#### Cal Peds and Gains

L. Baldini, A. Borgland, J. Bregeon, D. Paneque

August 5, 2008

## CAL monitoring: what do we have?

- Pedestals (DigiLong end of run):
  - Cal pedestal distributions (12288 histograms);
  - ▶ Mean and RMS of the pedestal distributions (4 ranges, with two different methods, fit and truncated average).
  - Deviation of the mean and RMS with respect to the reference (with the truncated average only).
  - ▶ Some additional information (dof,  $\chi^2$ ) for the fitting method.
- Gain ratios (DigiLong end of run):
  - ▶ PM, Pp, Mm ratios for all crystals (1536  $\times$  3 histograms).
  - Mean and RMS of those distributions (two different methods, fit and truncated average).
  - Same additional stuff for the fitting method.
- Trending (DigiLong trending, within each run):
  - Pedestal value in 5 min time bins (12288 trending plots);
  - Pedestal deviations in 5 min time bins (12288 trending plots);
  - ▶ Gain ratios in 5 min time bins (1536  $\times$  3 trending plots).
- A whole bunch of regular plots (FastMon, Digi, Recon).

#### What is this presentation about

- Decide whether what we have is appropriate:
  - ▶ Do we have all we need?
  - ▶ Do we have too much?
  - Do we have it too often?
- Identify the sensible quantities to put alarms on;
  - Eventually data will tell us;
  - But need input from the CAL group for setting the limits.
- ▶ Decide whether we want the (same) quantities from both the truncated average and the fitting method;
  - Detailed comparison follows (run 0238071573);
  - Need to do it on a series of runs and quantify the variations, but this is a first step.

#### A few remarks on the fitting procedure

- ► We have quite a few handles to try and make sure the fit is done properly:
  - ► The fitting function (a gaussian, unless something different is specified).
  - ► The number of iterations (mean and RMS from the previous iteration used in the next one);
  - The rebin factor for each histogram (when we're absolutely sure we can change the binning in the histograms at the creation time);
  - ► The number of RMS around the mean for defining the fitting sub-range (separate for left and right).
- All those handles have been fine-tuned by hand, essentially.

#### A few remarks on the fitting procedure (continued)

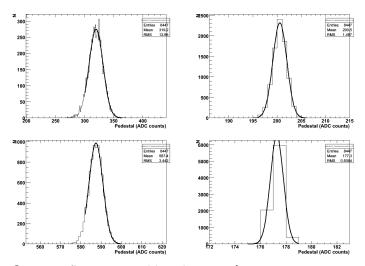
Data type	Function	Iter.	Rebin	Range L	Range R
Ped LEX8	gaussian	1	1	1.5	3.5
Ped LEX1	gaussian	1	1	3.0	3.0
Ped HEX8	gaussian	1	1	1.5	3.5
Ped HEX1	gaussian	1	1	3.0	3.0
Gain RPM	mod. gauss*	2	2	3.0	3.0
Gain RPp	gaussian	2	10	2.0	1.0
Gain RMm	gaussian	2	10	2.0	1.0

<sup>\*</sup>The functional form is:

$$f(x) = \frac{p_0}{\sqrt{2\pi}p_2} e^{-\left|\left(\frac{x-p_1}{p_2}\right)^{p_3}\right|}$$
 (1)

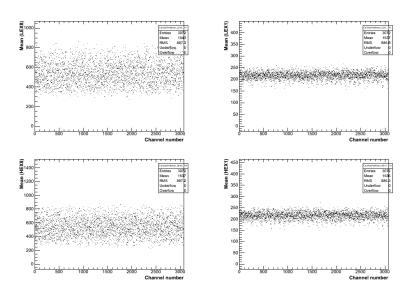
which reduces to a gaussian for  $p_3=2$  and to a *square* function when  $p_3\to\infty$ .  $p_3=8$  is chosen for fitting RPM ratios.

### Pedestals: methodology

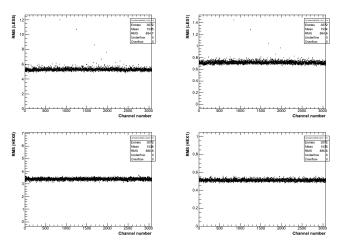


- ▶ Gaussian fit on a suitable sub-range (one or more iterations):
  - Get mean and RMS, along with  $\chi^2$  and some other things.

#### Pedestals: mean values

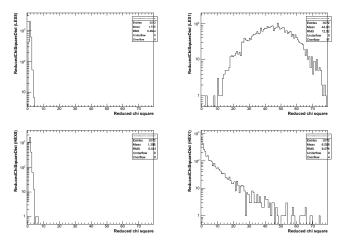


#### Pedestals: RMS values



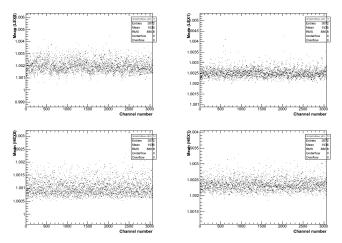
- ▶ The *outliers* are real and *not* results of problematic fits:
  - $ightharpoonup \chi^2$  is ok when RMS is large.
  - ▶ Slide 6 refers to channel 848 (RMS is  $\simeq$  12 in LEX8).

