

Outline

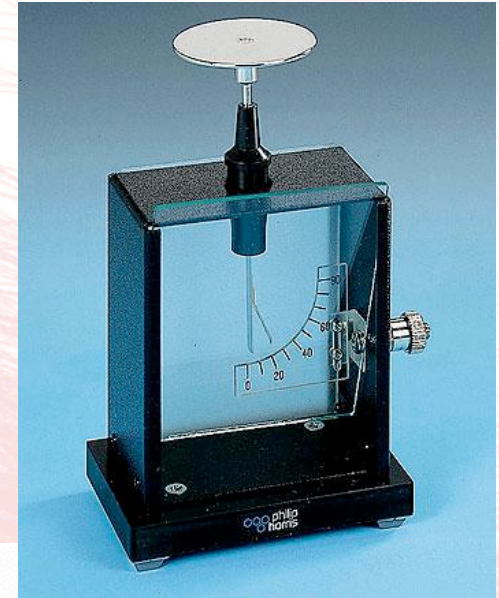
- WCD 2 -
 - Cosmic Ray Background
 - Large and small scale anisotropy
 - Energy Reconstruction
 - Gamma-Ray Data



Cosmic Ray Discovery

- Physikalische Zeitschrift: “The results of these observations seem best explained by a radiation of great penetrating power entering our atmosphere from above.”

Victor Franz Hess



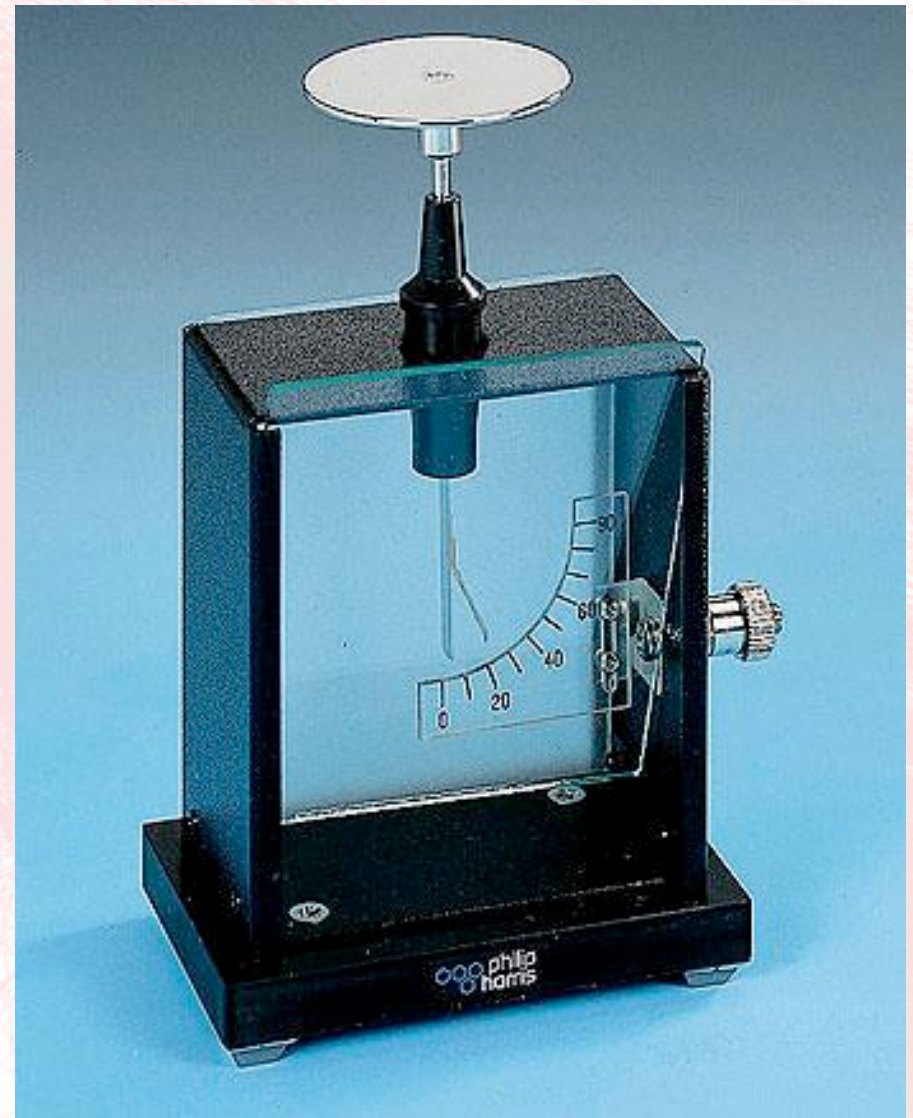
Elevation	Rate
Ground	12
1 km	10
2 km	12
3.5 km	15
5 km	27



V. F. Hess. Über Beobachtungen der durchdringenden Strahlung bei sieben Freiballonfahrten.
Physikalische Zeitschrift, 13:1084-1091, November 1912.

Electroscope

- Charged gold leaf spontaneously discharges due to ionizing radiation.
- Invented in 1787 by Abraham Bennet.

