
HPS 2016 SIMP Displaced Vertex Search Reach Estimate

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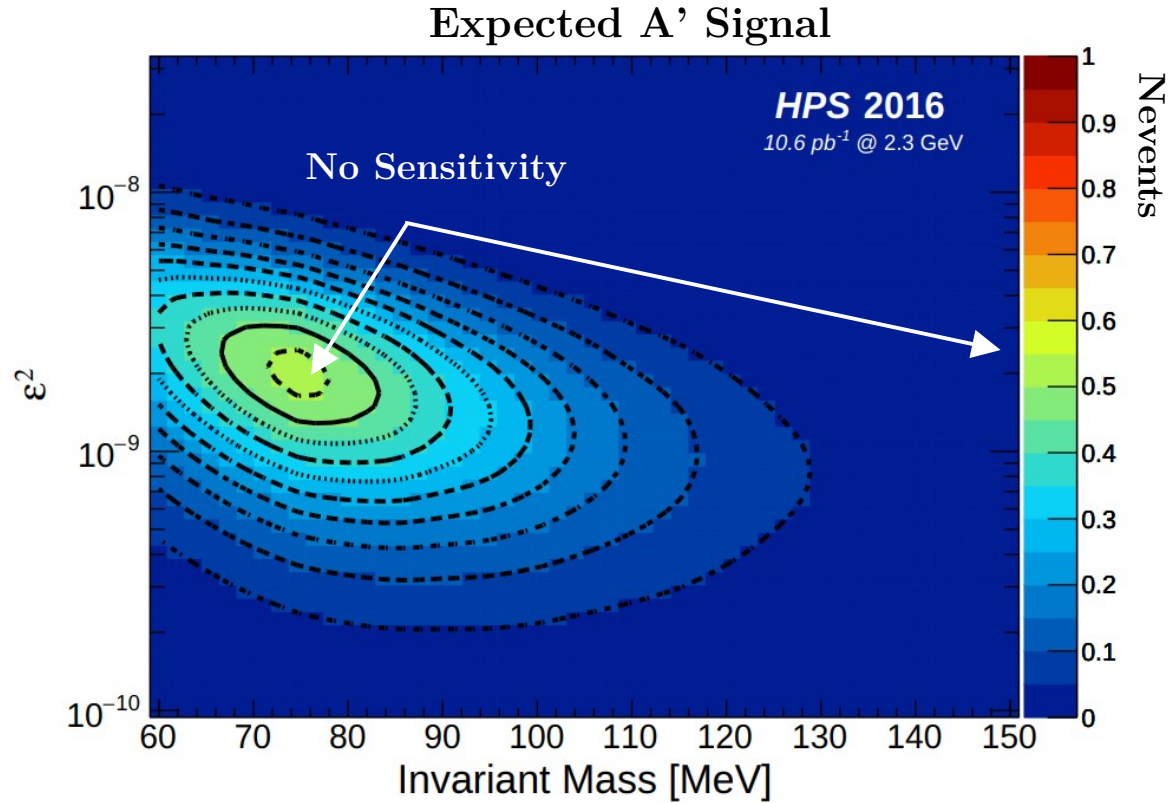
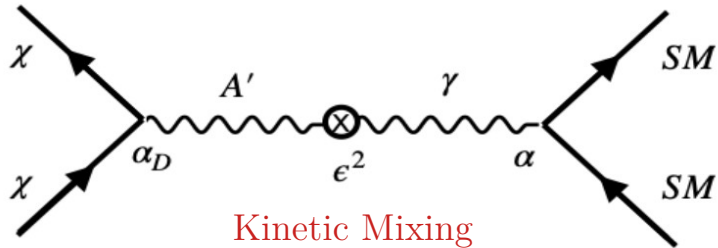
UNIVERSITY OF CALIFORNIA
SANTA CRUZ



Thermal Dark Matter Hidden Sectors

Hidden Sector (HS) models can produce the correct Dark Matter (DM) thermal relic abundance for sub-GeV DM

While not sensitive to canonical displaced A 's in the 2016 Engineering run...HPS expects sensitivity to more complex Hidden Sectors



Strongly Interacting Massive Particles (SIMPs)

Extend A' HS: include **strongly self-interacting massive particles (SIMPs)**[1]



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- **Dark pions ($\boldsymbol{\pi}_D$)** \leftarrow DM Candidates
- **Dark vector mesons (\mathbf{V}_D)**

$$m_v \sim m_\pi$$



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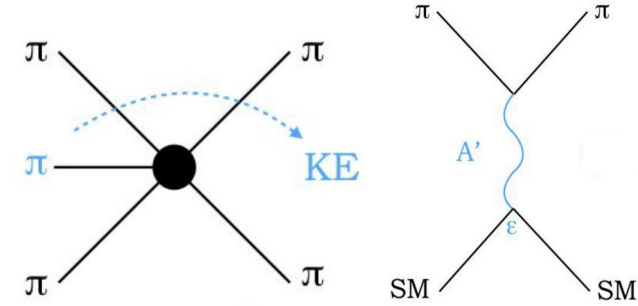
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New freeze-out mechanism 1: $3\pi_D \rightarrow 2\pi_D$ annihilation

- Correct relic abundance for strong-scale π_D self-interaction and $m_{\pi_D} \sim 100$ MeV [2]
- “SIMP Miracle”



Heavy Photon maintains
kinetic equilibrium



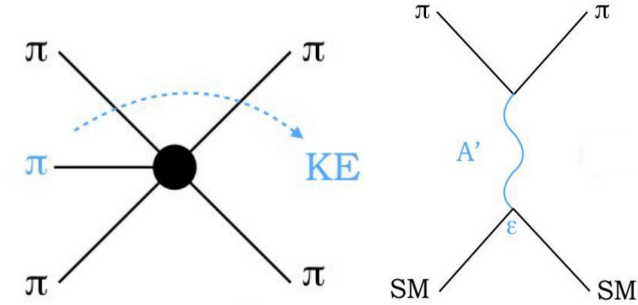
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- $\pi_D \pi_D \rightarrow \pi_D V_D$, followed by $V_D \rightarrow \text{SM}$ through intermediate A'
- Expands thermal DM mass range to $\sim 0.01 - 1$ GeV
- A' kinetic mixing $\sim 10^{-6} < \epsilon < 10^{-2}$



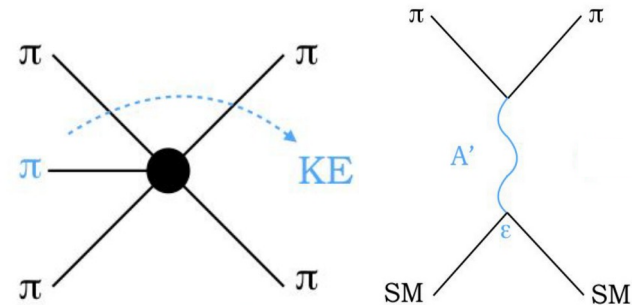
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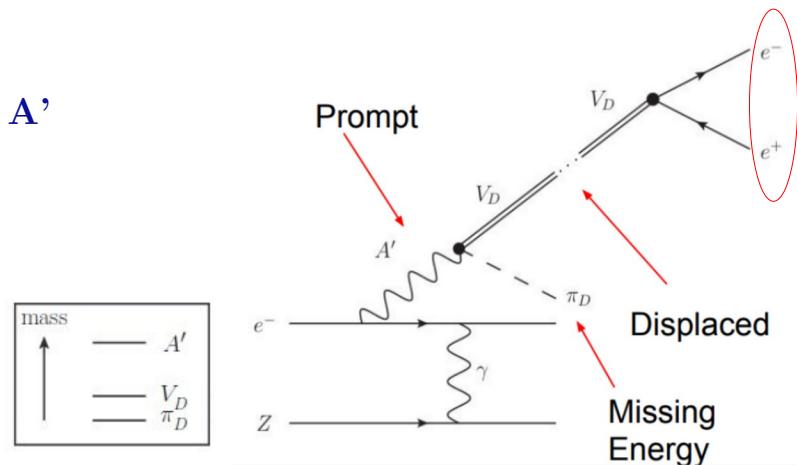
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HPS is sensitive to neutral V_D
 (ρ and Φ) decays to e^+e^- !

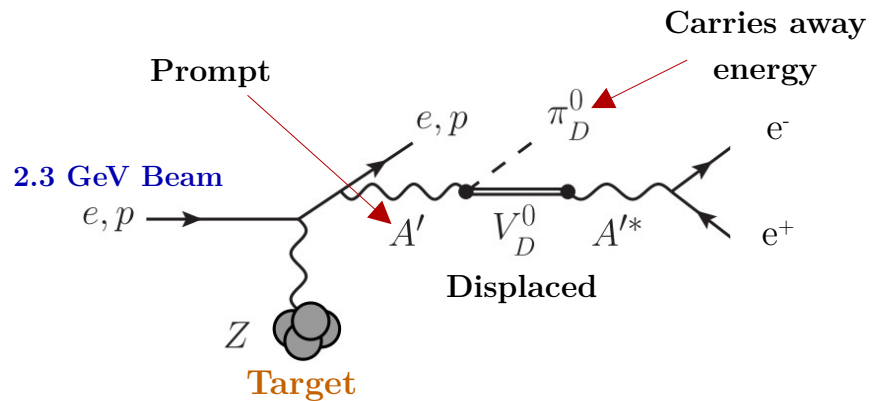
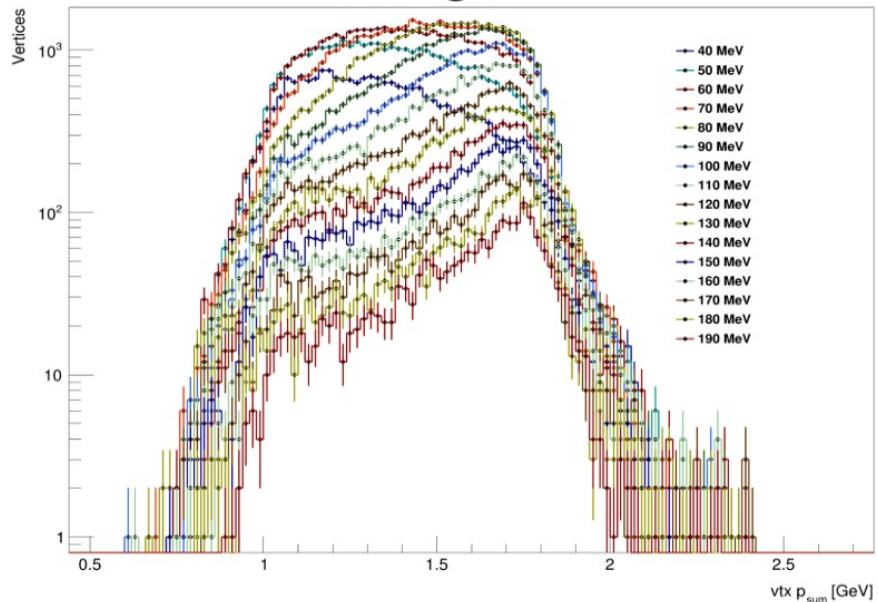


2016 SIMP Reach Estimate

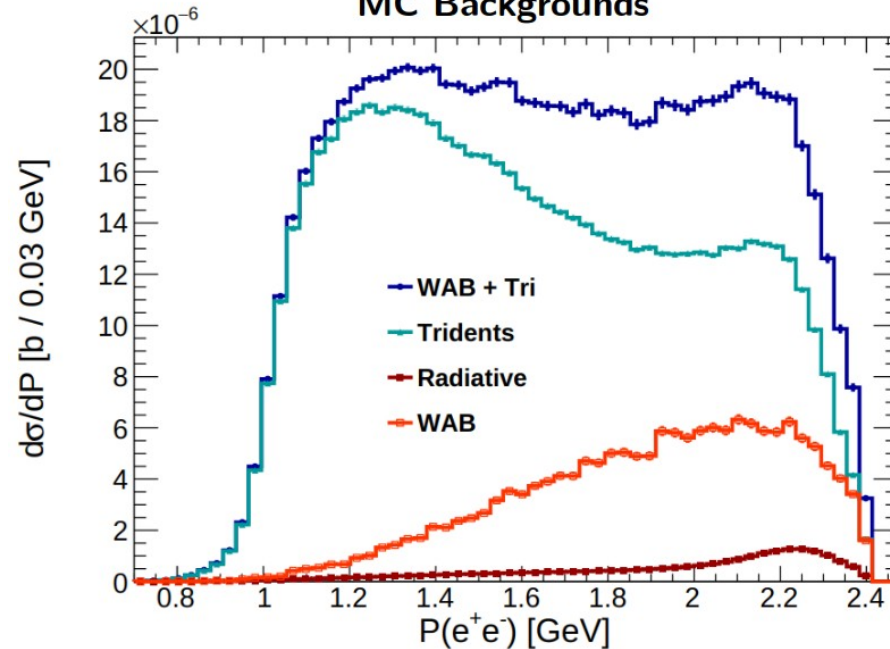


Signal and Control Regions

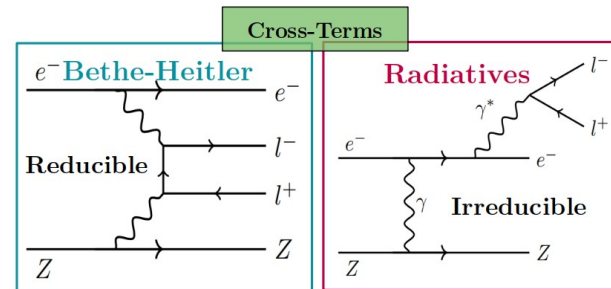
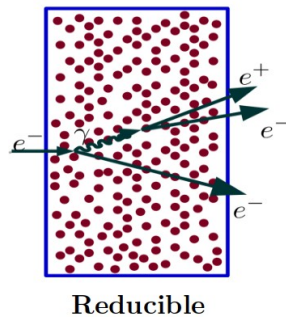
MC Signal



