



ROYAL INSTITUTE
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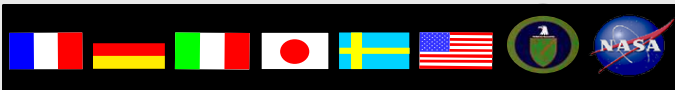


Bremsstrahlung photons at PS

(created December 6, 2006)

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Information

- Runs used for analysis:

Data:

**700001182 (v1r030603p9) – fullbrems γ
2.5 GeV, 0 deg, xyz = [201, 0, 0]**

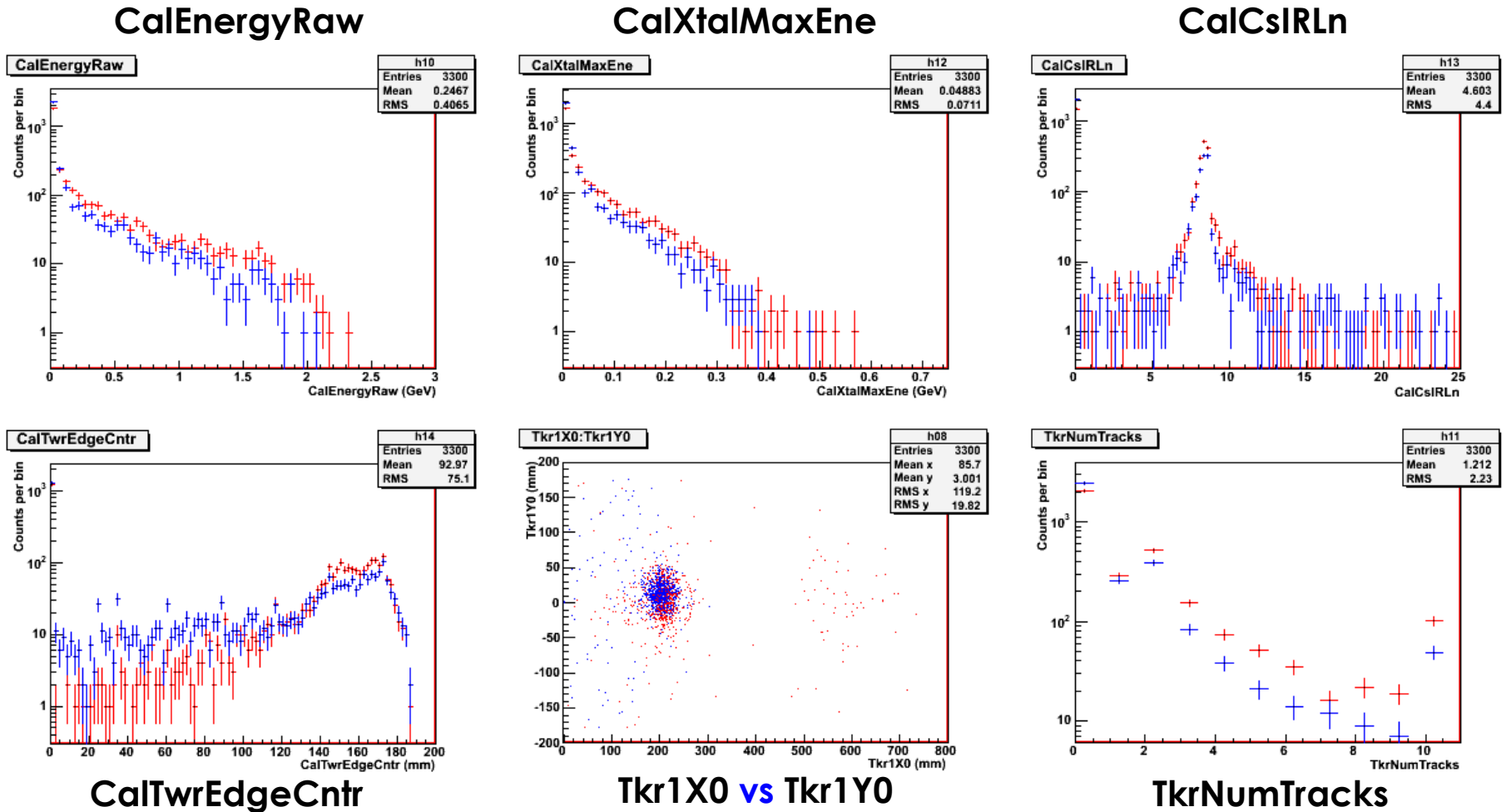
MC:

**0129 (v5r3p4(?))– fullbrems γ
2.5 GeV, 0 deg, xyz = [201, 13.9, -47.4]**

(note: not exactly the same position)

- Distributions normalized by the number of counts

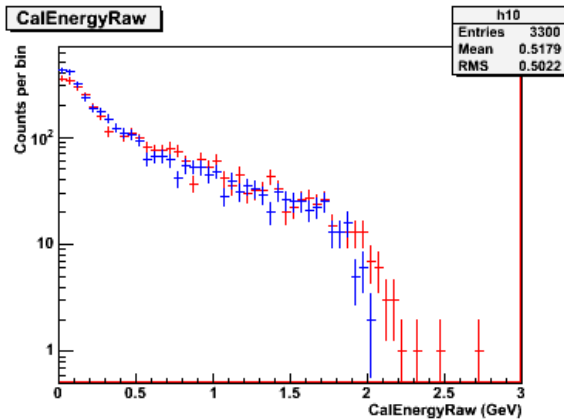
Variables used for cuts – before cut



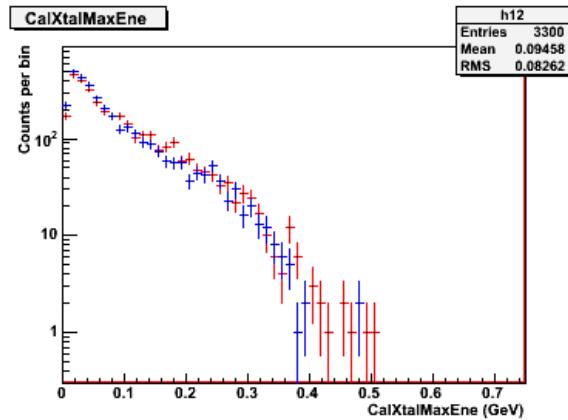
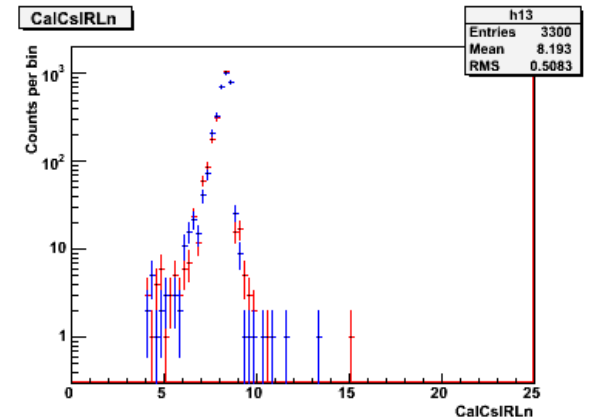
■ DATA
■ MC

