

Efficient Nonthermal Particle Acceleration during Magnetic Reconnection in Magnetically-dominated Flows

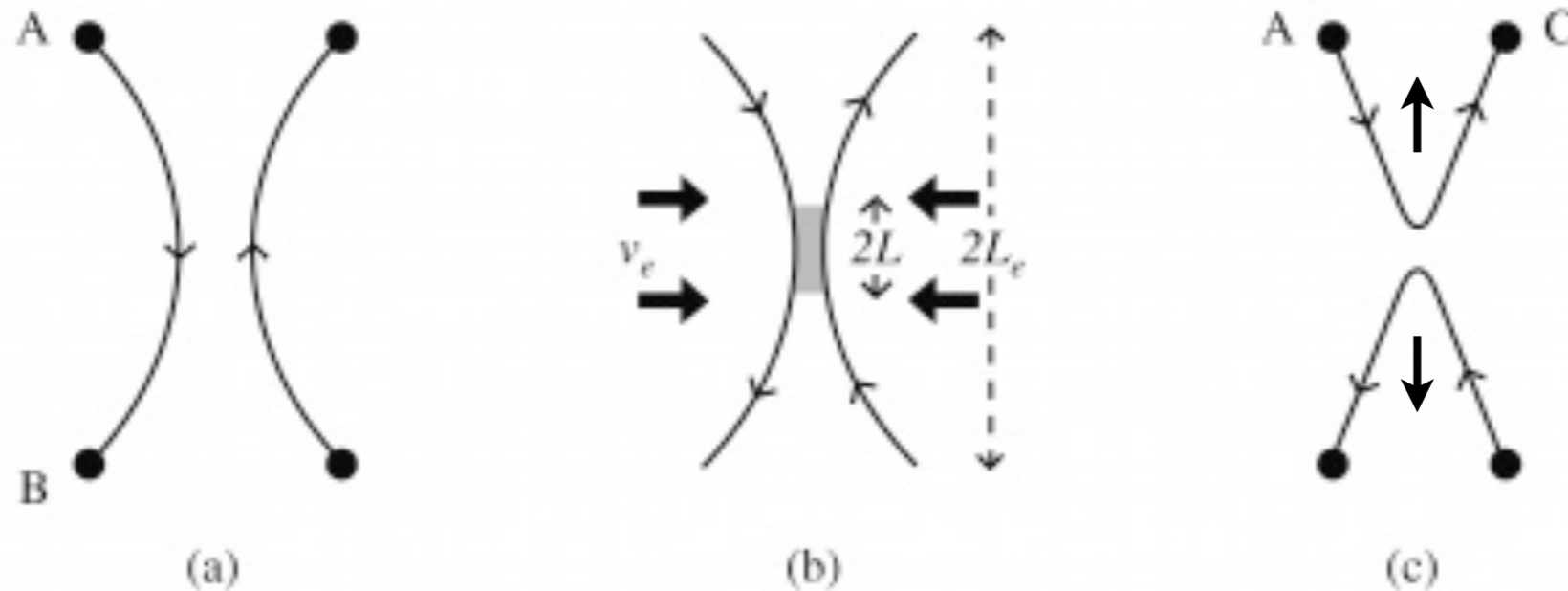
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Magnetic Reconnection & Associated Particle Acceleration



Where does reconnection occur?

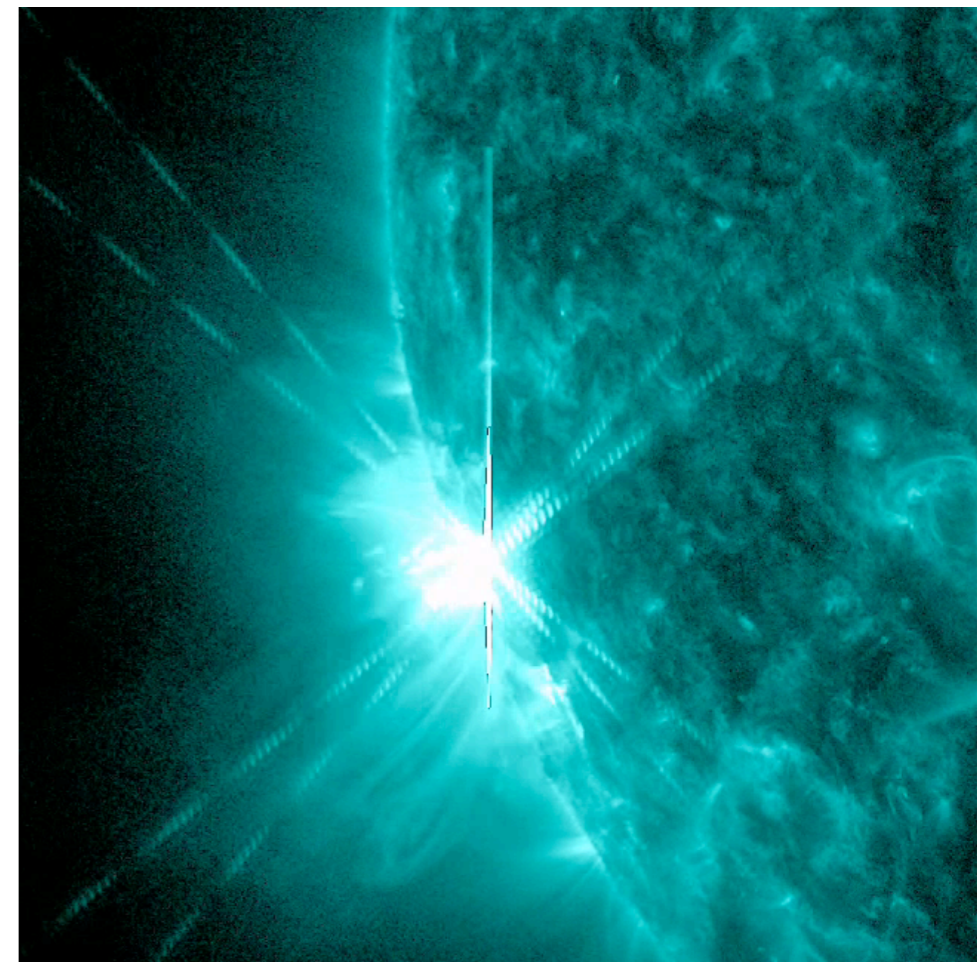
- Planetary magnetosphere, solar flares
- Active galactic nuclei (AGN), Gamma-ray bursts (GRBs), Pulsar wind nebulae (PWNe)

Particle Acceleration: Hints from solar flares

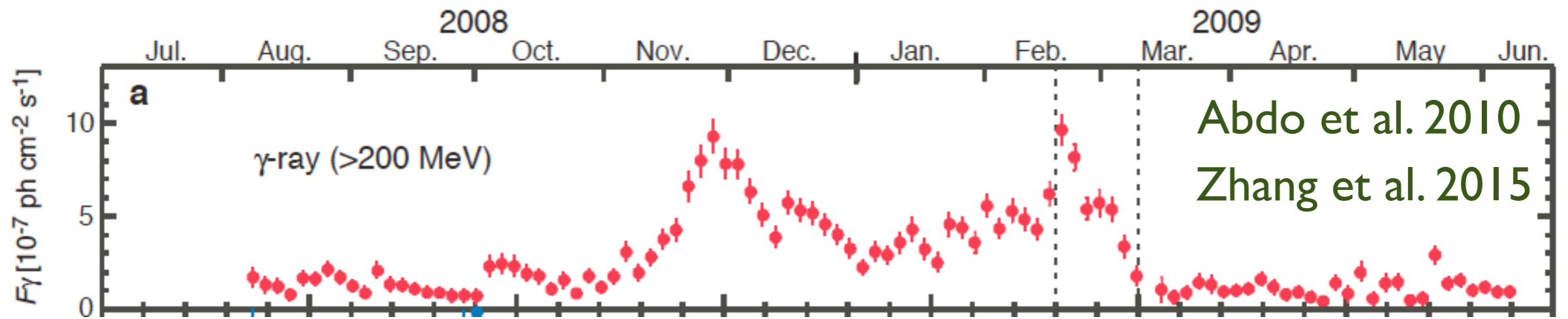
- Power-law distribution
- A large fraction of electrons are accelerated

$N_{\text{nonthermal}} > N_{\text{thermal}}$ (e.g., Krucker et al. 2010)

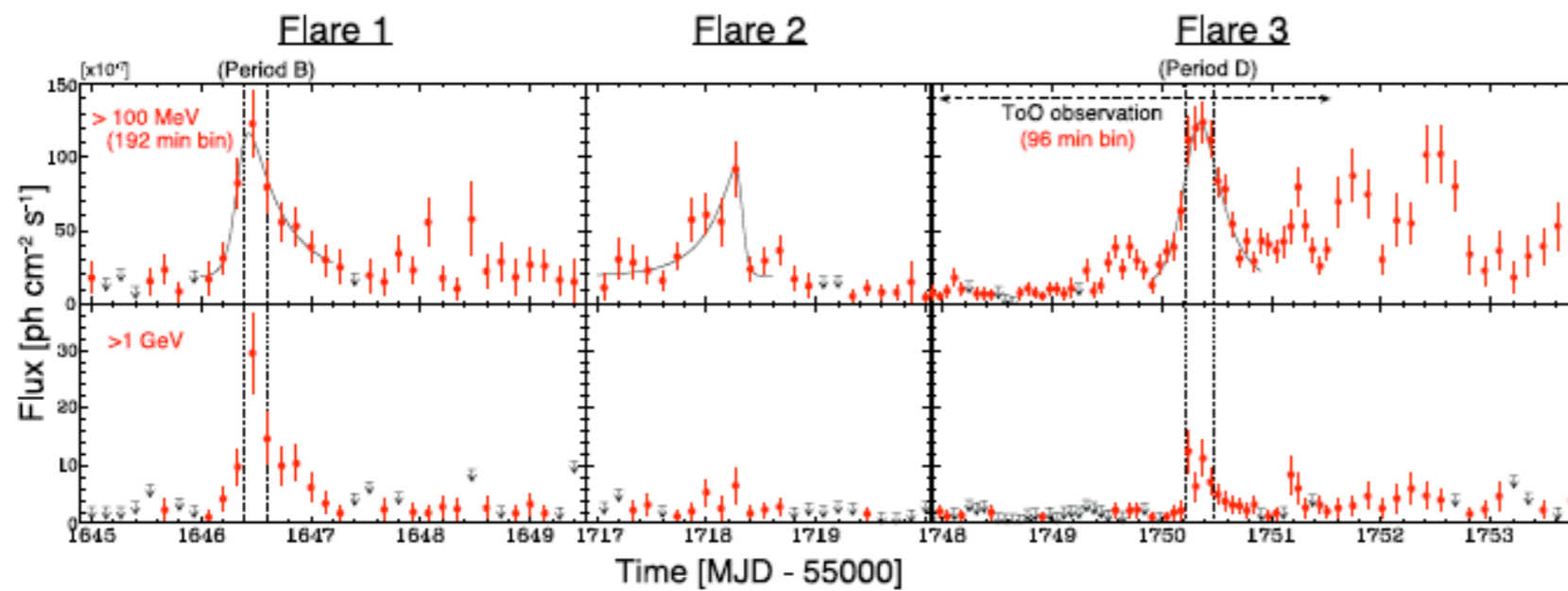
This is not well understood.