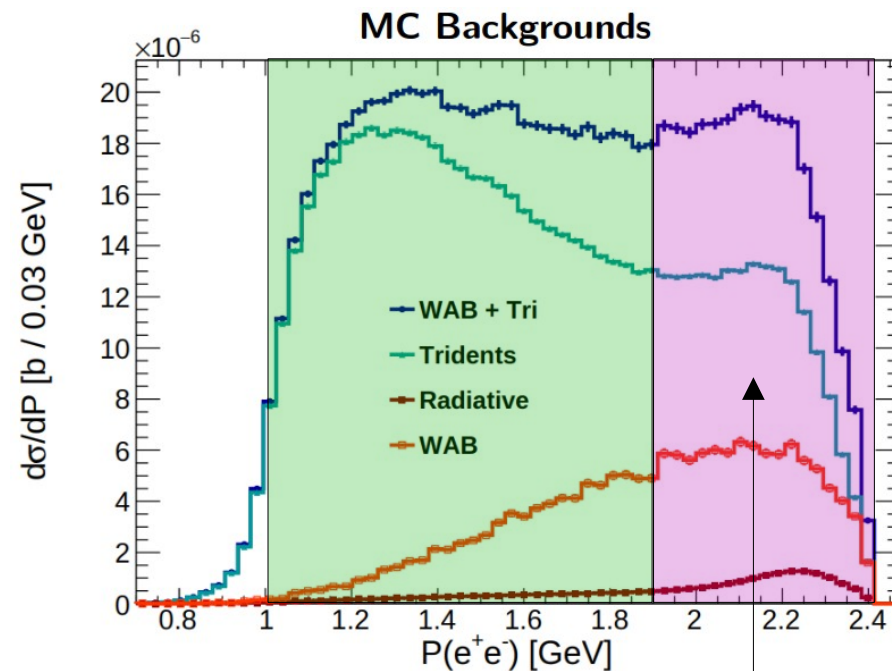
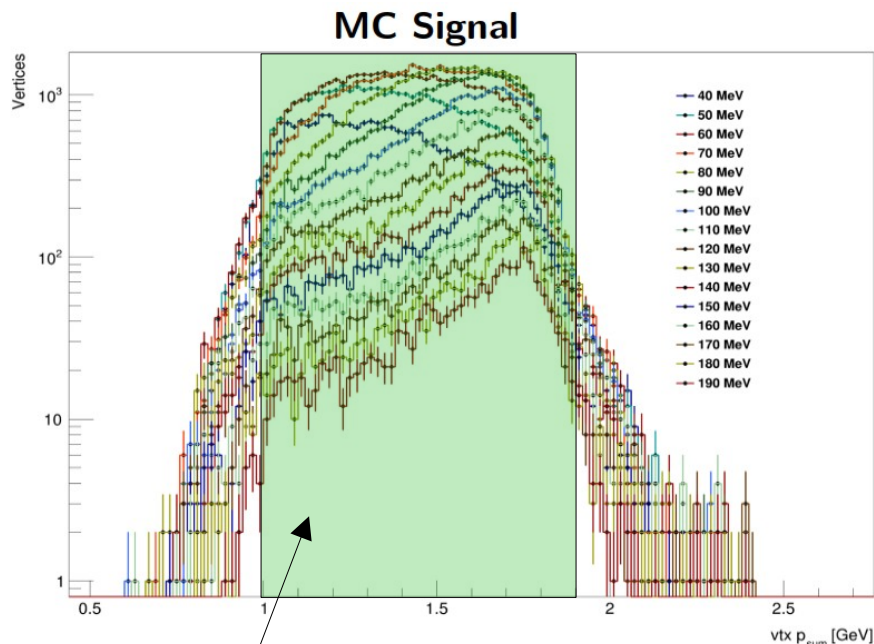
MC Backgrounds



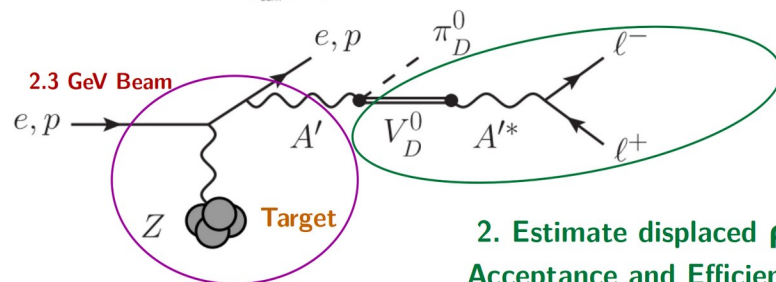
Wide Angle
Bremsstrahlung



Signal and Control Regions



“Low Momentum”
Signal Region



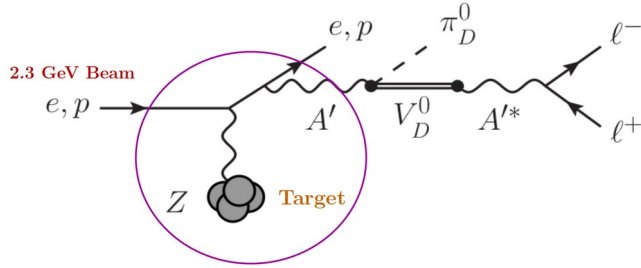
1. Estimate Total A'
Production Rate at Target
using MC Control Region

2. Estimate displaced \mathbf{p} and Φ
Acceptance and Efficiency using
MC Signal Region

“High Momentum”
Control Region



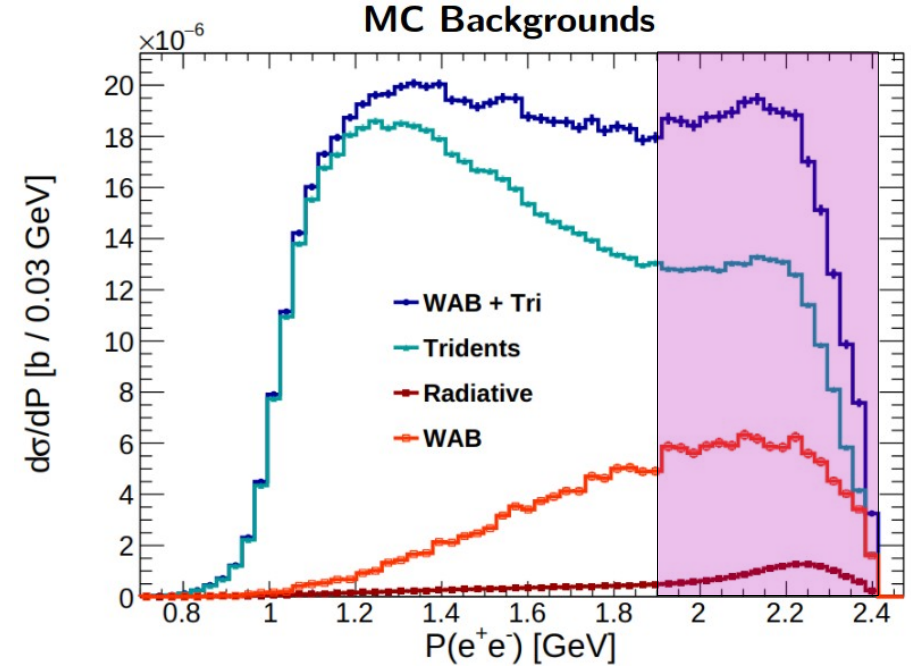
Total A' Production Rate



1. A' cross-section proportional to differential Radiative Tridents

$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \Big|_{m_{l+l^-} = m_{A'}} \quad [3]$$

2. Multiply by Luminosity to get Total A' Production Rate for m_{A'}



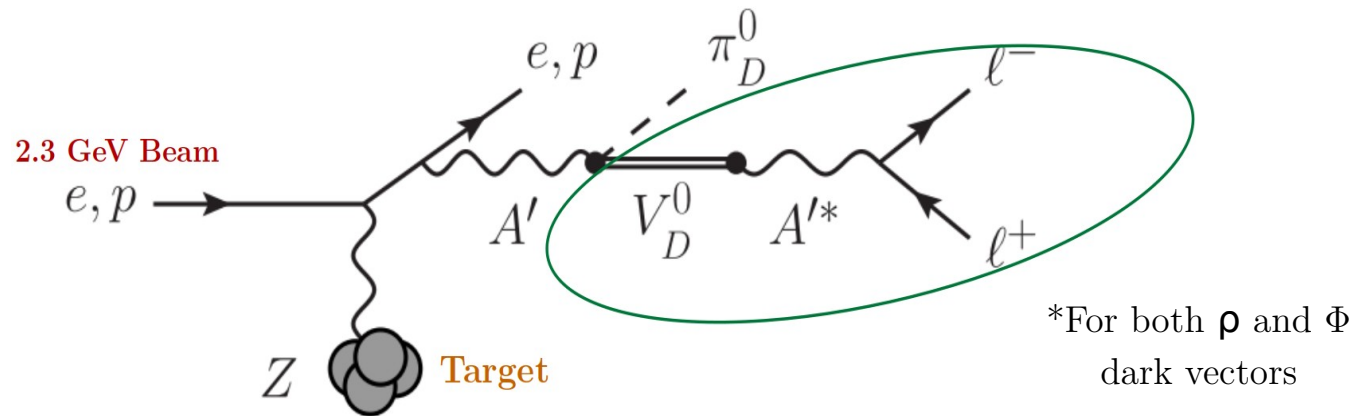
Pure Radiative Tridents not real process, estimated using MC in CR

$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{dN_{\gamma^*}}{dm_{A'}}$$

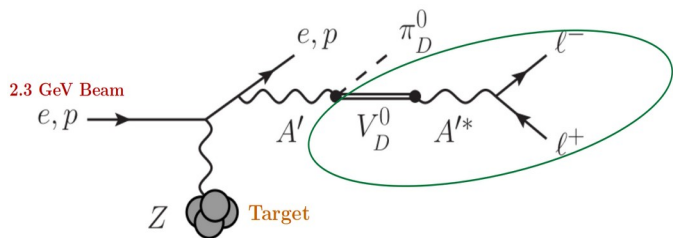
$$\frac{dN_{\gamma^*}}{dm_{A'}} = \left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^*CR}}{dm_{A'}} \right) \left(\frac{dN_{\gamma^*CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$



SIMP Displaced Vertex Acceptance and Efficiency



SIMP Expected Signal Distribution

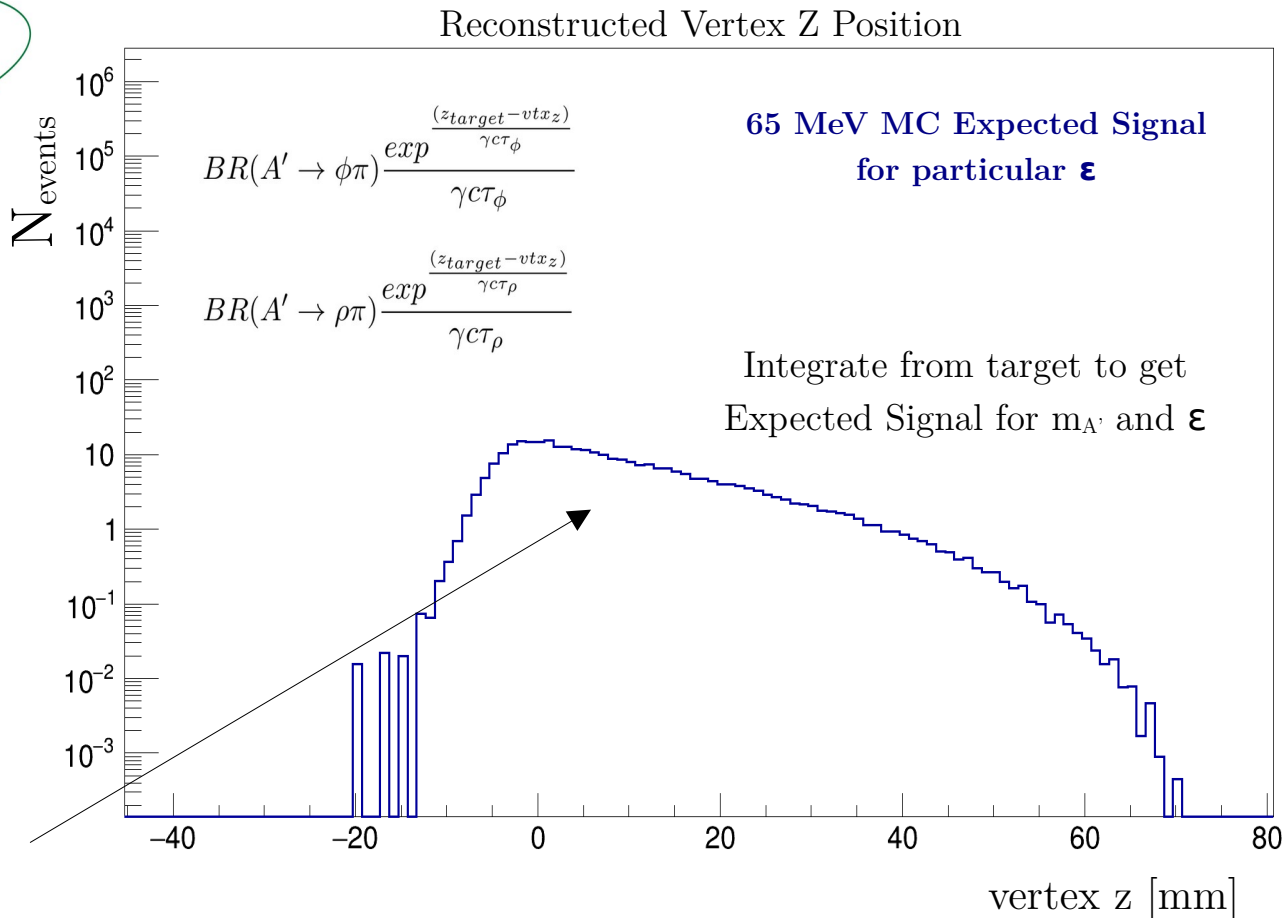


Generate MC signal with uniform decay length

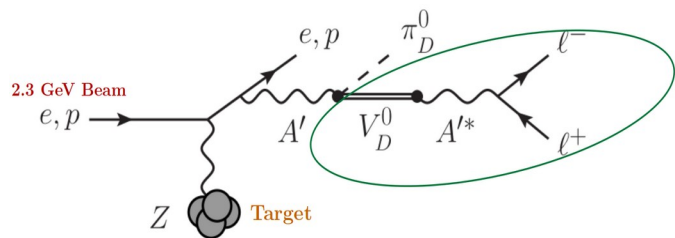
Take efficiency of reconstructed+selected events, to generated events, in vertex z