#### Pedestals: reduced $\chi^2$ distributions



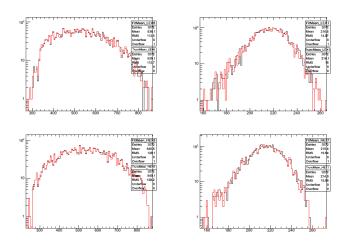
- ► LEX1 and HEX1 suffer from the fact that the pedestal distributions are only a few bins wide;
  - But the fit always converges correctly (looking by eye).

# Pedestals: comparison with the truncated average (mean)



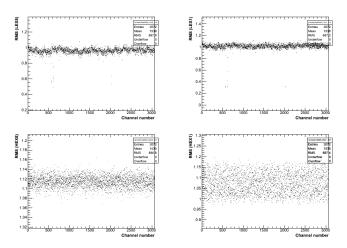
- Agreement on the average values at a fraction of % level;
  - Plots show the ratio between the fitting method and the truncated average method;
    - Small bias (0.1–0.2 %, who cares?)

# Pedestals: comparison with the truncated average (mean)



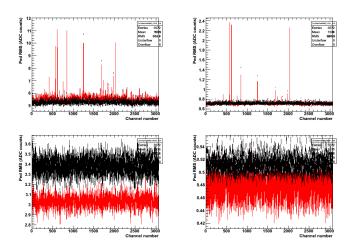
A different view: distribution of the values.

### Pedestals: comparison with the truncated average (RMS)



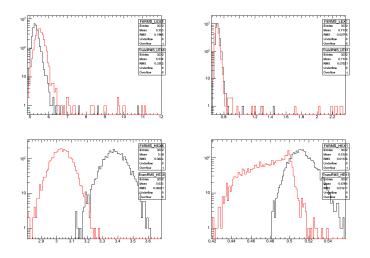
- ▶ Agreement of the RMS values is generally good (not always);
  - ► The truncated average method gives a few more spikes (cfr. channels 576–578). Real or not (see following slides)?

#### Pedestals: comparison with the truncated average (RMS)



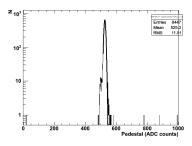
- ► A different view on the comparison;
  - Black is the fitting method, red is the truncated average.

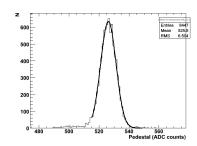
### Pedestals: comparison with the truncated average (RMS)



Another different view: distribution of the values.

#### Pedestals: channel 577 LEX8



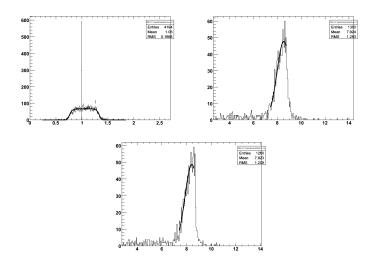


- ► The plot on the right is the zoomed version of the one on the left (channel 577 LEX8);
  - ▶ The fitting method gives RMS = 5.13;
  - ▶ The truncated average gives RMS  $\simeq$  9.
- Need to assess which one is correct and which one is wrong;
  - If the truncated average excludes the few bins below 100 and above 700 I don't understand how it can return  $\simeq$  9. The *raw* RMS on the zooomed plot is only 6.5 or so.

#### Pedestals: comments

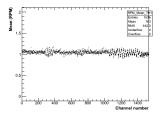
- Mean values:
  - Fitting and truncated average are really the same thing, no noticeable difference.
- RMS values:
  - ▶ There are occasional differences for a few channels;
  - The fit converges correctly in those cases;
  - Need to understand why the truncated average does not agree and whether this difference is telling us something interesting or not.
- ► The subtraction of the pedestal values (in the CAL db) is not yet implemented with the fitting method;
  - If we want to use this tool we need to do it (probably need some help from David).
- Trending the pedestal-related quantities with sub-run resolution is not implemented with the fitting method—and may be problematic.

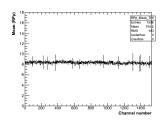
### Gain ratios: methodology

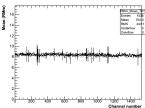


▶ Unphysical spike at  $\simeq 1$  now fixed—I was assigning a large error in the meantime to neglect it in the fit.

#### Gain ratios: mean values

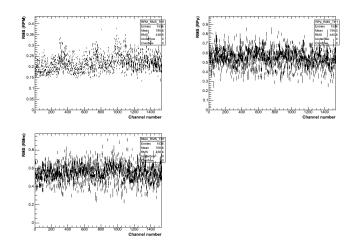






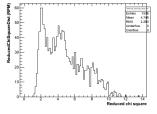
- ▶ In some cases the error associated with the fit is large;
  - But the fit parameter still look correct;
  - Reasonably uniform across the detector.