Variables used for cuts – after cut

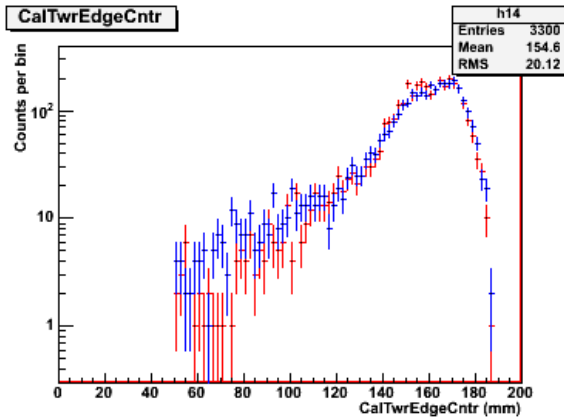
CalEnergyRaw > 10 MeV



CalXtalMaxEne > 5 MeV

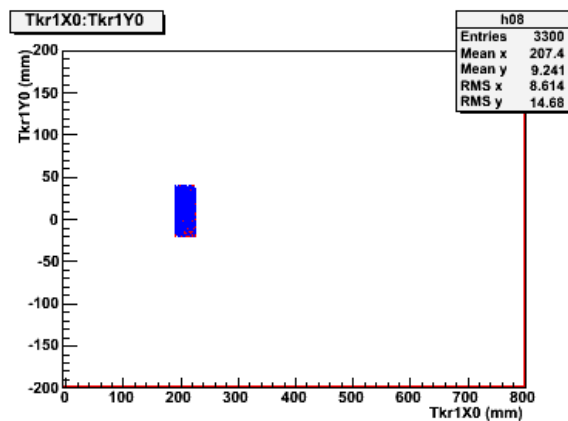
CalCsIRLn > 4 X₀

CalTwrEdgeCntr



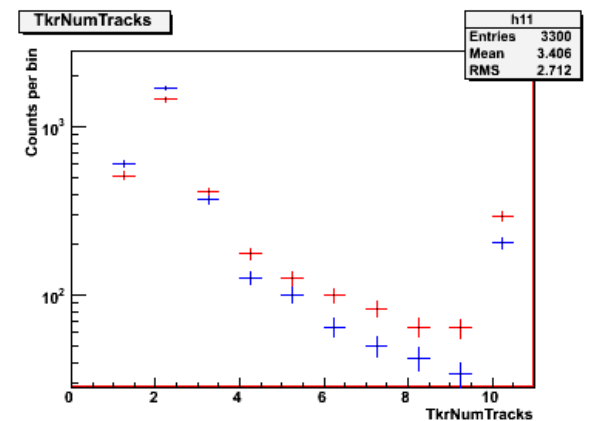
CalTwrEdgeCntr > 50 mm

Tkr1X0:Tkr1Y0



190 mm < Tkr1X0 < 225 mm
 -20 mm < Tkr1Y0 < 40 mm