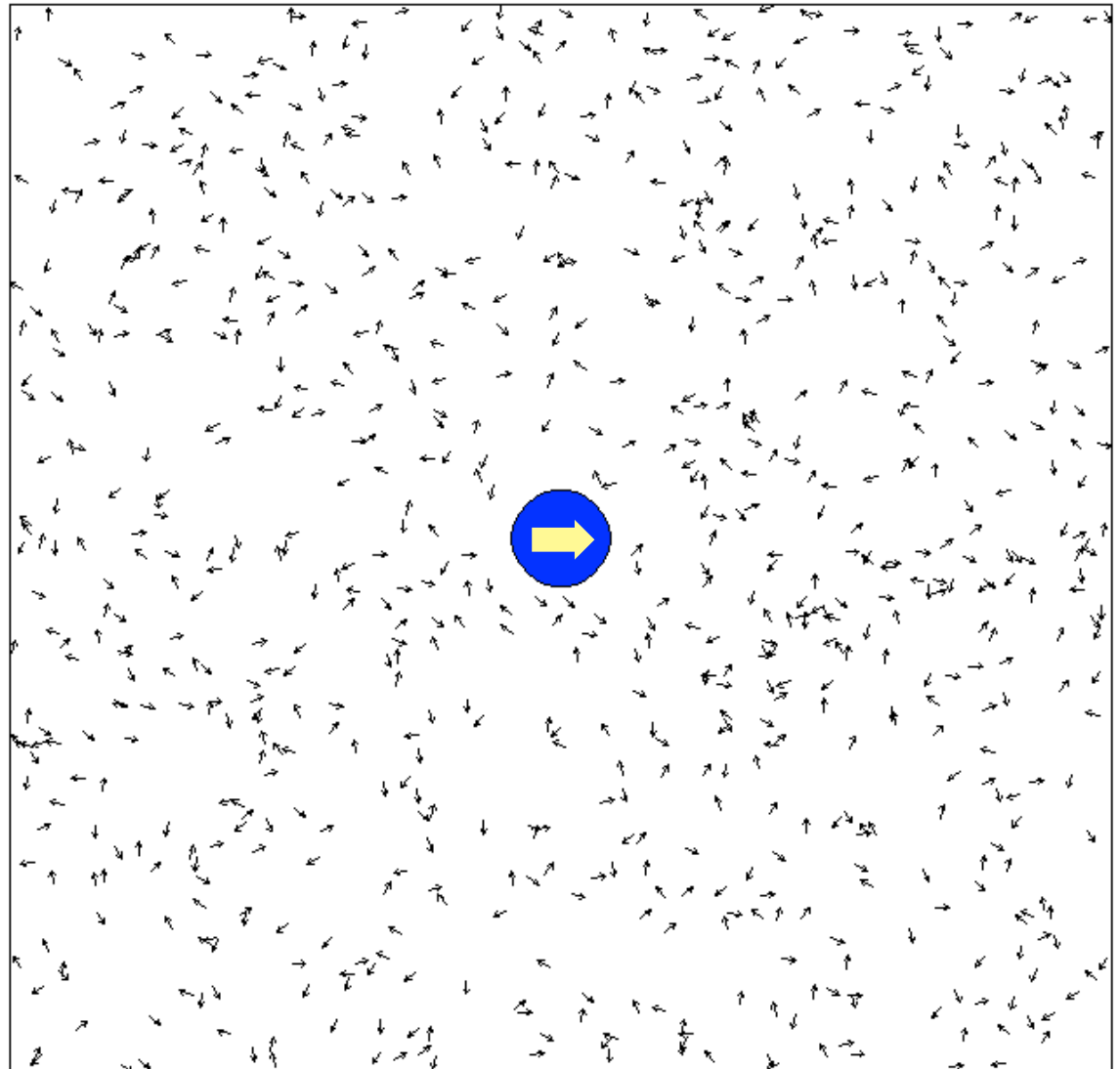


Compton-Getting Effect

The motion of the earth through a cosmic-ray 'aether' creates a forward-backward anisotropy in the direction of motion

If CR's stationary w.r.t galactic rotation, a large anisotropy should be visible ($\sim 1\%$).

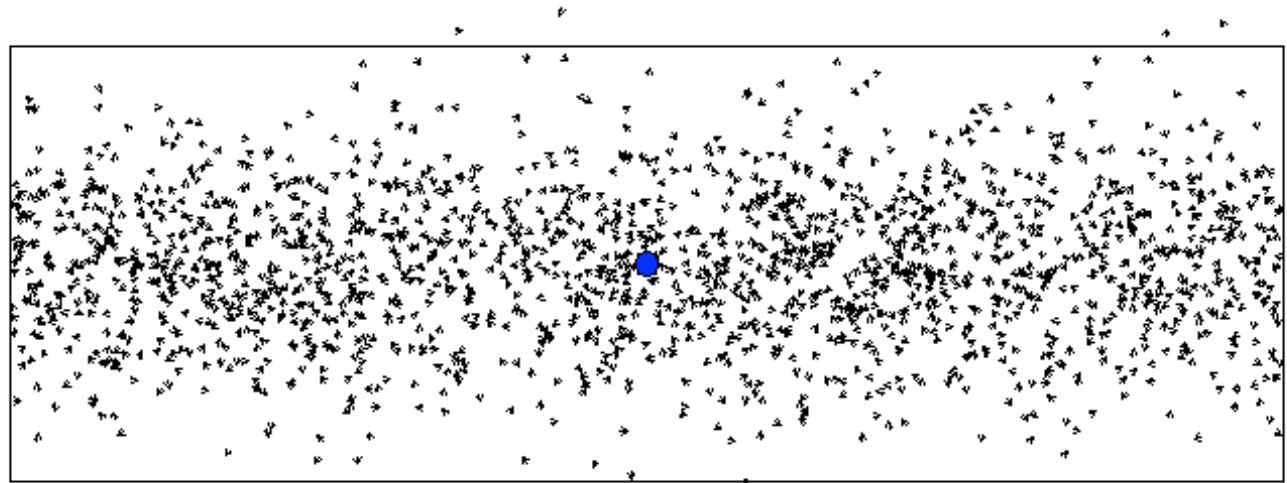
Phys Rev Vol 47, No 11 (1935)



Other sources of anisotropy

- Diffusion from the galactic plane (higher matter density) into the galactic halo (lower matter density).