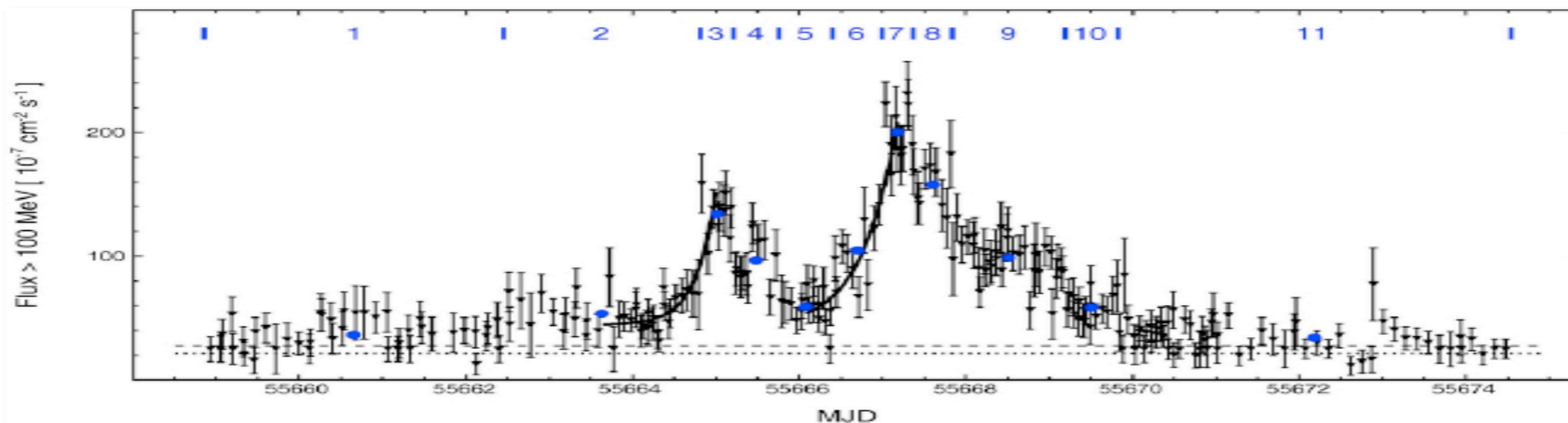
Extreme Acceleration/Radiation in AGNs, GRBs, and PWNe



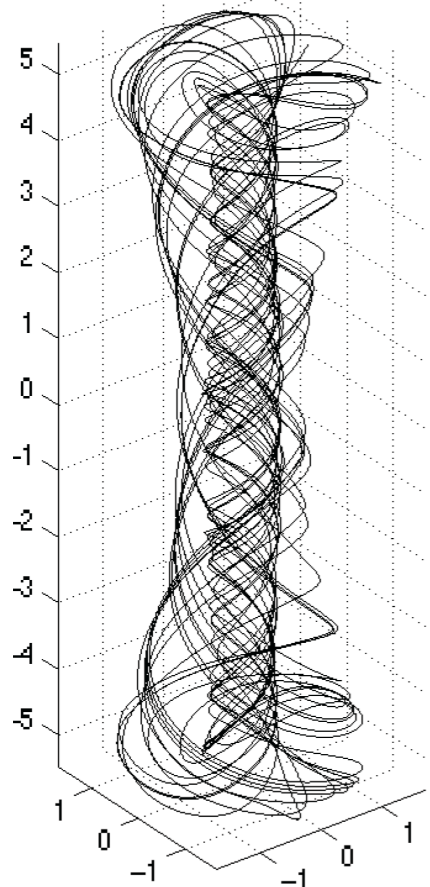
Polarization reveals active participation of magnetic field
See talk by Haocheng Zhang in Session IIA



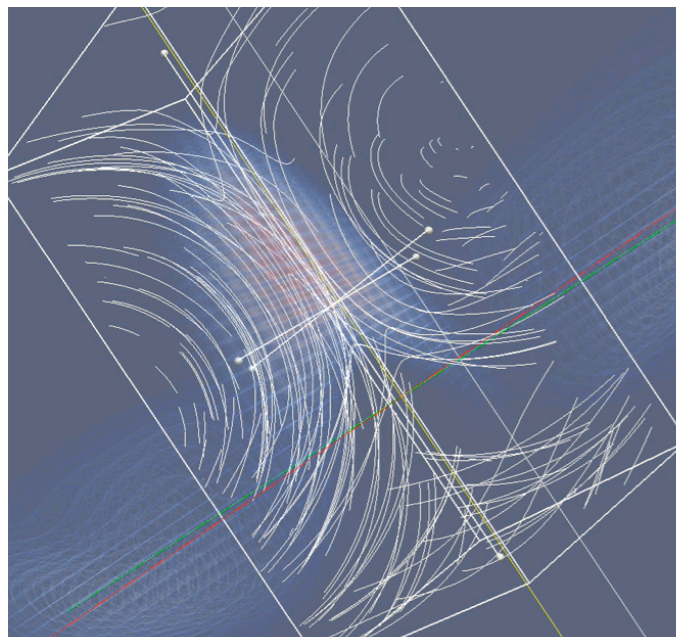
Hayashida et al. 2015



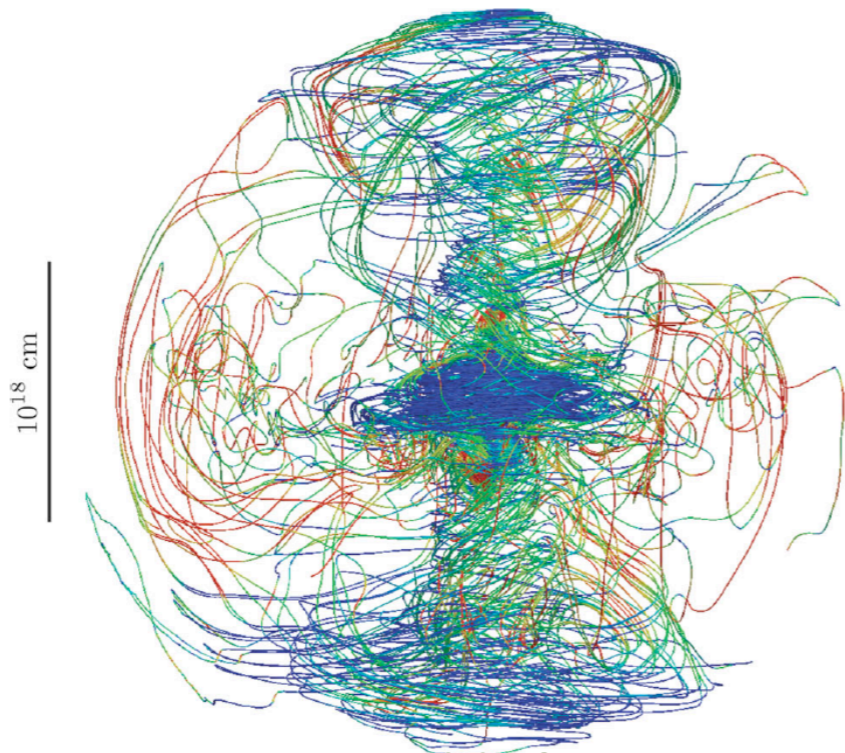
Abdo et al. 2011
Tavani et al. 2011



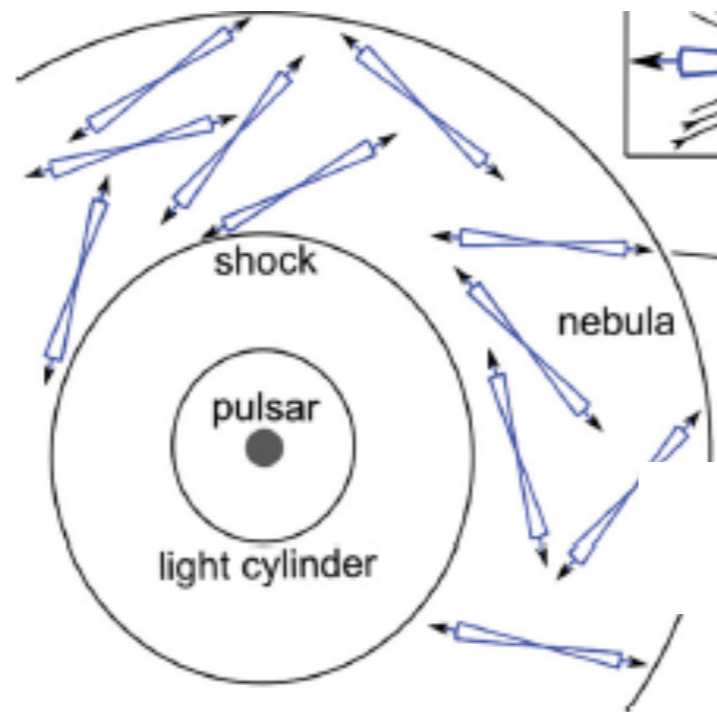
Large-scale field reversal
 Lynden-Bell et al. 96
 Li et al. 06