TkrNumTracks

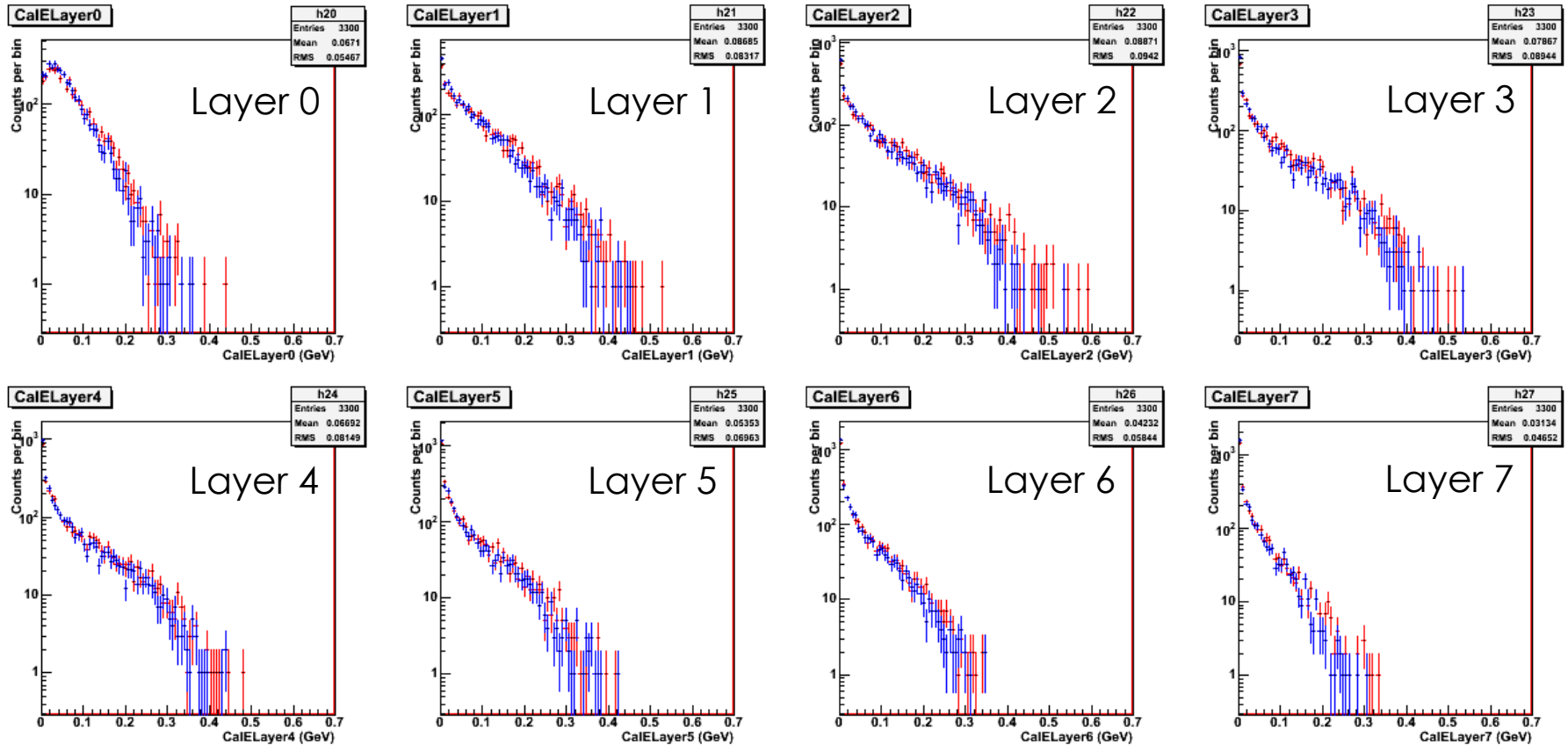


TkrNumTracks > 0

■ DATA
 ■ MC

Events left: 3300

Energy in calorimeter layers - qualitatively

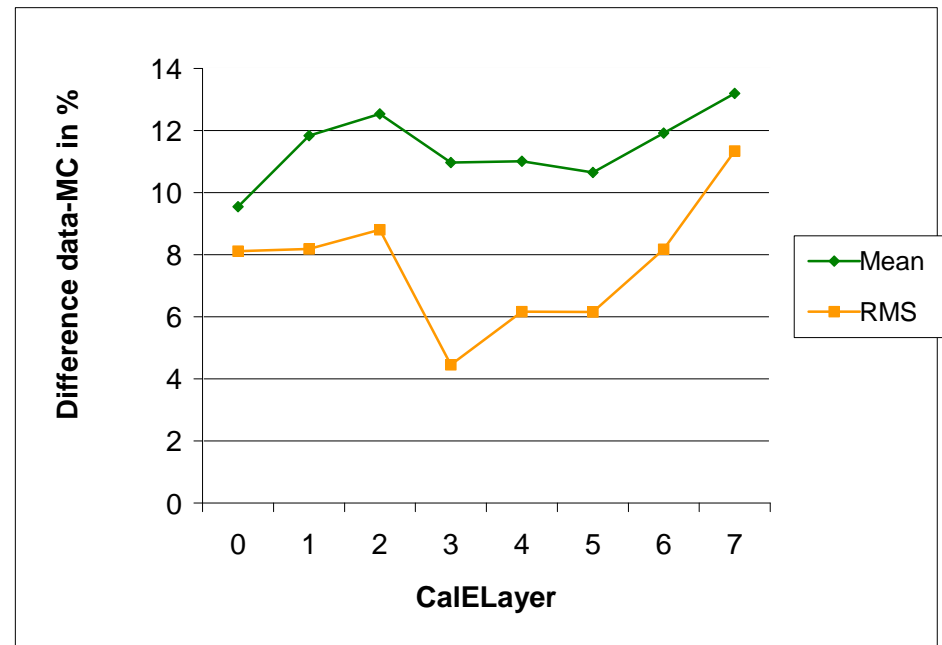


DATA
MC

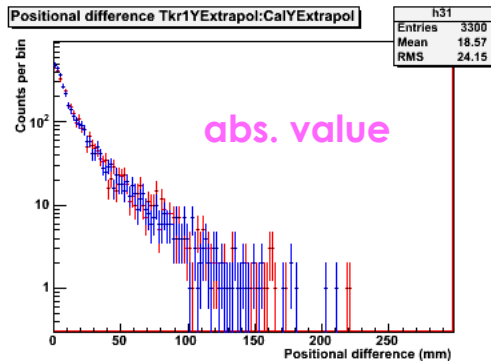
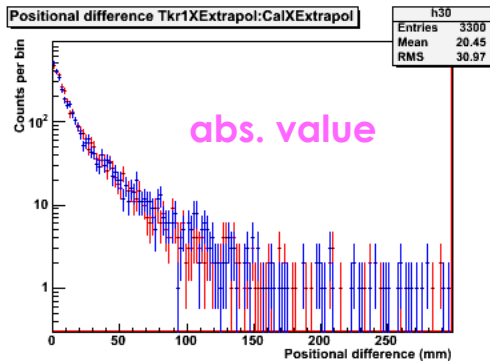
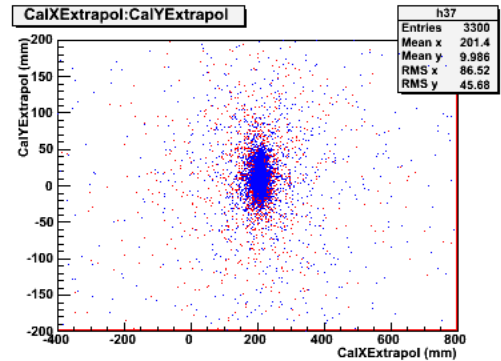