Galactic Plane

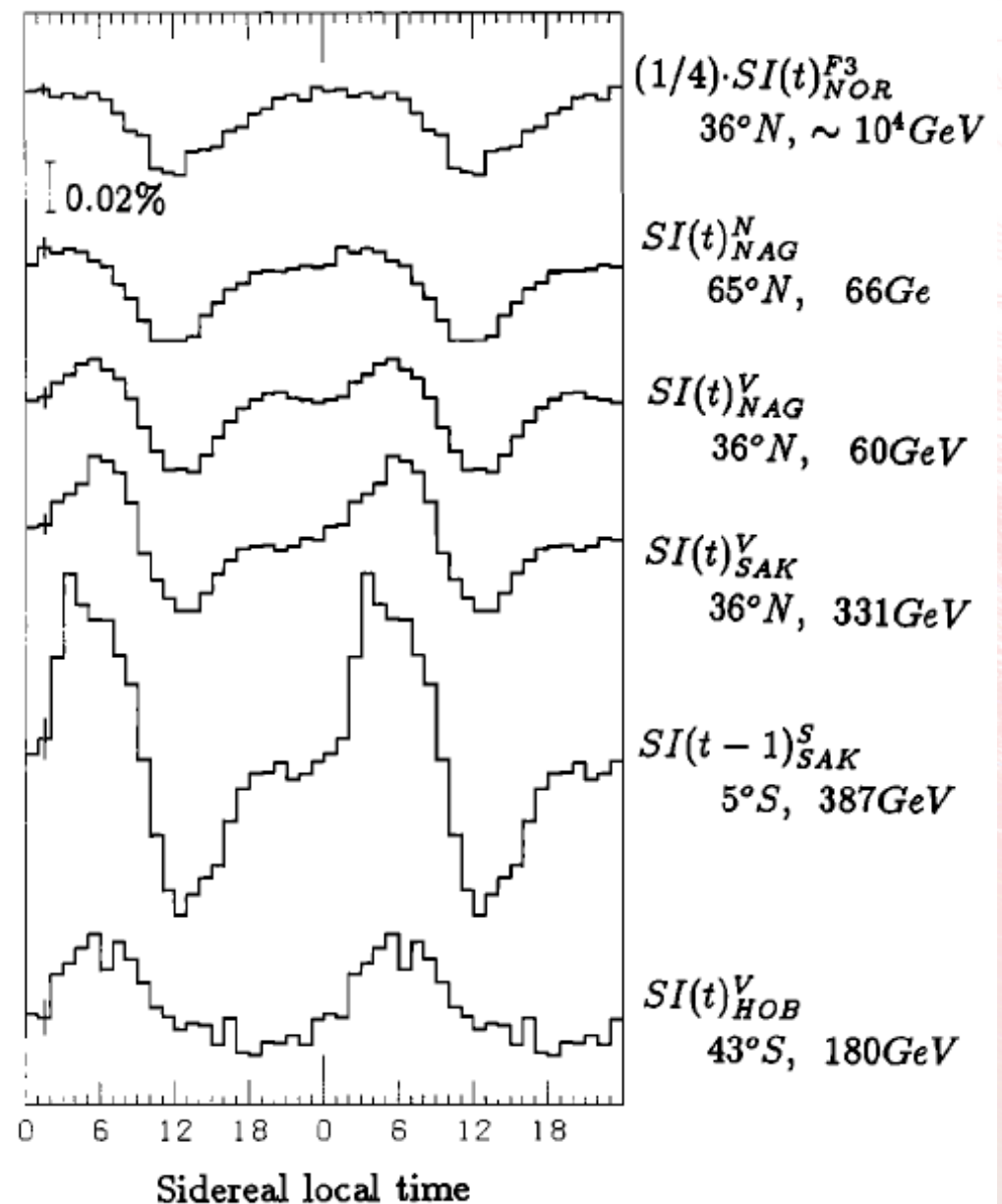


- Local CR sources.