Blob collision
 Deng et al. 2015

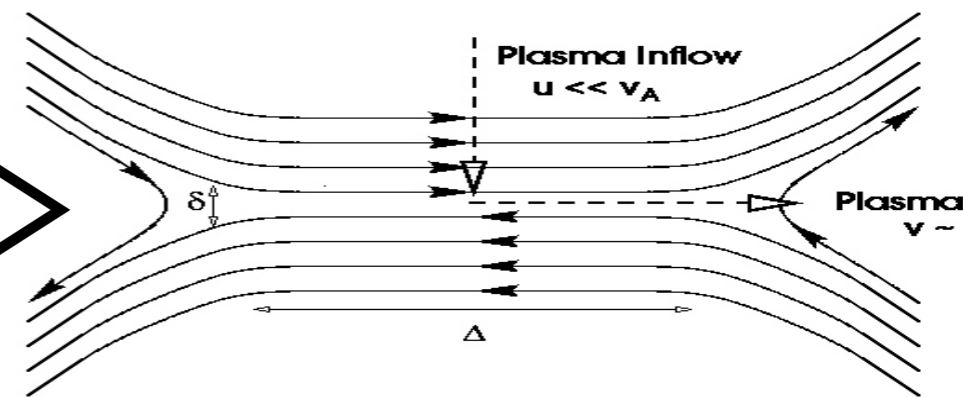


Porth et al. 2013



Clausen-Brown & Lyutikov

A general local geometry:
 current sheets



$$\sigma = \frac{B^2}{4\pi n m c^2} \gg 1$$

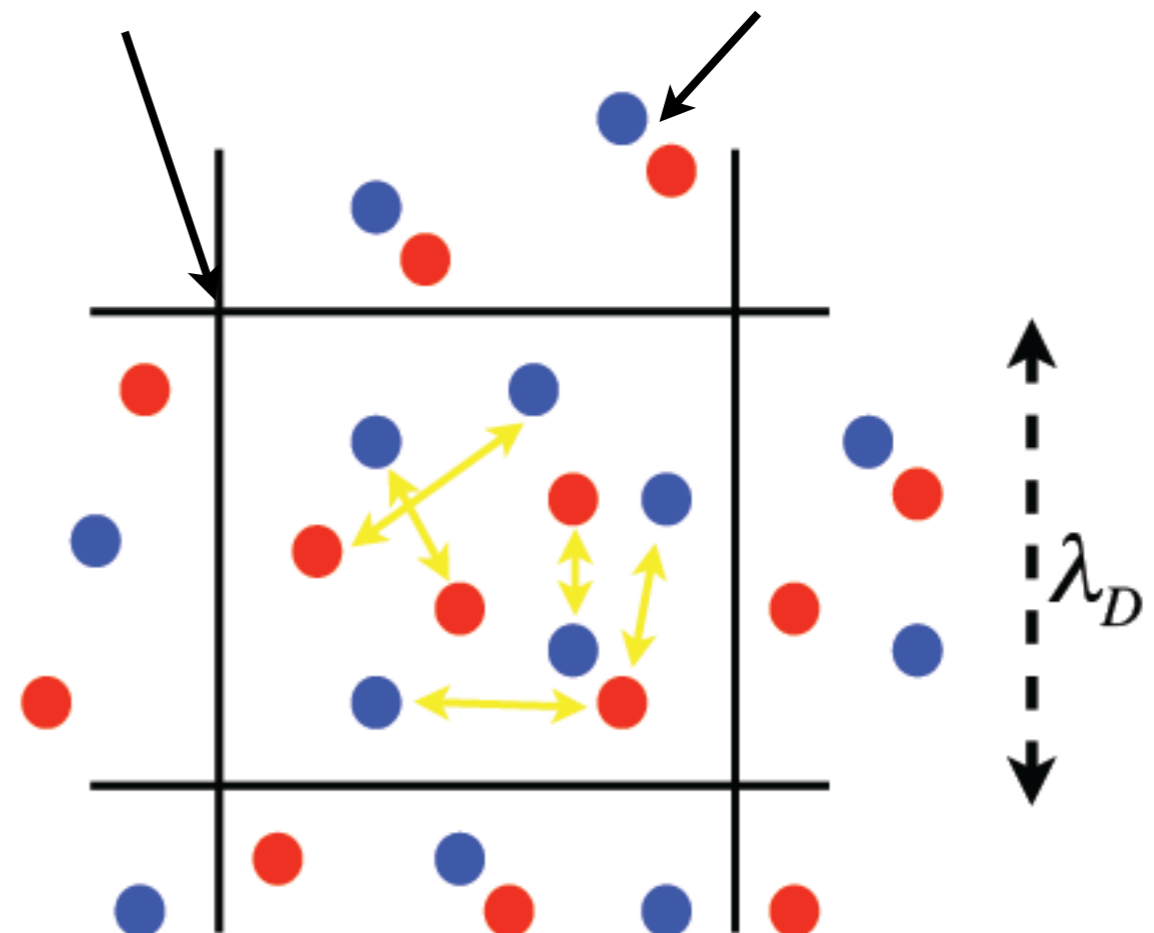
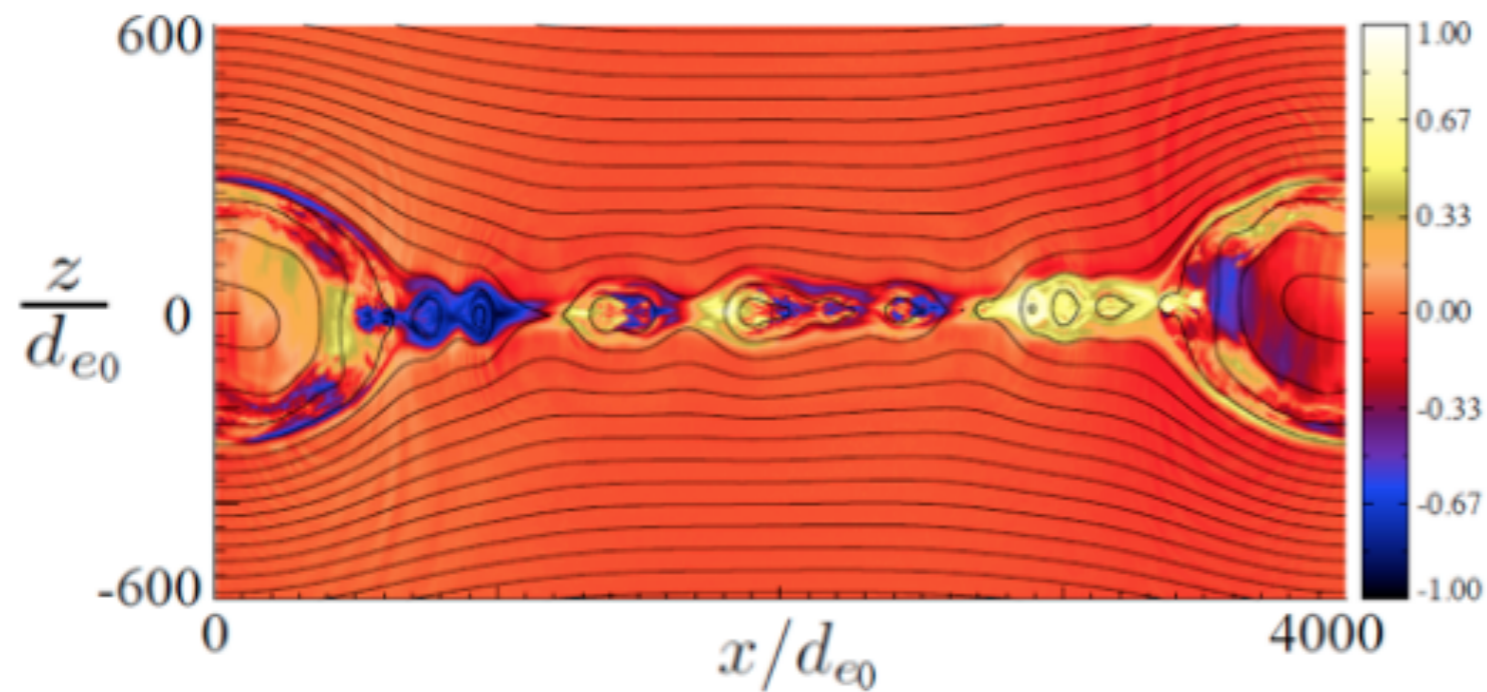
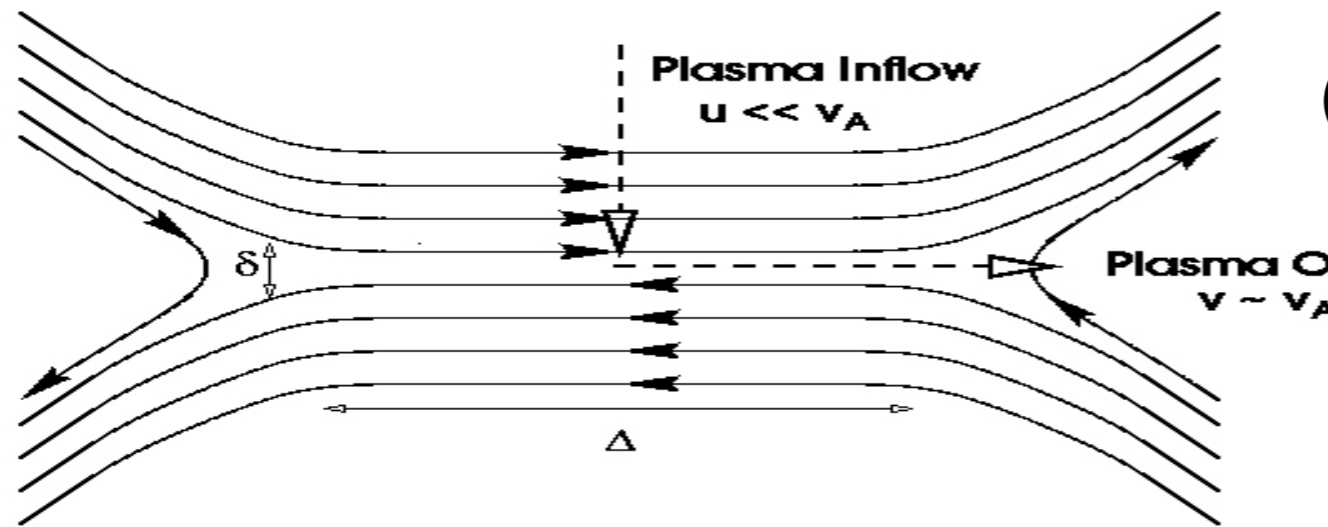
$$v_A \sim c$$

Focusing on a local reconnection site with $\sigma \gg 1$

Particle-in-Cell simulation

$(\mathbf{E}, \mathbf{B}, \mathbf{J}, \rho)$

(\mathbf{v}, \mathbf{x})



- GF et al. 2014 PRL, 2015a ApJ (pair, particle acc.)
- 2015b arxiv 1511.01434 (ion-electron, particle acc.)
- Liu, GF, Daughton, Li, Hesse 2015 PRL (fast outflow/dissipation)
- Li, GF, Li et al. 2015 ApJL - nonrelativistic reconnection

Focusing on a local reconnection site with $\sigma \gg 1$

Key results:

- Efficient particle acceleration and formation of power laws $dN/d\gamma = \gamma^{-p}$, and extending to $\gamma_i = \sigma, \gamma_e = (m_i/m_e)\sigma$
- Main Acceleration mechanism: first-order relativistic Fermi process
- Power-law model and formation condition ($\tau_{acc} < \tau_{inj}$).
- Properties of relativistic magnetic reconnection:
Relativistic inflow and outflow
Reconnection rate is enhanced because of relativistic effect
2D & 3D rates are similar

GF et al. 2014 PRL, 2015a ApJ (pair, particle acc.)

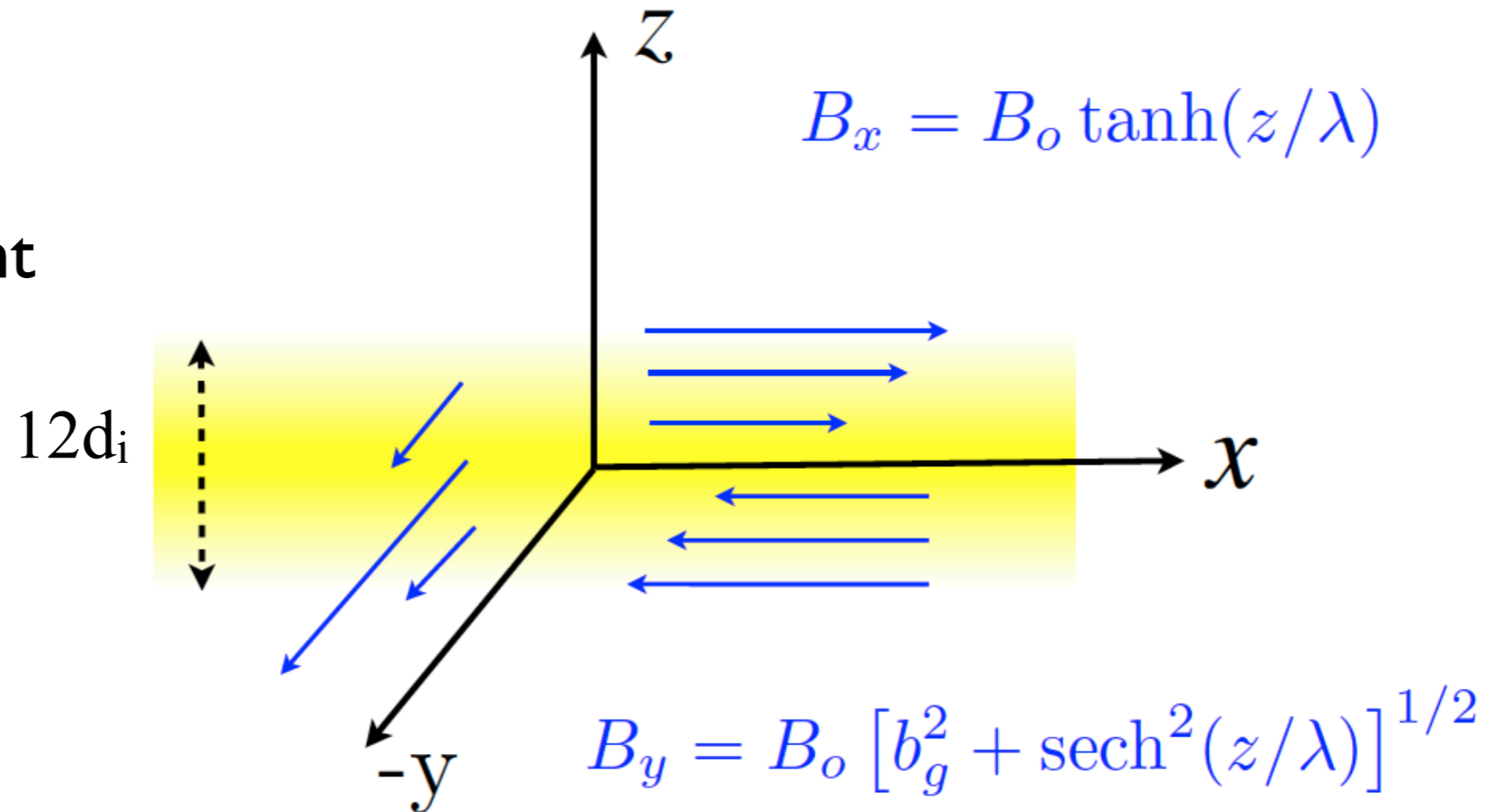
2015b arxiv 1511.01434 (ion-electron, particle acc.)

