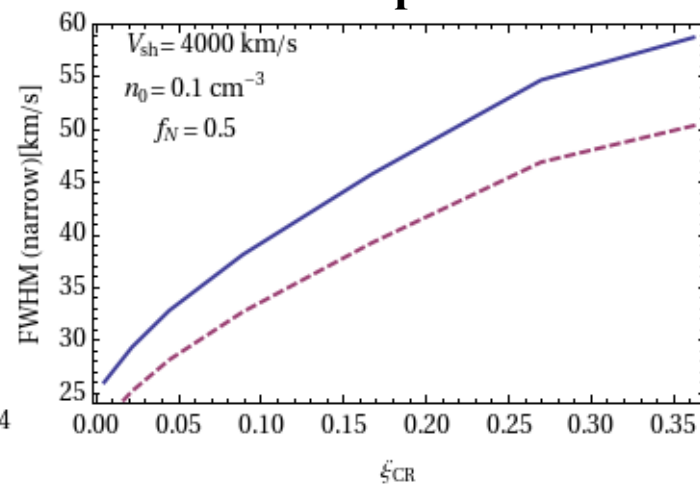
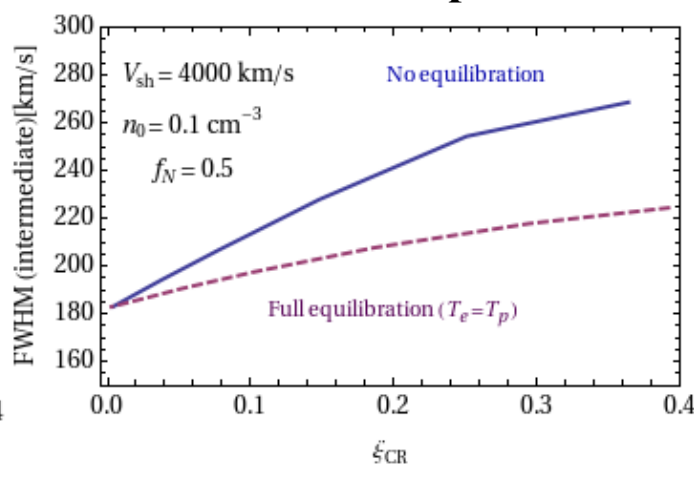
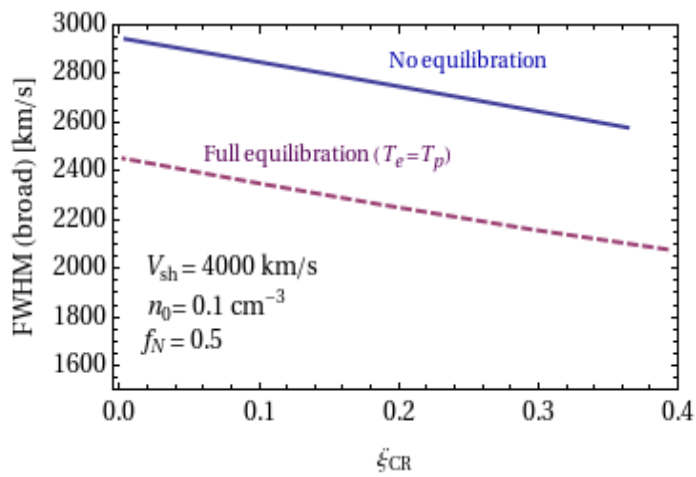
Width of H α lines vs. acceleration efficiency



FWHM of broad line
 $\rightarrow T$ of downstream

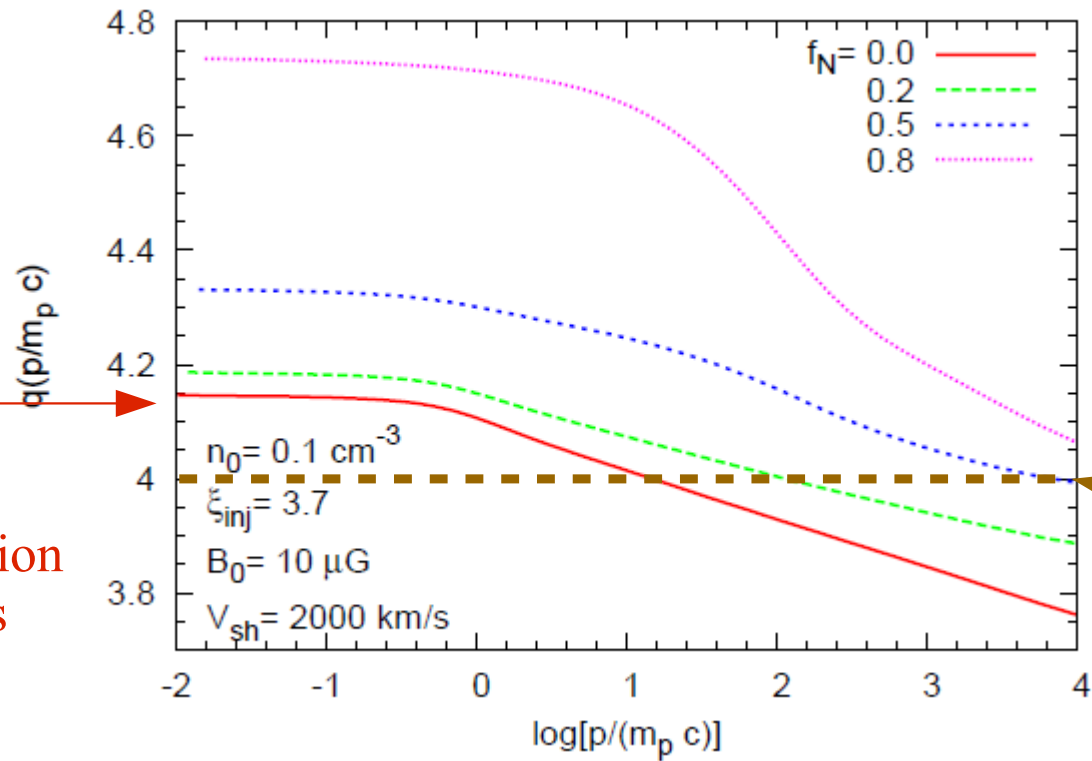
FWHM of intermediate line
 $\rightarrow T$ of neutral precursor

