

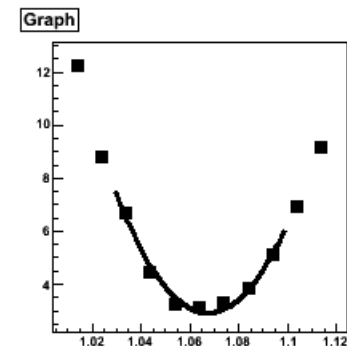
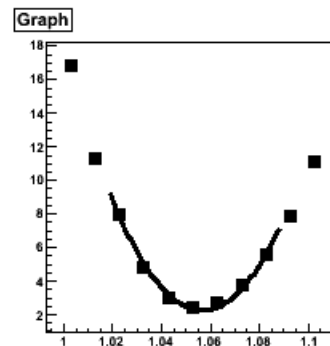
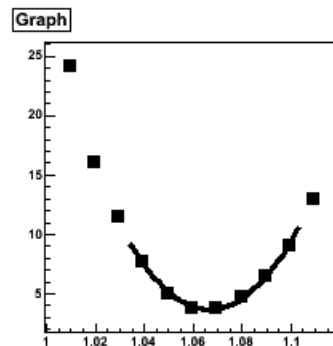
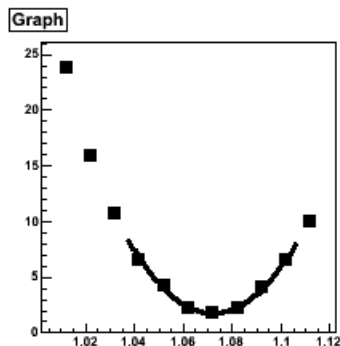
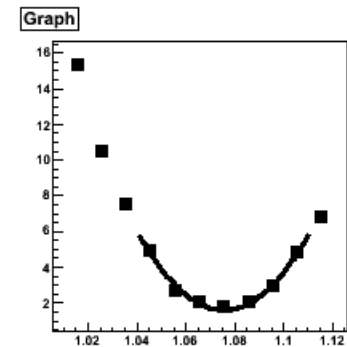
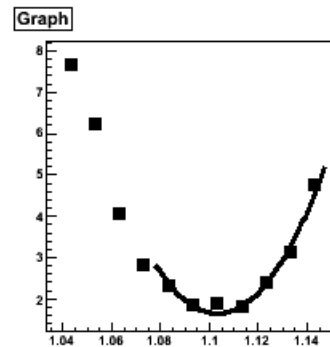
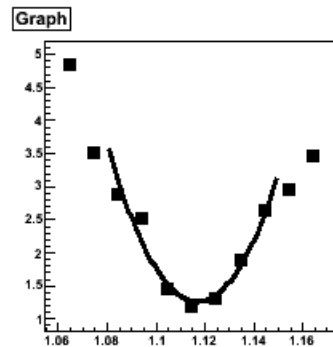
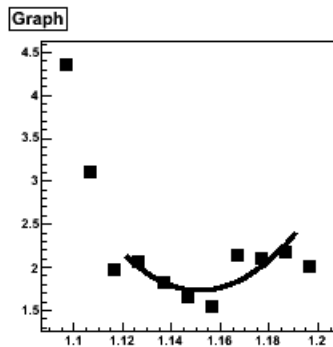


## Data/MC energy comparison for electrons at 1, 2.5, 5 GeV (PS runs)

- I had never looked to 1 and 2.5 GeV electrons runs (center of tower 2):
  - 1 GeV : 700001259
  - 2.5 GeV : 700001202
- I was just curious to see if these runs tend to favour a global scaling factor of  $\sim 0.93$  as the SPS runs seem to indicate
- And, as I should have expected, curiosity killed the cat...

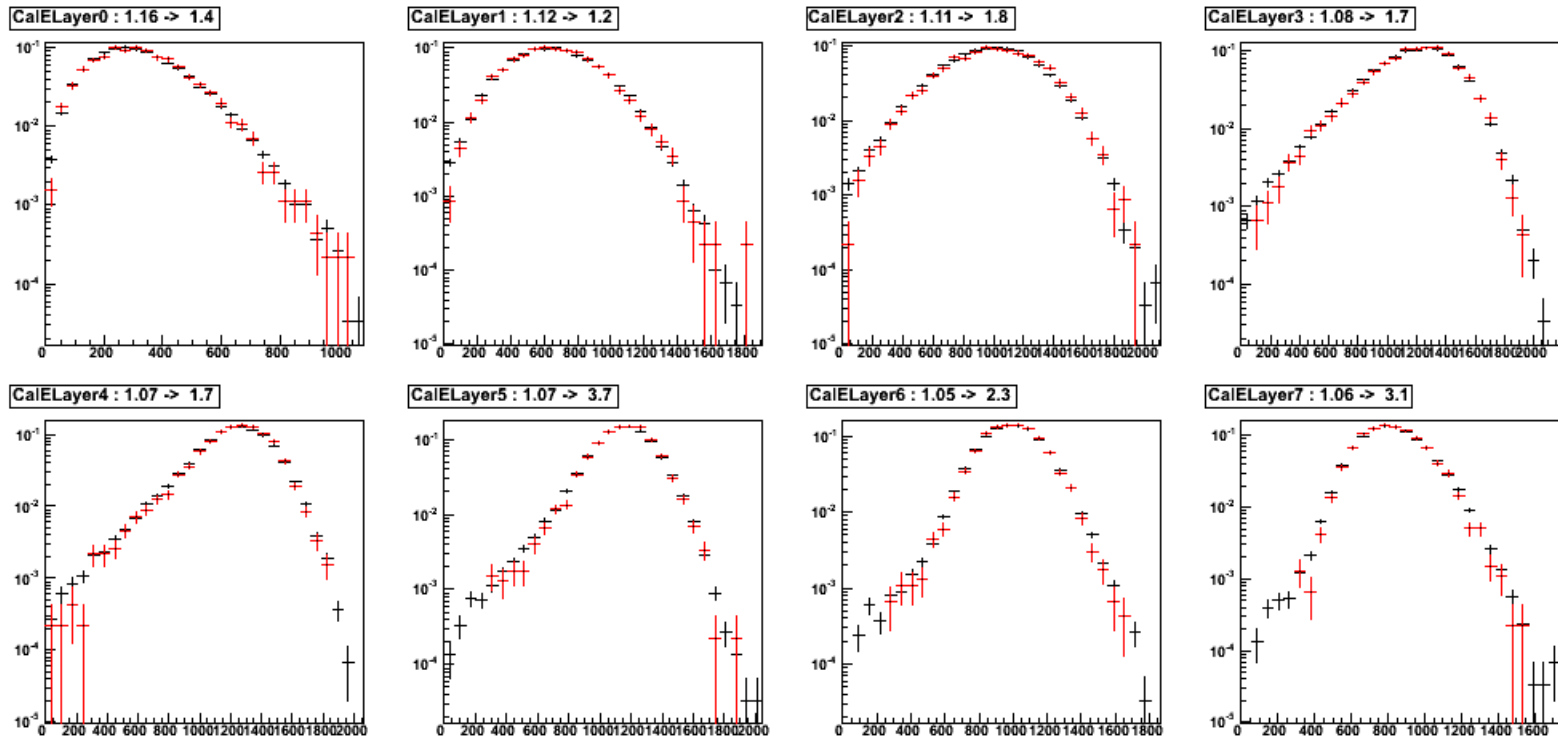
# Reminder of how I proceed (10 GeV, 0deg)

- For each layer, I look for the scaling factor  $f$  that minimizes the difference between the distribution of CalELayer for data and the distribution of ( $f \times$  CalELayer) for MC
- Here are the plots of the "chi2" as function of  $f$  for the 8 layers for the run 700002338 (10 GeV, 0 deg) that allow me to find the optimal  $f$  :



# Reminder of how I proceed (10 GeV, 0deg)

Here are the plots of CalELayer for data and ( $f \times$  CalELayer) for MC for the 8 layers for the run 700002338 (10 GeV, 0 deg). You can see the nice agreement I get.