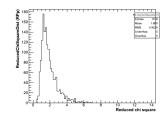
#### Gain ratios: RMS values

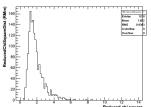


▶ Again the fit seems to converge in all cases.

### Gain ratios: reduced $\chi^2$ distributions

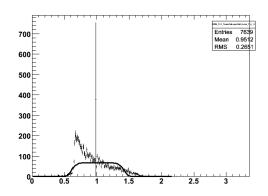






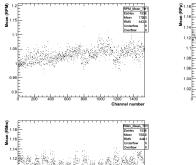
- ▶ The reduced  $\chi^2$  distribution looks poor for the PM ratios:
  - ▶ Clearly the fit function is not *right*—at least in some cases;
  - ▶ But still the fit parameters are reasonable.

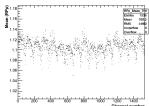
### A problematic channel: 755 (PM)



- ▶ The fit for this one has a reduced  $\chi^2 \simeq 12$ ;
  - ▶ The fitting tool gives mean = 1.01, RMS = 0.23
  - ightharpoonup The truncated average gives mean = 0.95, RMS = 0.24
- ▶ Even questionable what we are trying to measure, here. . .

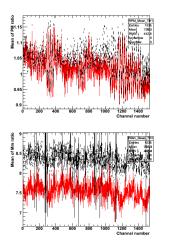
## Gains: comparison with the truncated average (mean)

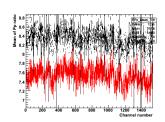




- ► Good agreement (at the level of 10%);
  - Clear (irrelevant) bias due the shape of the distributions (cfr. slide 17);
  - Probably both are good enough to put alarms on.

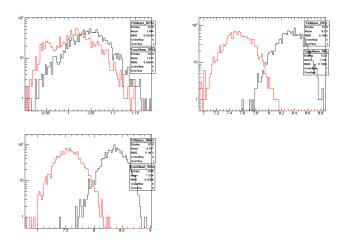
### Gains: comparison with the truncated average (mean)





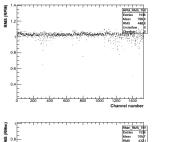
► The fitting method seems slightly more uniform across the detector.

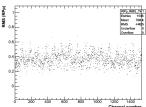
### Gains: comparison with the truncated average (mean)

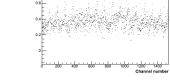


Another different view: distribution of the values.

#### Gains: comparison with the truncated average (RMS)

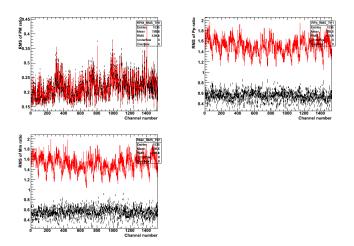






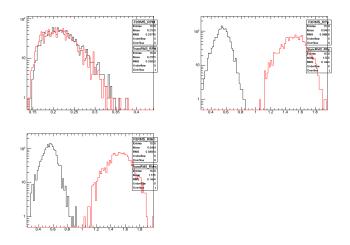
- ▶ Numbers for Pp and Mm are different;
  - ▶ Reasonable, given how the distributions look like (cfr. slide 17—there's a lot of stuff outside the peak).

### Gains: comparison with the truncated average (RMS)



► Again the fitting method seems slightly more uniform across the detector.

### Gains: comparison with the truncated average (RMS)

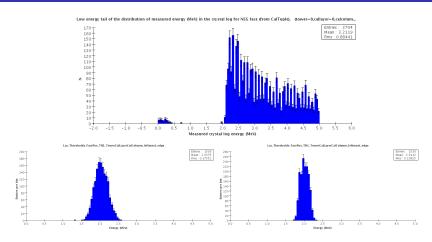


Another different view: distribution of the values.

#### Gain ratios: comments

- ► The gain distributions are highly non gaussian and not particularly well behaved;
  - ▶ Fitting and truncated average give *different* numbers.
  - The difference is mainly an overall (irrelevant) multiplicative factor;
  - ► The ratio between the two methods is reasonably uniform across the detector—probably they're both good enough for putting alarms on.
  - Results from the fitting procedure seem slightly more uniform across the detector (distributions of the values are narrower).

#### LAC thresholds



- ▶ Left: distribution of the LAC values over all the crystal *before* the first in-flight calibration;
- Right: same thing after the calibration.

#### Conclusions

- Which plots are useless ?
- Which plots are missing ?
- What method shall we use for pedestal monitoring ?
- Which alarms shall we put for pedestal monitoring?
- What method shall we use for ratios monitoring ?
- Which alarms shall we put for ratios monitoring ?
- About fitting vs. truncated average:
  - Truncated average allows trending with sub-run granularity.
  - ► Truncated average already provides deviations wrt. reference.
  - Distributions of the output values from the fitting are generally narrower and more well behaved—easier to put alarms on but do the outliers in the truncated average tell us something?