Liu, GF, Daughton, Li, Hesse 2015 PRL (fast outflow/dissipation)

Li, GF, Li et al. 2015 ApJL - nonrelativistic reconnection

Initial Setup & Parameters

- Force-free current sheet
- Magnetic energy dominant initially $E_B \gg E_k$
- Pair plasma ($m_i/m_e = 1$)
- Proton-electron plasma (m_i/m_e up to 1836)



2D: $\sigma = 1-1600$

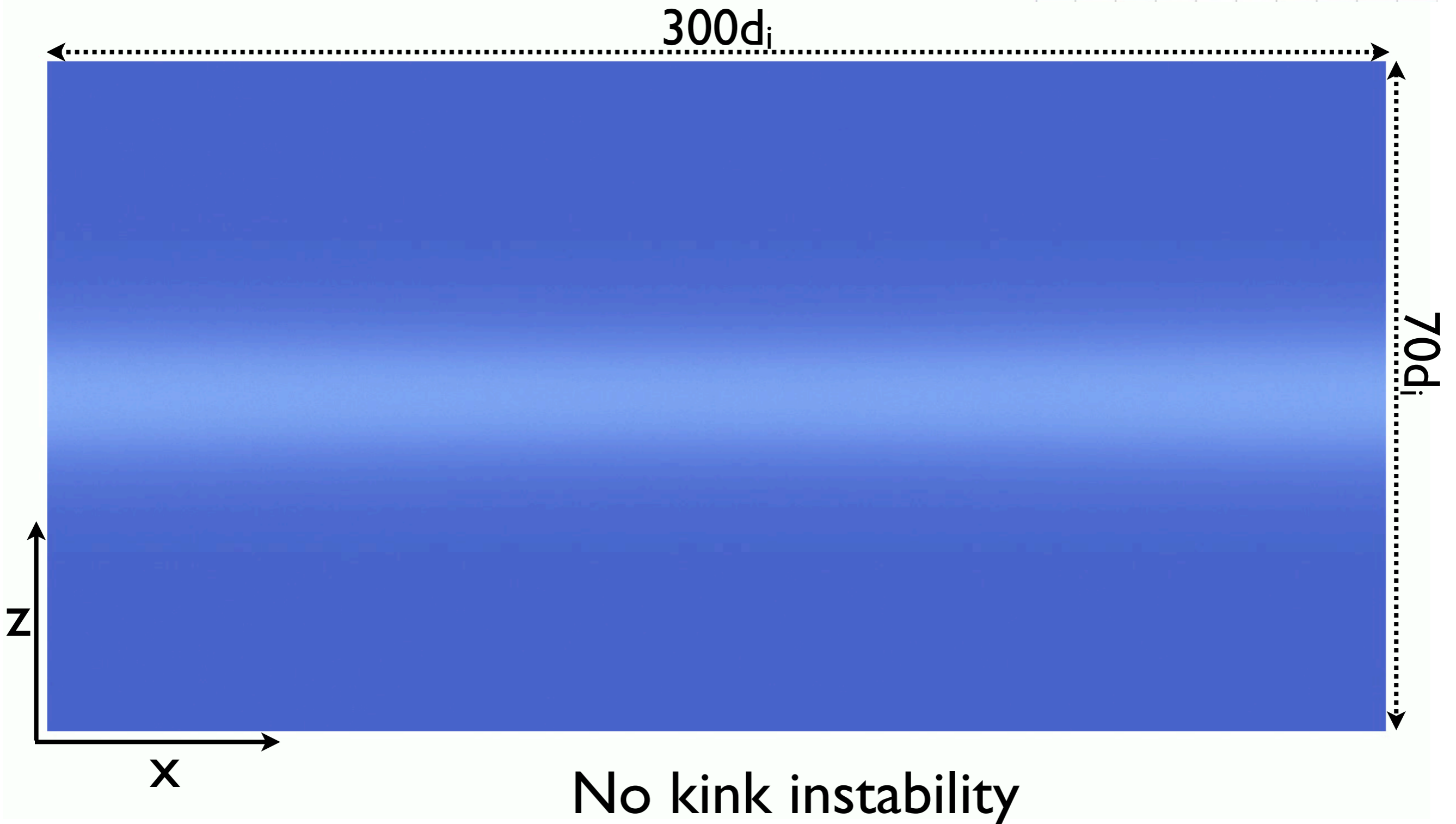
3D: σ up to 100

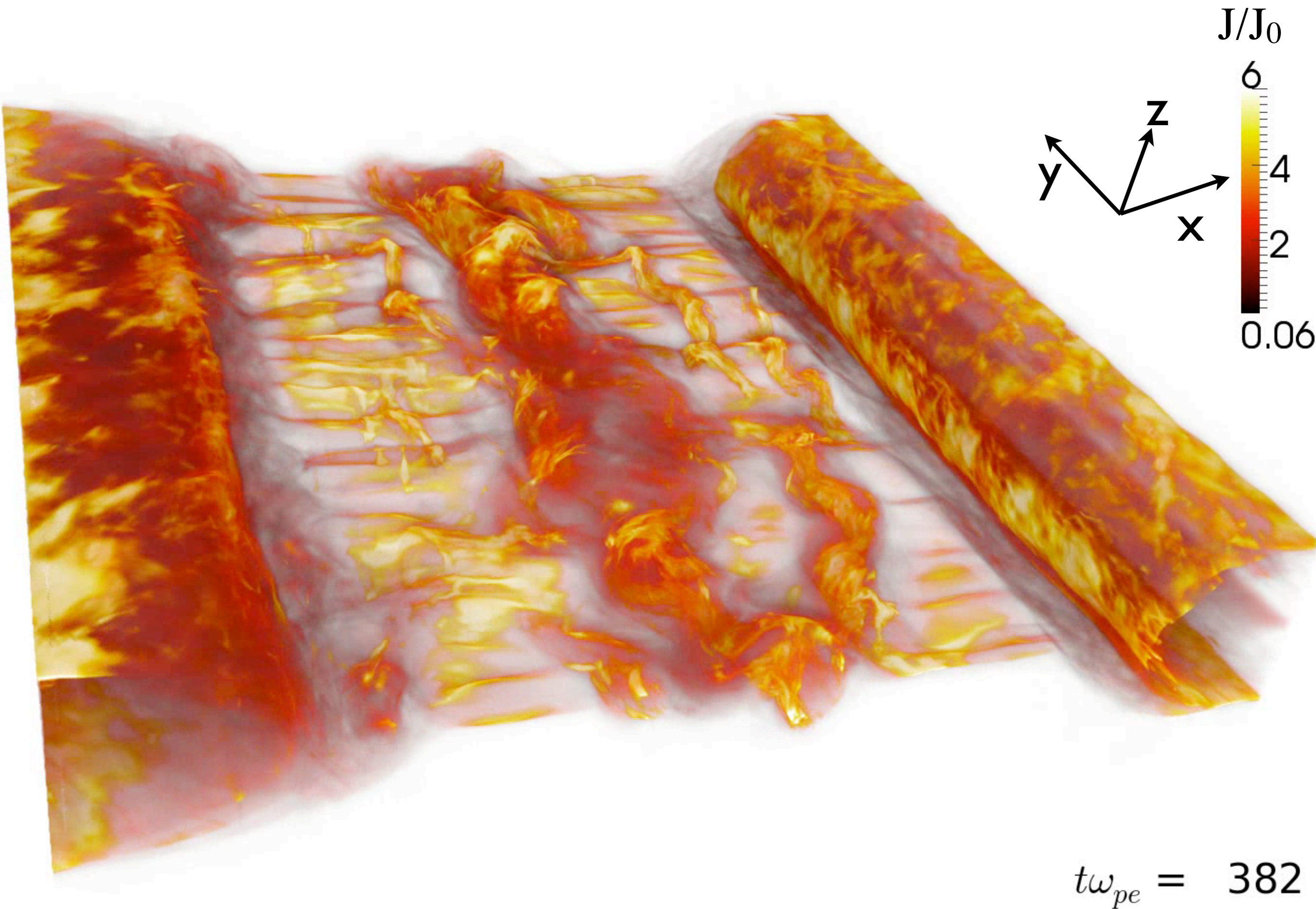
$$L_x \times L_z \times L_y = 300d_i \times 194d_i \times 300d_i$$