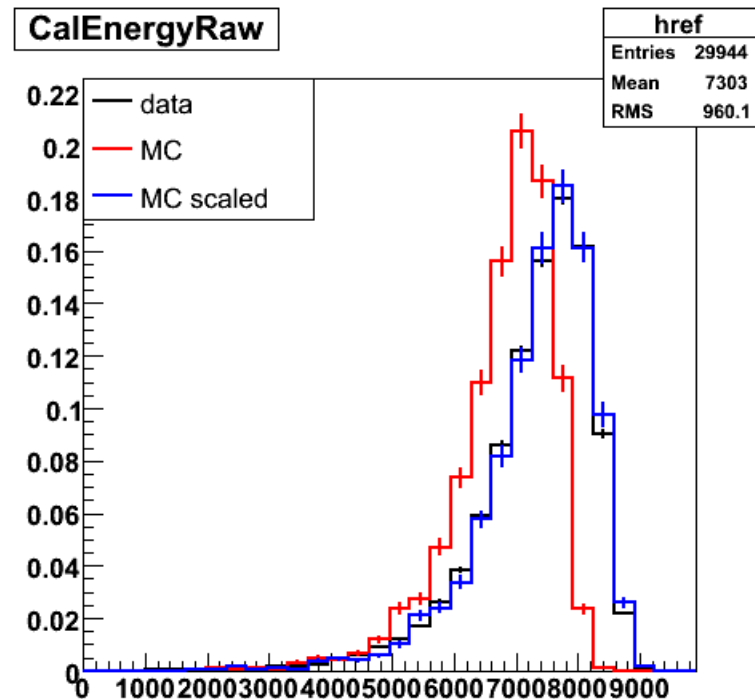
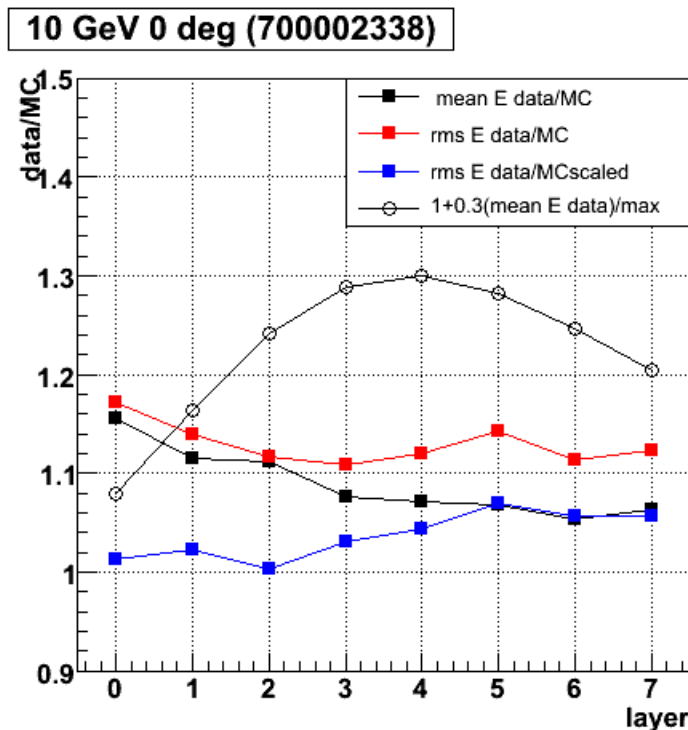


# Reminder of how I proceed (10 GeV, 0deg)

Here is the summary plot for the run 700002338 (10 GeV, 0 deg). Right : the CalEnergyRaw distribution. Left :

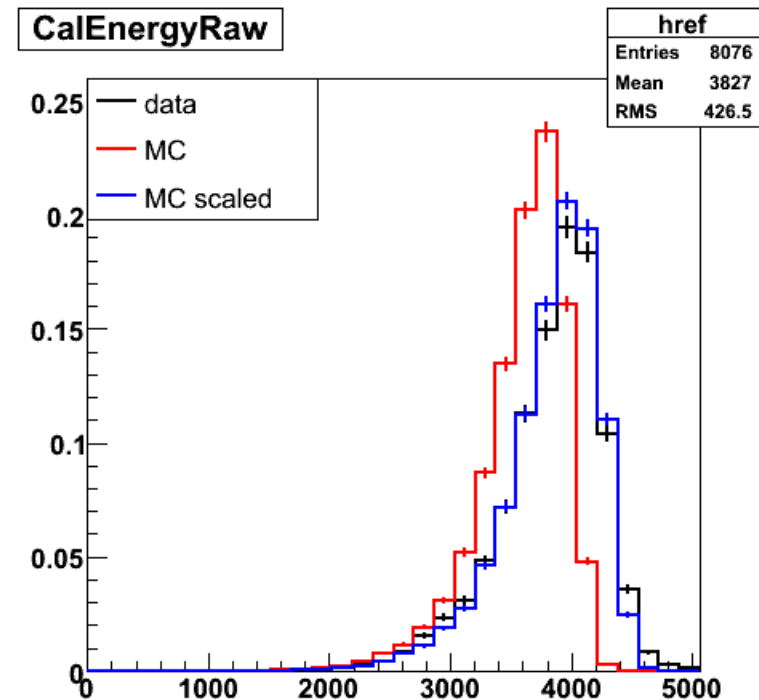
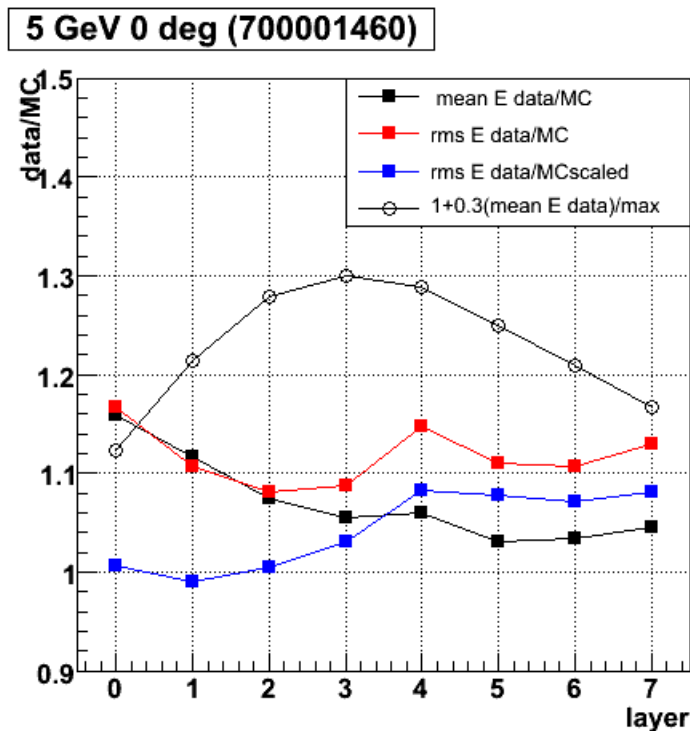
- Black : the optimal scaling factor as function of the layer : from 15% to 8%
- Red : the ratio of the rms of the CalELayer distributions in data over the rms in MC
- Blue : the same as the red one, except that the rms for MC is when applying the optimal scaling factor

You can see that after rescaling, the agreement is good (and ~also for the rms)