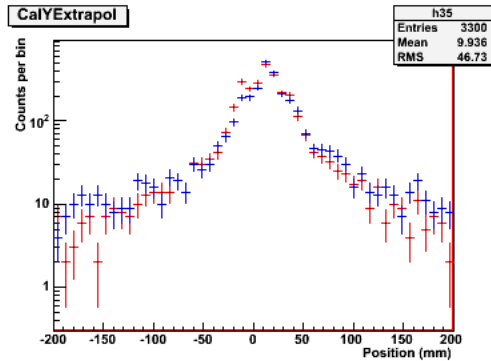
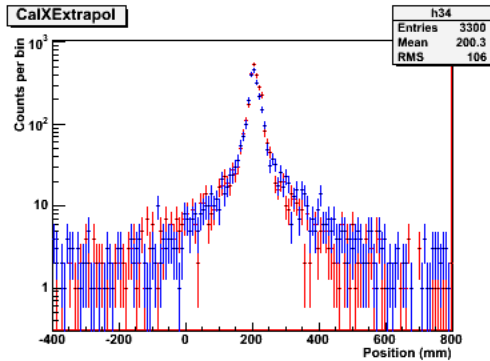
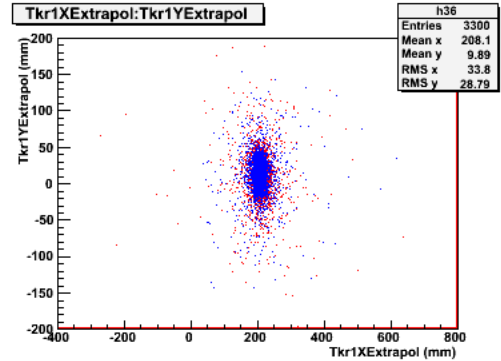
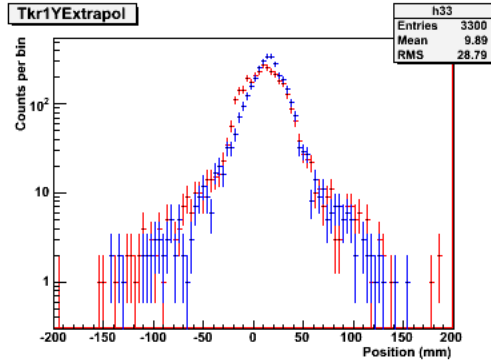
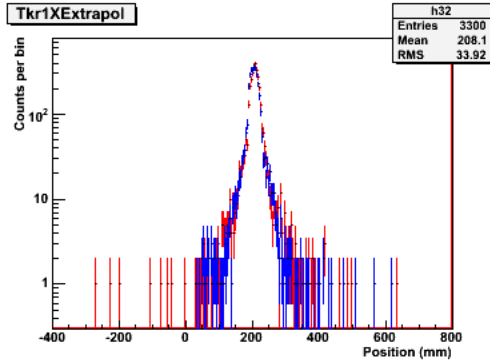
Energy in calorimeter layers - quantitatively

Moments comparison between **data** and **MC**
~10 % difference → The calibration issue?