FWHM of narrow line
 $\rightarrow T$ of CR precursor



Spectrum of CR in presence of neutrals: efficient acceleration

Slope of accelerated particles $f_{CR}(p) \propto p^{-q(p)}$

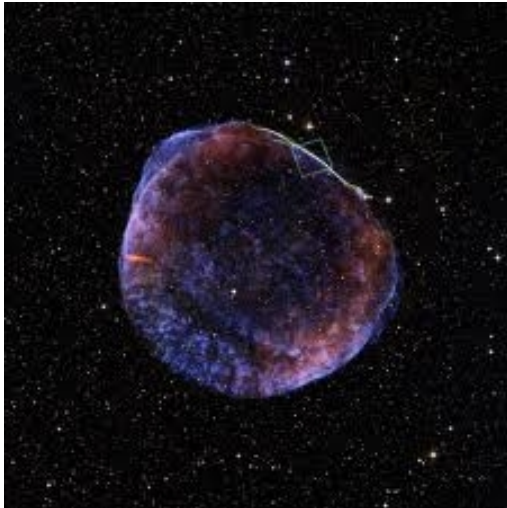


Efficient acceleration
without neutrals

Test-particle prediction

Application to single SNRs

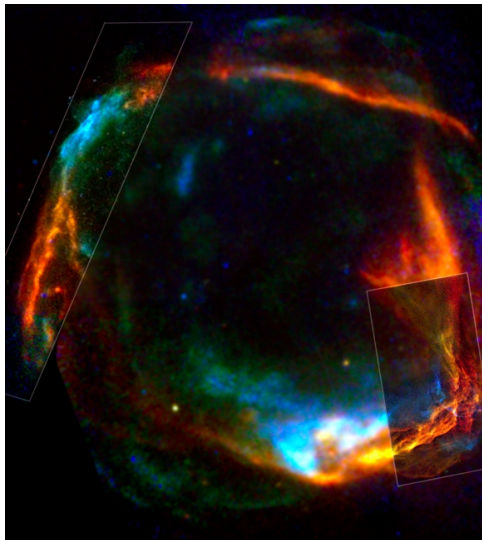
SN 1006



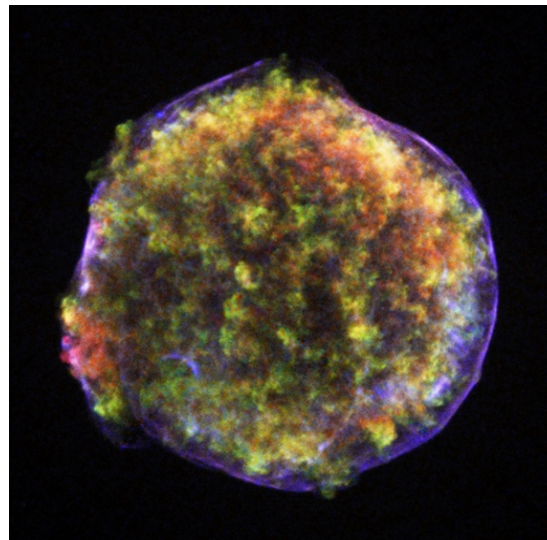
SNR 0509-67.5



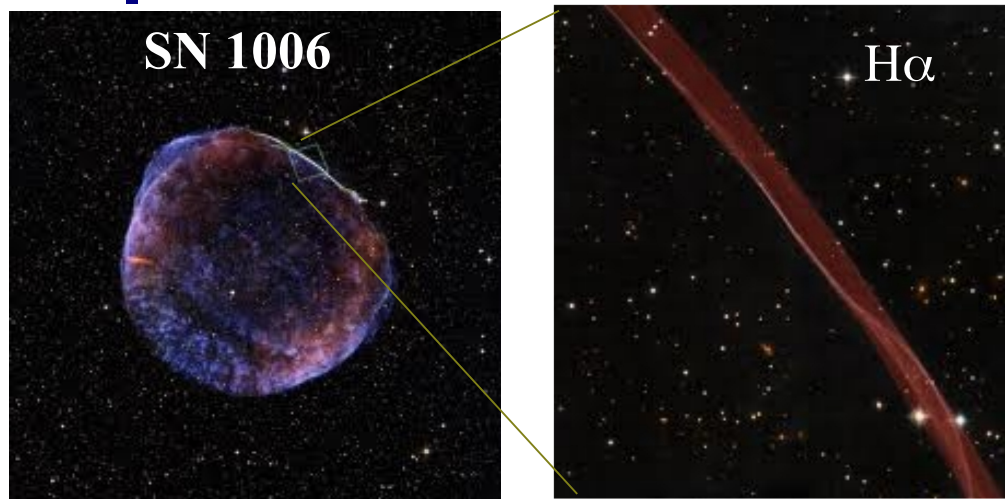
RCW 86



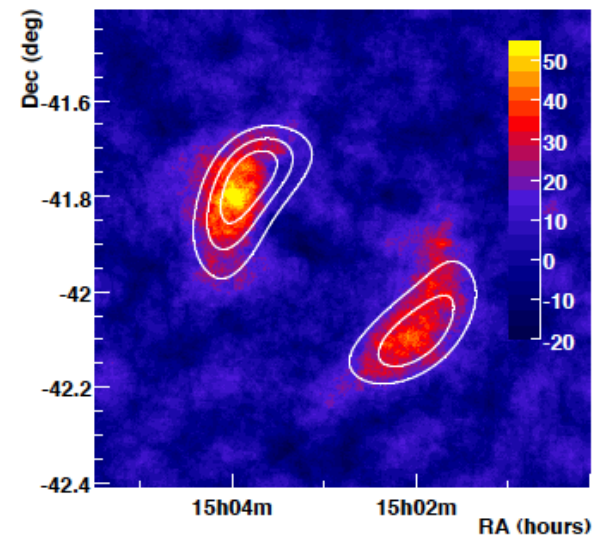
TYCHO