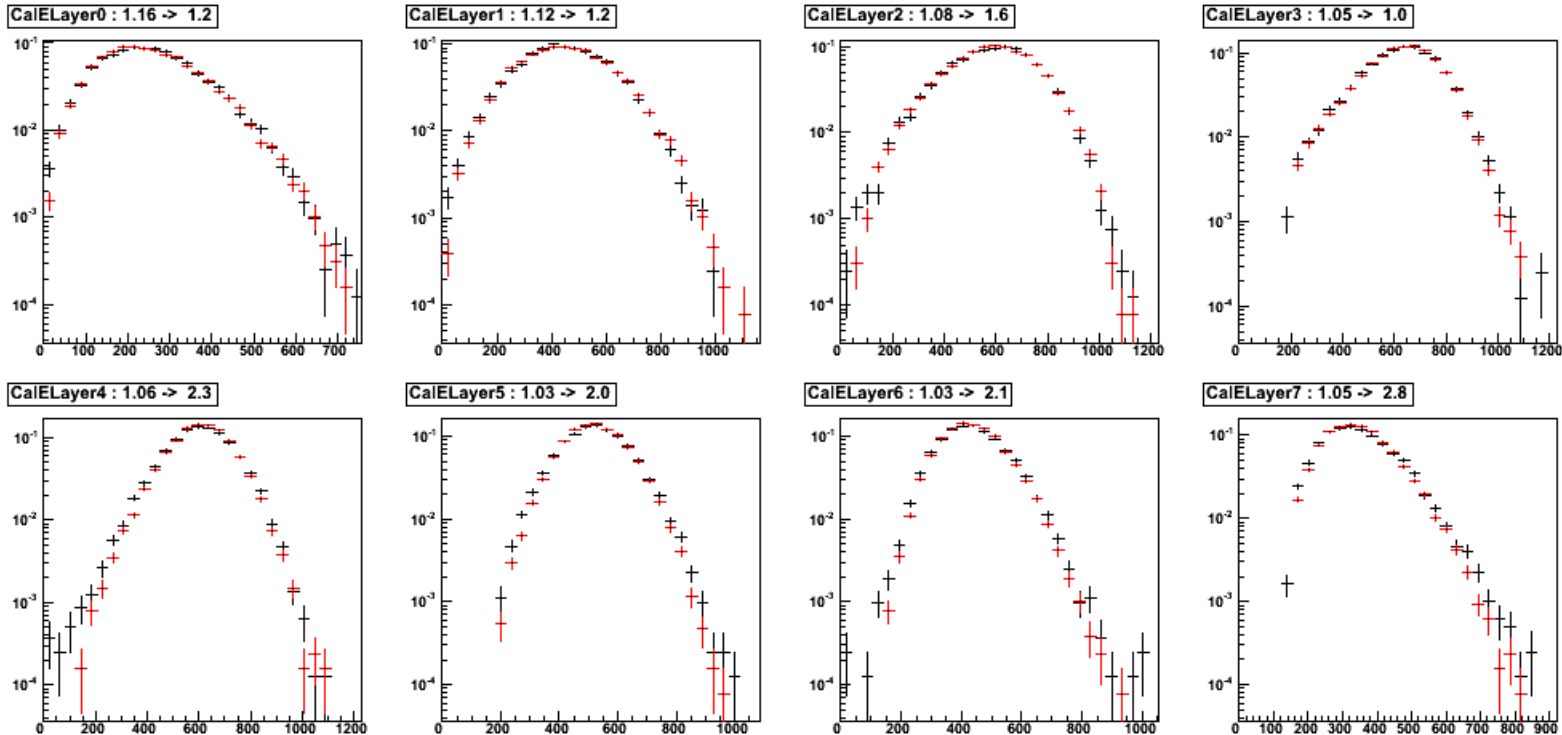
# Results at 5 GeV, 0deg

- Here is the summary plot for the run 700001460 (5 GeV, 0 deg), taken at PS.
- You can see that the results are very similar to what we have at 10 GeV (SPS).  
**So there is no big change between PS and SPS !**
- (the rms is larger for the last layers, but it is mainly due to an artefact due to cuts applied on non-scaled variables)



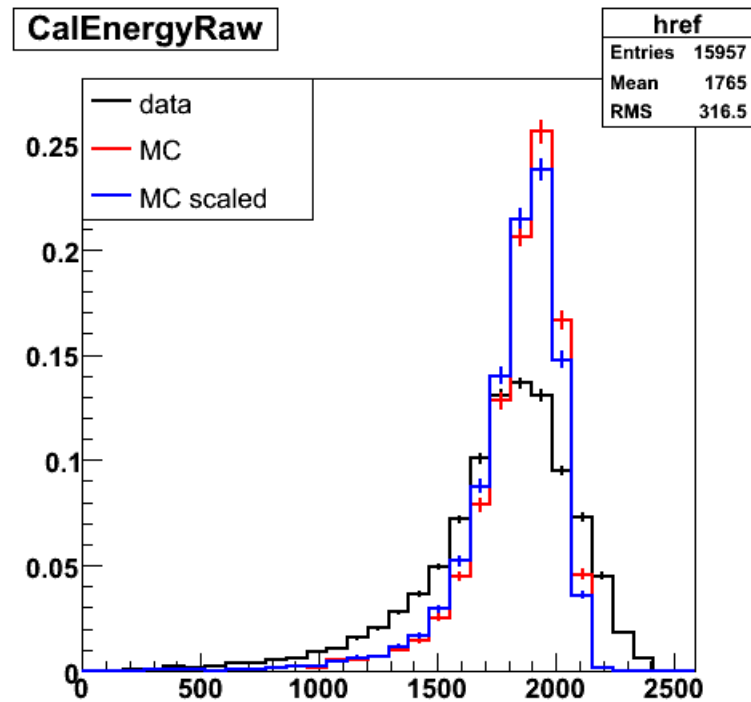
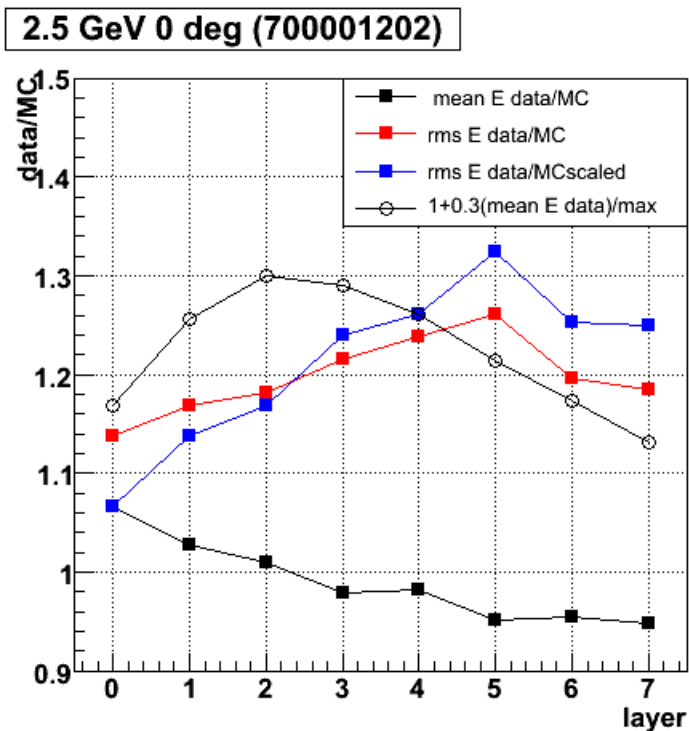
# Results at 5 GeV, 0deg

- Here are the plots of CalELayer for data and ( $f \times$  CalELayer) for MC for the 8 layers for the run 700001460 (5 GeV, 0 deg). You can see the nice agreement between data and MC after rescaling.



# Results at 2.5 GeV, 0deg

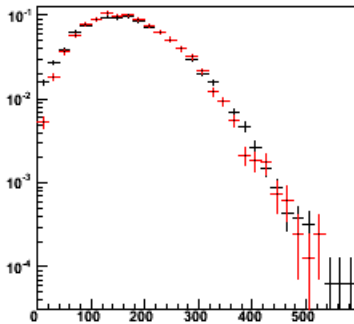
- Here is the summary plot for the run 700001202 (2.5 GeV, 0 deg), taken at PS.
- You can see that the results are NOT similar to what we have at 5 and 10 GeV :
  - The scaling factors go from 8% to -5%
  - The rms after rescaling do not reproduce the data



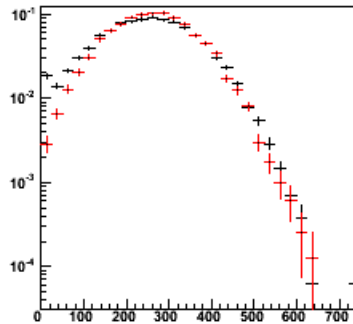
# Results at 2.5 GeV, 0deg

- Here are the plots of CalELayer for data and ( $f \times$  CalELayer) for MC for the 8 layers for the run 700001202 (2.5 GeV, 0 deg). You can clearly see that the rms are not well reproduced.