~1.4 trillion particles and 2048^3 grids, using 10^5 CPU-cores on Blue Waters

Boundary conditions: mainly periodic
currently exploring open boundary cases

2D current density ($\sigma=100, m_i/m_e = 1$) $\omega_{pe}t=0 - 700$



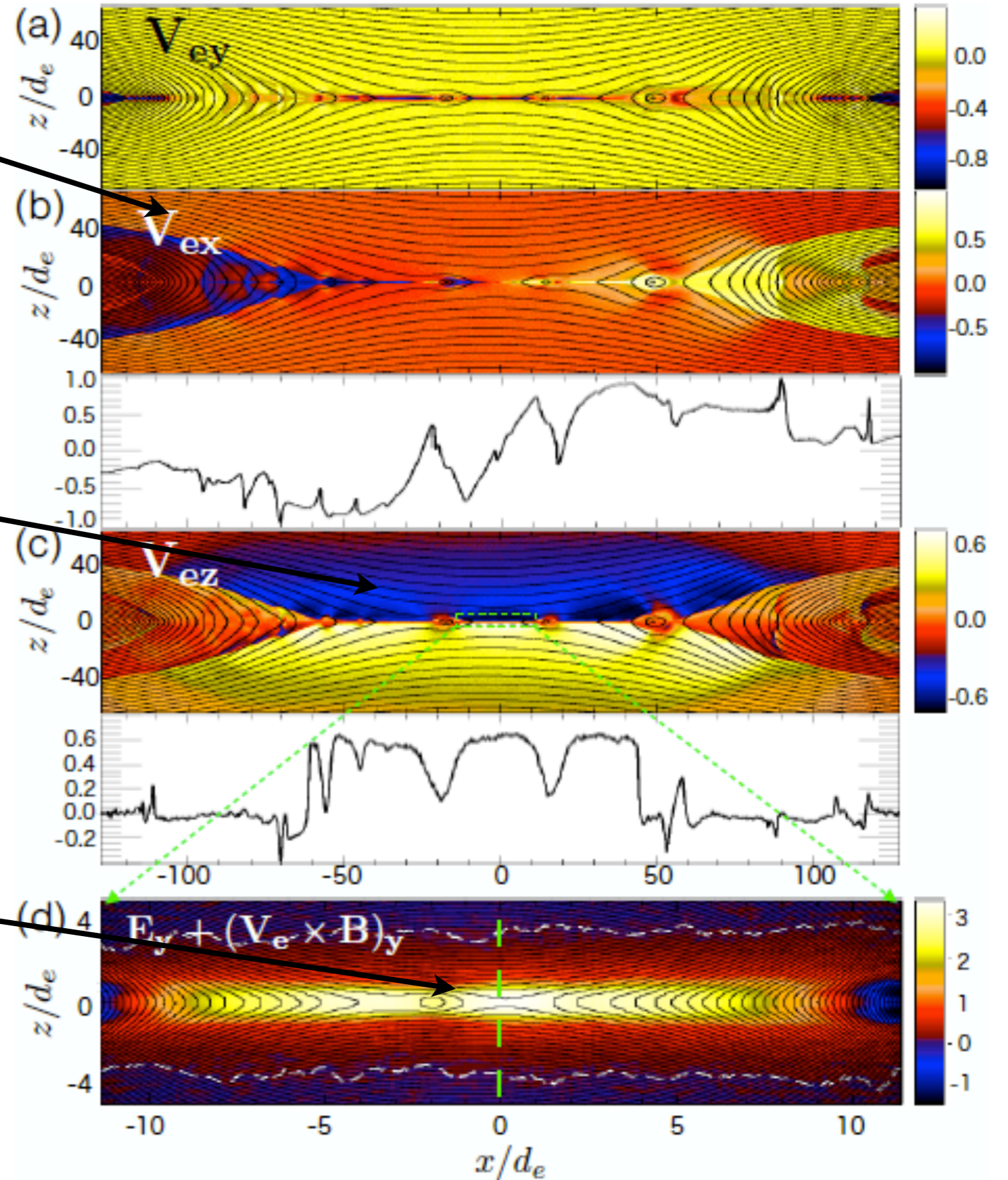


Plasma flows associated with reconnection

Relativistic
outflow speed

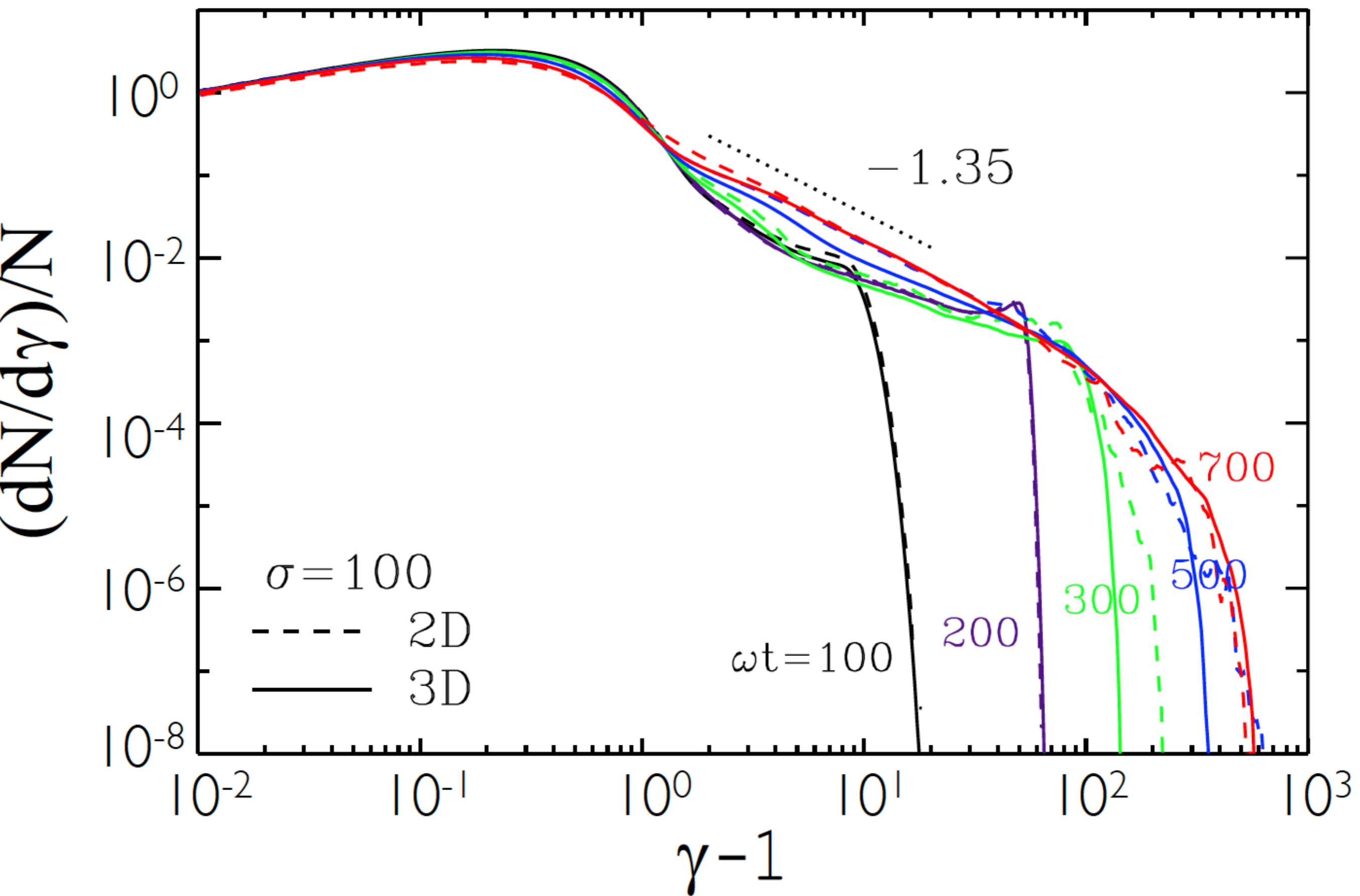
enhanced
inflow speed

current structure
aspect ratio ~ 0.1

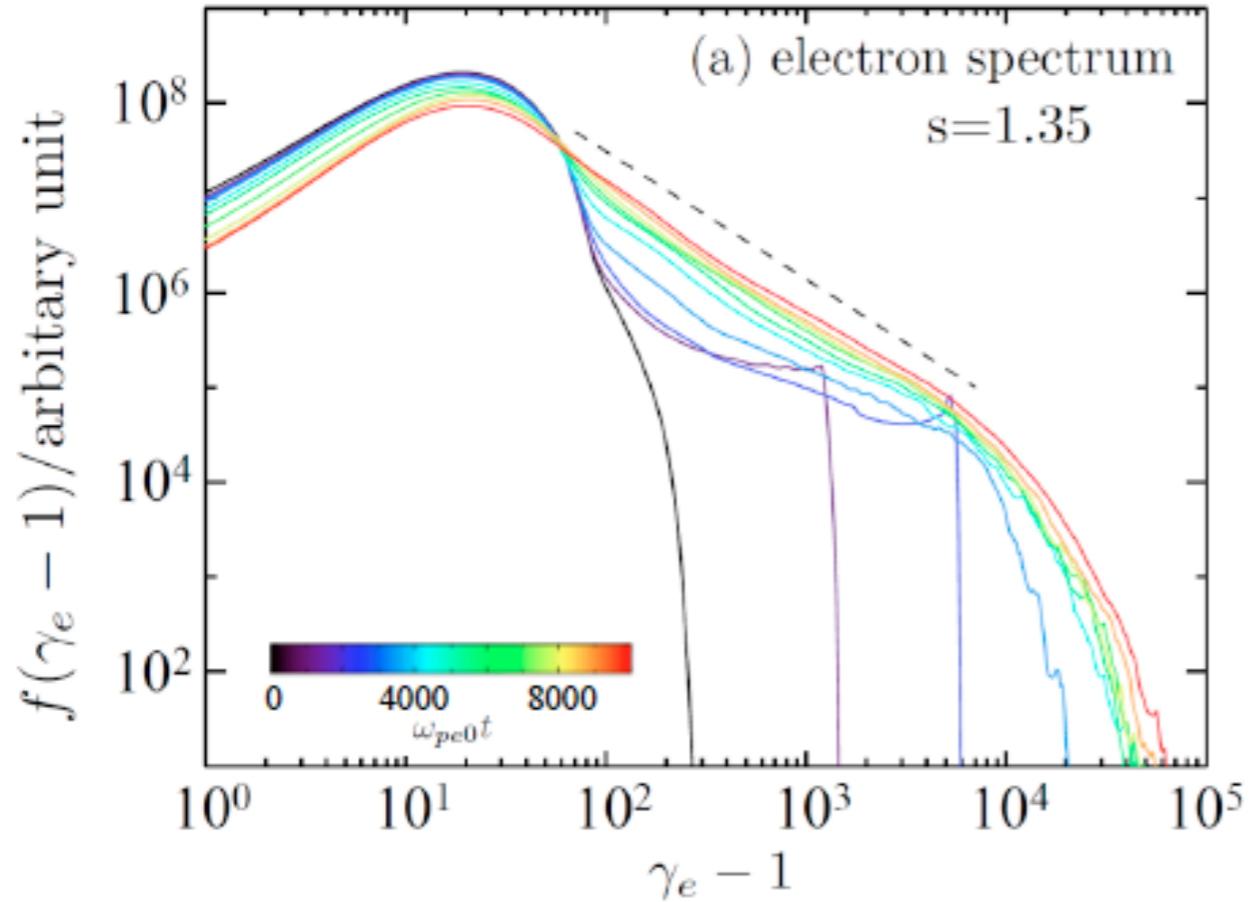


(Liu, Y., GF et al. 14 PRL, Guo et al. 2015)

Energy spectra from 2D and 3D PIC simulations



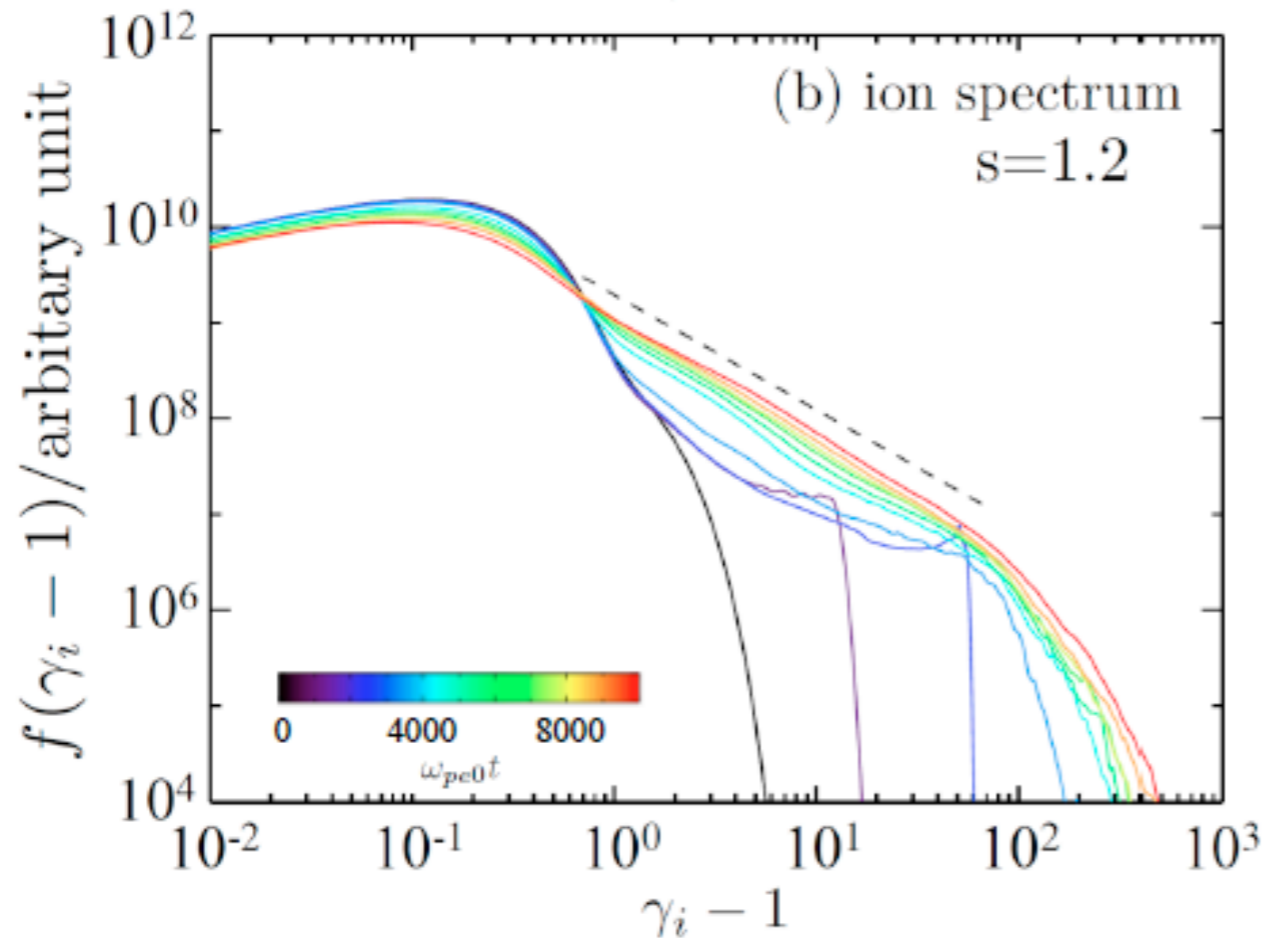
A relativistic run with $\sigma = 100$, $m_i/m_e = 100$