CalELayer	Mean (MeV)	RMS (MeV)
0	67.0997 60.6948	54.6750 50.2390
1	86.8539 76.5774	83.1665 76.3547
2	88.7056 77.5877	94.2034 85.9081
3	78.6671 70.0377	89.4300 85.4455
4	66.9250 59.5572	81.4859 76.4615
5	53.5314 47.8309	69.6341 65.3499
6	42.3209 37.2790	58.4369 53.6610
7	31.3352 27.2015	46.5152 41.2417



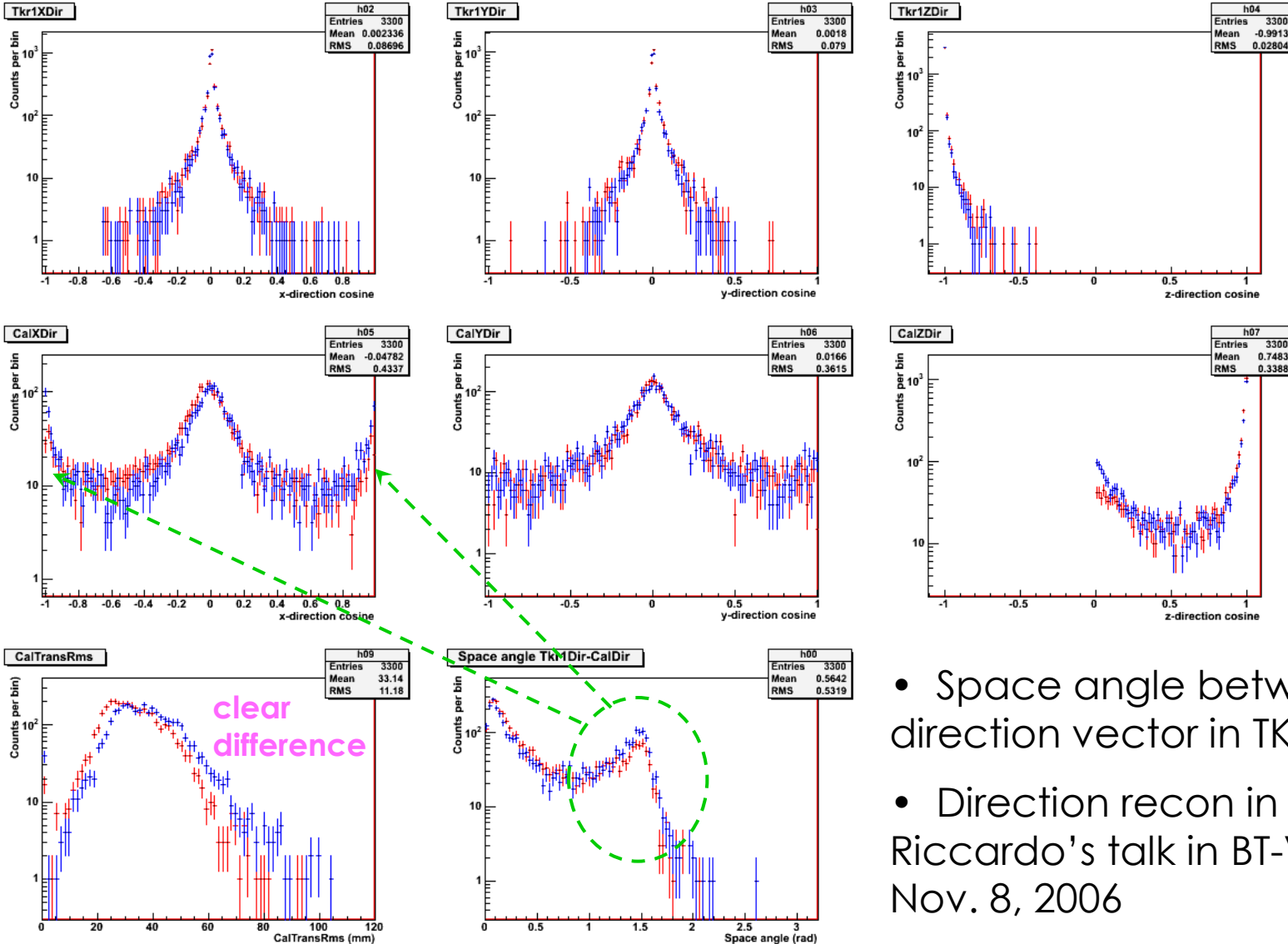
Position in TKR vs CAL - qualitatively



- Position from TKR and CAL ctnr extrapolated to top of CAL

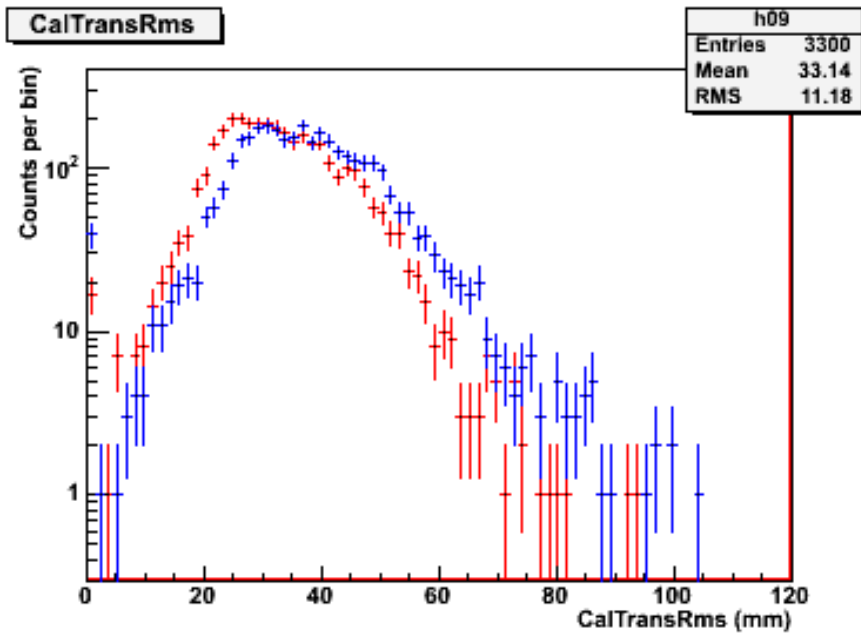
■ DATA