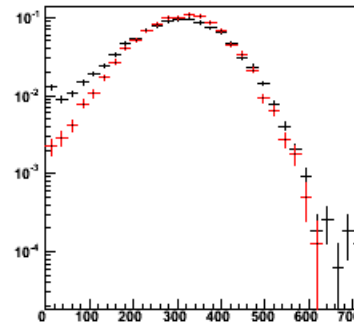
CalELayer0 : 1.07 -> 4.3



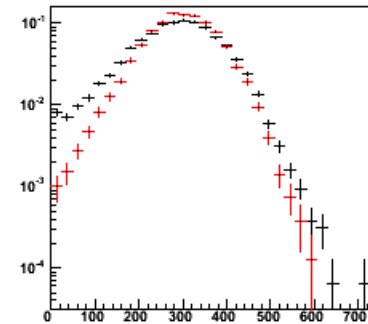
CalELayer1 : 1.03 -> 10.9



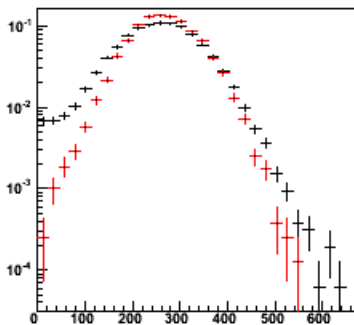
CalELayer2 : 1.01 -> 11.3



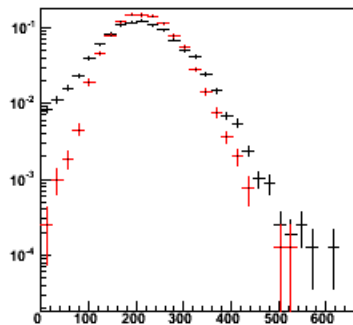
CalELayer3 : 0.98 -> 17.4



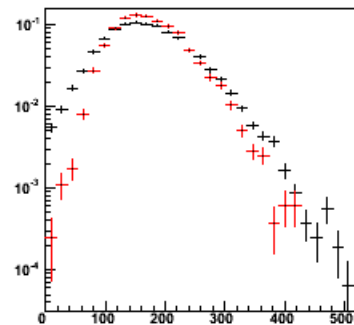
CalELayer4 : 0.98 -> 21.6



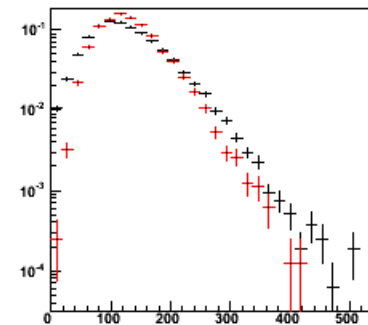
CalELayer5 : 0.95 -> 32.8



CalELayer6 : 0.95 -> 26.2



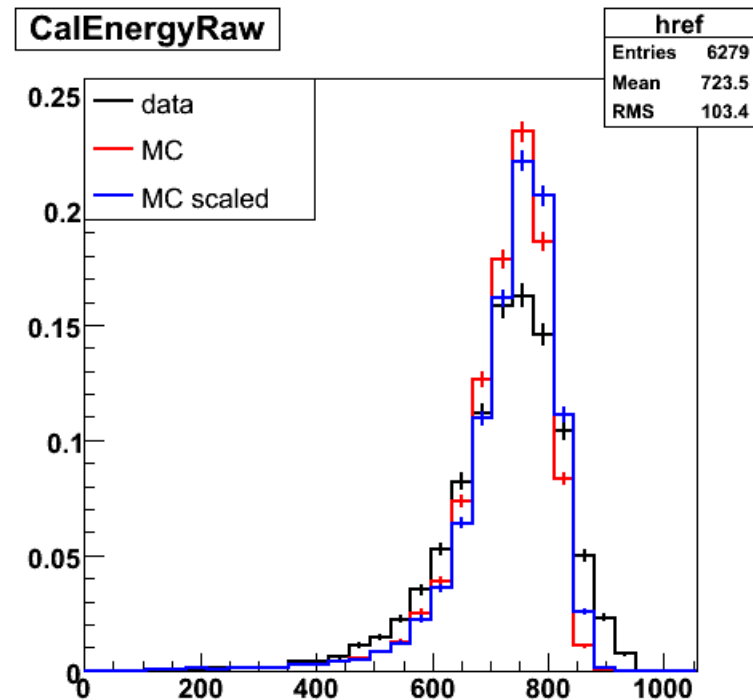
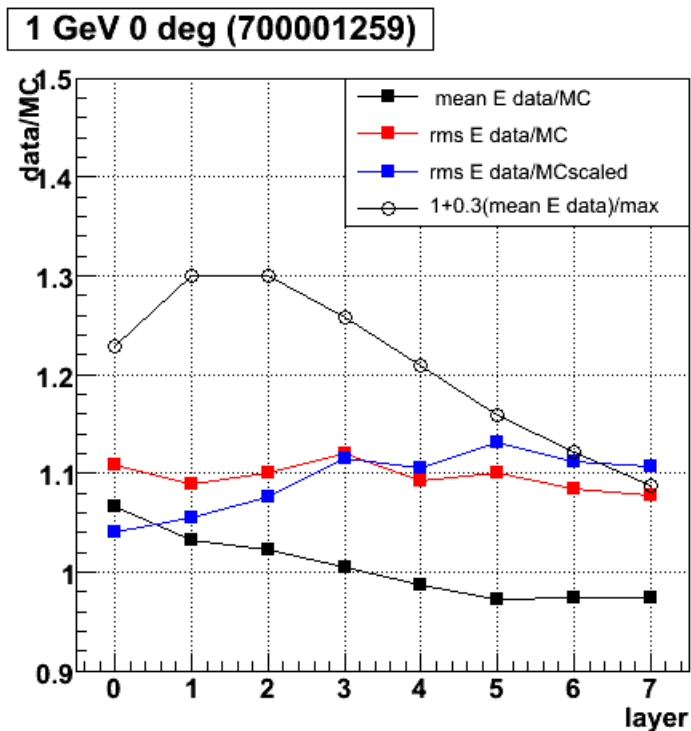
CalELayer7 : 0.95 -> 26.4