Re-weight to account for ρ and Φ BR and lifetimes

Multiply by A' yield to get expected signal distribution

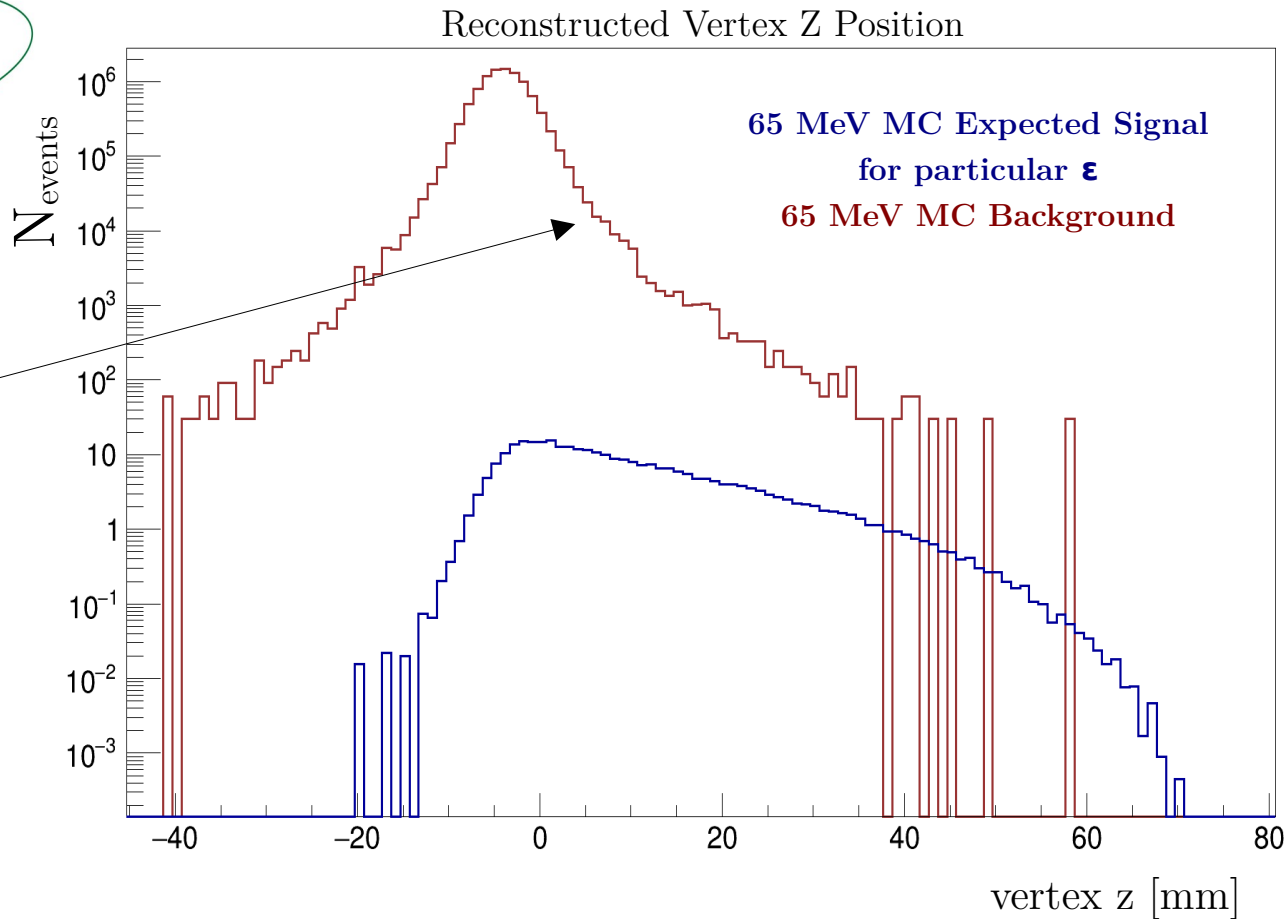


SIMP Expected Signal Distribution



Background under
current selection
dominates signal

We develop “High-Z” cuts to
reduce the background tail
while keeping the signal
efficiency high

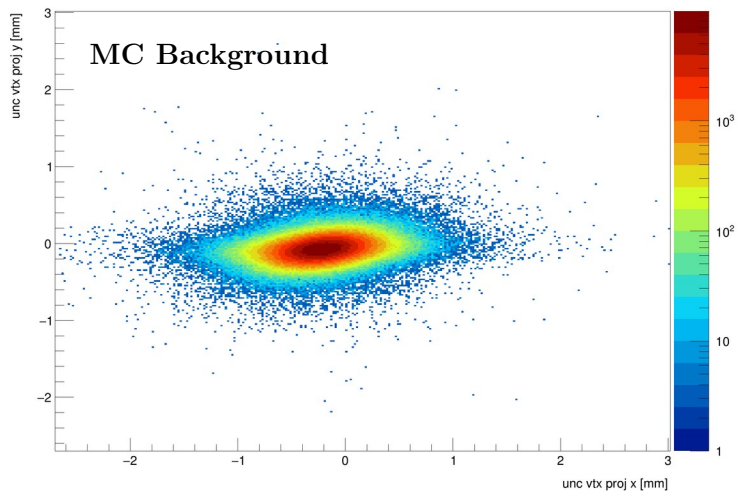
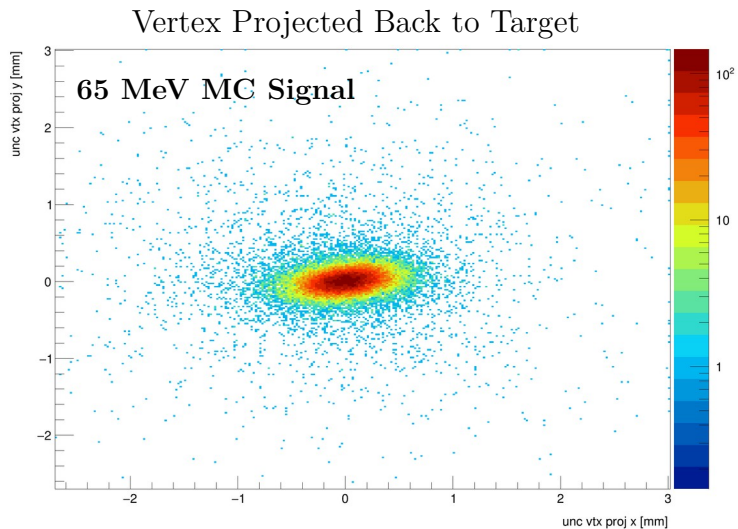


High-Z Cuts

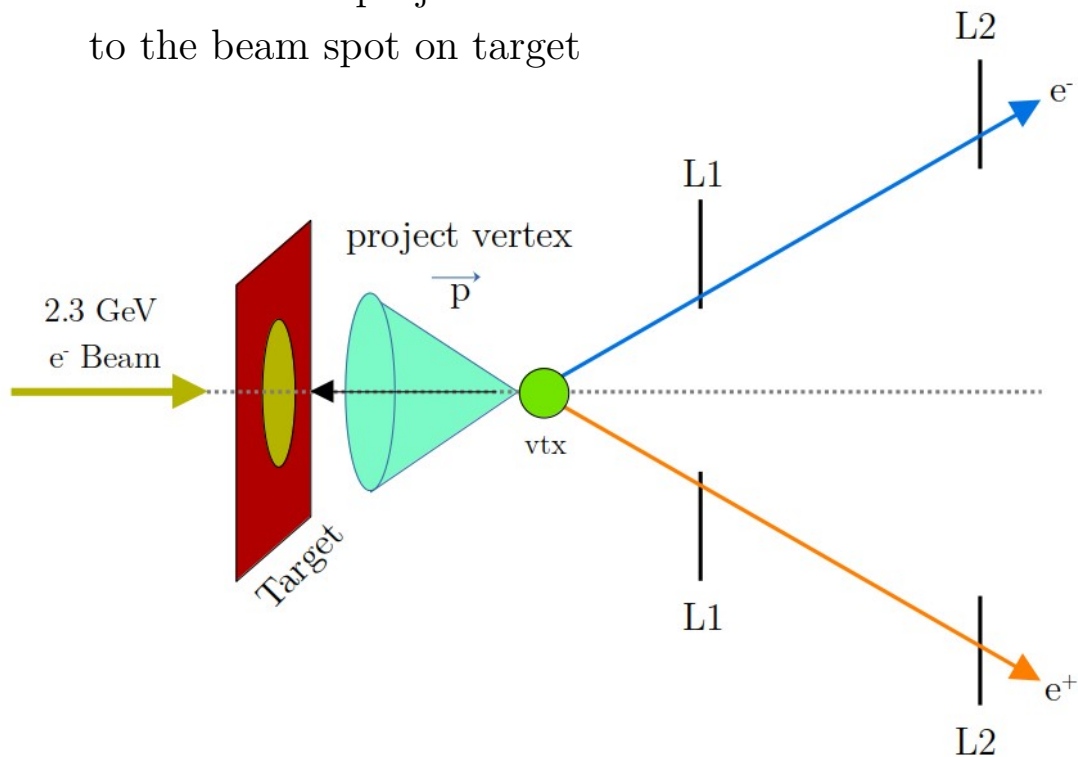
Target Projected Vertex Significance



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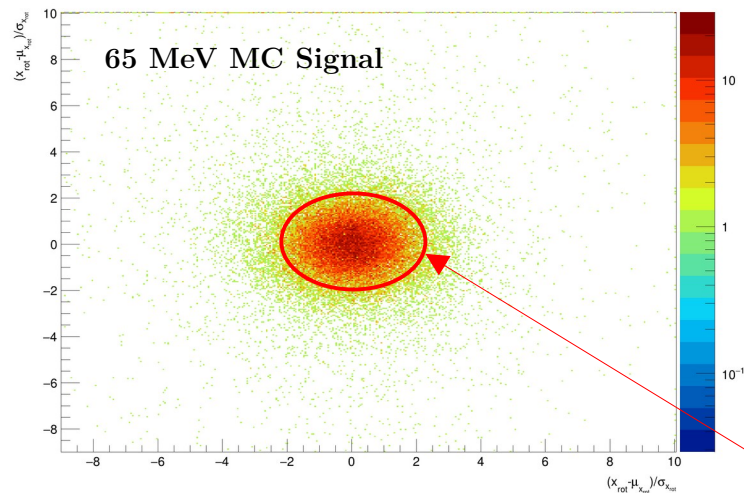


Vertex should project back to the beam spot on target

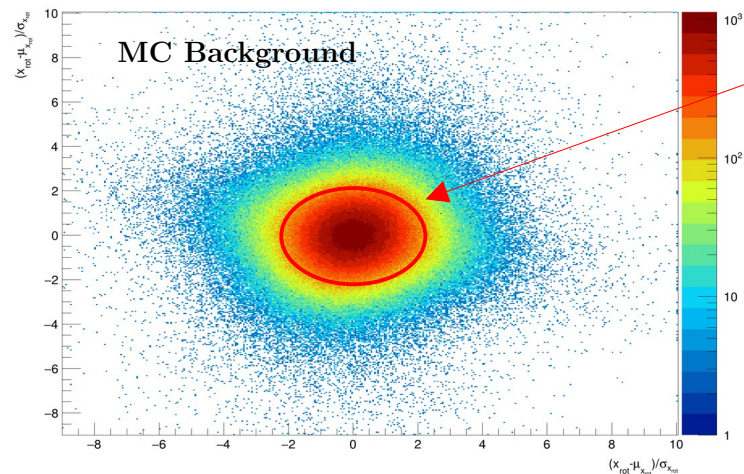


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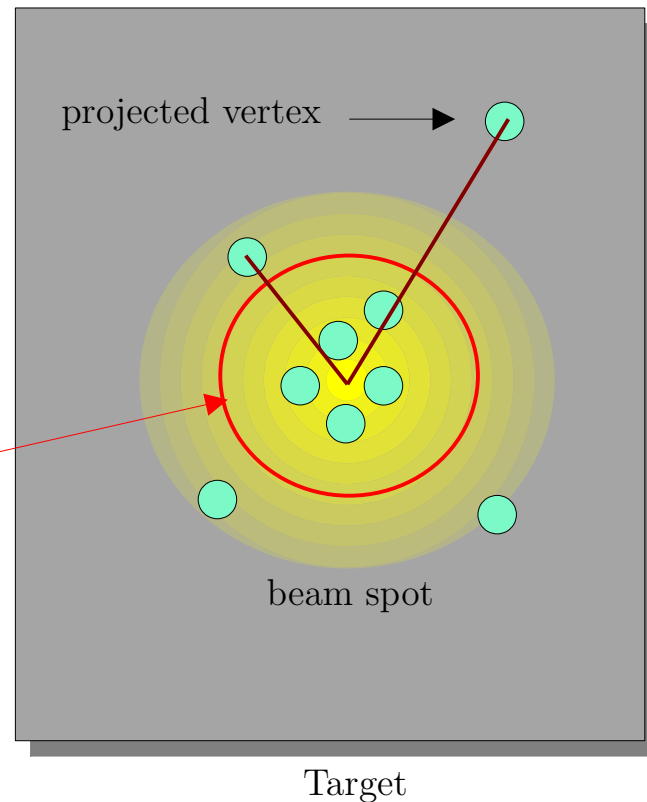
Target Projection Significance



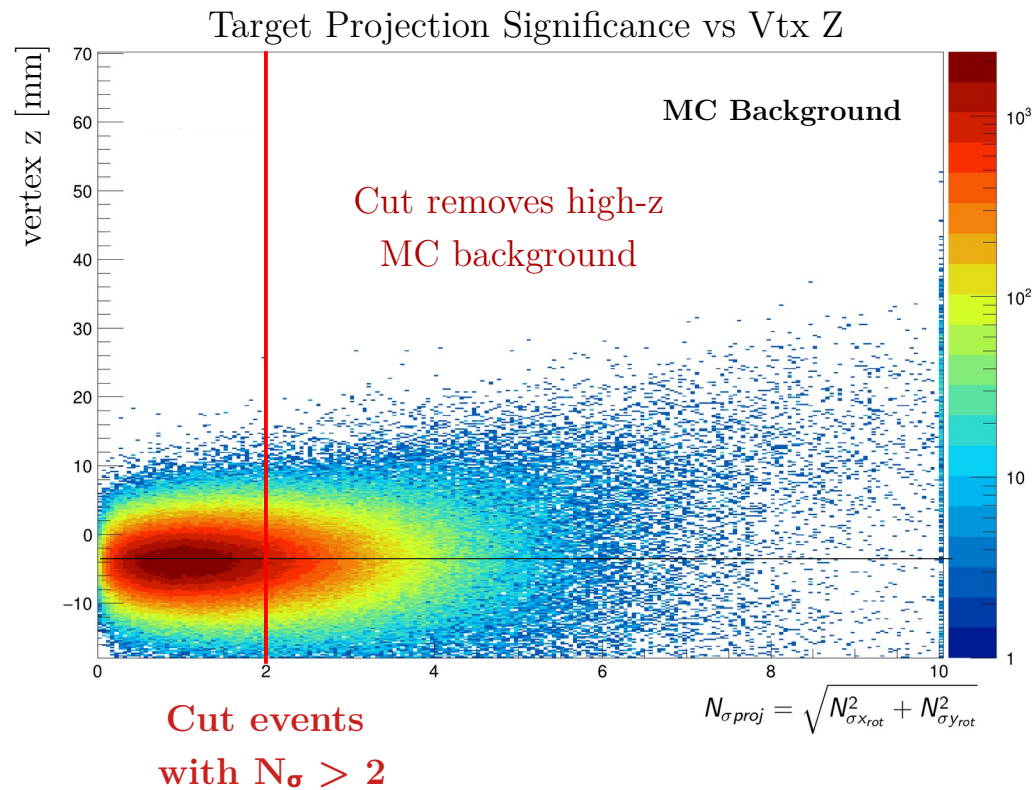
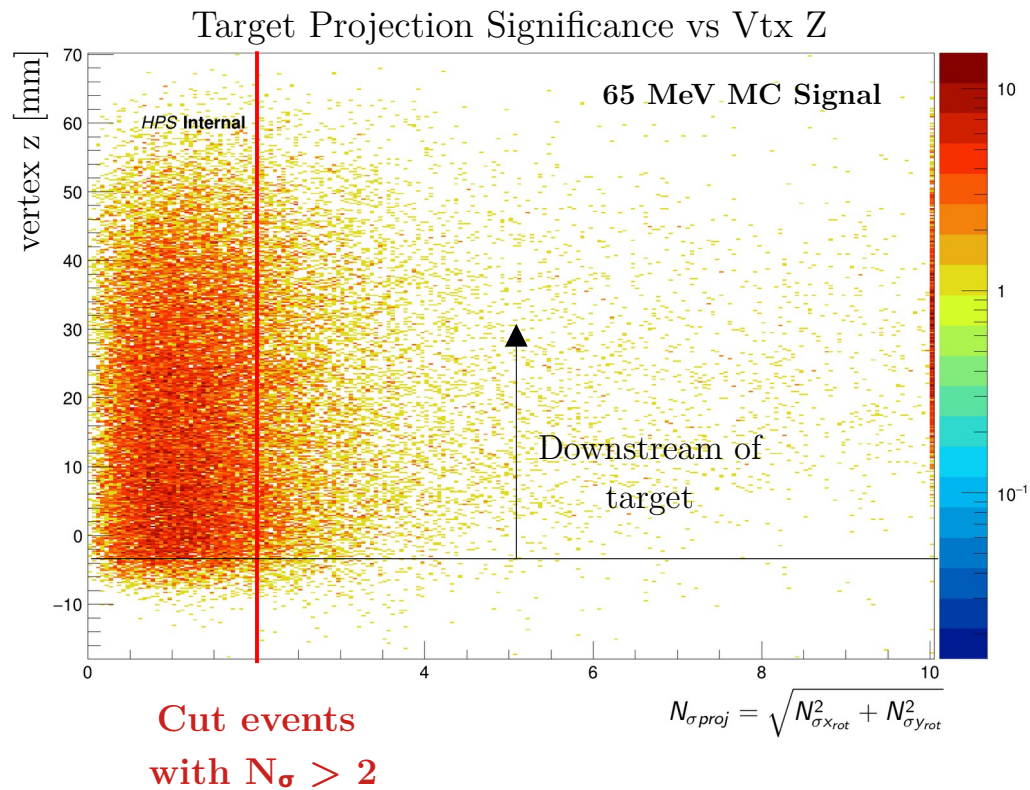
How many standard deviations is the projected vertex from fitted beam spot?