NW rim of SN 1006: the unmodified case

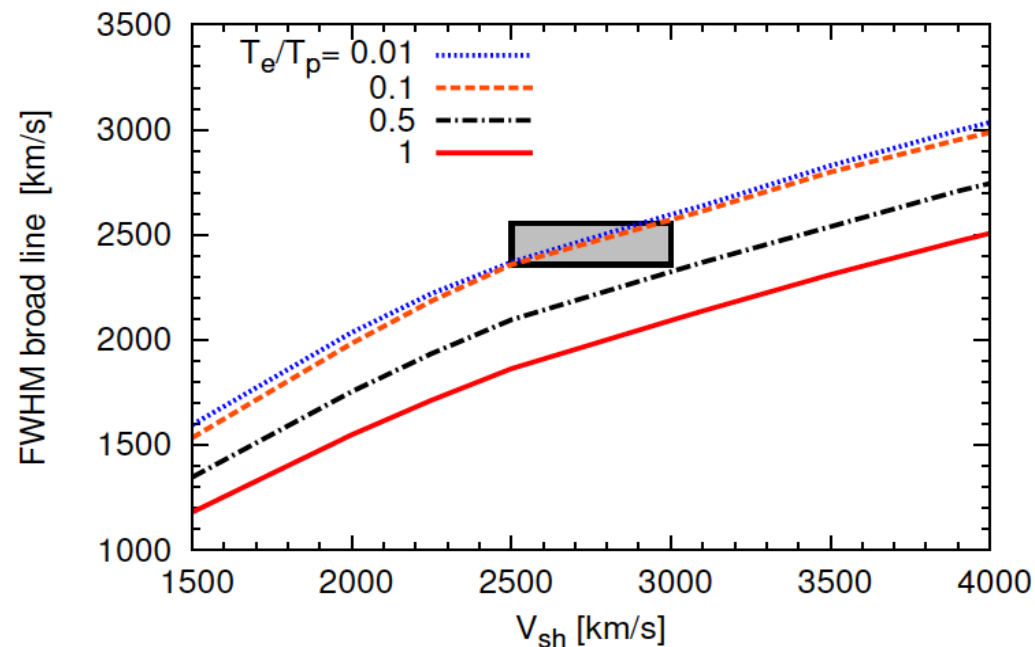


SN 1006 in TeV (HESS)



In the NW region where Balmer emission is stronger there are no indications of efficient CR acceleration:

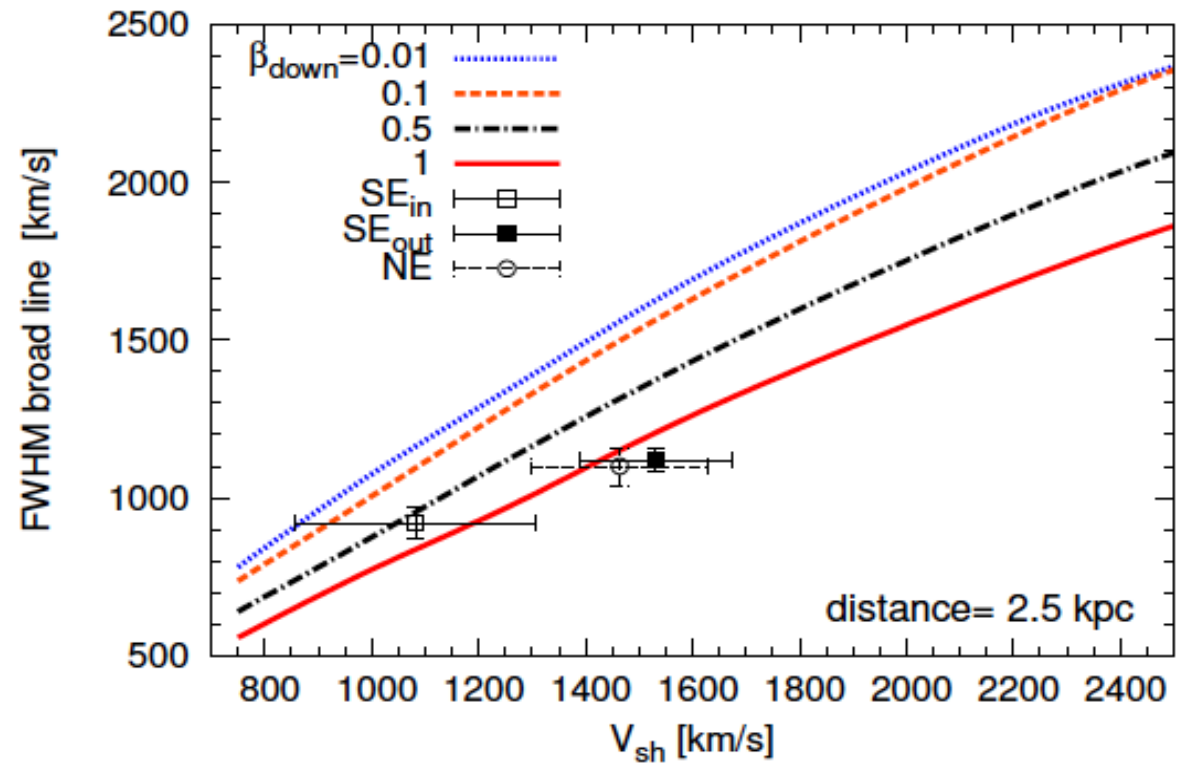
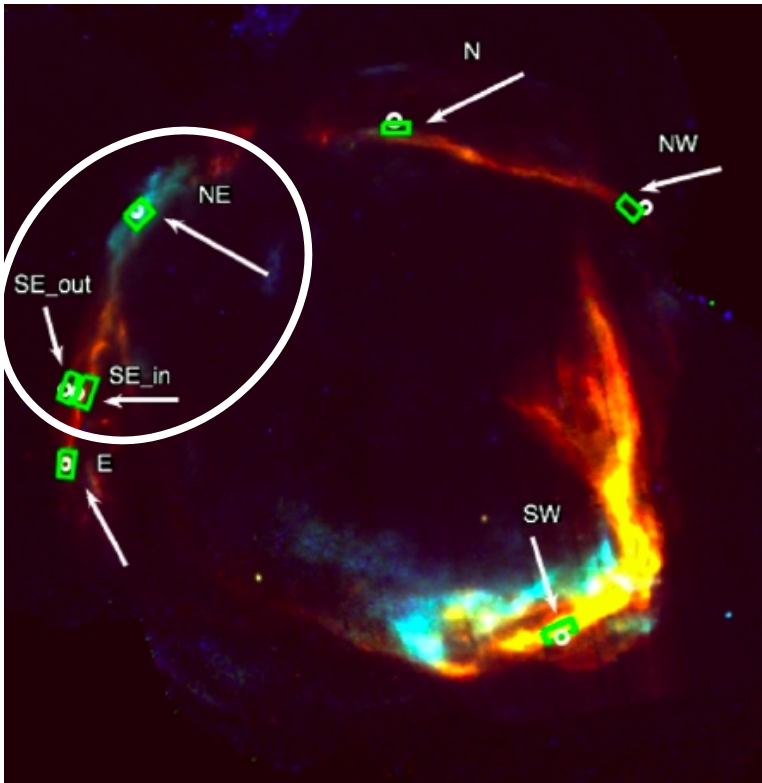
- absence of non thermal X-rays
- no gamma-ray emission
- larger distance between contact discontinuity and forward shock
- **FWHM of narrow line = 21 km/s**
 - $T_{\text{ISM}} = 10^4 \text{ K}$
 - **no need of CR-precursor**