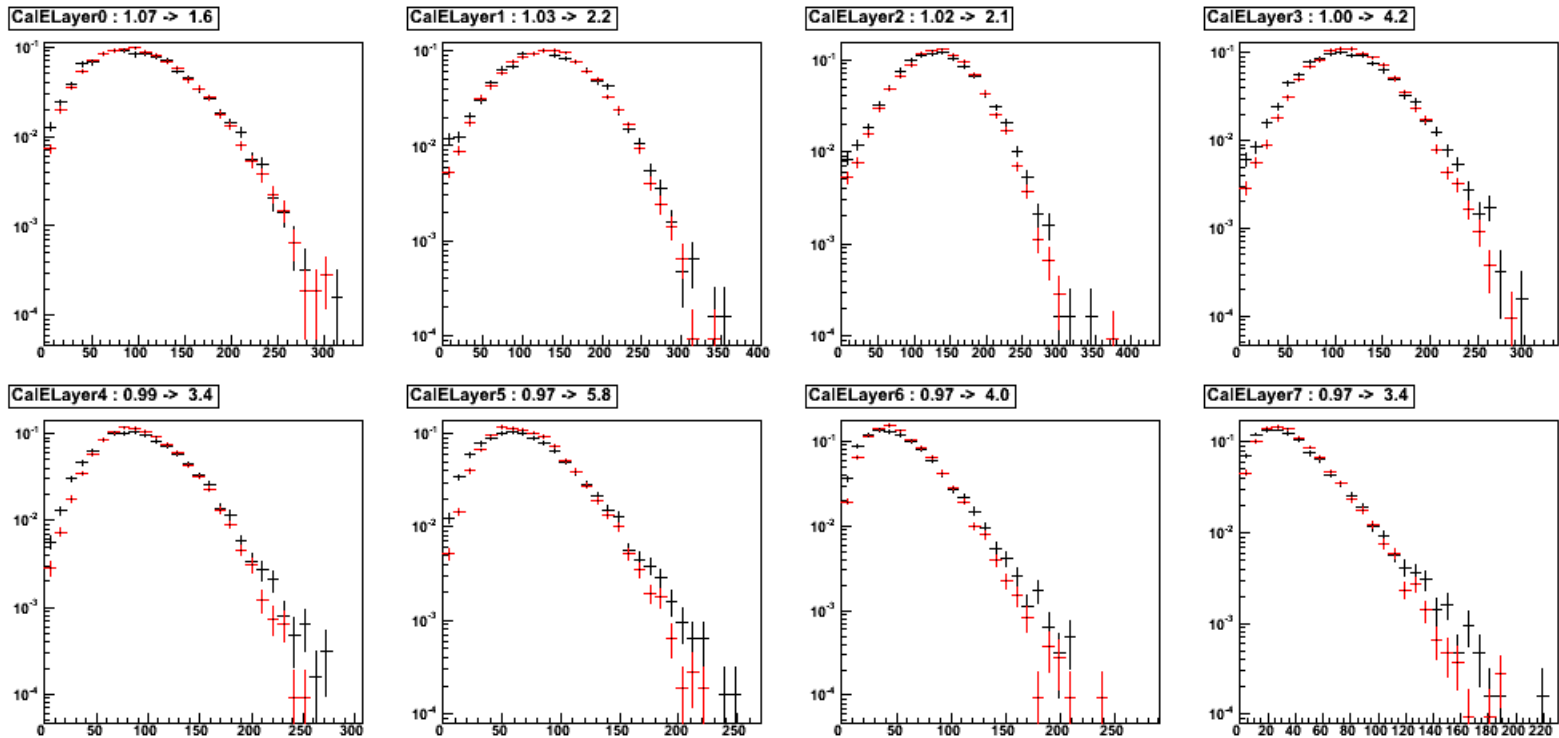
# Results at 1 GeV, 0deg

- Here is the summary plot for the run 700001259 (1 GeV, 0 deg), taken at PS.
- You can see that the results are similar to the results at 2.5 GeV and NOT similar to what we have at 5 and 10 GeV :
  - The scaling factors go from 8% to -2%
  - The rms after rescaling do not reproduce the data (it's less but than at 2.5 GeV)



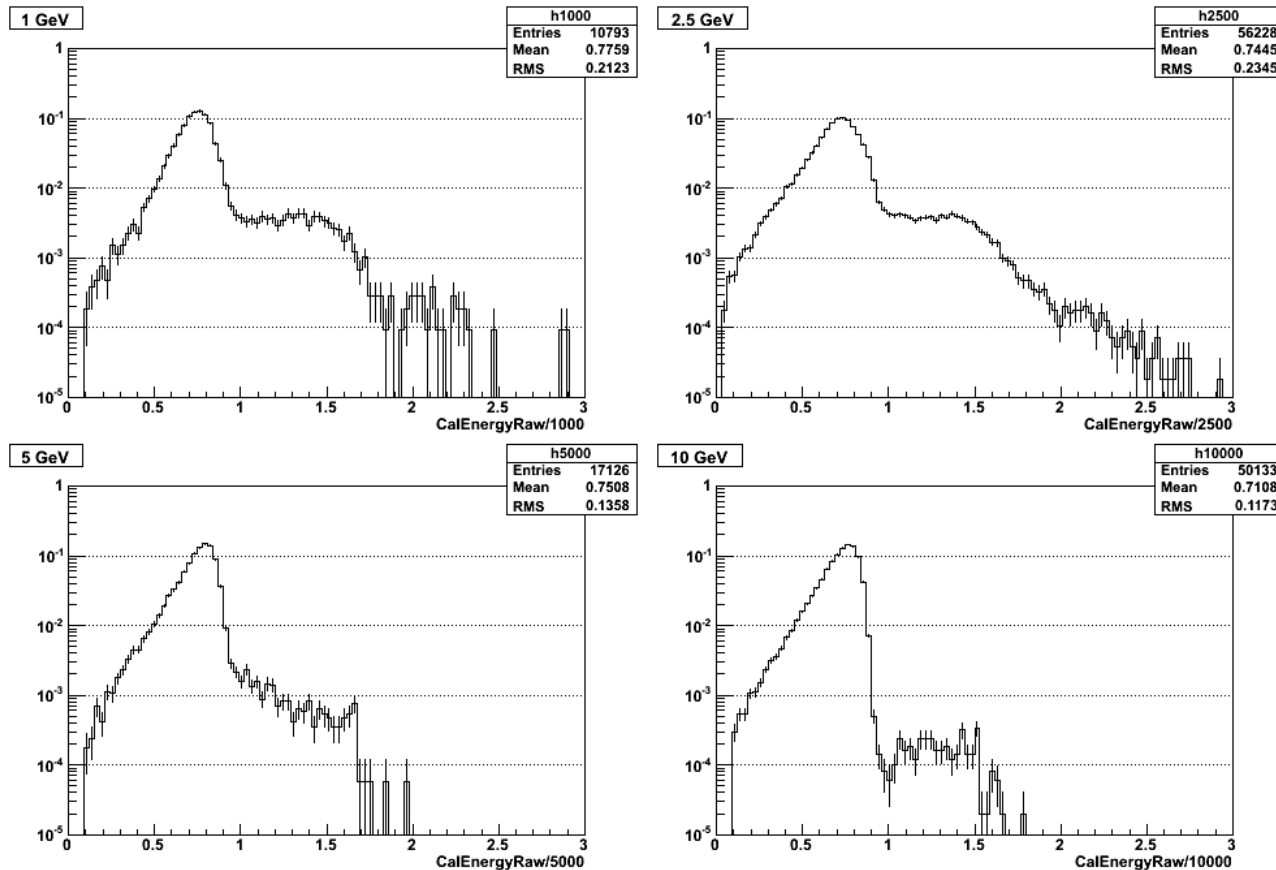
# Results at 1 GeV, 0deg

- Here are the plots of CalELayer for data and ( $f \times$  CalELayer) for MC for the 8 layers for the run 700001259 (1 GeV, 0 deg).