Cut events
with
radius $> N\sigma$



Target Projected Vertex Significance

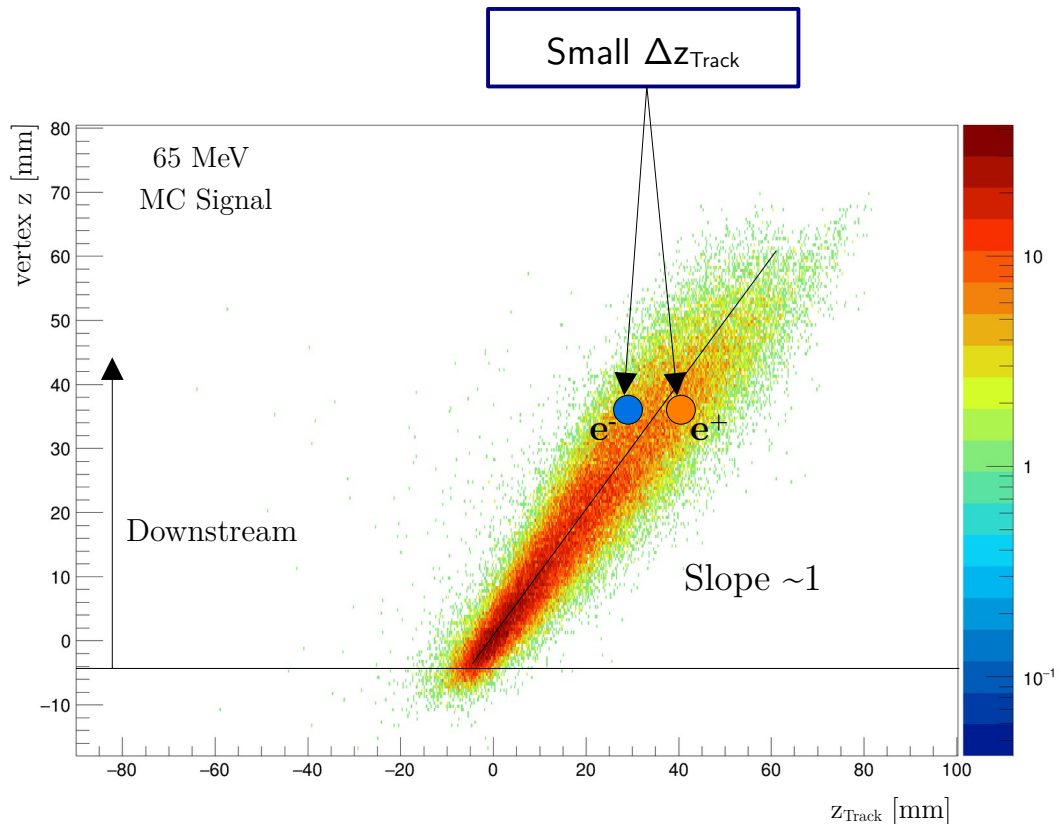
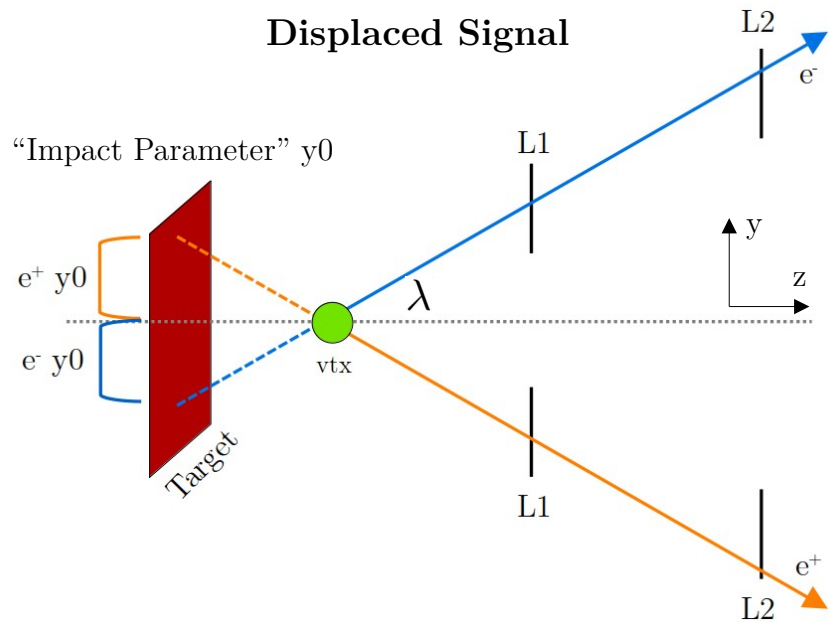


High-Z Cuts

Tracks-Vertex Consistency Δz_{Track}



High-Z Cuts: Track-Vertex Consistency Δz_{Track}

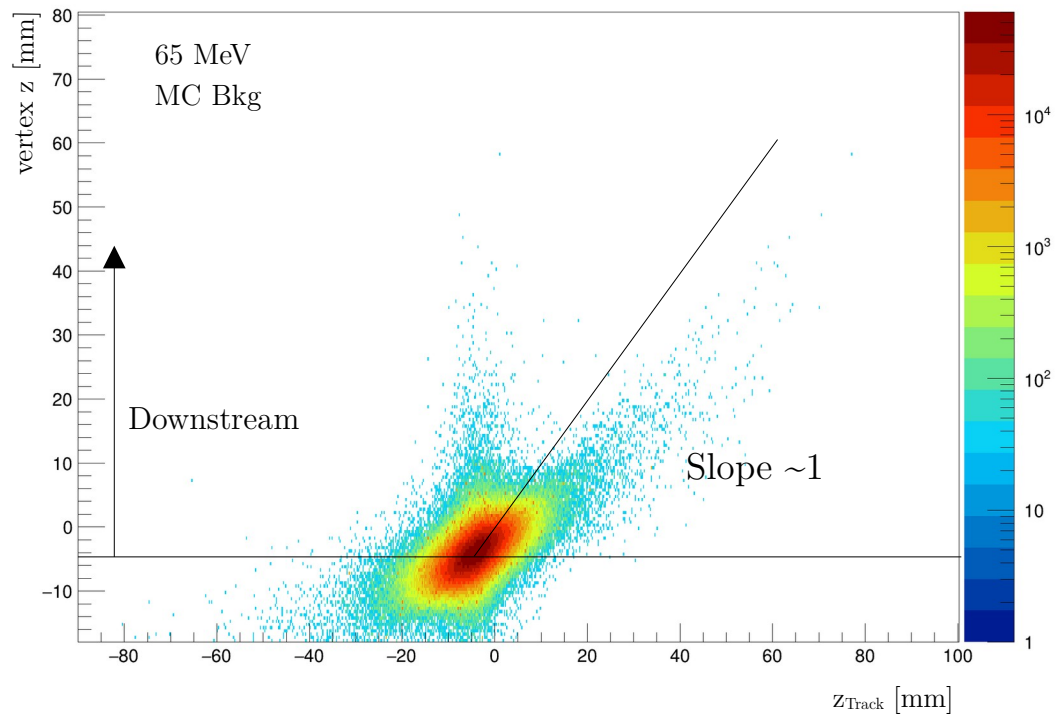
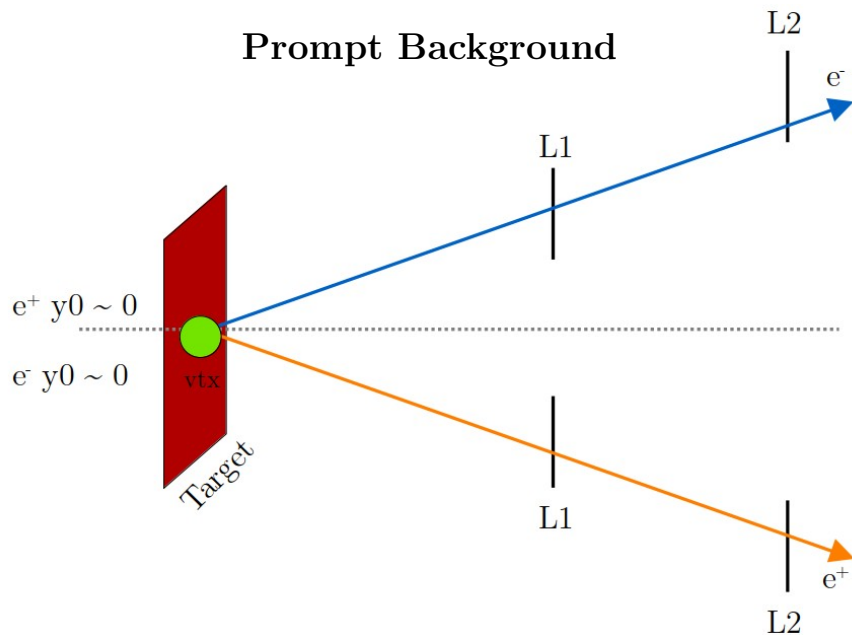


Both tracks should cross the beam-axis at a position in z (z_{Track}) consistent with the reconstructed vertex z

$$z_{Track} = \frac{-y_0}{\tan(\lambda)} + z_{Target}$$



High-Z Cuts: Track-Vertex Consistency Δz_{Track}



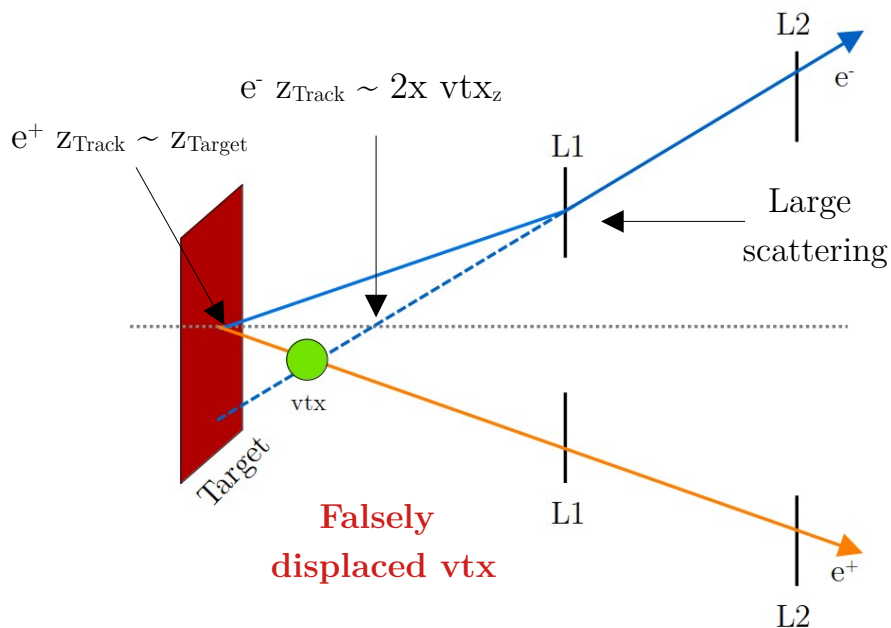
Prompt events should have $y_0 \sim 0$,
and therefore $z_{\text{Track}} \sim z_{\text{Target}}$ for both tracks
*Spread along slope ~ 1 due to vertex resolution