RCW 86: anomalously narrow broad line

[G.M., Bandiera, Blasi, Amato, A&A, 2014]

[From Helder, Vink, & Bassa, 2011, ApJ 737, 85]



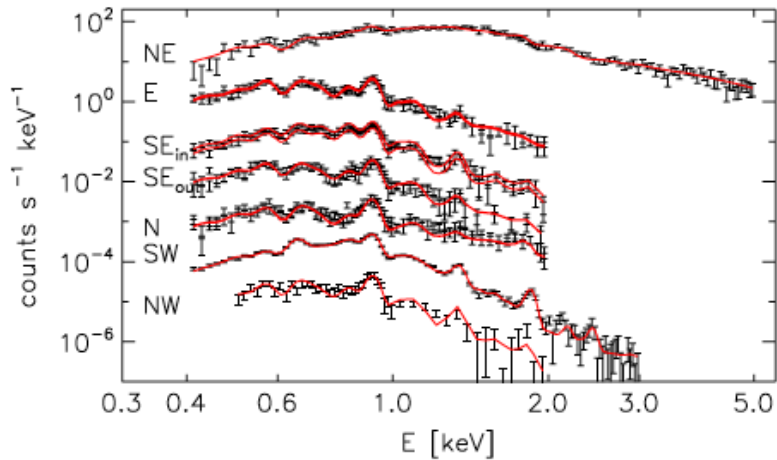
-  H α spectrum + proper motion
-  Thermal X-ray spectrum

Distance: $2 \text{ kpc} < d < 3 \text{ kpc}$
 $d \sim 2.5$ the most quoted value

RCW 86: anomalously narrow broad line

[G.M., Bandiera, Blasi, Amato, A&A, 2014]

Helder et al. also inferred the electron temperature from the X-ray spectrum

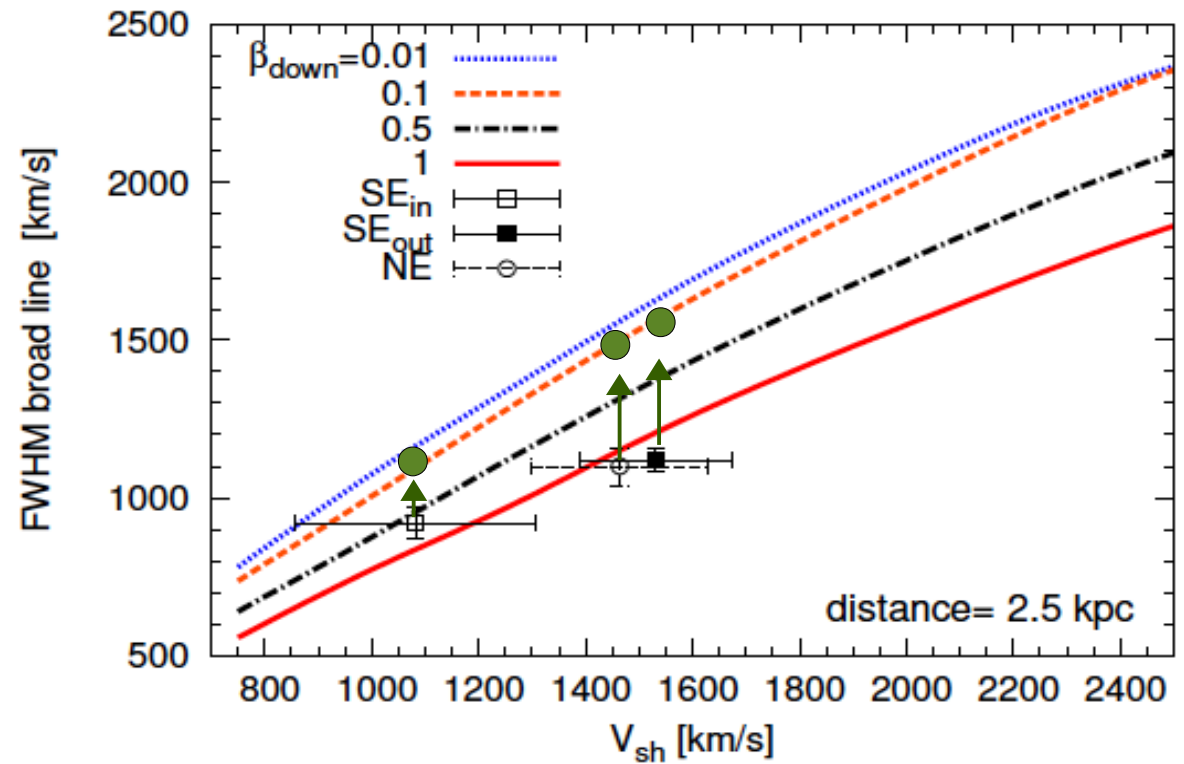


	NE	SE _{in}	SE _{out}
T_e (keV)	37^{+29}_{-19}	0.9 ± 0.1	0.6 ± 0.1

For the SE_{out} region $T_e < 0.7$ keV (right downstream of the shock)