Early detection of Anisotropy

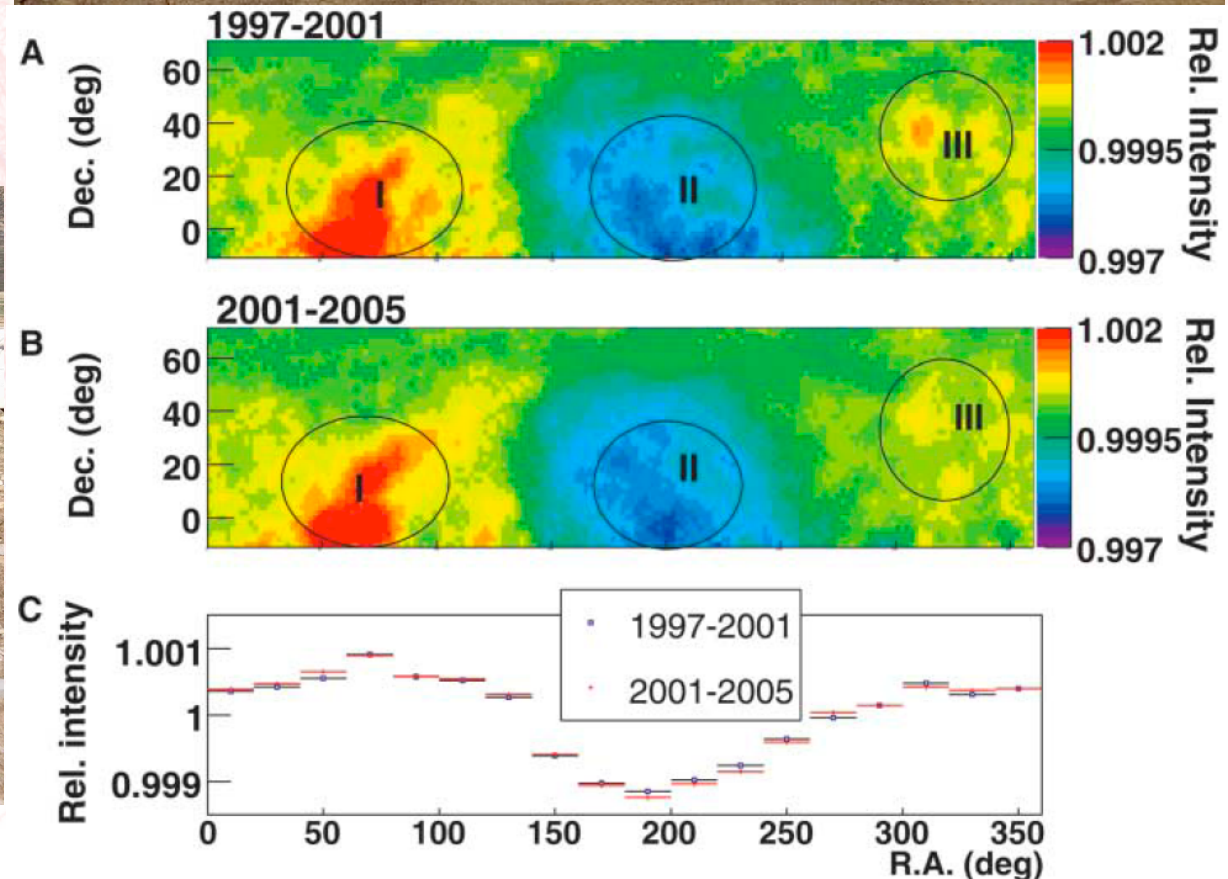
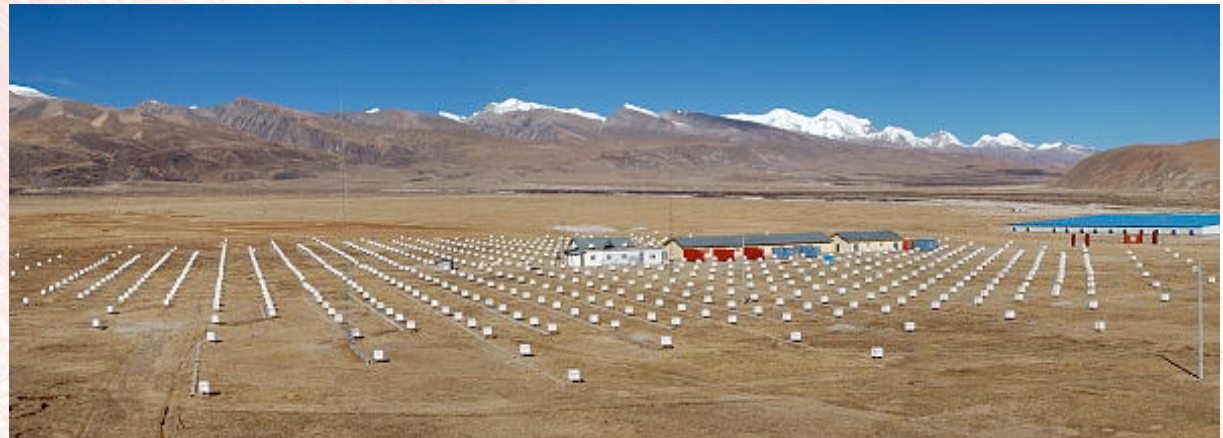
Sidereal counting rates for various experiments

Anisotropy ~few parts in 1000 observed.