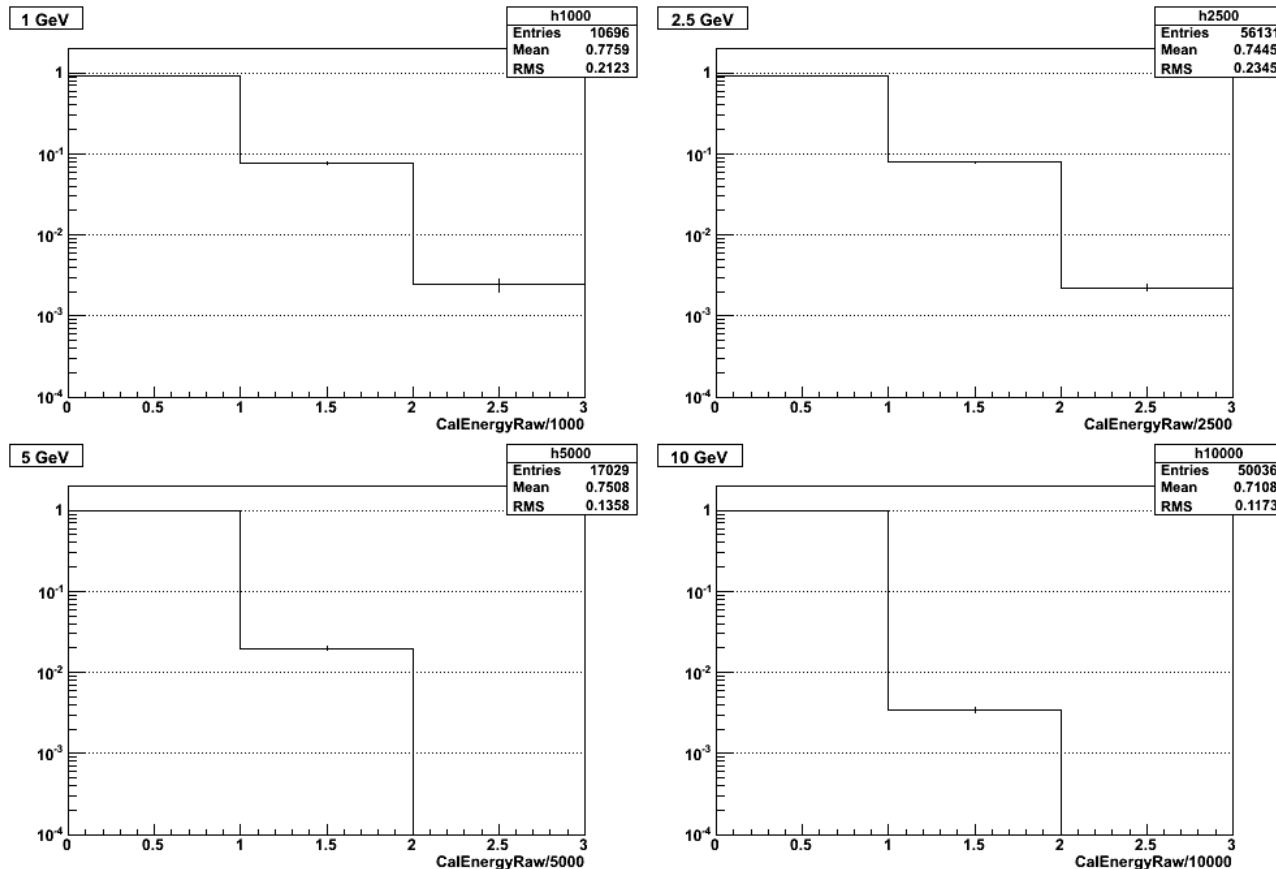
# Why 1 and 2.5 GeV results are different than for $E \geq 5$ GeV

- All the results in the slides before have been obtained rejecting multi-electrons events ( $\text{CalEnergyRaw} < E_{\text{Beam}}$ )
- Let's look at the  $\text{CalEnergyRaw}$  distribution without cuts :



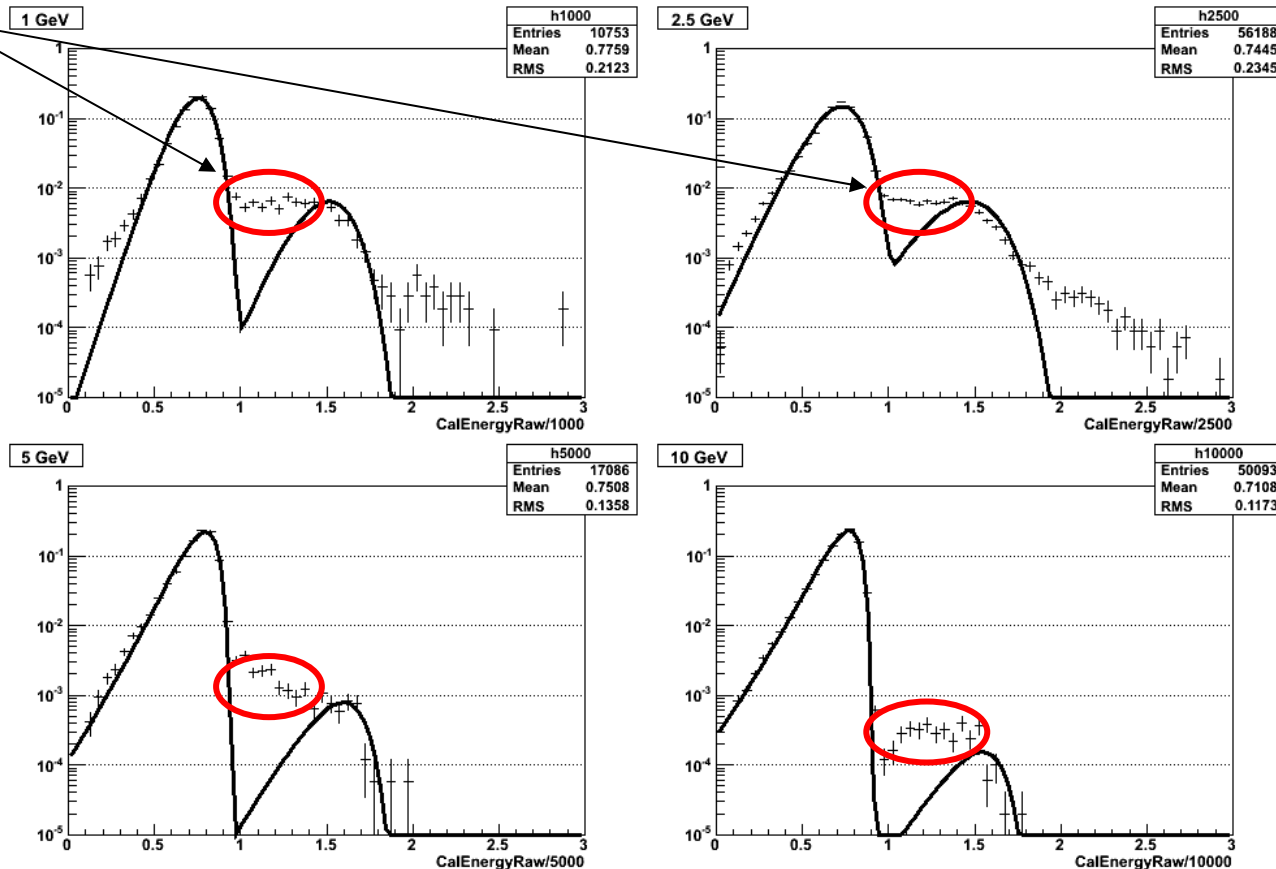
# Multi-electrons event rate

- Same histograms as in precedent slide, but with nbin=3 to estimate the multi-electrons event fraction : the 1 and 2.5 GeV runs are the ones with larger 2-electrons fraction (~9%).



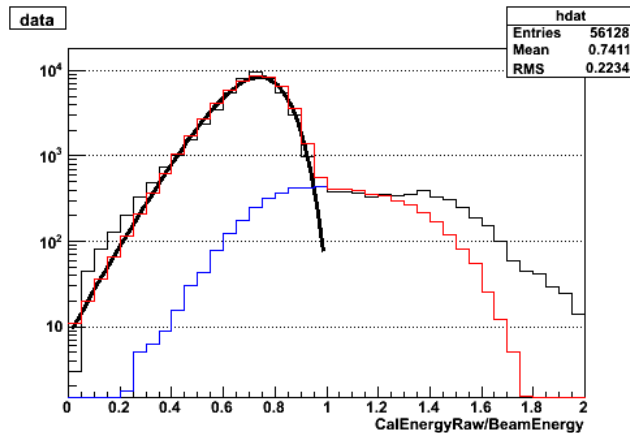
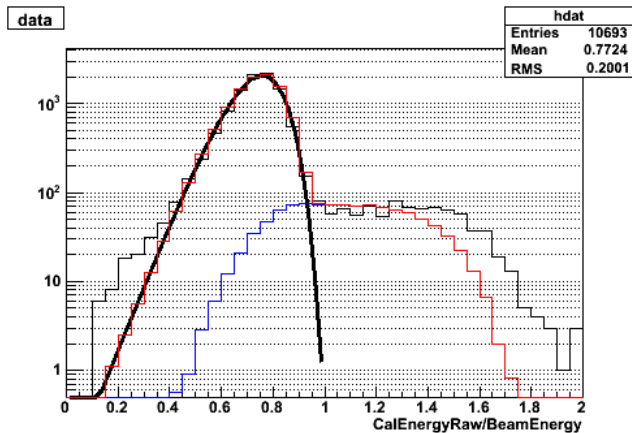
# Multi-electrons fit

Fit the histograms with  $f_{ln} + [f_{ln} + f_{ln}]$ , where  $f_{ln}$  is a lognormal (for the 1 electron peak) and  $[f_{ln} + f_{ln}]$  is the sum of two variables distributed as  $f_{ln}$  (for the 2-electrons peak) : it doesn't work. The reason : the 2 electrons are not in time  $\rightarrow$  one of them is badly measured  $\rightarrow$  it fills the region between the two peaks.