For $d = 2.5$ kpc, combining the FWHM and the T_e we get

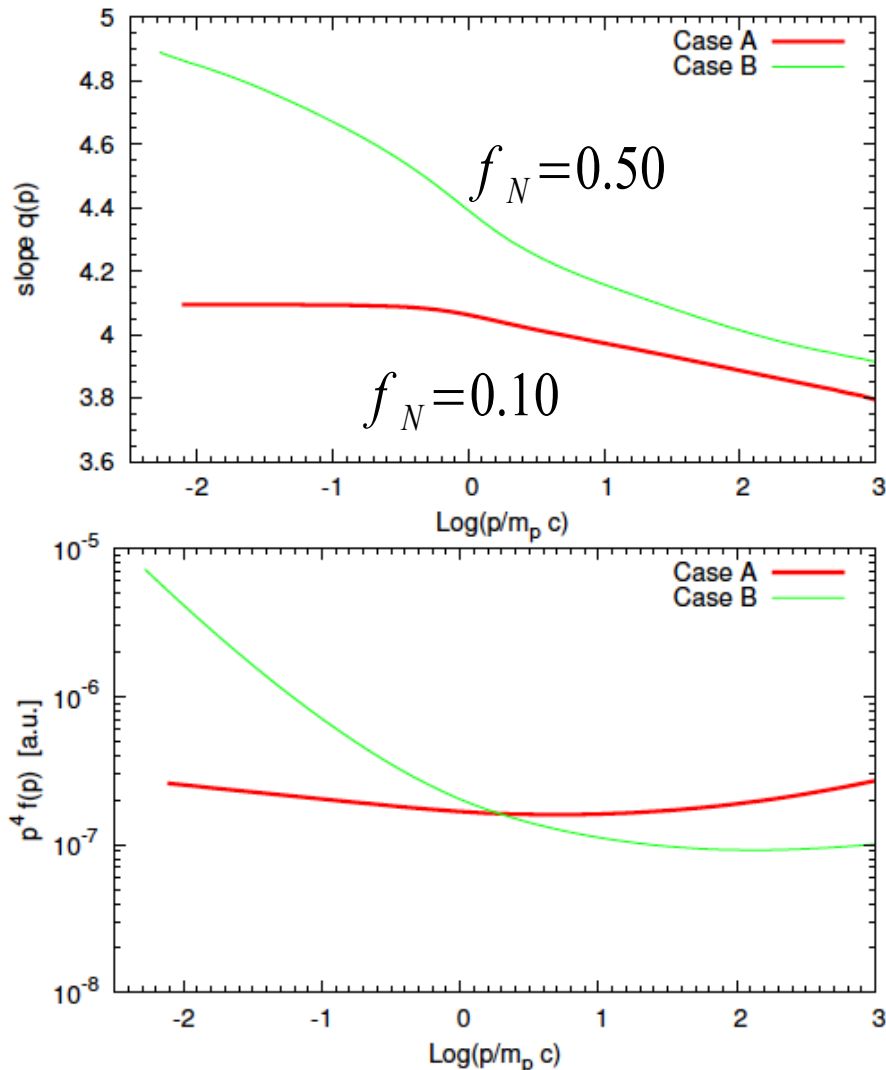
$$\epsilon_{CR} > 15\%$$



RCW 86: anomalously narrow broad line

[G.M., Bandiera, Blasi, Amato, A&A, 2014]

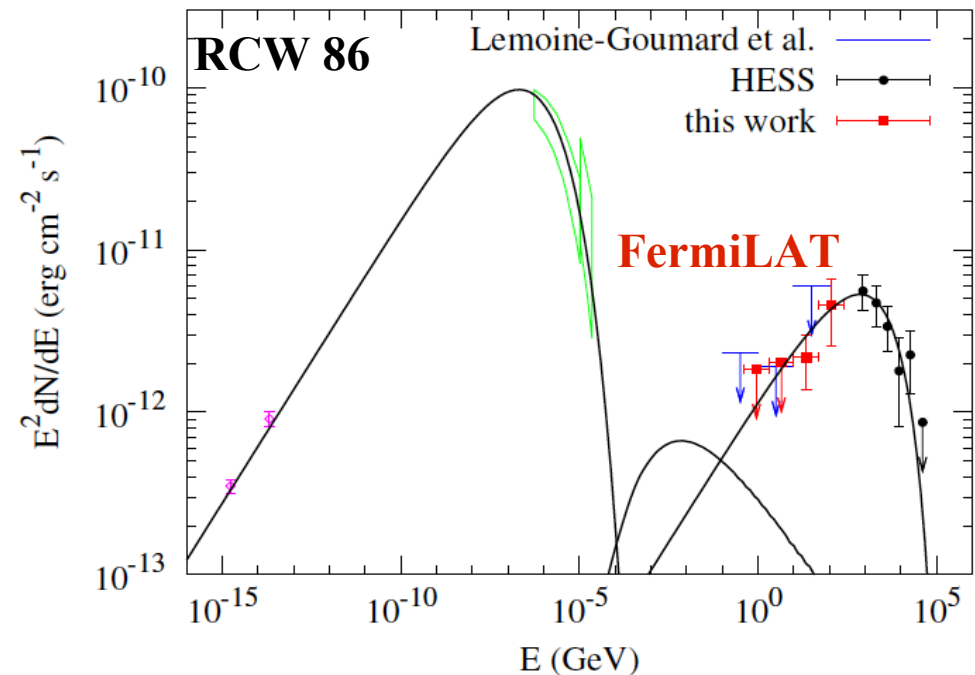
Spectrum of accelerated CRs



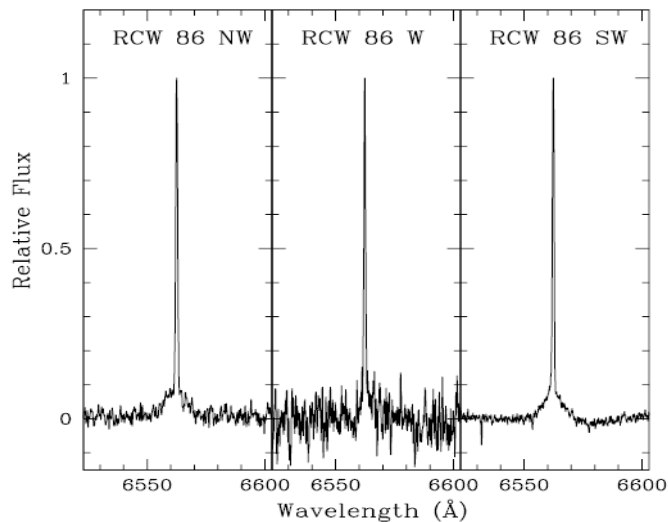
Caveat

Efficient acceleration does not imply hard spectrum and large energies

For $f_N \gg 10\%$ the spectrum is very steep and the large part of the energy is in suprathermal particles $E < 1$ GeV



Narrow H α Lines with Unusual Broad Width



From Sollerman et al., 2003

SNR	Shock velocity (km s ⁻¹)	Narrow component <i>FWHM</i> (km s ⁻¹)
Cygnus Loop	300–400	28–35
RCW 86 SW	580–660	32 ± 2
RCW 86 W	580–660	32 ± 5
RCW 86 NW	580–660	40 ± 2
Kepler D49 & D50	2000–2500	42 ± 3
0505-67.9	440–880	32–43
0548-70.4	700–950	32–58
0519-69.0	1100–1500	39–42
0509-67.5	–	25–31
Tycho	1940–2300	44 ± 4
SN 1006	2890 ± 100	21 ± 3