$$z_{\text{Track}} = \frac{-y_0}{\tan(\lambda)} + z_{\text{Target}}$$



High-Z Cuts: Track-Vertex Consistency Δz_{Track}

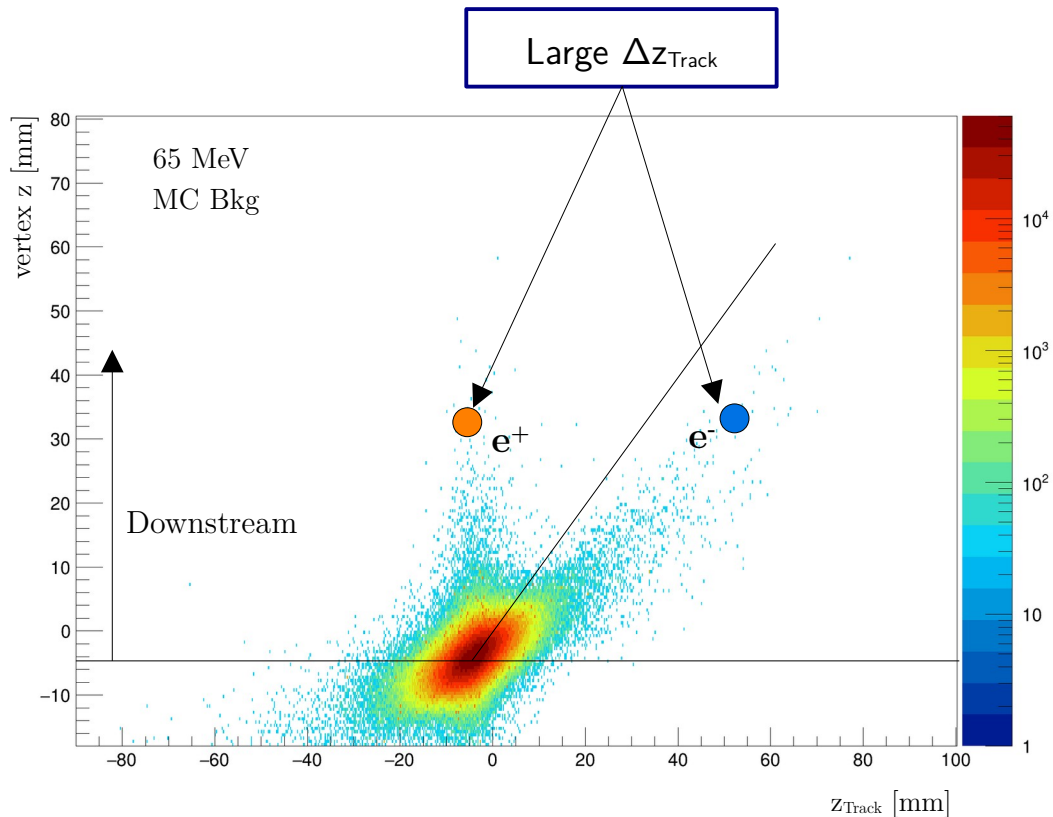
Falsely Displaced Prompt Background



Large scattering and mis-reconstruction

causes asymmetry in z_{Track}

Leads to falsely displaced vertex



$$z_{Track} = \frac{-y_0}{\tan(\lambda)} + z_{Target}$$



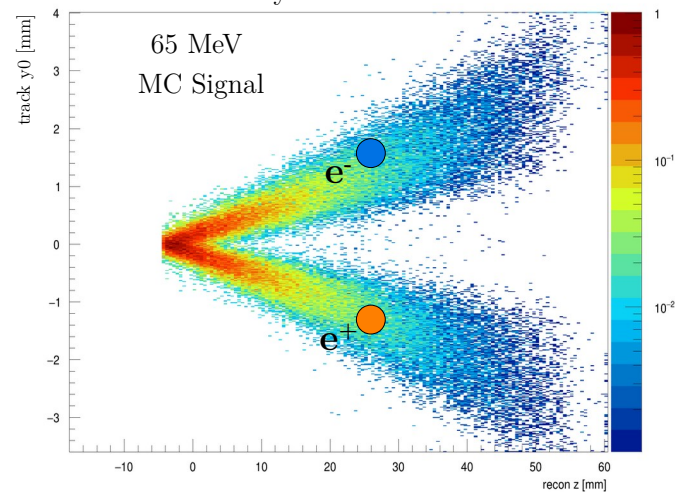
High-Z Cuts

Track Impact Parameter y_0

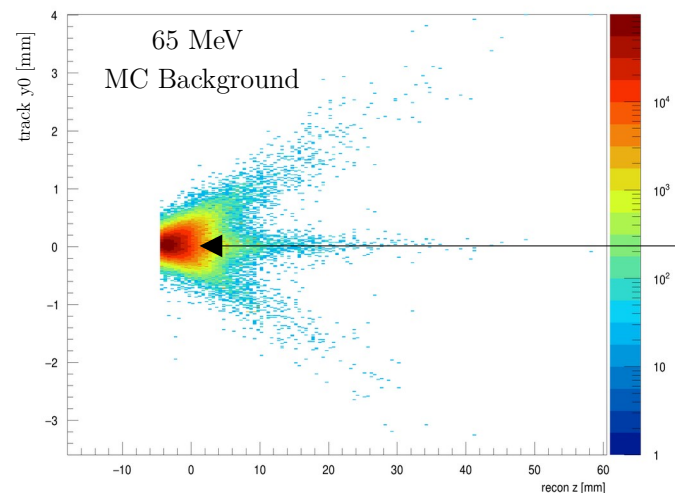
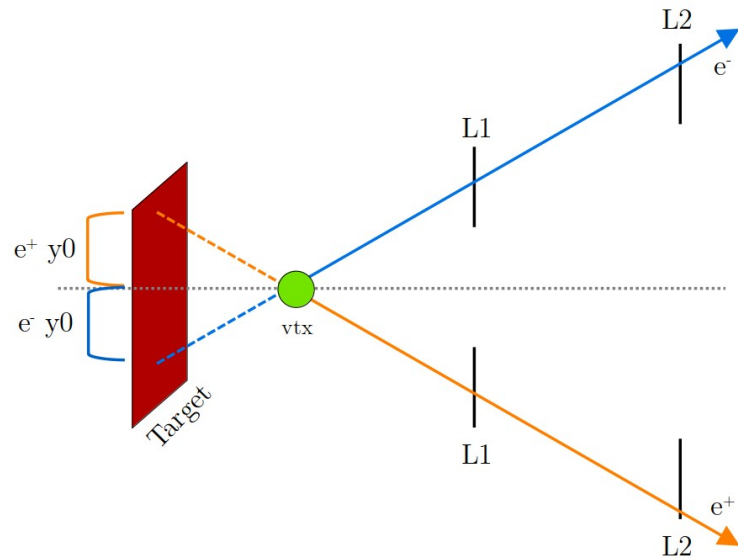


High-Z Cut: Track Impact Parameter y_0

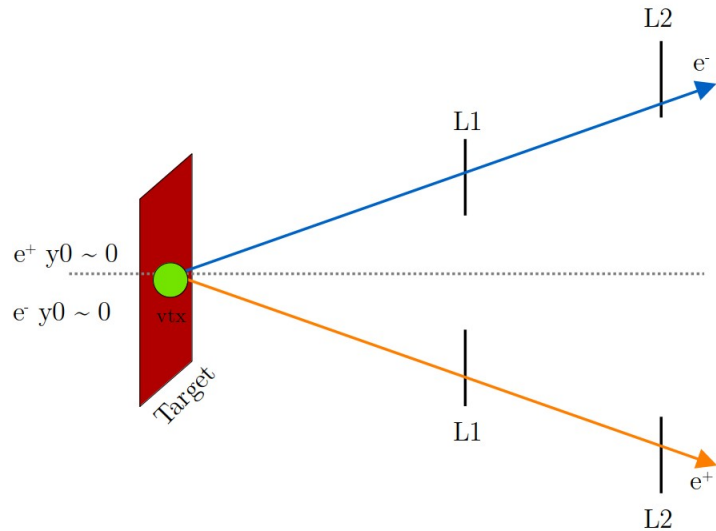
Track y_0 vs Vertex z



True displaced signal should have symmetric impact parameters that increase linearly with vertex z

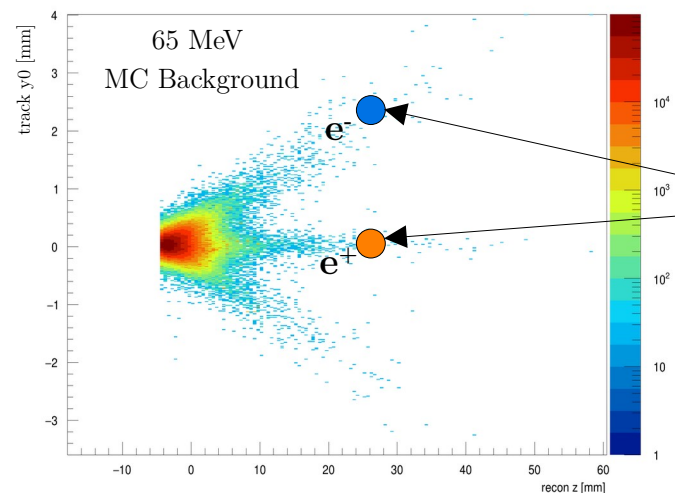
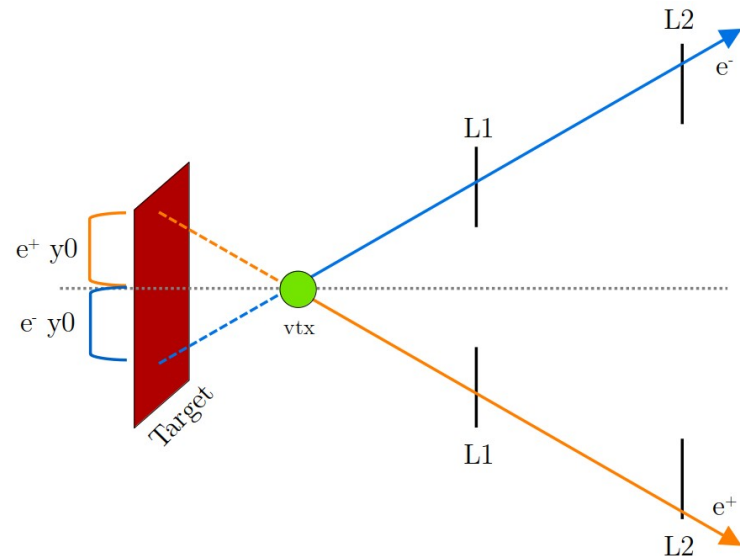
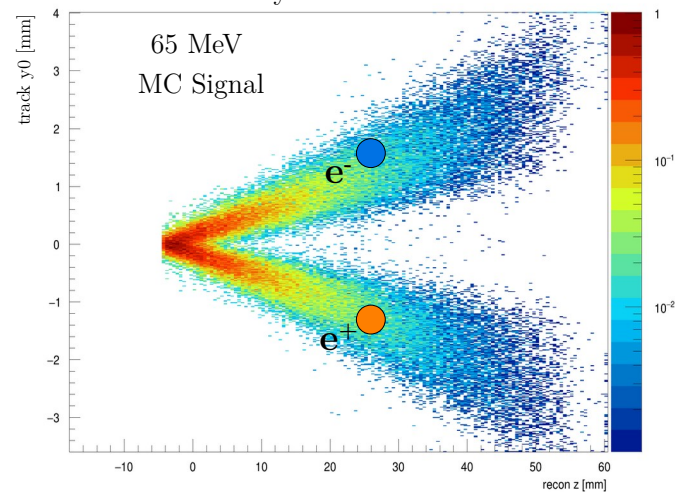


Prompt events should have two tracks with y_0 close to 0mm

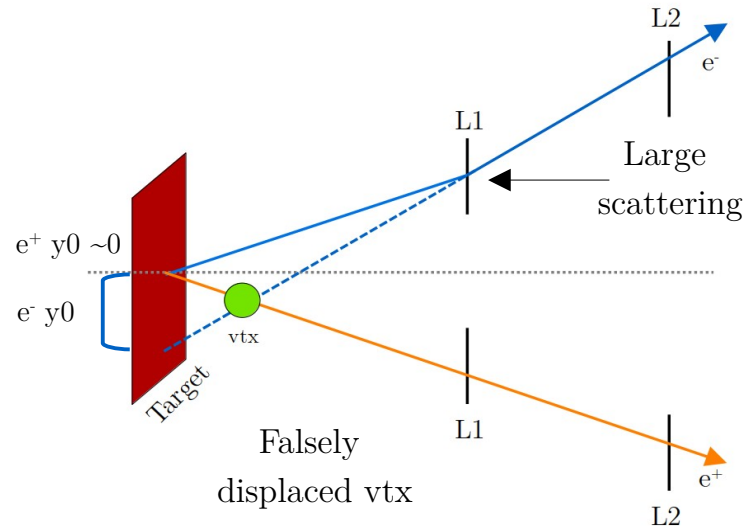


High-Z Cut: Track Impact Parameter y_0

Track y_0 vs Vertex z

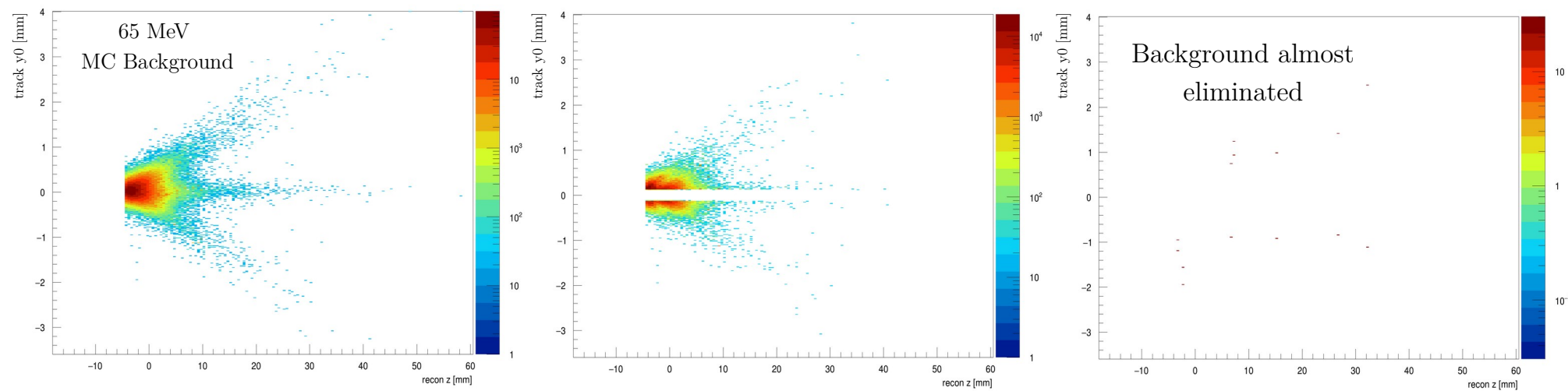
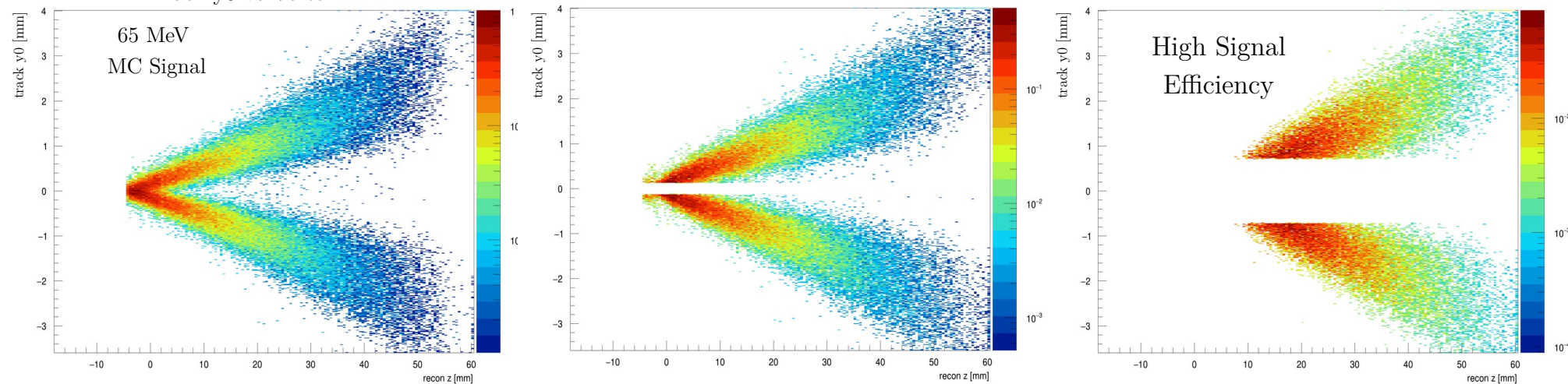