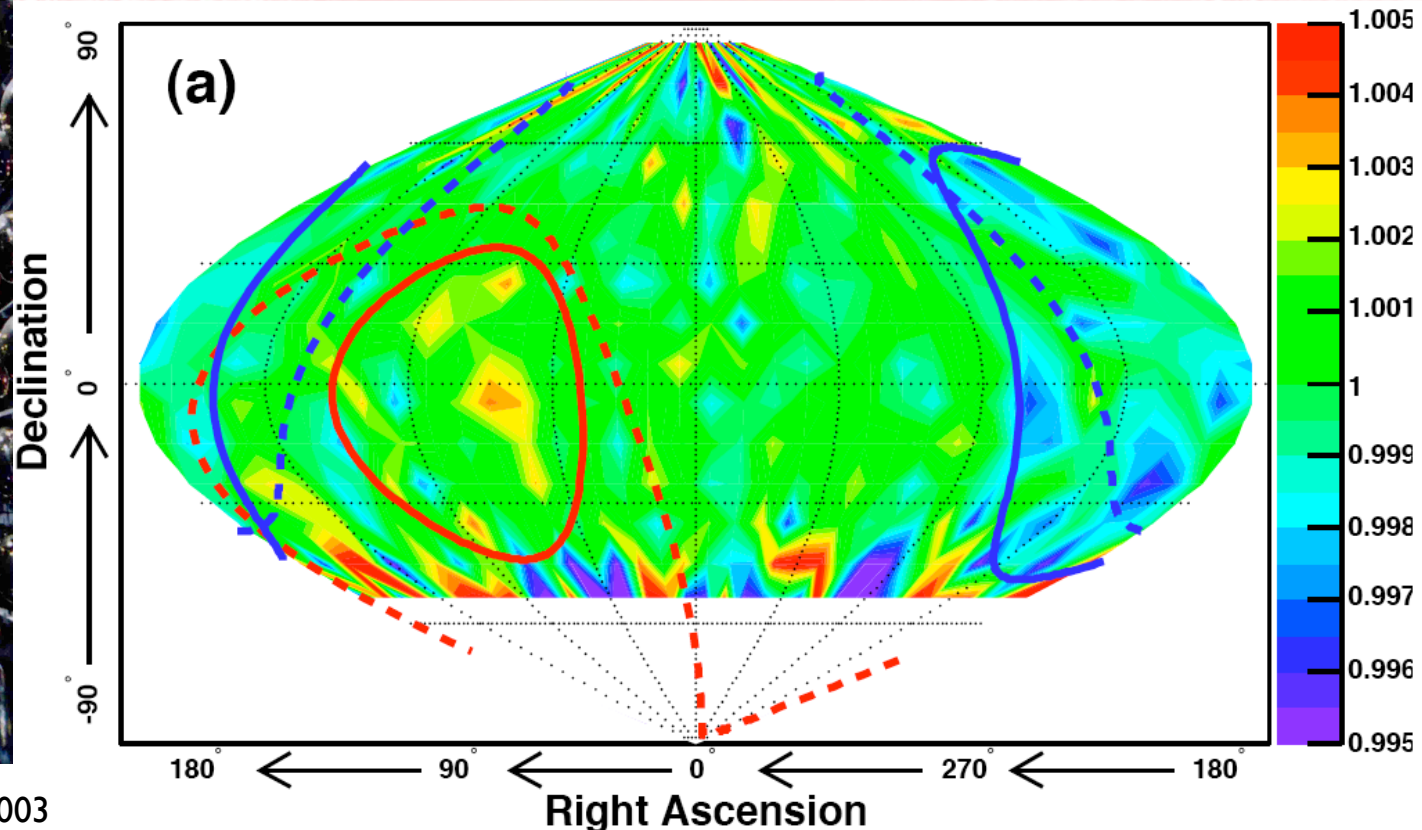
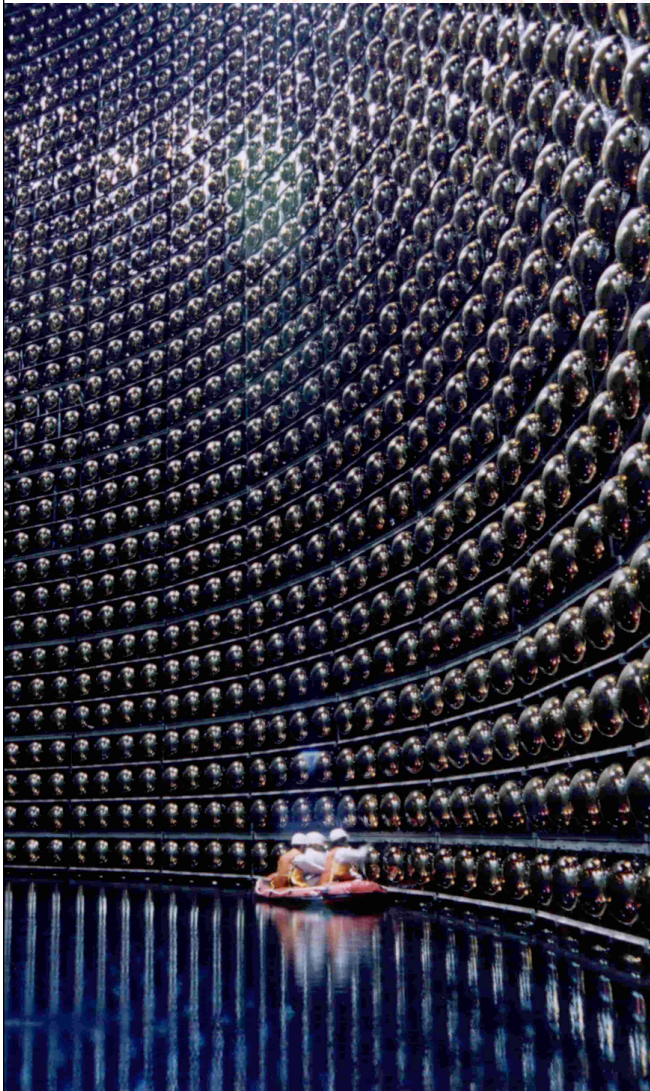
Tibet Air Shower Array

2006-
High statistics
examination of
anisotropy with a
surface detector



Super-K neutrino detector

Observe neutrino secondaries
from CR air showers



2 Approaches to CR anisotropy

1) Forward backward asymmetry method to study "large scale anisotropy".

Derive shape of large scale features.

2) "Direct Integration" background subtraction to study "intermediate scale anisotropy".