The H α FWHM of narrow lines measured from Balmer Shocks gives an estimate of upstream temperature

$$W_n = \sqrt{8 \ln 2 \frac{k T_0}{m_H}} = 21 \text{ km/s} \left(\frac{T_0}{10^4 \text{ K}} \right)^{1/2}$$

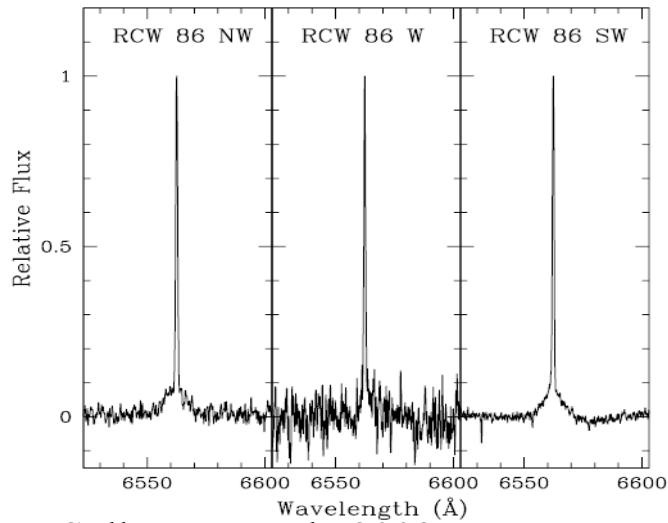
Measured FWHM in some SNRs:

$$W_n \sim 30 - 50 \text{ km/s} \rightarrow T \sim 2 - 6 \cdot 10^4 \text{ K}$$

But for $T > 10^4$ K Hydrogen is expected to be completely ionized

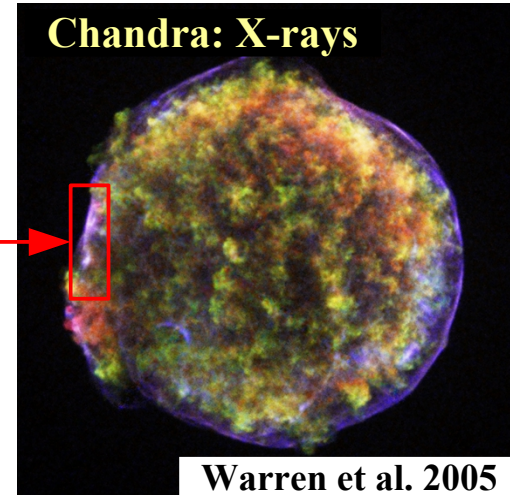
- We need a mechanism able to heat the neutral ISM component in a time less than the ionization time
- a CR precursor could be able to heat the neutrals

Narrow H α Lines with Unusual Broad Width

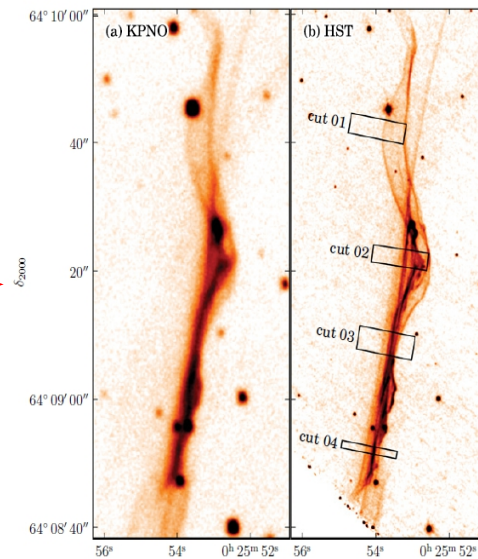


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Cygnus Loop	300–400	28–35
RCW 86 SW	580–660	32 ± 2
RCW 86 W	580–660	32 ± 5
RCW 86 NW	580–660	40 ± 2
Kepler D49 & D50	2000–2500	42 ± 3
0505-67.9	440–880	32–43
0548-70.4	700–950	32–58
0519-69.0	1100–1500	39–42
0509-67.5	–	25–31
Tycho	1940–2300	44 ± 4
SN 1006	2890 ± 100	21 ± 3