Tracks asymmetric in y_0
form false displaced
vertex



High-Z Cut: Track Impact Parameter y_0

Track y_0 vs Vertex z



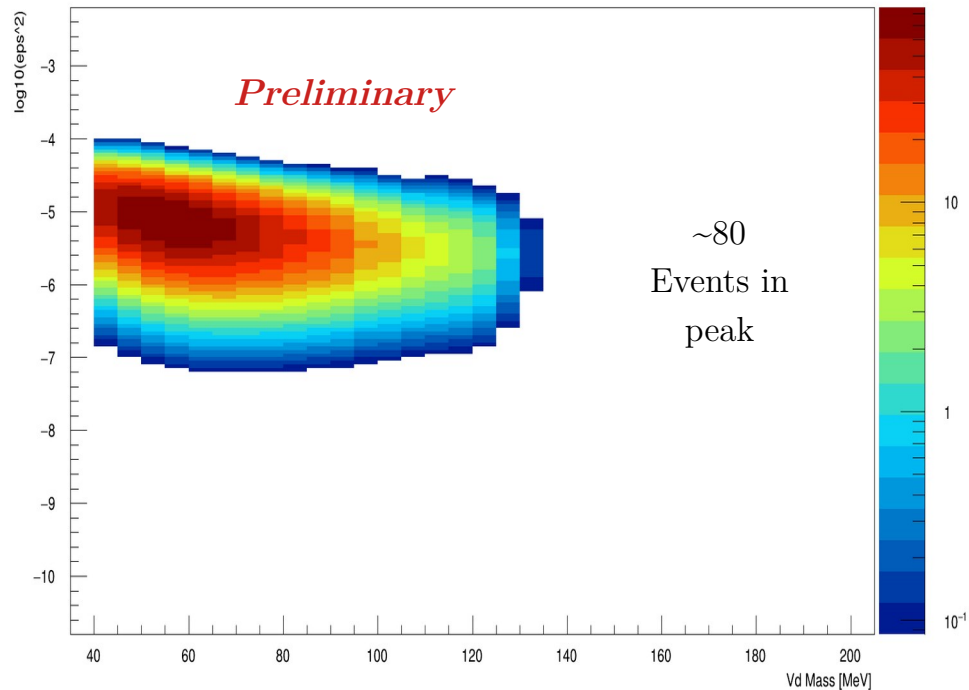
2016 SIMP Reach Estimate Results

10.7 pb⁻¹ (2016 Full Luminosity)



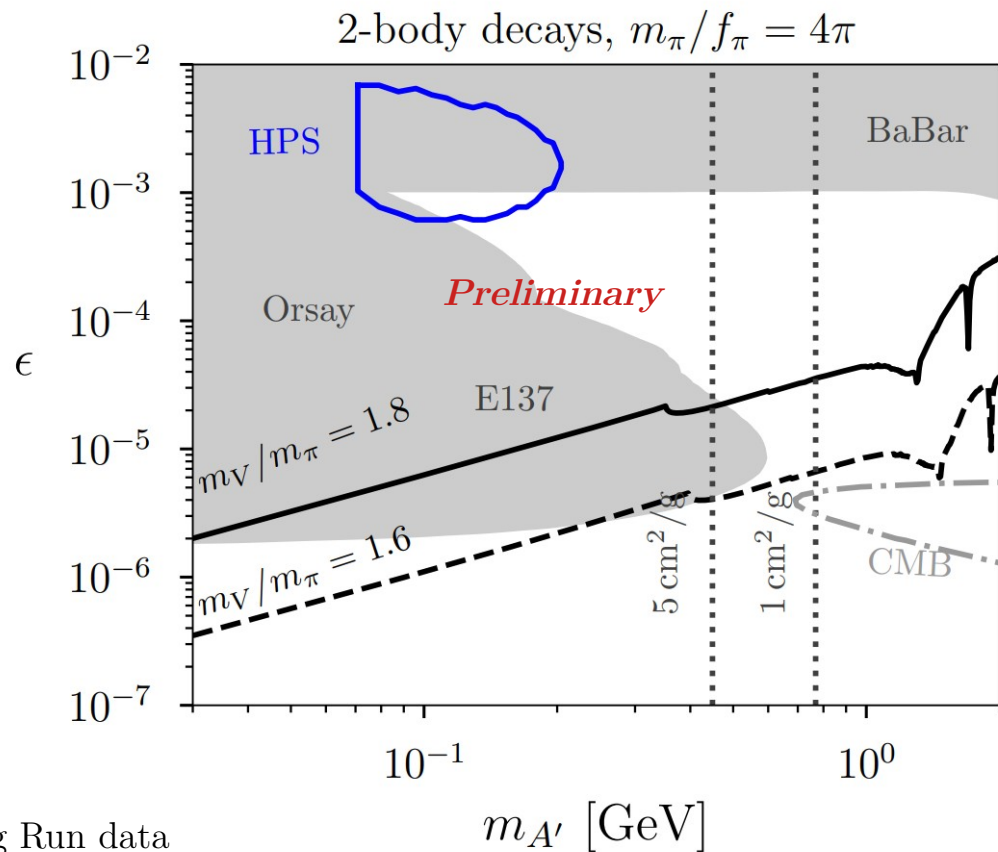
Reach Estimate Results

Expected Signal 10.7 pb^{-1}



Conclusion

- Expect groundbreaking sensitivity in 2016 Engineering Run data
- Working on finalizing High-Z cut variables and values
- Close to unblinding 100% data



*Remaining background accounted for in contour using Optimum Interval Method[4]



Citations

1. Asher Berlin, Nikita Blinov, Stefania Gori, Philip Schuster, and Natalia Toro. Cosmology and accelerator tests of strongly interacting dark matter. *Physical Review D*, 97(5), mar 2018.
2. Yonit Hochberg, Eric Kuflik, Tomer Volansky, and Jay G. Wacker. Mechanism for thermal relic dark matter of strongly interacting massive particles. *Physical Review Letters*, 113(17), Oct 2014.
3. James D. Bjorken, Rouven Essig, Philip Schuster, and Natalia Toro. New fixed-target experiments to search for dark gauge forces. *Physical Review D*, 80(7), oct 2009.
4. S. Yellin: “Finding an Upper Limit in the Presence of Unknown Background”, 2002, *Phys.Rev. D*66 (2002) 032005; [<http://arxiv.org/abs/physics/0203002> arXiv:physics/0203002]. DOI: [<https://dx.doi.org/10.1103/PhysRevD.66.032005> 10.1103/PhysRevD.66.032005].



Backup



Event Selection

Reconstruction Level

Cut Description	Requirement
Ecal clusters in opposite volumes	$e^- Cluster_y \times e^+ Cluster_y < 0$
Track-Cluster Time Difference (Data)	$ Track_t - Cluster_t - 56 \text{ ns} < 10 \text{ ns}$
Track-Cluster Time Difference (MC)	$ Track_t - Cluster_t - 43 \text{ ns} < 10 \text{ ns}$
Track-Cluster X Position Difference	$ x_{TrackAtEcal} - x_{Cluster} < 20.0 \text{ mm}$
Track-Cluster Y Position Difference	$ TrackAtEcal_y - Cluster_y < 20.0 \text{ mm}$
Cluster Time Difference	$\Delta_t(Cluster_{e^-}, Cluster_{e^+}) < 2.5 \text{ ns}$
Beam electron cut	$p_{e^-} < 2.15 \text{ GeV}$
Vertex Momentum	$p_{Vtx} < 2.8 \text{ GeV}$

Layer Requirement

Cut Description	Requirement
Layer 1 Requirement	e^- and e^+ have L1 axial+stereo hit
Layer 2 Requirement	e^- and e^+ have L2 axial+stereo hit

Signal and Control Regions

Cut Description	Requirement
Control Region Momentum	$1.9 \text{ GeV} < P_{e^-} + P_{e^+} < 2.4 \text{ GeV}$
Signal Region Momentum	$1.0 < P_{e^-} + P_{e^+} < 1.9 \text{ GeV}$

Preselection

Cut Description	Requirement
Trigger	Pair1
Track Time	$ Track_t < 6 \text{ ns}$
Cluster Time Difference	$\Delta_t(Cluster_{e^-}, Cluster_{e^+}) < 1.45 \text{ ns}$
Track-Cluster Time Difference	$\Delta_t(Track, Cluster) < 4.0 \text{ ns}$
Track Quality	$Track \chi^2 / n.d.f. < 20.0$
Beam electron cut	$p_{e^-} < 1.75 \text{ GeV}$
Minimum Hits on Track	$N_{2dhits} Track > 7.0$
Unconstrained Vertex Quality	$Vtx \chi^2 < 20.0$
Vertex Momentum	$p_{e^-+e^+} < 2.4 \text{ GeV}$

High-Z Cuts

Cut	Condition
Target Projected Vertex Significance Cut ($V0_{proj}$)	$V0_{proj} < 2.0$
DeltaZ Cut (Δz_{track})	$\Delta z_{track} < 21.2005 + 16.61e^{-2}(m) \text{ mm}$
Flat Z0 Cut ($ z0 $)	$ z0 < -4.681e^{-03}(m) + 0.921 \text{ mm}$

Preliminary



- Six key SIMP parameters

- 1. A' mass
- 2. A' kinetic mixing strength ϵ
- 3. HS $U_D(1)$ coupling α_D
- 4. Dark pion mass
- 5. Dark vector mass
- 6. Dark pion decay constant f_π

SIMP Parameter Constraints

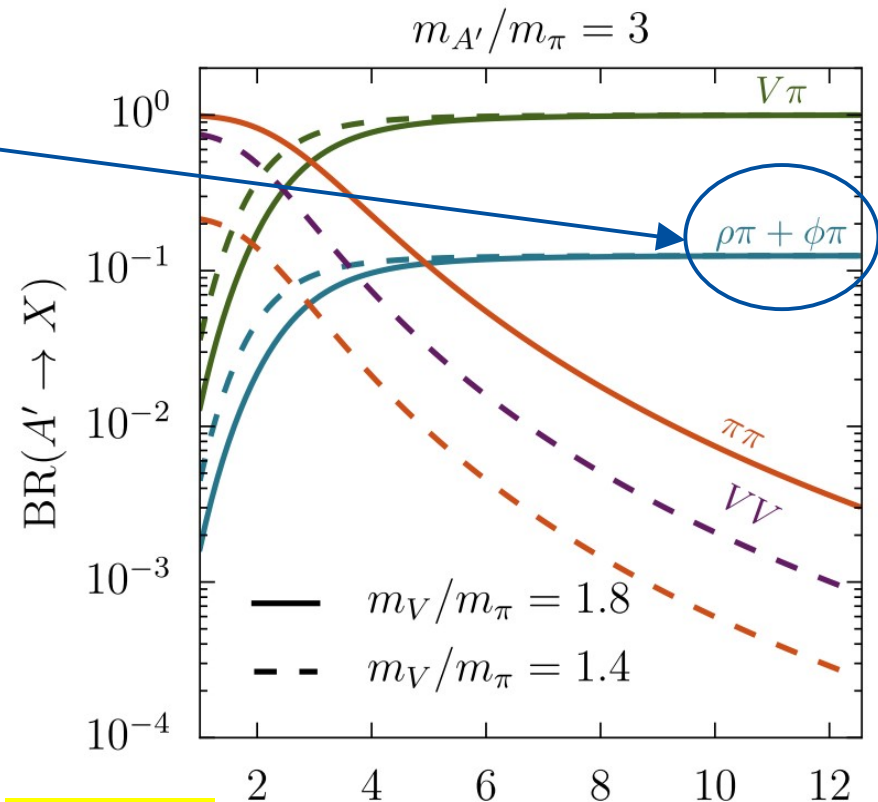
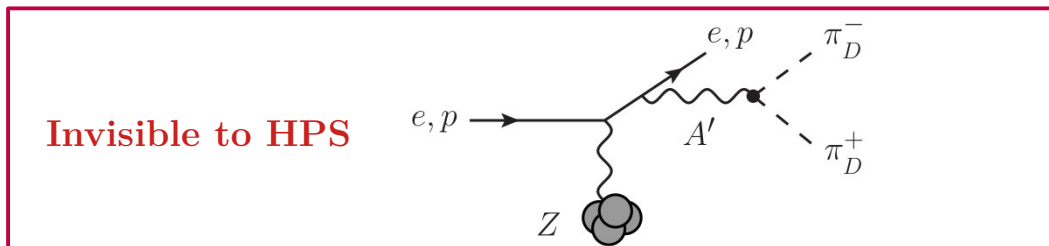
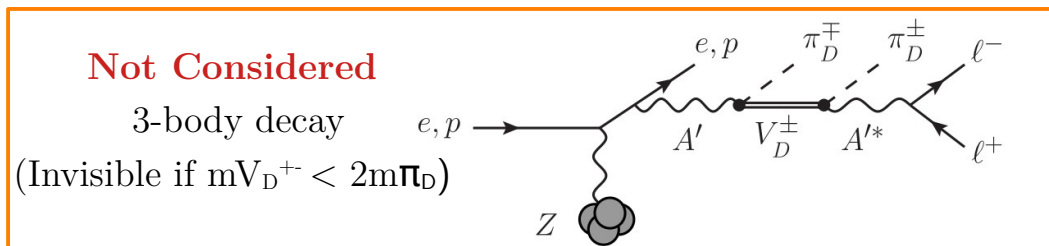
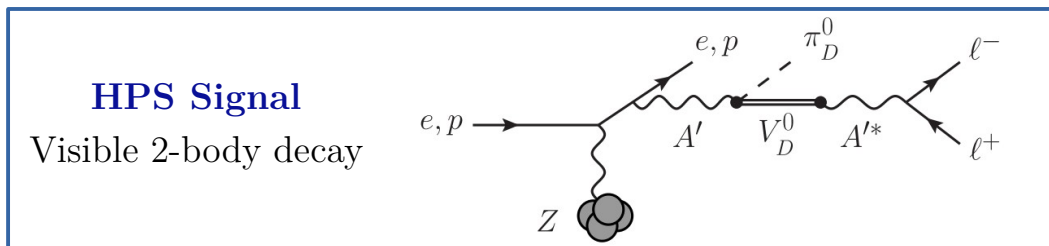
$m_{A'} < 2m_\mu$ and $m_{A'} < 2m_V$
$m_{A'} > m_V + m_\pi$ and $m_{A'} > 2m_\pi$
$m_V < 2m_\pi$ and $m_V < 2m_\mu$
$\alpha_D < 1$
$10^{-6} < \epsilon < 10^{-2}$
$m_\pi/f_\pi < 4\pi$

Benchmark Parameters [4]

- $\alpha_D = 0.1$
- $m_{A'}/m_{\pi D} = 3$
- $m_{VD}/m_{\pi D} = 1.8$
- $m_{\pi D}/f_{\pi D} = 4\pi$



Strongly Interacting Massive Particles (SIMPs)