Spectral index $s \sim 1$

Fast variability $\sim Lx/c$

$$\gamma_i = \sigma, \quad \gamma_e = (m_i/m_e)\sigma$$



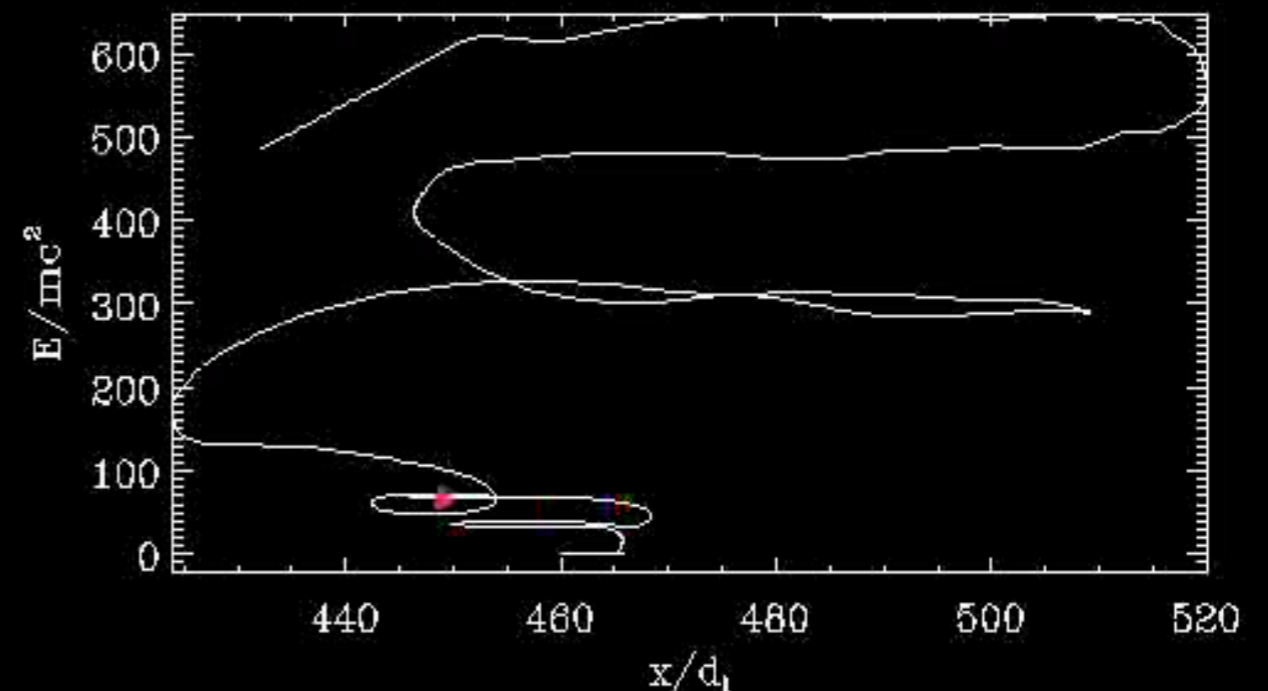
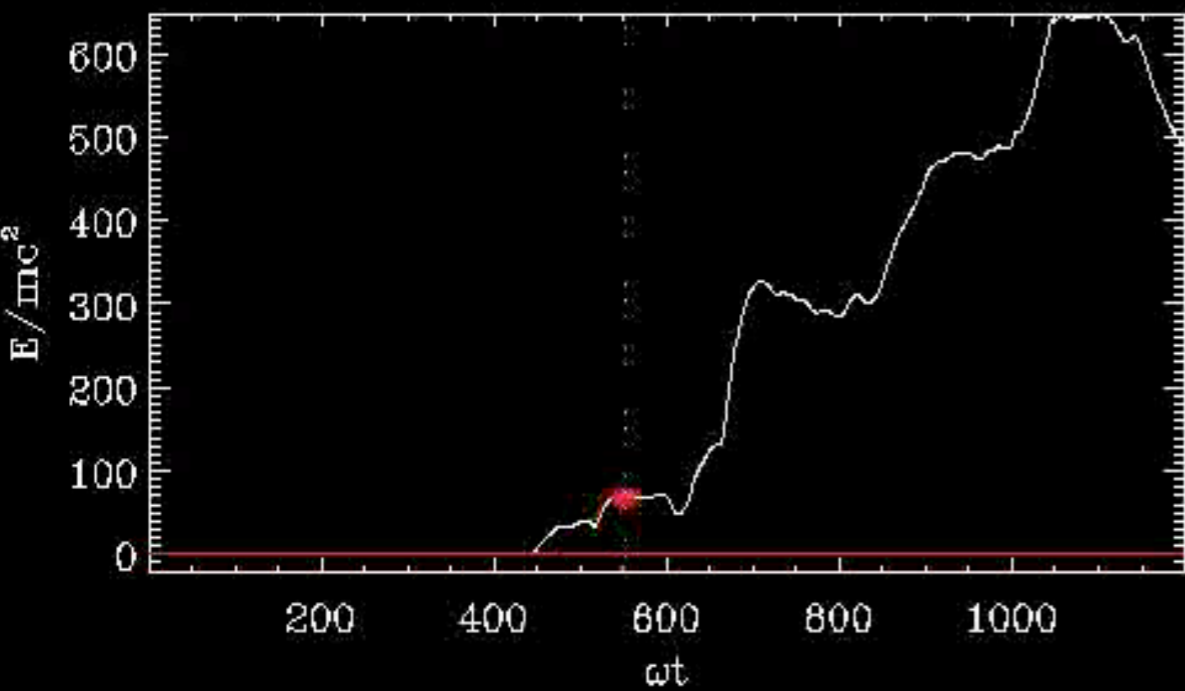
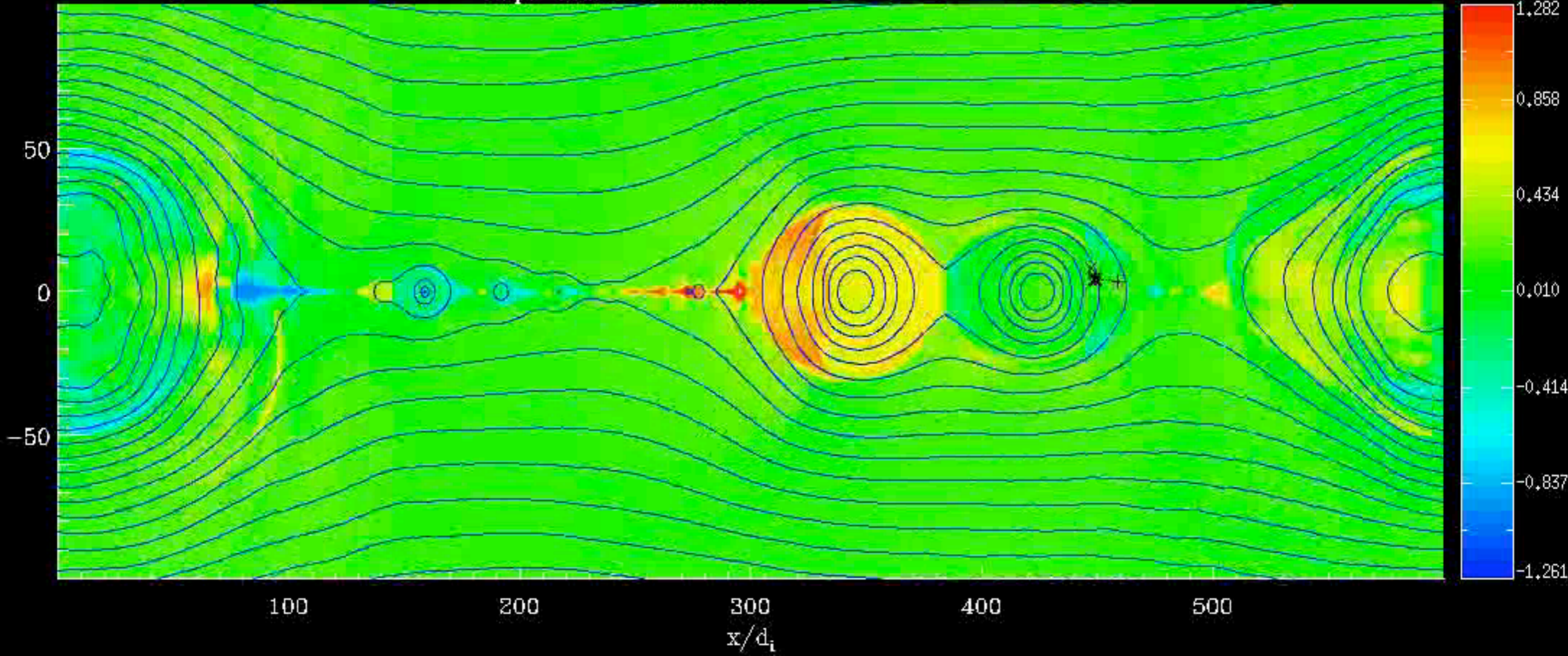
$$\varepsilon_{max} = \int |qE_{rec}| c dt$$

slopes are identical in
momentum space

Fermi Acceleration Pattern

V_x

$t \cdot W_{pi} = 550.00$ Index=55



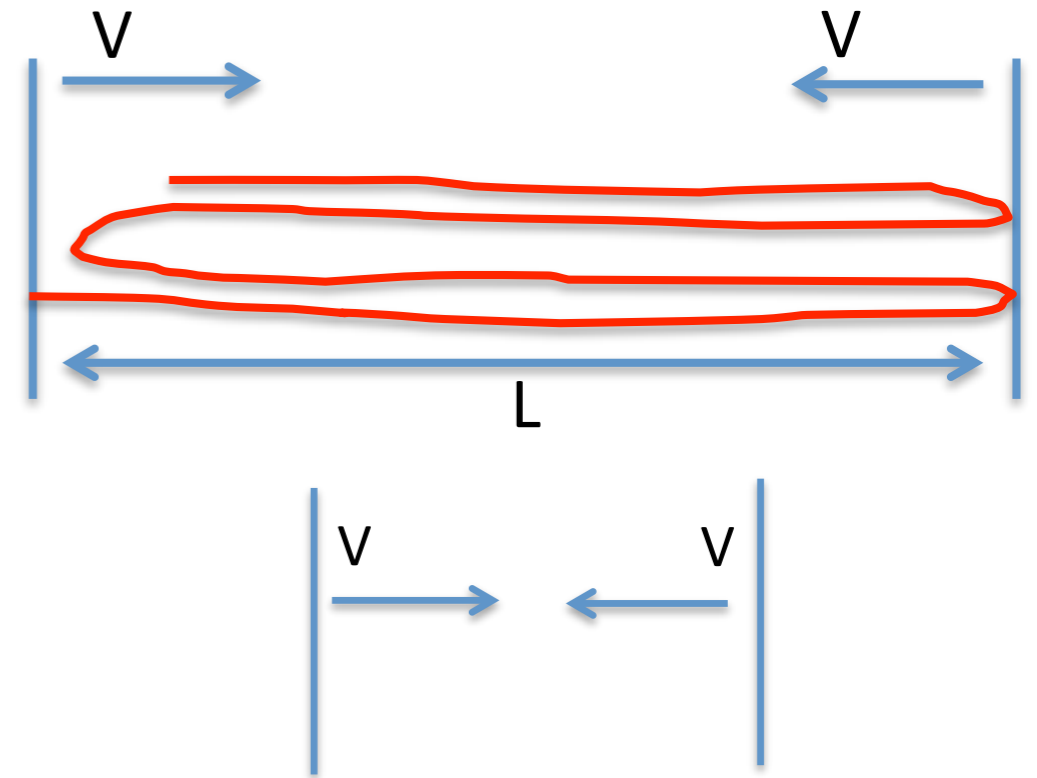
1st order Fermi mechanism

- Acceleration by “collision” in between moving magnetic clouds (Fermi 1949)

$$\Delta\gamma = \left(\Gamma^2 \left(1 + \frac{2Vv_x}{c^2} + \frac{V^2}{c^2} \right) - 1 \right) \gamma$$