■ MC

Direction in TKR vs CAL - qualitatively

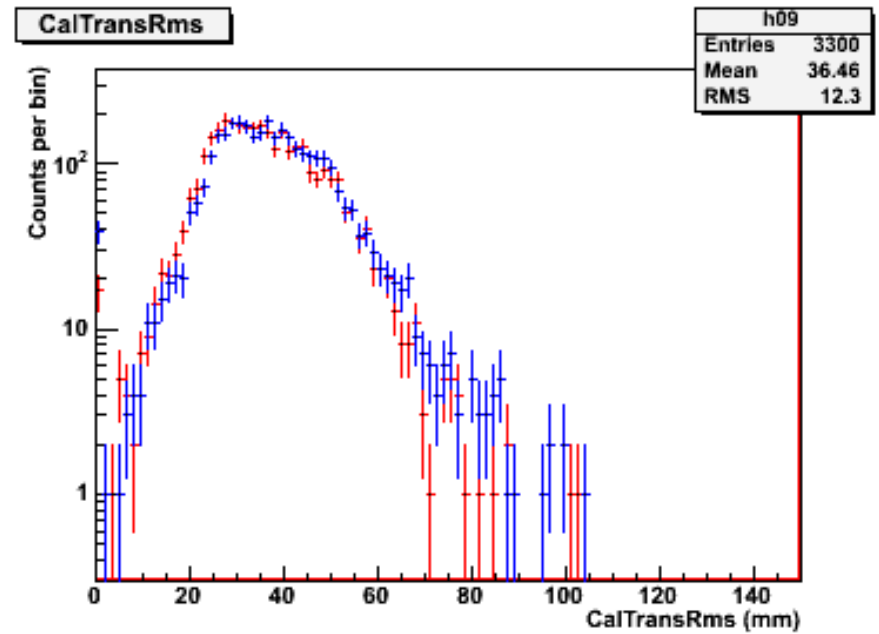


- Space angle between direction vector in TKR and CAL
- Direction recon in CAL fails! Riccardo's talk in BT-VRVS Nov. 8, 2006

CalTransRms



No scaling



Data scaled up by 10%

■ DATA
■ MC

- Shapes seem to be comparable

Position & direction - quantitatively

- 68% containment integrals of space angle and position distributions
- Kolmogorov statistical test for shape compatibility (0=bad, 1=good)