Background derived from vicinity of source. High pass filter.

Search for Large scale anisotropy

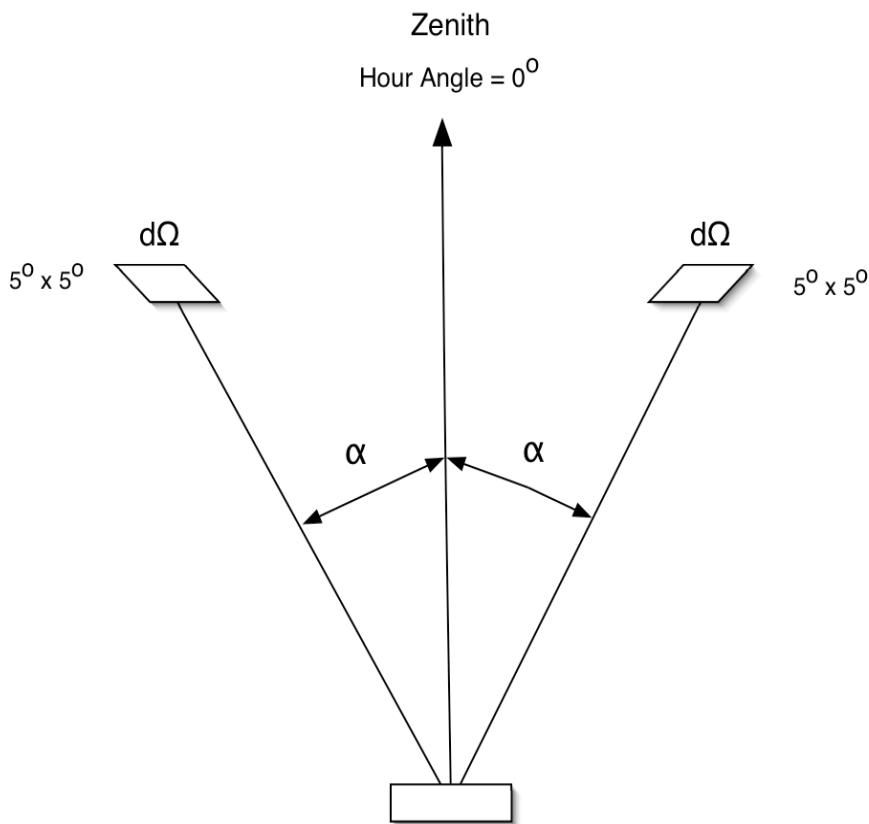
Systematic effects can be large

Day/night variation

Seasonal variation

Forward-backward asymmetry technique

Declination strips (5 degrees)

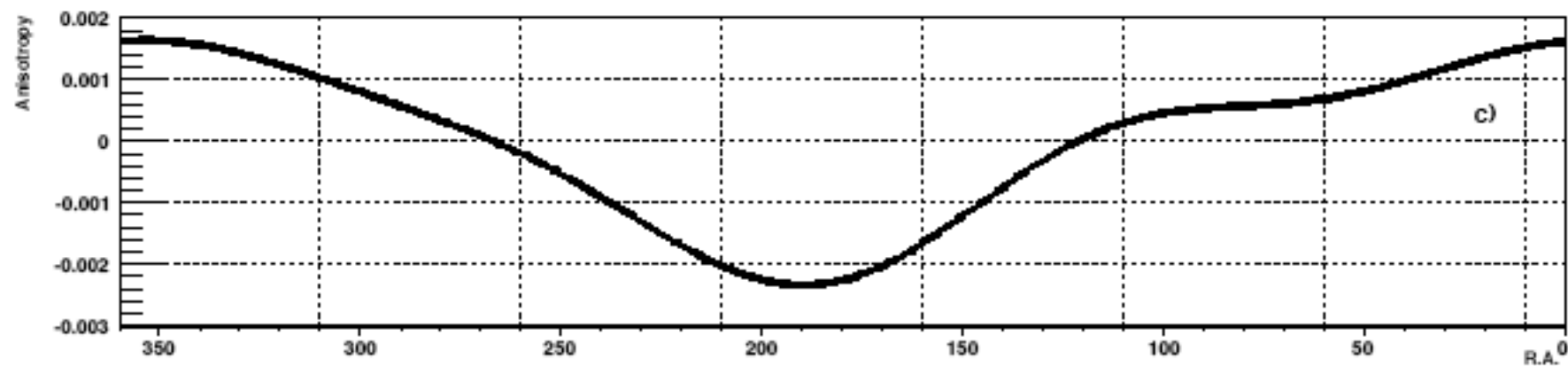
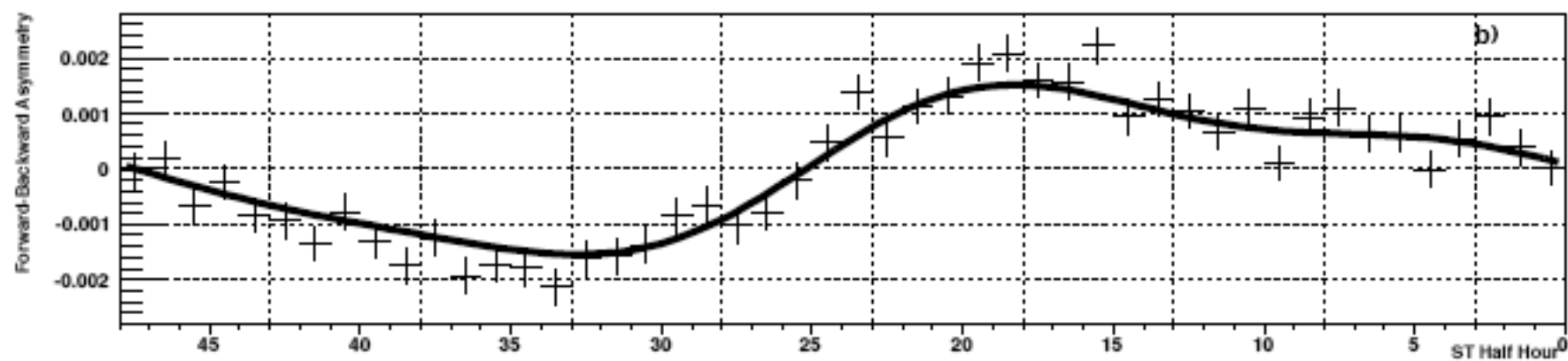
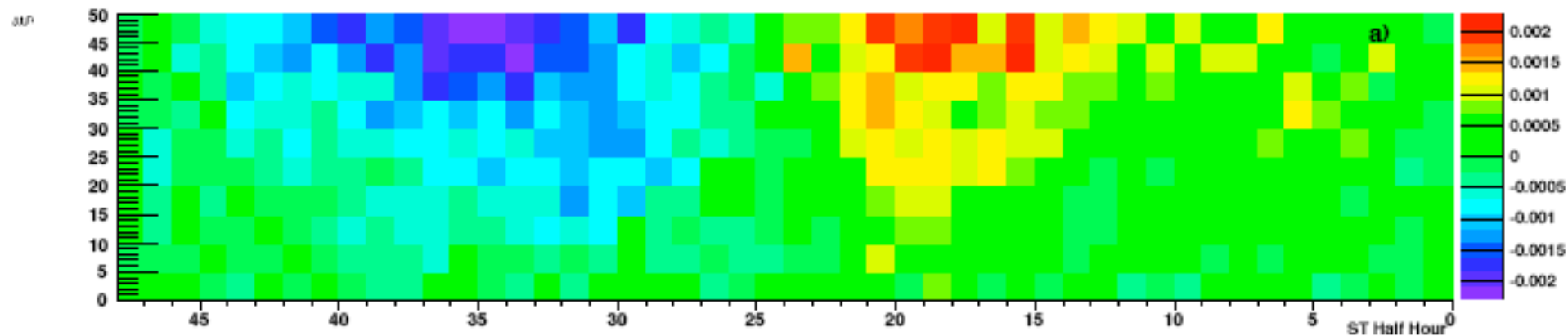