$$\Delta t = L_{is} / v_x$$

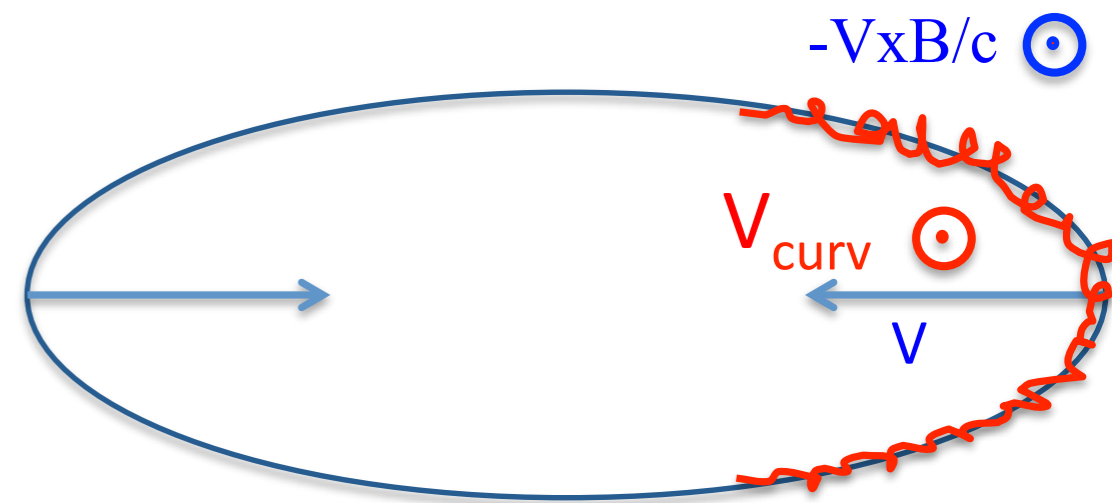
$$\alpha = \Delta\gamma / (\gamma \Delta t)$$



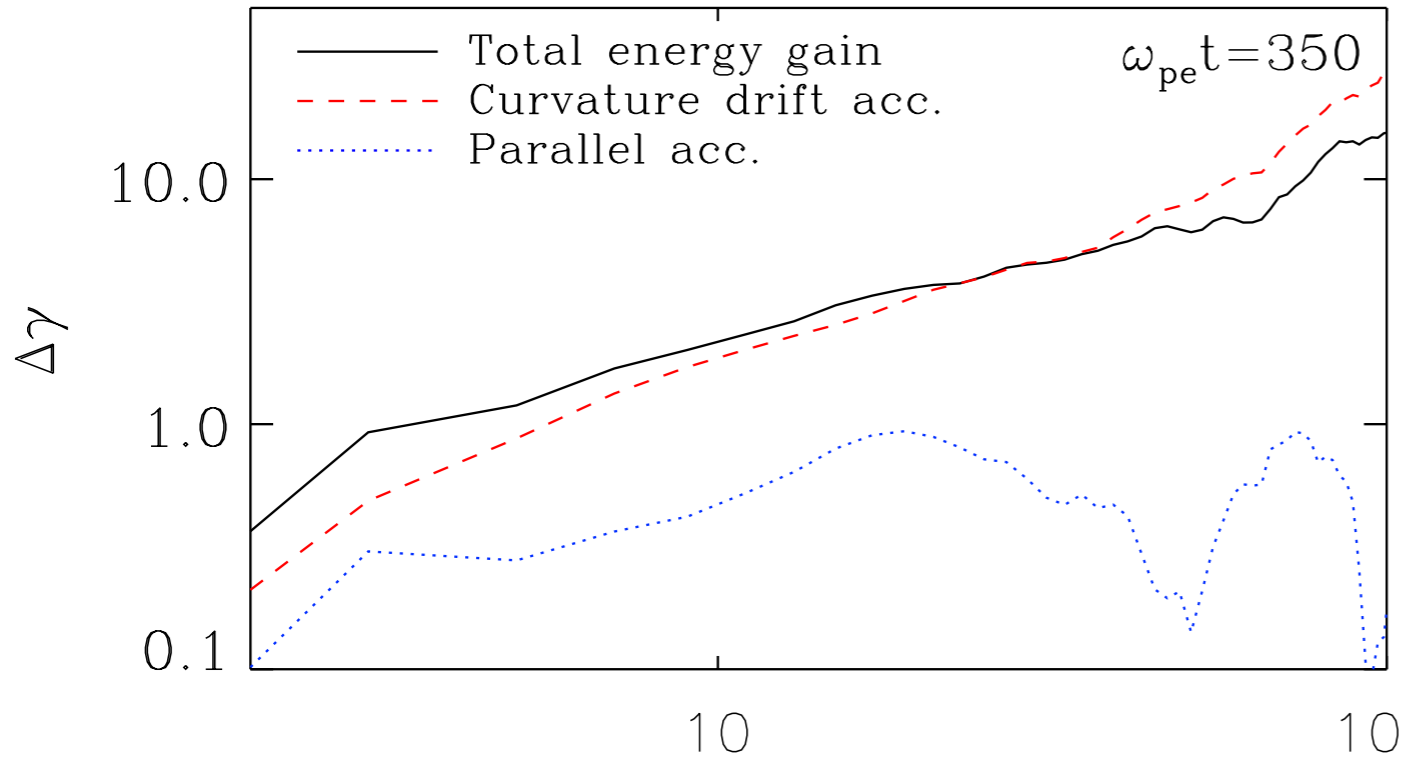
- In large-scale simulations, the dominant electric field for energy release

$$E = -V \times B / c$$

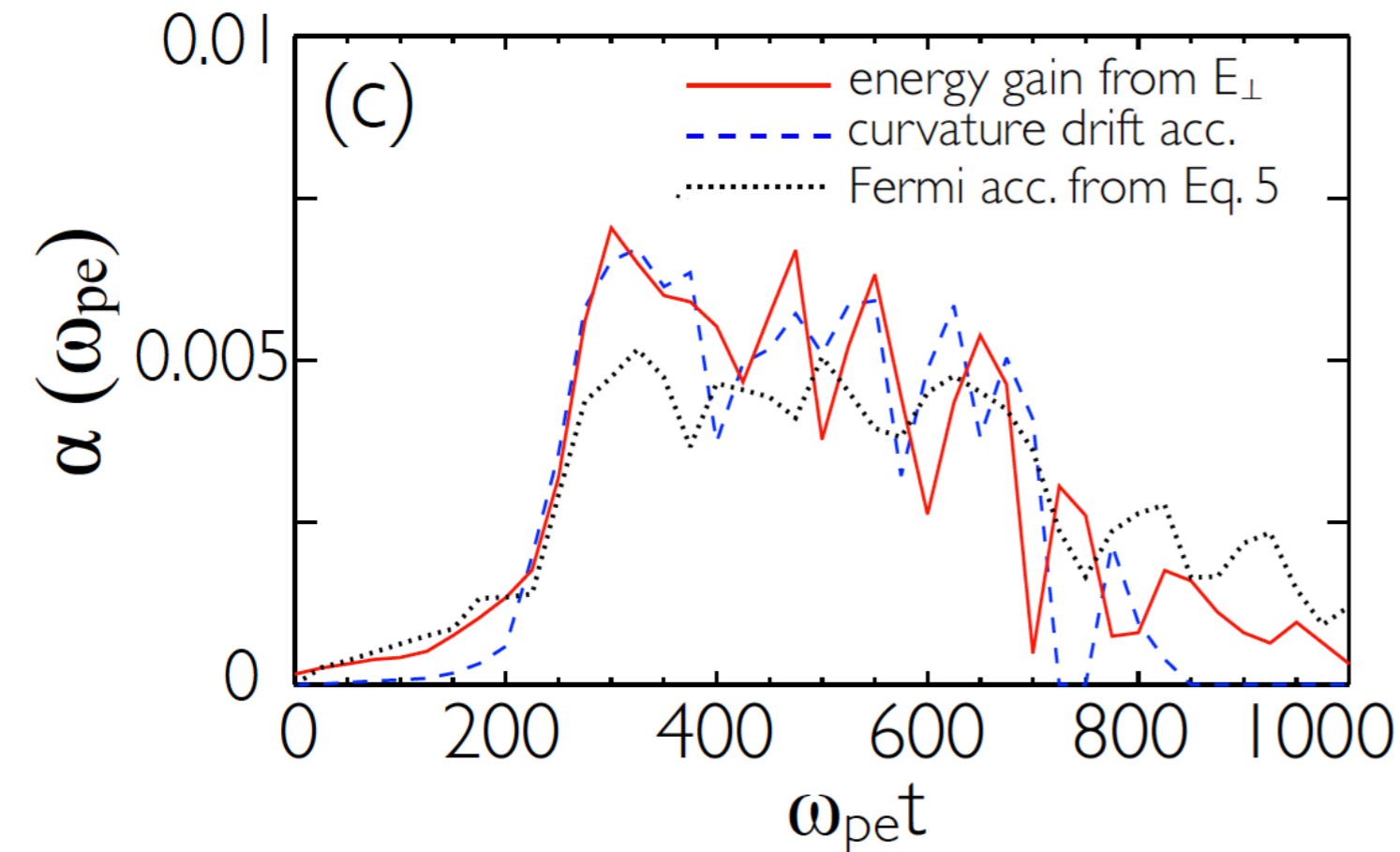
- In reconnection region, the Fermi process is accomplished by curvature drift motion in plasmoids along the motional electric field.



Type-B Fermi process (Fermi 1949)
 Drake et al. 2006, 2010; Birn et al. 2012
 Guo et al. 2014