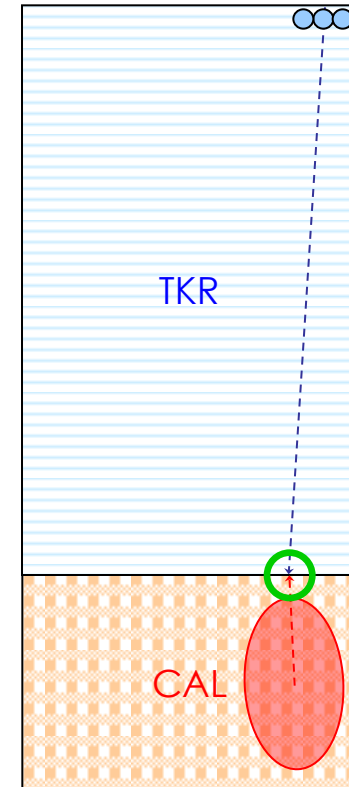
	Data 68%	MC 68%	Kolmogorov test
Direction	43.2392 ± 1.8655 deg	63.8477 ± 1.4993 deg	$3.7336 \cdot 10^{-13}$
Position X	18.1664 ± 0.5785 mm	18.6242 ± 0.6209 mm	0.445865
Position Y	18.0727 ± 0.5126 mm	17.1923 ± 0.5153 mm	0.315228

Summary/Conclusions

- The 10% difference in calorimeter layer variables. Calibration issue?
- Position reconstruction looks pretty good, shapes and quantiles are comparable
- Shapes are comparable in direction distributions but reconstruction in CAL is not working well. Perhaps related to presentation by **Riccardo** on BT-VRVS Nov. 8, 2006?
 - moments analysis seems to cause a radical direction change
- Why do 80% of the fullbrems photon events have no track associated (i.e. TkrNumTracks==0)?
- In conclusion, photons seem to be pretty well modeled in Geant4

Extra slide

- Study the difference between the recorded particle position in TKR and recorded centroid position in CAL, extrapolated to the top of the CAL
 - $Tkr1 [X/Y]_0$ – position at first hit in the TKR
 - $Cal[X/Y]_{Ecntr}$ – recorded position of CAL energy centroid
- Difference distributions calculated as the absolute value of the position difference



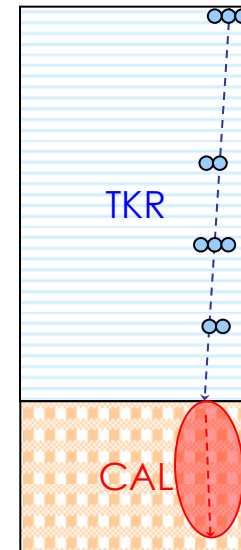
Simplified and exaggerated!

Extra slide

- Study the difference between the generated particle direction and the recorded particle direction in the calorimeter

$Tkr1[X/Y/Z]Dir$ – recorded particle direction cosines in the TKR for best track

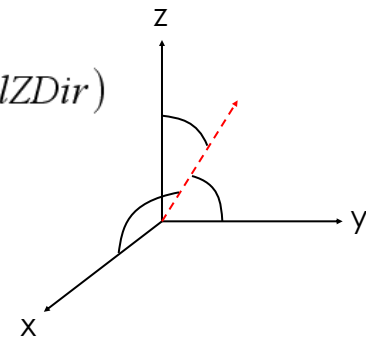
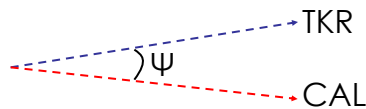
$Cal[X/Y/Z]Dir$ – recorded particle direction cosines in the CAL



Simplified and exaggerated!

- Space angle is given by

$$\psi = \pi - \arccos(Tkr1XDir \cdot CalXDir + Tkr1YDir \cdot CalYDir + Tkr1ZDir \cdot CalZDir)$$



Extra slide

- The 68% integral is done with **GetQuantiles (quantile)** in ROOT, which calculates a given fractional (quantile) integral starting from the left and gives the space angle corresponding to that fraction
- Error in counts is assumed to have binomial distribution

$$\Delta N = \sqrt{N_{tot} \cdot Quantile (1 - Quantile)}$$

- New integrals are calculated for
 $Quantile \pm \Delta N / N_{tot}$
- Symmetric error is assumed
 $Error = 0.5 \cdot ((Q + \Delta N / N_{tot}) - (Q - \Delta N / N_{tot}))$