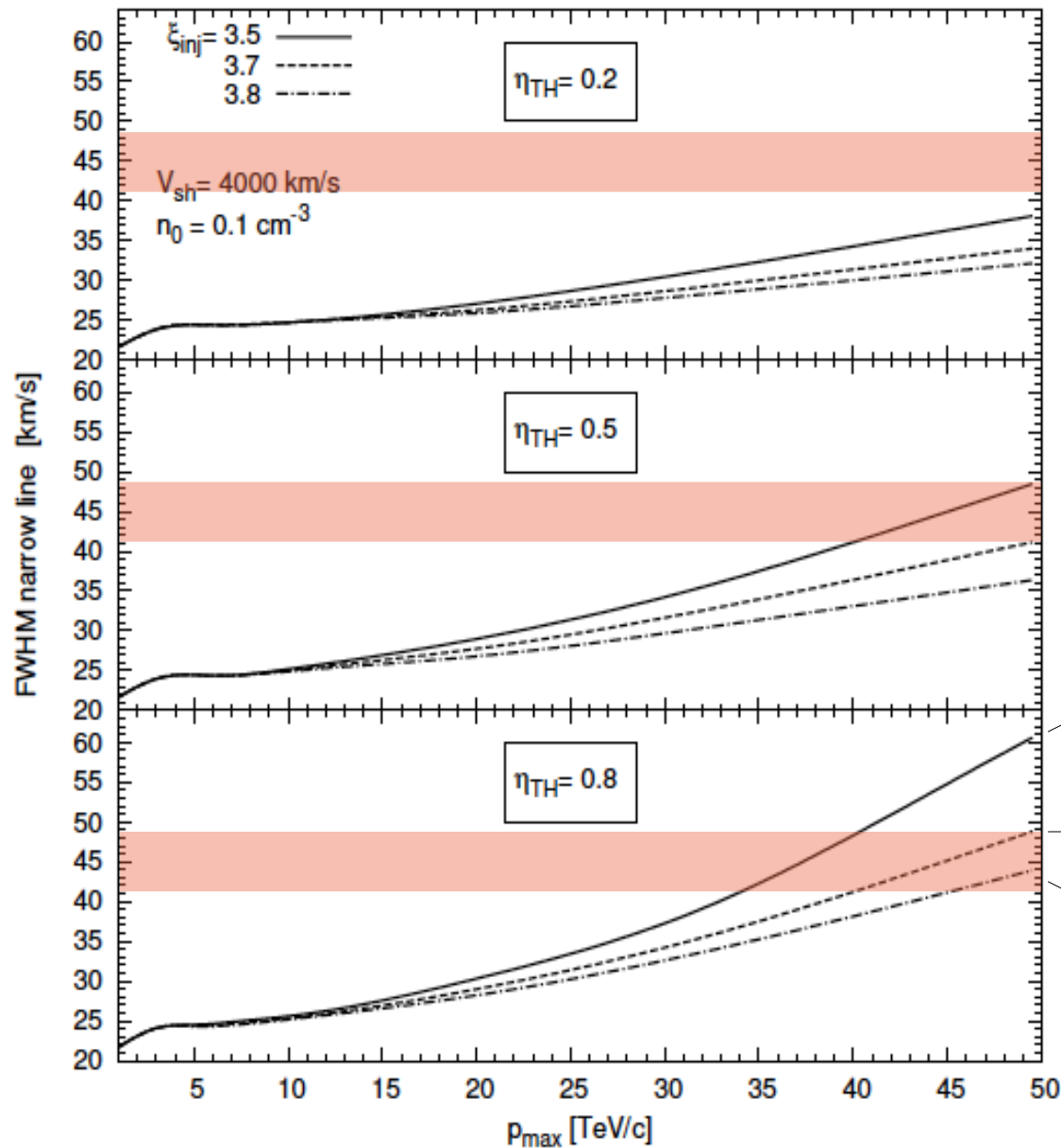


Knot g



Tycho's SNR: Narrow H α Lines with Unusual Broad Width

FWHM of narrow component



The width of narrow line is an increasing function of:

- 1) p_{max} (\rightarrow Length of CR-precursor)
- 2) ϵ_{CR} (\rightarrow acceleration efficiency)
- 3) η_{TH} (\rightarrow magnetic damping)

From $FWHM = 44 \pm 4$ we can estimate lower limits:

- 1) $p_{max} \geq 50 \text{ TeV/c}$
- 2) $\epsilon_{CR} \geq 0.1$
- 3) $\eta_{TH} \geq 0.2$

$\epsilon_{CR} \simeq 0.40$

$\epsilon_{CR} \simeq 0.20$

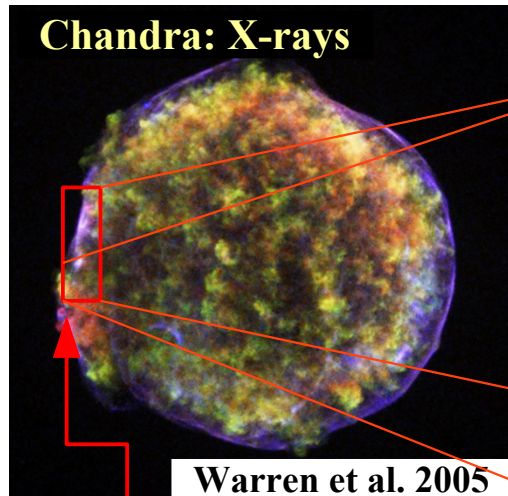
$\epsilon_{CR} \simeq 0.10$

Assuming Bohm diffusion in the amplified magnetic field

Tycho's SNR: Precursor in Balmer-Dominated Shocks

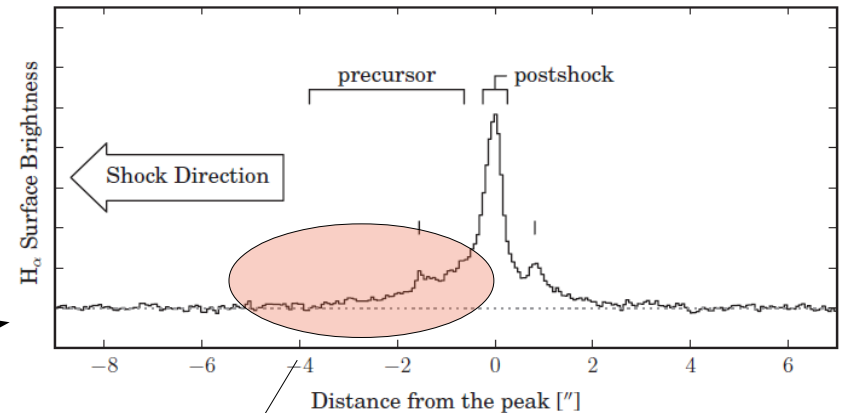
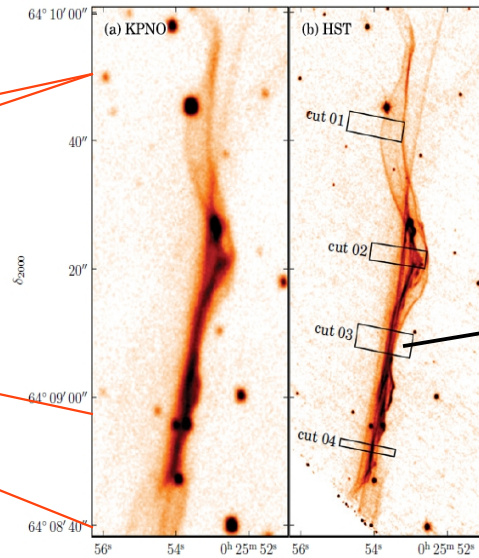
Lee et al., 2010

(Observation with the Hubble Space Telescope)



Knot g

H α emission



1) Evidence of H α emission from the precursor which contribute up to **30-40%** of the total narrow H α emission:
→ **different temperature and/or different bulk speed between ions and neutrals in the precursor region**

2) The *knot g* in Tycho remnant is associated with non-thermal X-ray emission
→ **the shock may accelerate particles efficiently**