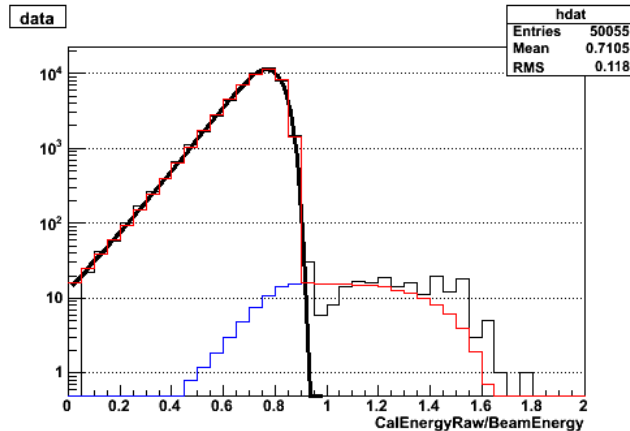
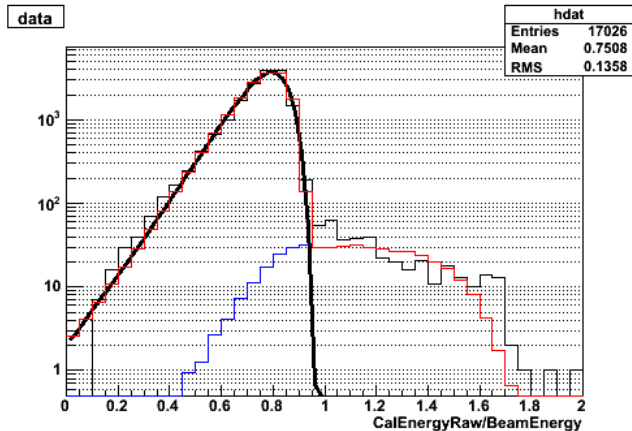
# Multi-electrons fit

Let's try :  $f_{ln} + [f_{ln} + f_{ln} * Rndm()]$ , where  $Rndm()$  simulates the fact that there is one electron which is badly measured (the measured energy is the expected deposited energy times a random number between 0 and 1)



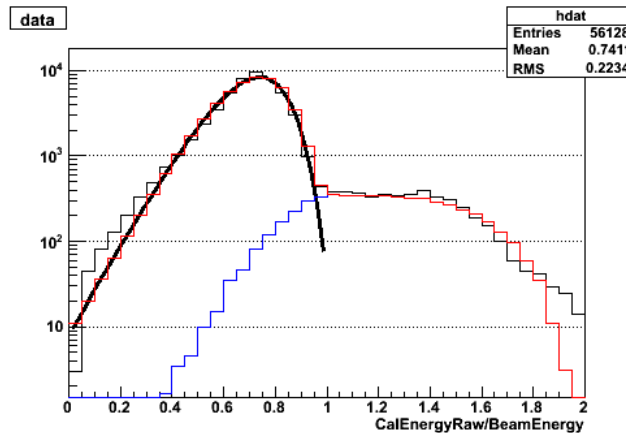
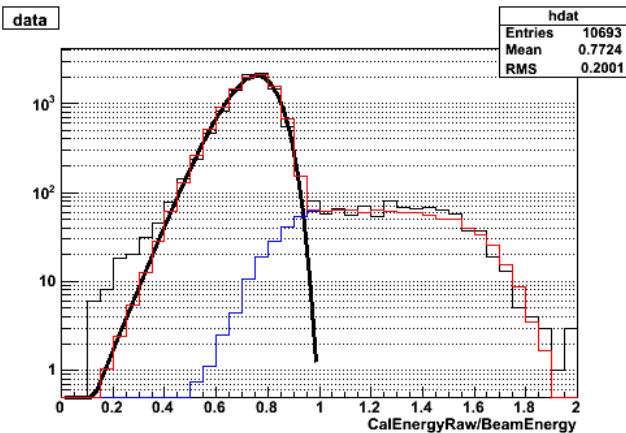
Black : data  
Blue :  $[f_{ln} + f_{ln} * Rndm()]$   
Red :  $f_{ln} + \text{blue} = \text{total}$

It works better, but  
the second peak is  
still not well fitted.



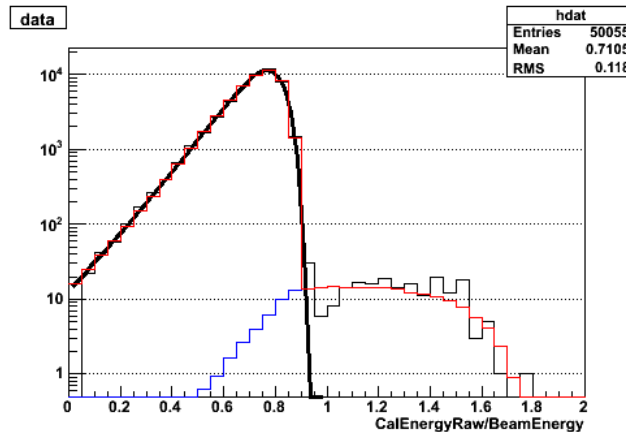
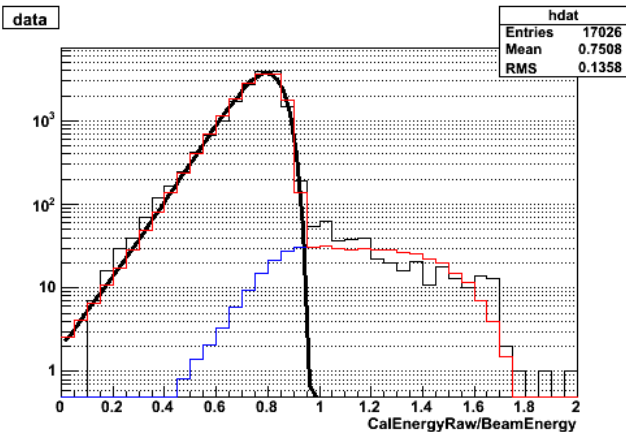
# Multi-electrons fit

- Let's try :  $f \ln + [f \ln 2 + f \ln 2 * \text{Rndm}()]$ , where  $f \ln 2$  is like  $f \ln$  except for the peak position which is scaled by a factor  $f$ .



Black : data  
 Blue :  $[f \ln 2 + f \ln 2 * \text{Rndm}()]$   
 Red :  $f \ln + \text{blue} = \text{total}$