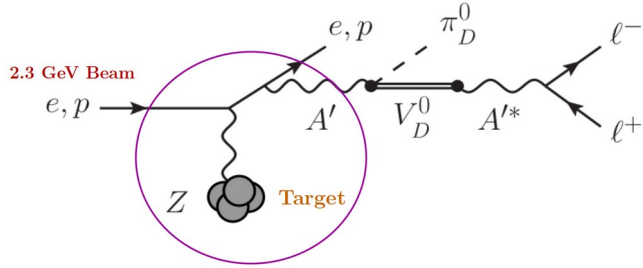
**Key SIMP
Parameter**

m_π/f_π

A' Branching Ratio is function of dark pion mass and decay constant f_π



Total A' Production Rate

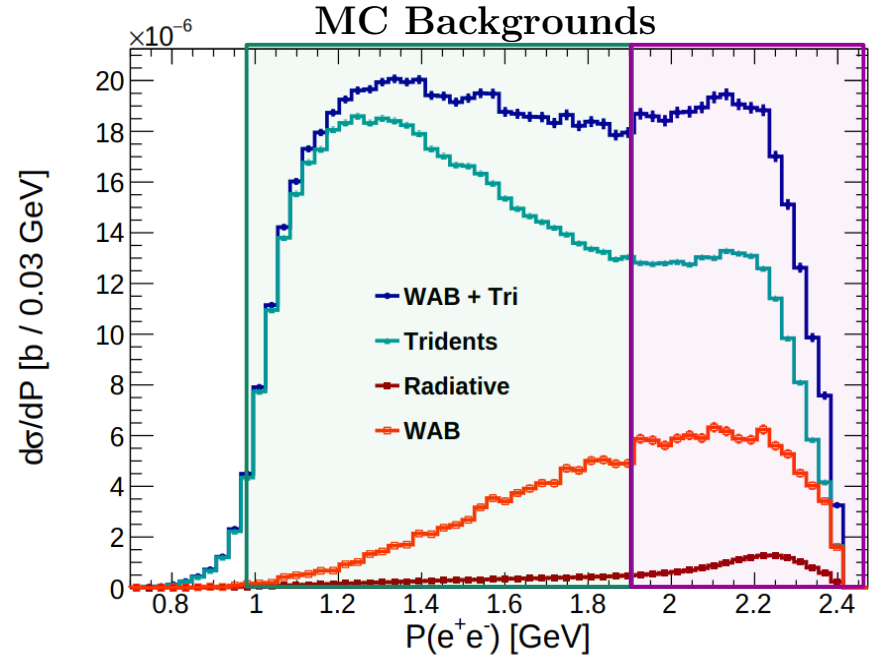


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$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \left. \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \right|_{m_{l+l^-} = m_{A'}}$$

2. Multiply by Luminosity to get Total A' Production Rate for $m_{A'}$

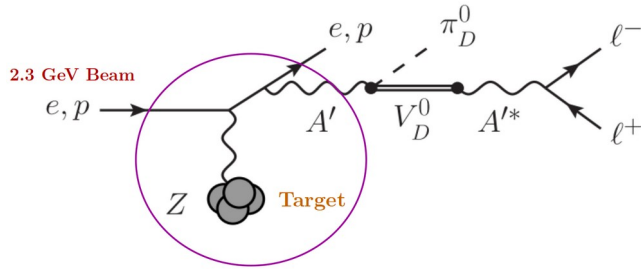
$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{dN_{\gamma^*}}{dm_{A'}} \xrightarrow{\text{MC in CR}} \text{Pure Radiative Tridents not real process, estimated using MC in CR}$$



$$\frac{dN_{\gamma^*}}{dm_{A'}} = \left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^*CR}}{dm_{A'}} \right) \left(\frac{dN_{\gamma^*CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$



Total A' Production Rate

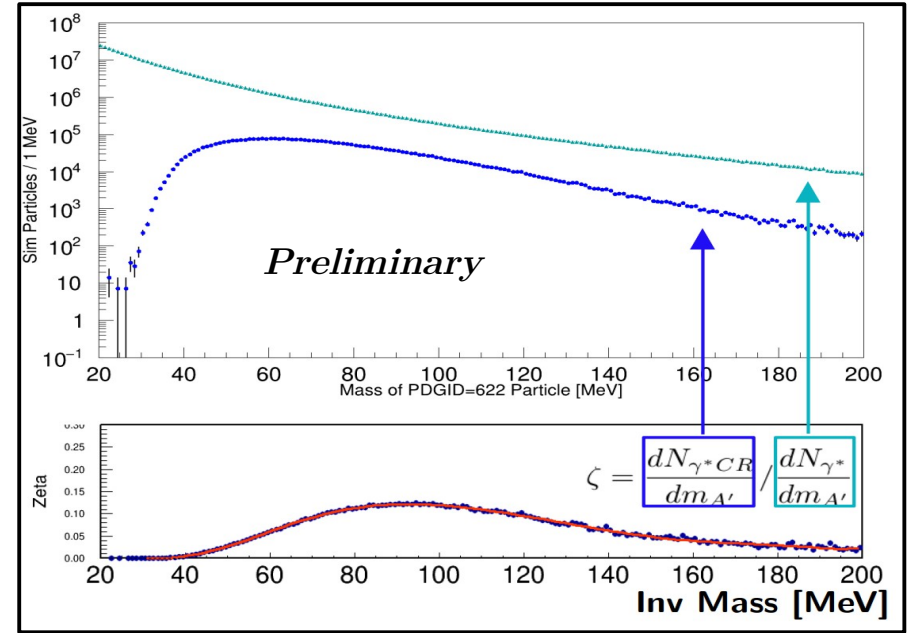


1. A' cross-section proportional to differential Radiative Tridents

$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \Big|_{m_{l+l^-} = m_{A'}}$$

2. Multiply by Luminosity to get Total A' Production Rate for m_{A'}

$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \boxed{\frac{dN_{\gamma^*}}{dm_{A'}}}$$

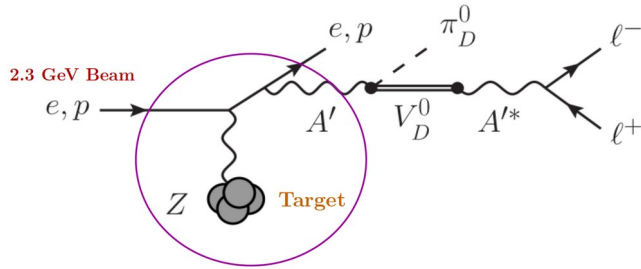


“Radiative Acceptance”

$$\frac{dN_{\gamma^*}}{dm_{A'}} = \boxed{\left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^* CR}}{dm_{A'}} \right)} \left(\frac{dN_{\gamma^* CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$



Total A' Production Rate

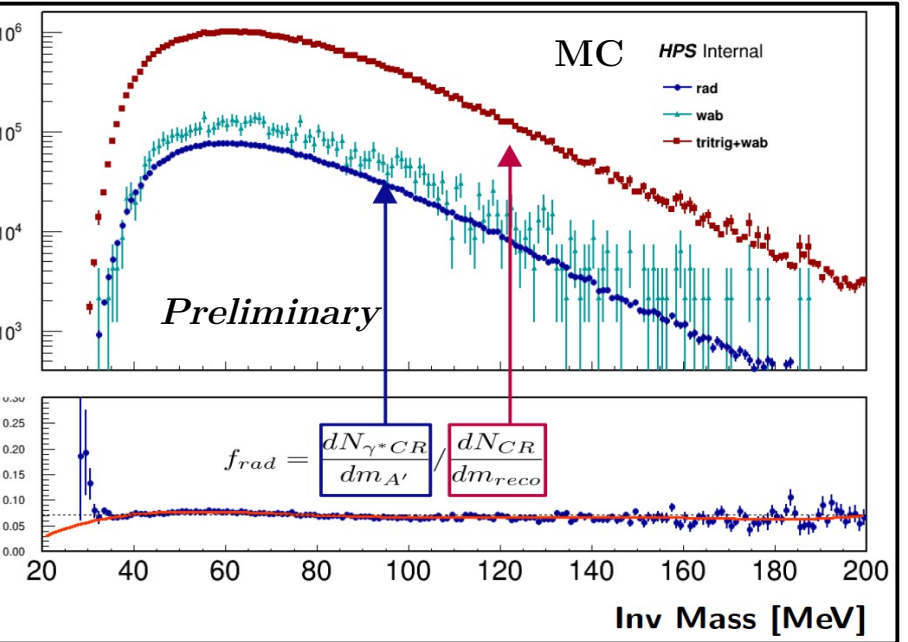


1. A' cross-section proportional to differential Radiative Tridents

$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \Big|_{m_{l+l^-} = m_{A'}}$$

2. Multiply by Luminosity to get Total A' Production Rate for $m_{A'}$

$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{dN_{\gamma^*}}{dm_{A'}}$$

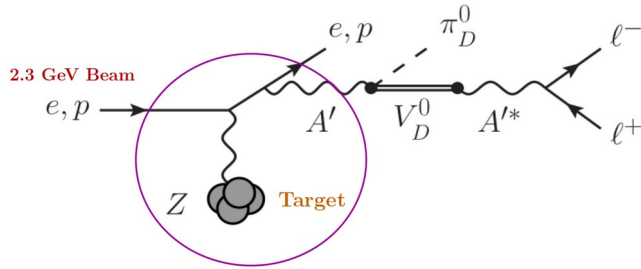


“Radiative Fraction”

$$\frac{dN_{\gamma^*}}{dm_{A'}} = \left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^*CR}}{dm_{A'}} \right) \left(\frac{dN_{\gamma^*CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$



Total A' Production Rate



1. A' cross-section proportional to differential Radiative Tridents

$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \Big|_{m_{l+l^-} = m_{A'}}$$

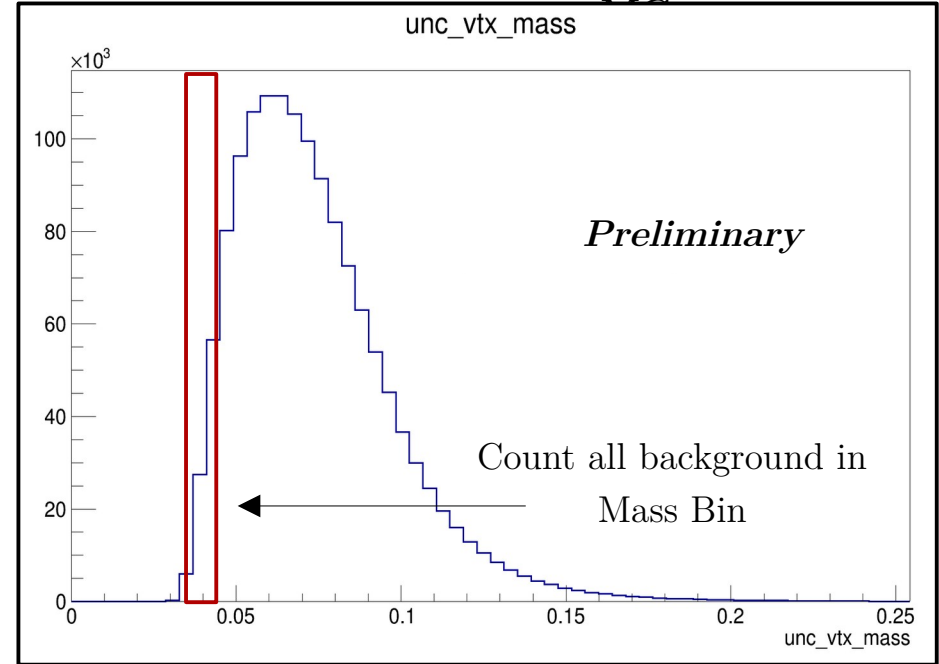
2. Multiply by Luminosity to get Total A' Production Rate for $m_{A'}$

$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{dN_{\gamma^*}}{dm_{A'}}$$

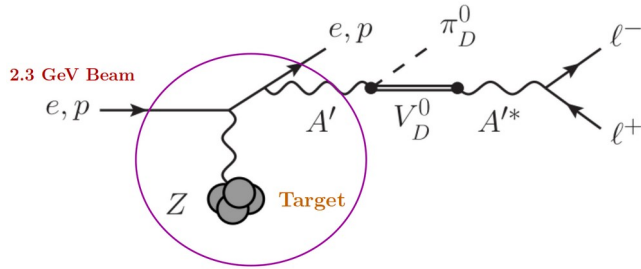


$$\frac{dN_{\gamma^*}}{dm_{A'}} = \left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^*CR}}{dm_{A'}} \right) \left(\frac{dN_{\gamma^*CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$

“Background Rate”



Total A' Production Rate

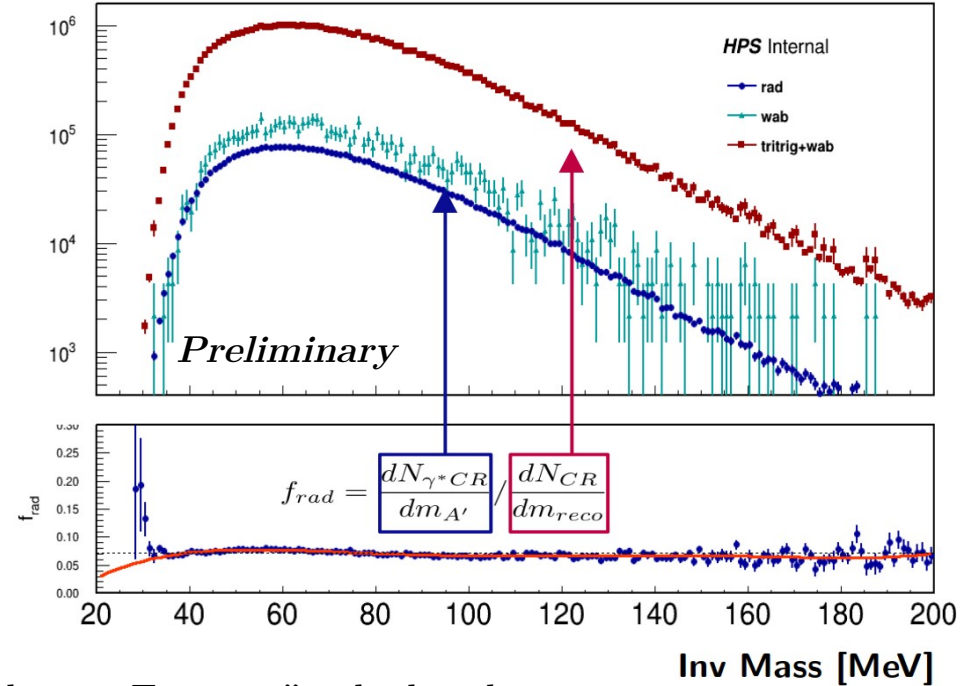


1. A' cross-section proportional to differential Radiative Tridents

$$\sigma_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \frac{d\sigma_{\gamma^*}}{dm_{l+l^-}} \Big|_{m_{l+l^-} = m_{A'}} \quad [3]$$

2. Multiply by Luminosity to get Total A' Production Rate for $m_{A'}$

$$N_{A'} = \frac{3\pi m_{A'} \epsilon^2}{2N_{eff}\alpha} \boxed{\frac{dN_{\gamma^*}}{dm_{A'}}}$$