Tycho revised: leaving the *spherical-cow* approximation

1) The new VERITAS data show a cut-off with maximum energy ~ 10 TeV

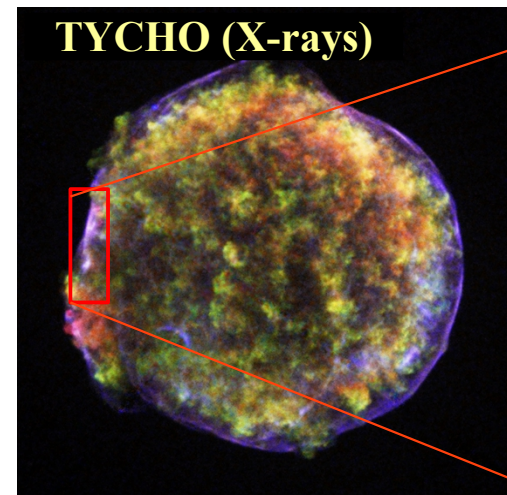
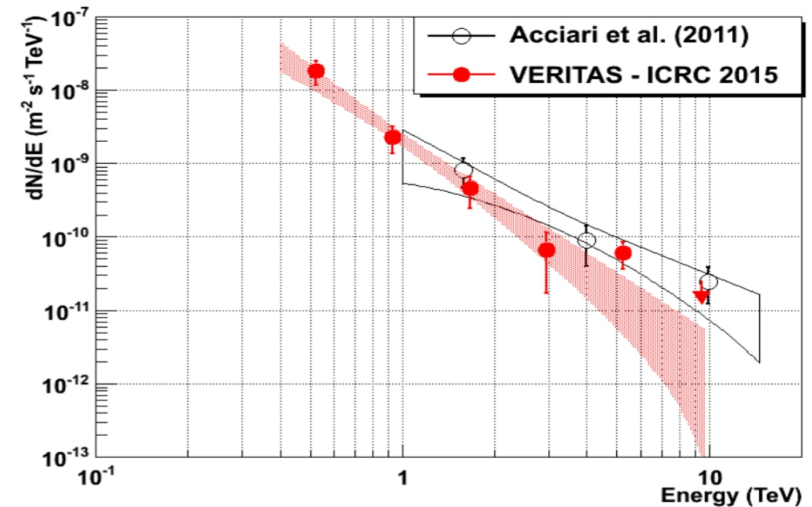
2) Williams et al. (2013) found evidence for an overall gradient in the ambient density surrounding Tycho, with densities $> 3 - 10$ times higher in the northeast region with respect to the southwest region.

3) Variations in the proper motion of the shock observed in radio (Reynoso et al., 1997) and X-ray studies (Katsuda et al., 2010) return an average shock speed (For distance between 2 and 3 kpc)

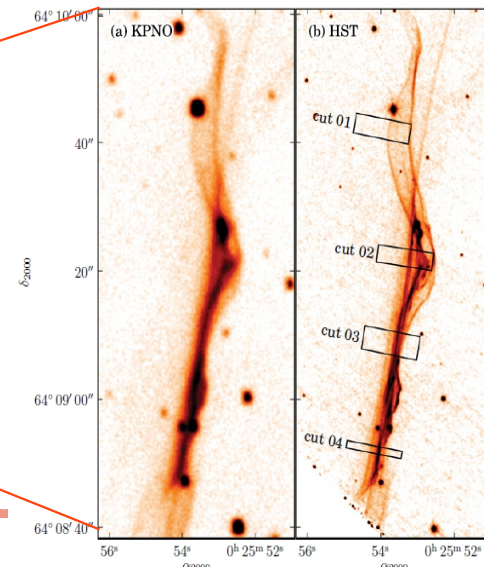
$$V_{sh} > 4000 - 5000 \text{ km/s (southwest)}$$

$$> 2000 - 3000 \text{ km/s (northeast)}$$

4) The NE part shows a strong $H\alpha$ emission (estimated neutral fraction $> 50\%$)

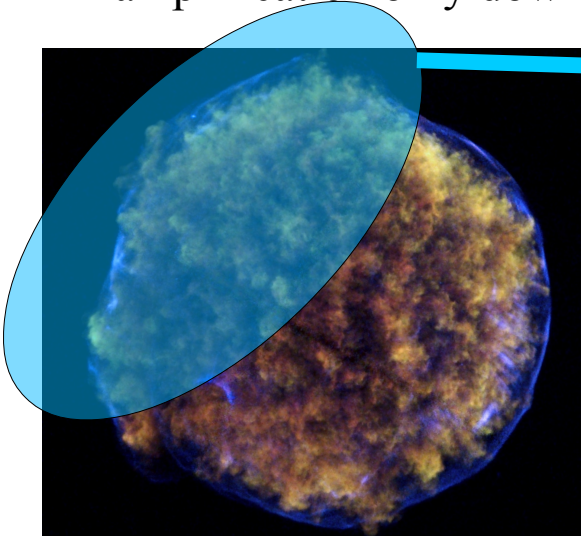


$H\alpha$ emission

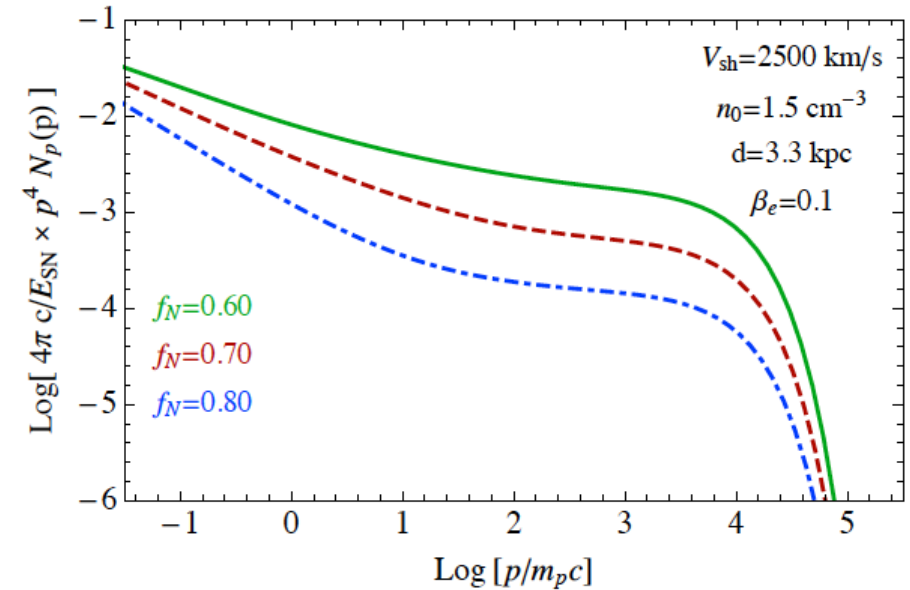


Results for Tycho

- We include amplification due to Bell-instability
- The emission in gamma-ray is mainly due to the NW region where the shock is slower and the ISM is denser
- The presence of neutrals produces steep spectra
- In this framework it is not easy to explain the X-ray rims:
 - In SE magnetic amplification is enough
 - In NW we also need some further amplification only downstream



Proton spectrum



γ-ray emission