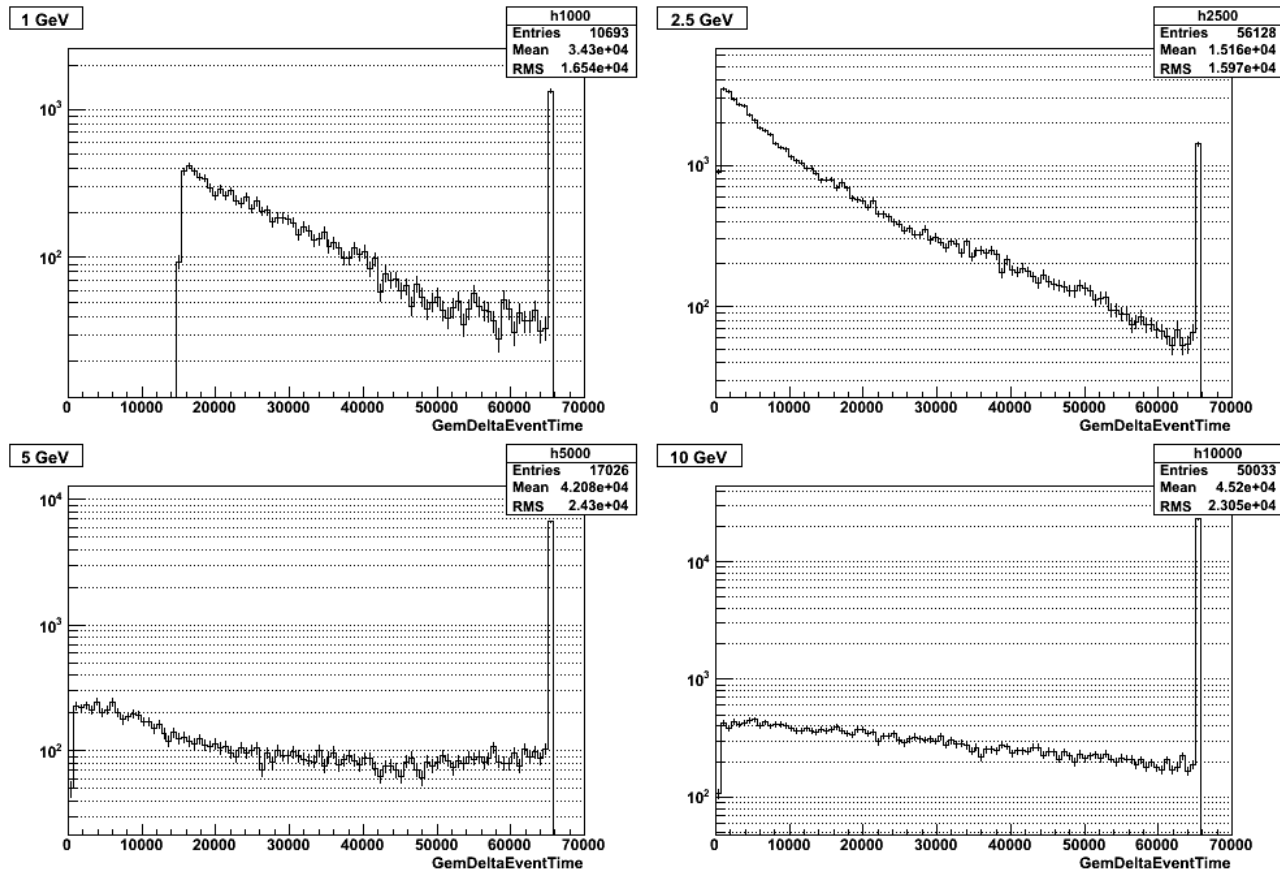
It works better. But what does it mean ? Factor  $f =$   
 1.12 at 1 GeV  
 1.15 at 2.5 GeV  
 1.02 at 5 GeV  
 1.07 at 10 GeV



The 2-electrons pollution in  
 The 1-electron sample is  
 ~2% at 1 GeV  
 ~2.5% at 2.5 GeV  
 0.9% at 5 GeV  
 0.1% at 10 GeV

# Event rate

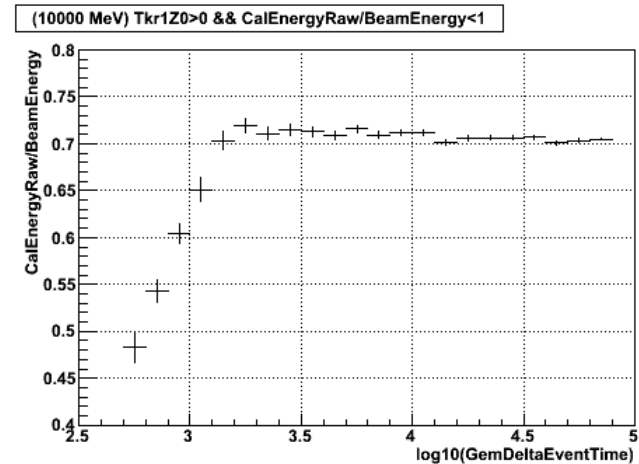
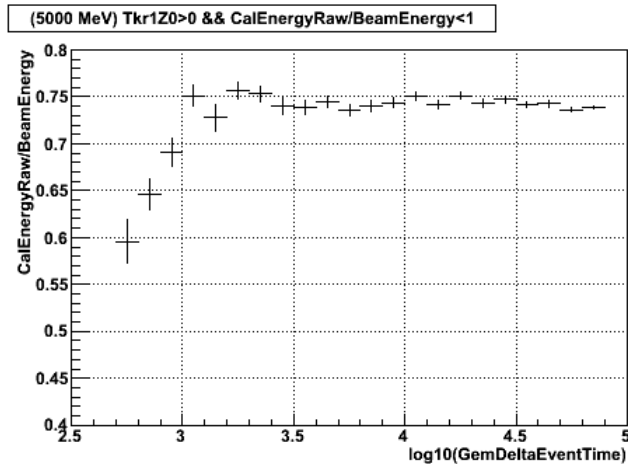
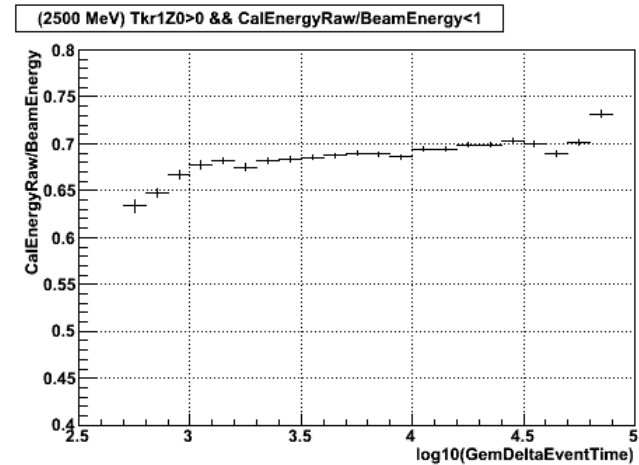
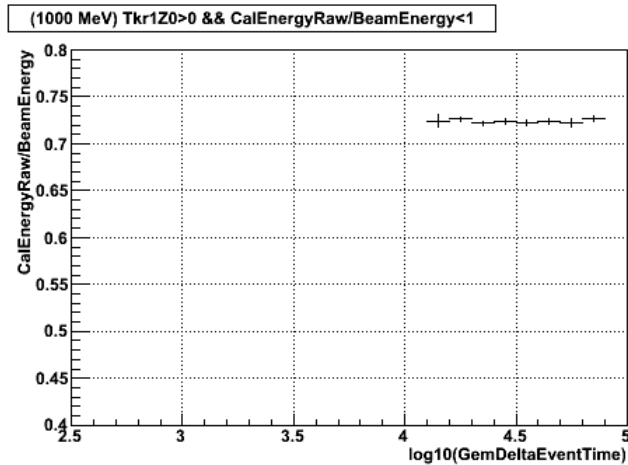
The GemDeltaEventTime histograms show that the true particle rate was higher at 1 and 2.5 GeV than at 5 and 10 GeV.





# Event rate and energy

Look at the average  $CalEnergyRaw$  as function of  $\log_{10}(GemDeltaEventTime)$ . We can see that at very low  $GemDeltaEventTime$ , the deposited energy is underestimated. Nothing striking at large values of  $GemDeltaEventTime$  (except at 2.5 GeV).



# Conclusions

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- The 2 runs at 1 and 2.5 GeV exhibit a difference with the other electron runs : they don't agree with a global scaling factor of 0.93 (though tagged gammas agree)
- Why ? No answer yet, but the high rate could be a cause :
  - 2-electrons pollution : it means that the real 1-electron peak would be a bit lower...
  - Pedestal shift (?) : it would mean that the real 1-electron peak would be higher
- We have to understand this different behaviour
  - Last minute idea : the runs at 1 and 2.5 GeV have been taken with the Si chambers in the beam line, but not the 5 GeV run. Is it the case in the MC ? More X0 at 1 and 2.5 GeV would mean less deposited energy.
- Is the 2-electrons pollution a problem for the tracker variables ?