The acceleration is dominated by energy gain through curvature drift motion



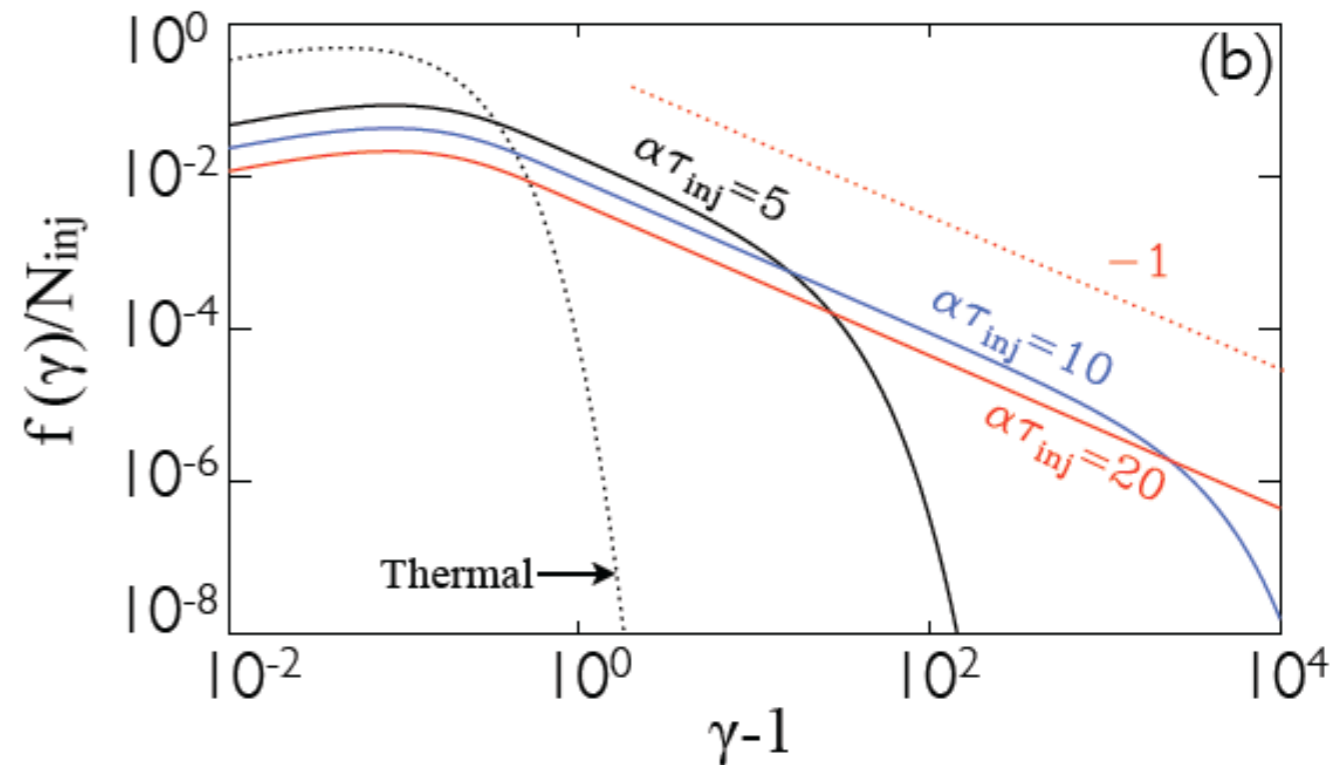
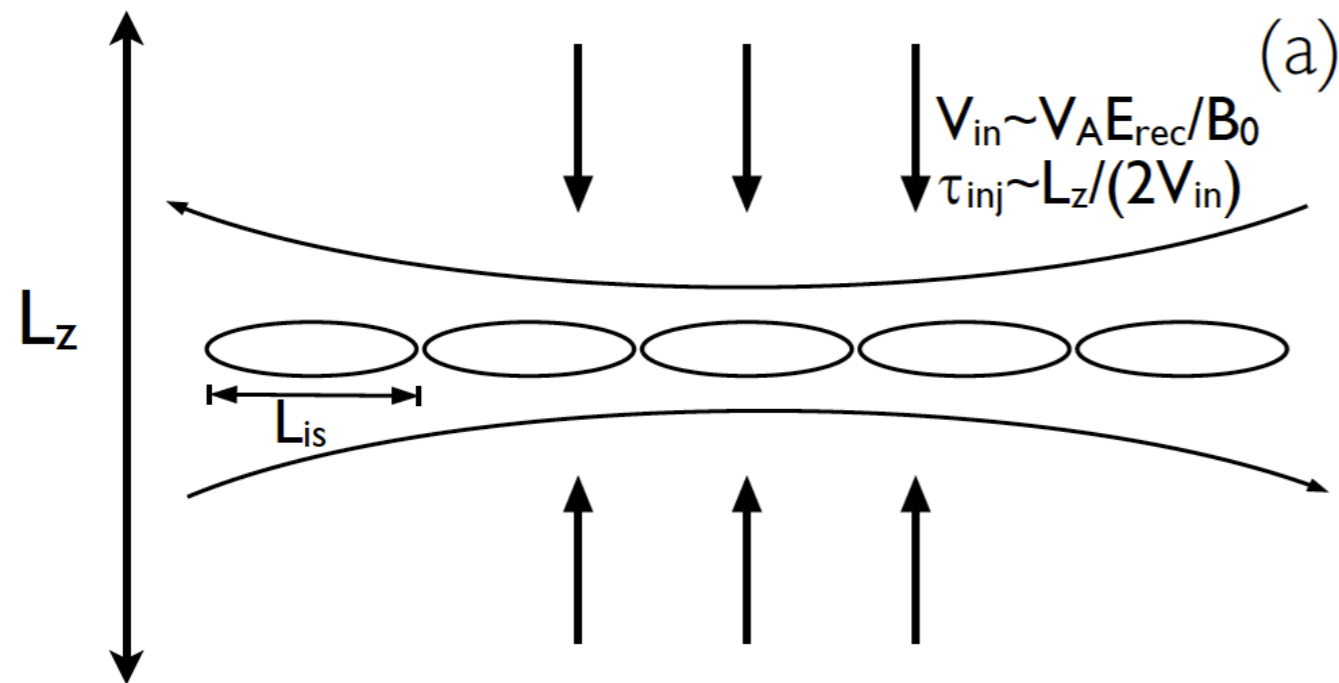
Fermi acceleration formula agrees with the acceleration by curvature drift motion.

$$\Delta\gamma = \left(\Gamma^2 \left(1 + \frac{2Vv_x}{c^2} + \frac{V^2}{c^2} \right) - 1 \right) \gamma$$

$$\Delta t = L_x / v_x$$

$$\alpha = \Delta\gamma / (\gamma \Delta t)$$

Power-law formation



$$\frac{\partial f}{\partial t} + \frac{\partial}{\partial \varepsilon} \left(\frac{\partial \varepsilon}{\partial t} f \right) = \frac{f_{inj}}{\tau_{inj}} - \frac{f}{\tau_{esc}} \quad f \propto \varepsilon^{-\left(1 + \frac{1}{\alpha \tau_{esc}}\right)}$$

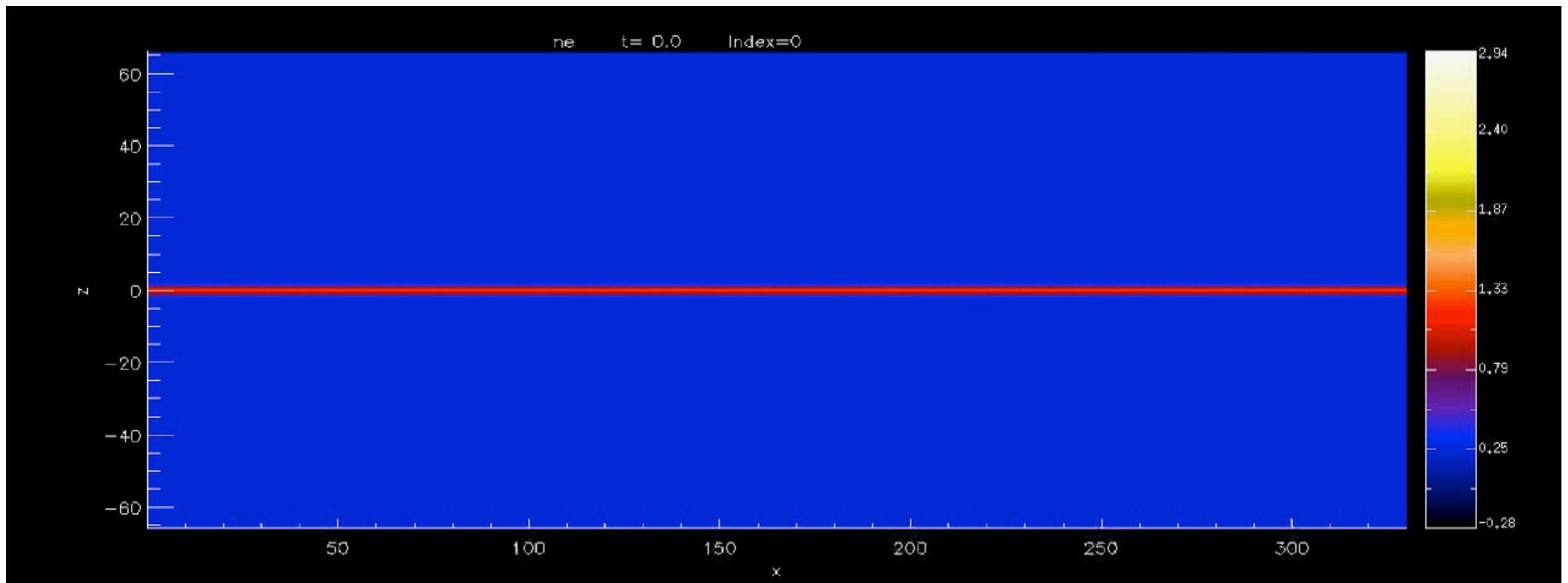
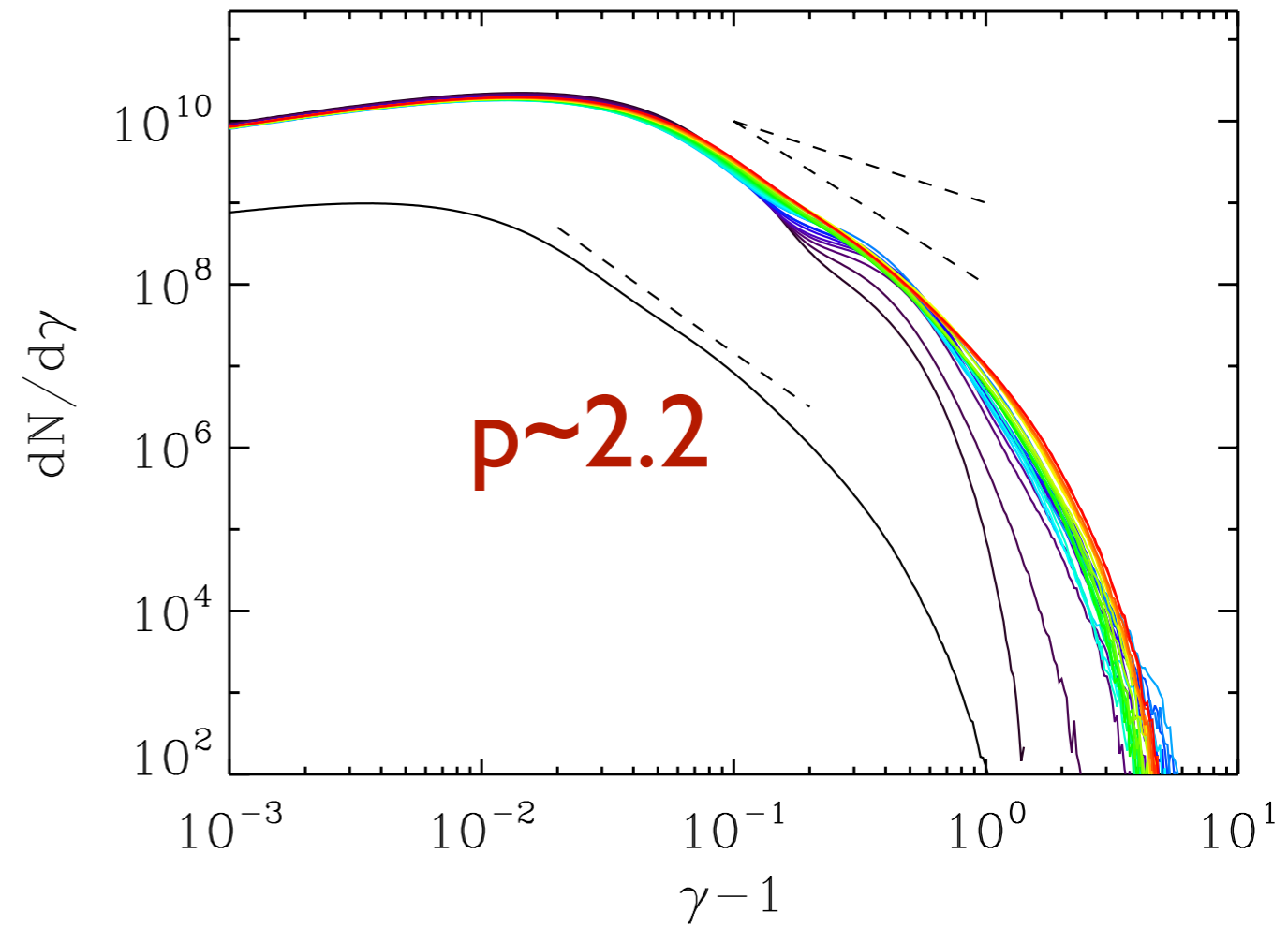
Two parts in the final solution:

- 1) Particles initially in the current layer: heated thermal distribution
- 2) Particles injected from upstream: power-law distribution

This explains a number of previous simulation results.

Both periodic (closed) and open boundary systems give spectral index $p \sim 1$ for high- σ case.

Open boundary simulations with $\sigma=0.25$



The property of relativistic reconnection ($\sigma \gg 1$)

- Efficient nonthermal particle acceleration and formation of hard power laws.
- Relativistic inflow and outflow Γ up to 10.
- Reconnection rate is enhanced (locally $R \sim 1$).
- 2D & 3D are similar. Why?
- Effect of boundary conditions: Periodic, Open, Line-tied...
- What's the implication to large-scale system (AGN, GRB, PWN, etc.)