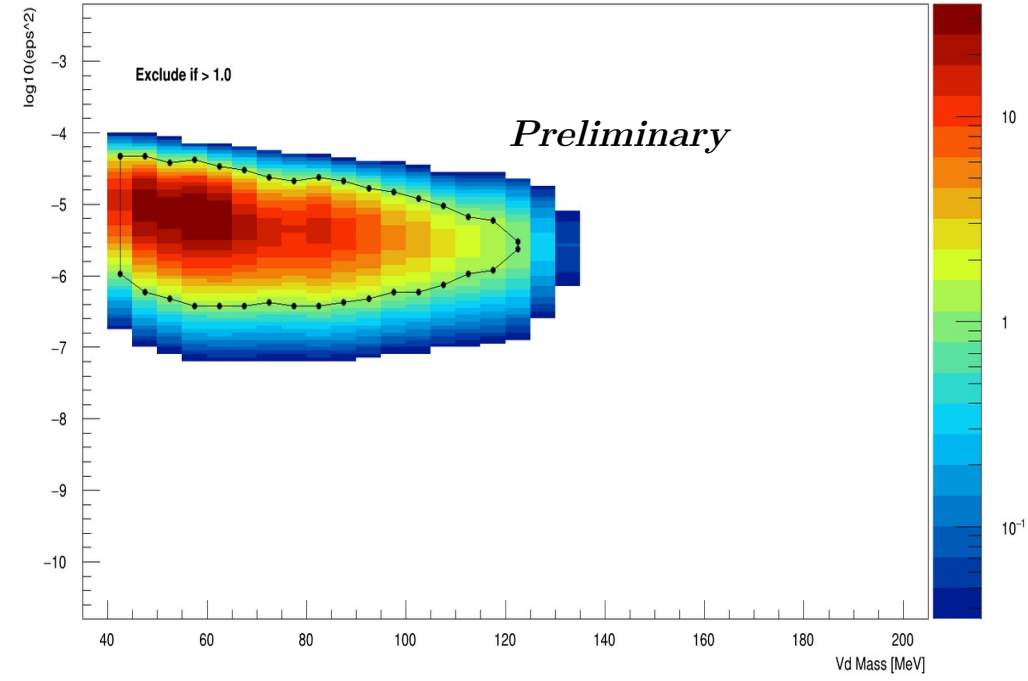
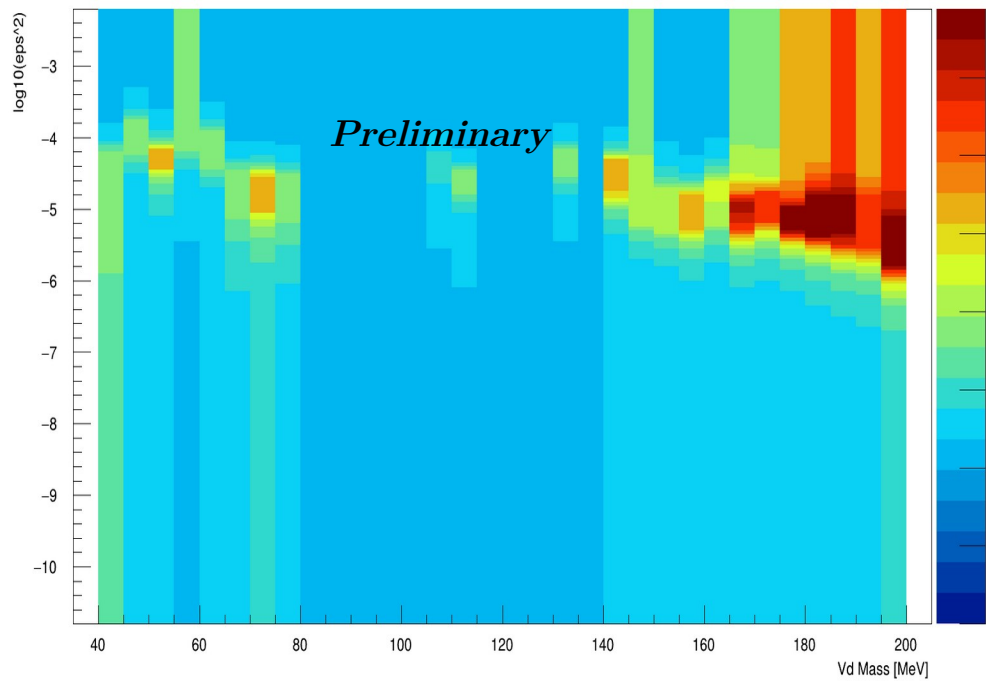


“Radiative Fraction” calculated using MC, allows us to convert data rate to A' production rate

$$\frac{dN_{\gamma^*}}{dm_{A'}} = \left(\frac{dN_{\gamma^*}}{dm_{A'}} / \frac{dN_{\gamma^*CR}}{dm_{A'}} \right) \left(\frac{dN_{\gamma^*CR}}{dm_{A'}} / \frac{dN_{CR}}{dm_{reco}} \right) \frac{dN_{CR}}{dm_{reco}}$$

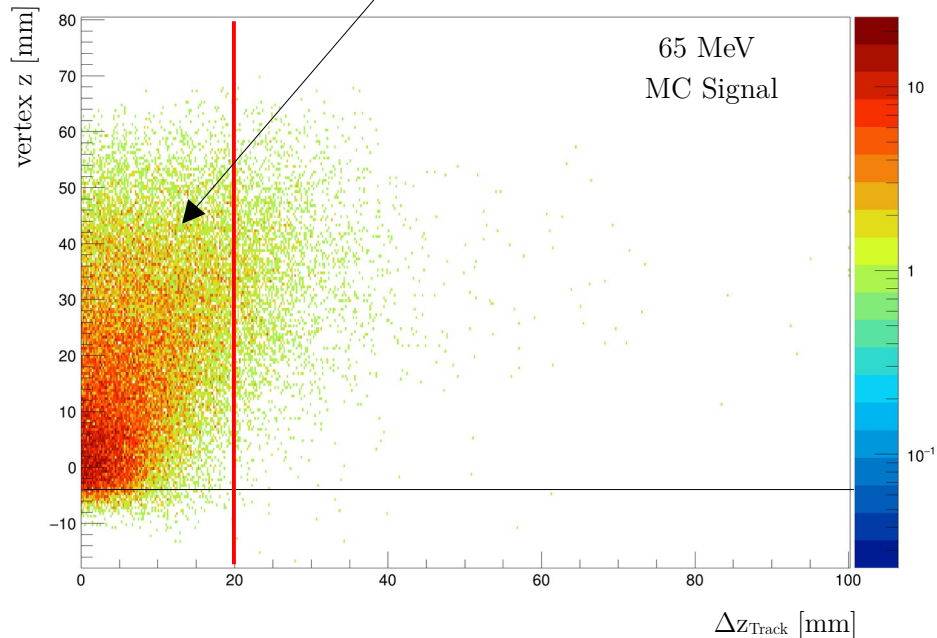


Optimum Interval Method Exclusion Contour

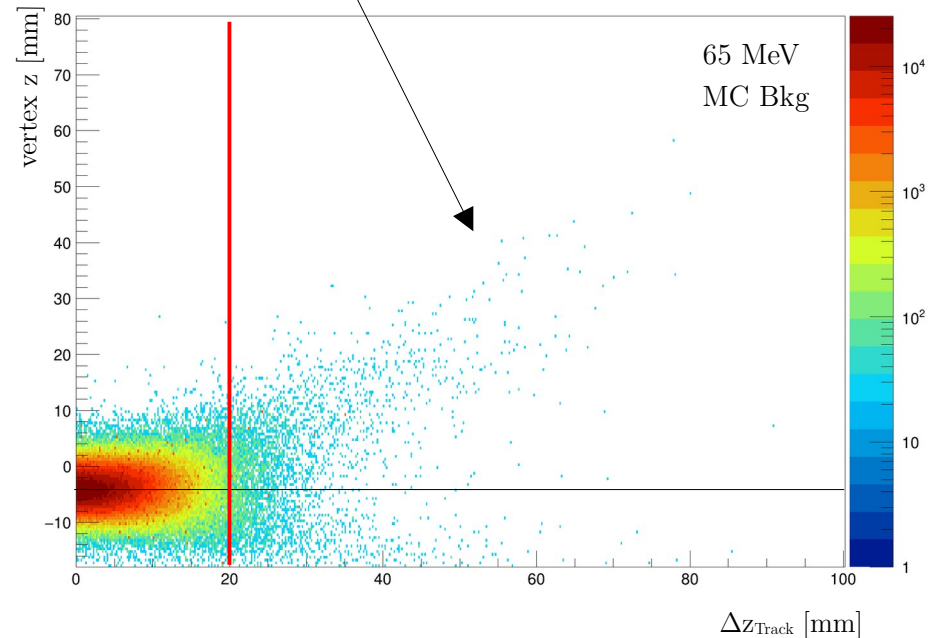


High-Z Cuts: Track-Vertex Consistency Δz_{Track}

Signal efficiency
remains high



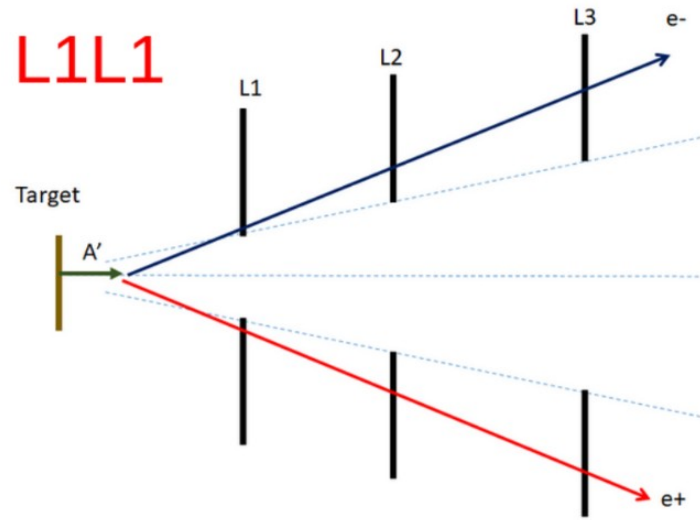
Cut on difference in z_{Track} removes
high-z backgrounds



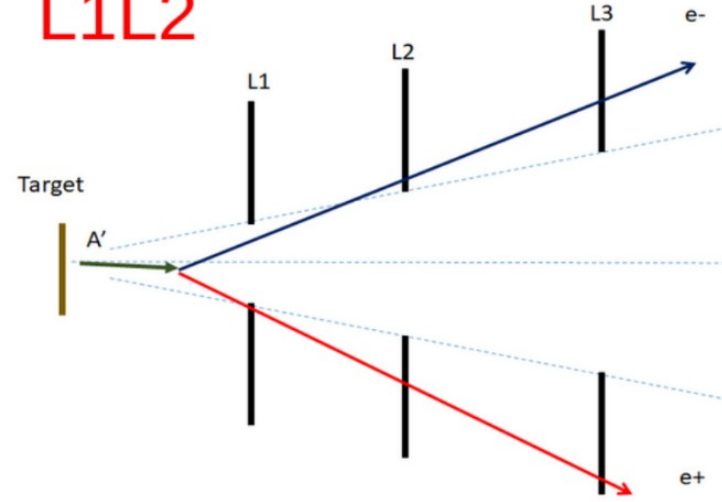
Example: Cut events
with $\Delta z_{\text{Track}} > 20$ mm



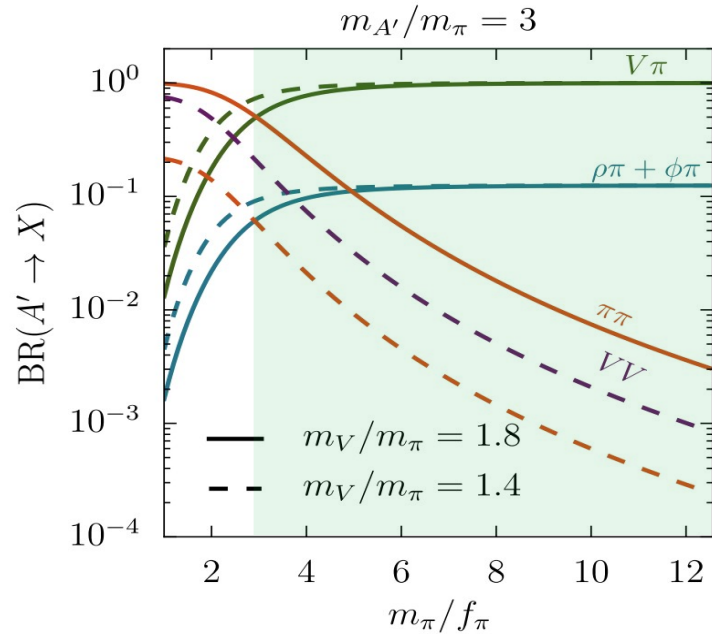
L1L1



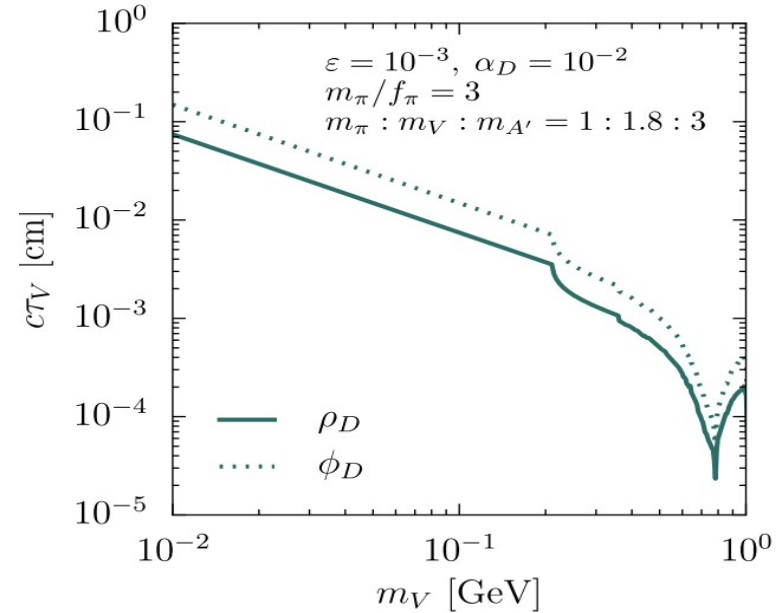
L1L2



Strongly Interacting Massive Particles - Theory



- π_D = dark pion mass (comprises DM)
 - A' = couples HS to SM
- V_D = heavy dark vector meson
 - ε = kinetic mixing parameter
 - $\alpha_D = U(1)_D$ gauge coupling
- $f\pi_D$ = dark sector pion decay constant



- π_D = dark pion mass (comprises DM)
 - A' = couples HS to SM via kinetic mixing
- V_D = heavy dark vector meson (analogous to ρ meson)
 - ε = kinetic mixing parameter
 - $\alpha_D = U(1)_D$ gauge coupling
- $f\pi_D$ = dark sector pion decay constant