$$FBAsymmetry(\theta, \alpha) = \frac{R(\theta + \alpha) - R(\theta - \alpha)}{R(\theta + \alpha) + R(\theta - \alpha)}$$

7 years of data

95 billion events in sample

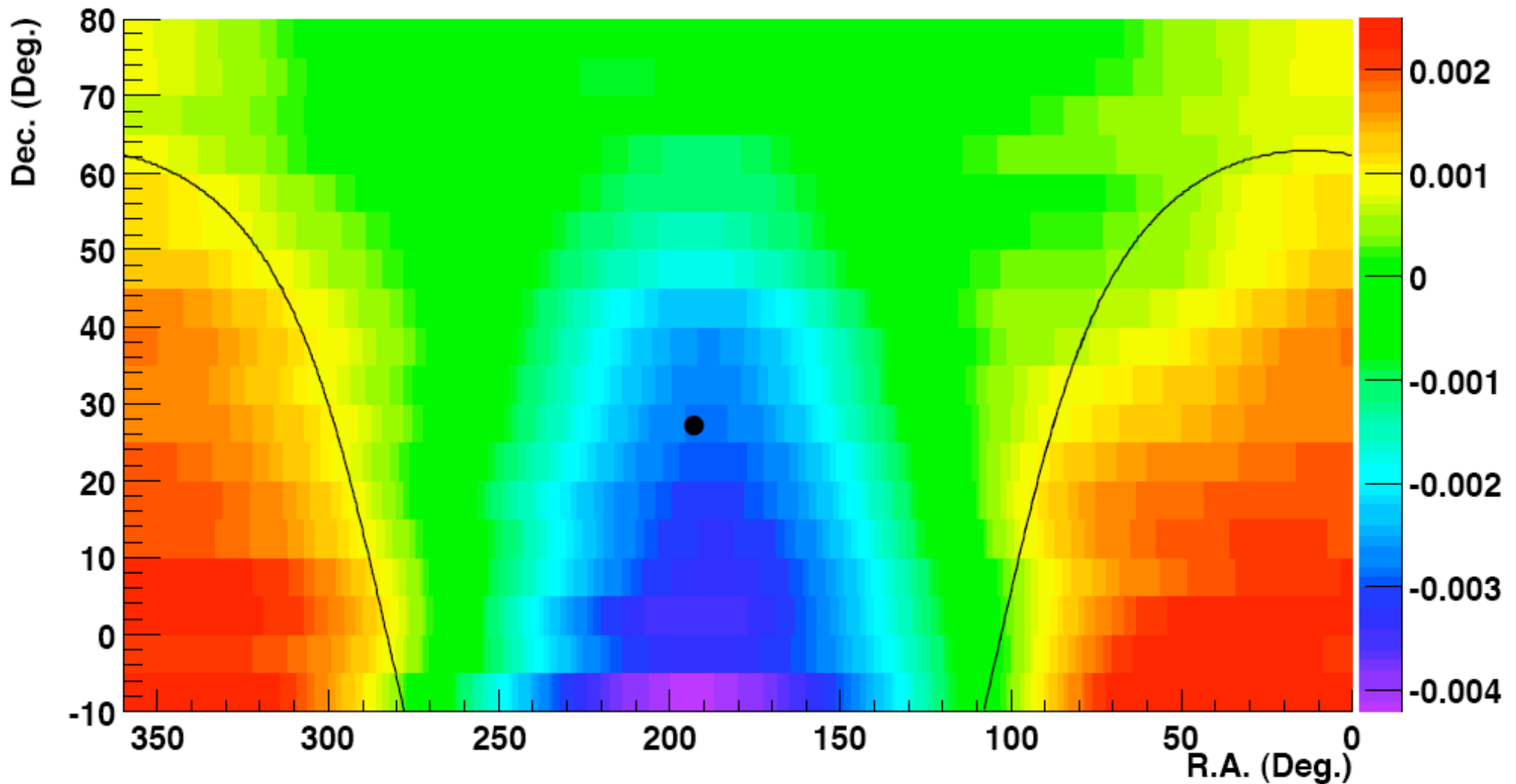
6 TeV median proton energy



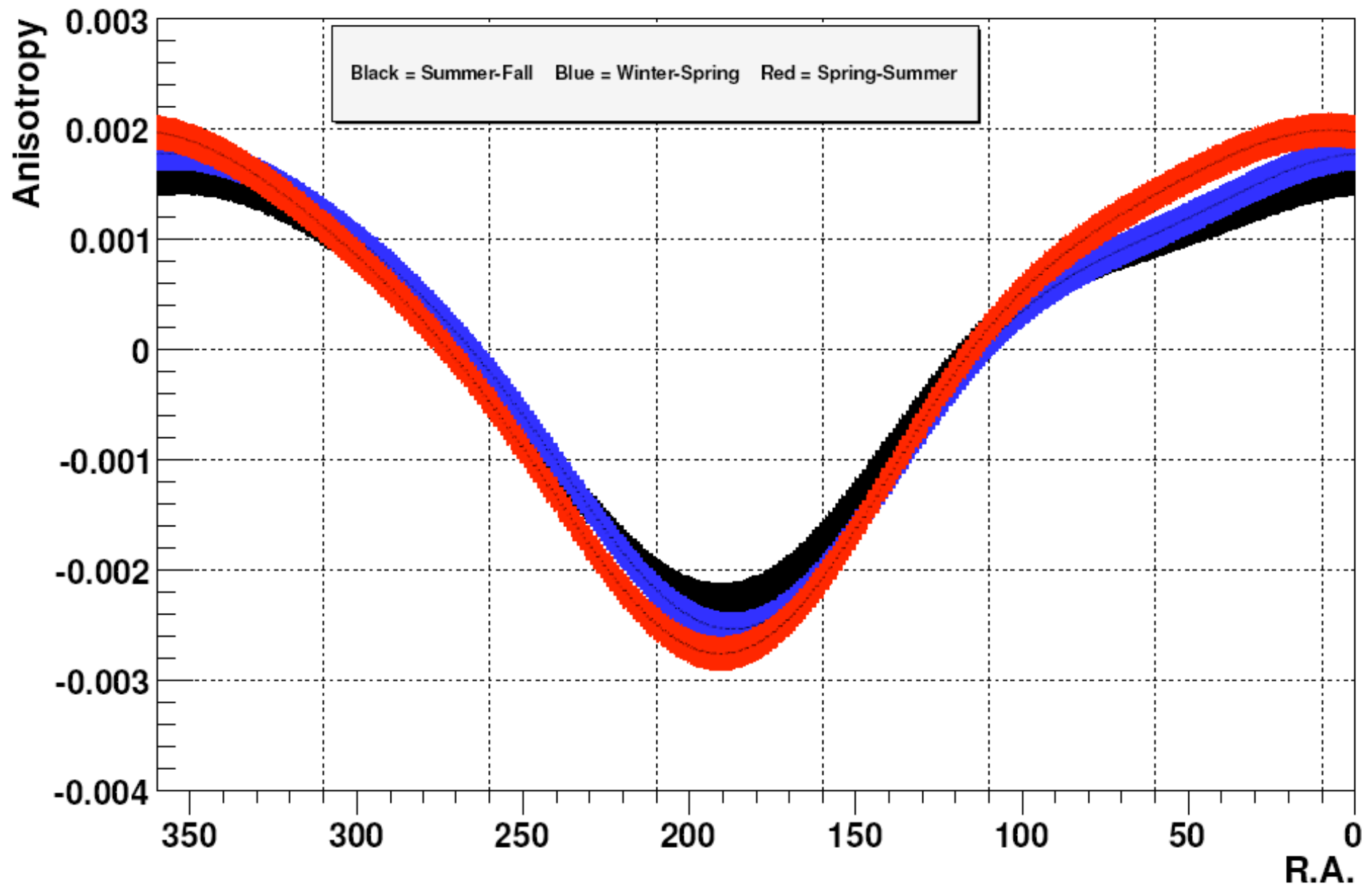
Sky Map of CR large scale anisotropy

(Declination strips are not correlated)

Range of variation $\sim 5 \times 10^{-3}$
consistent with Tibet results



Seasonal Variation



Background Estimation

Background estimation confined to local declination strip.

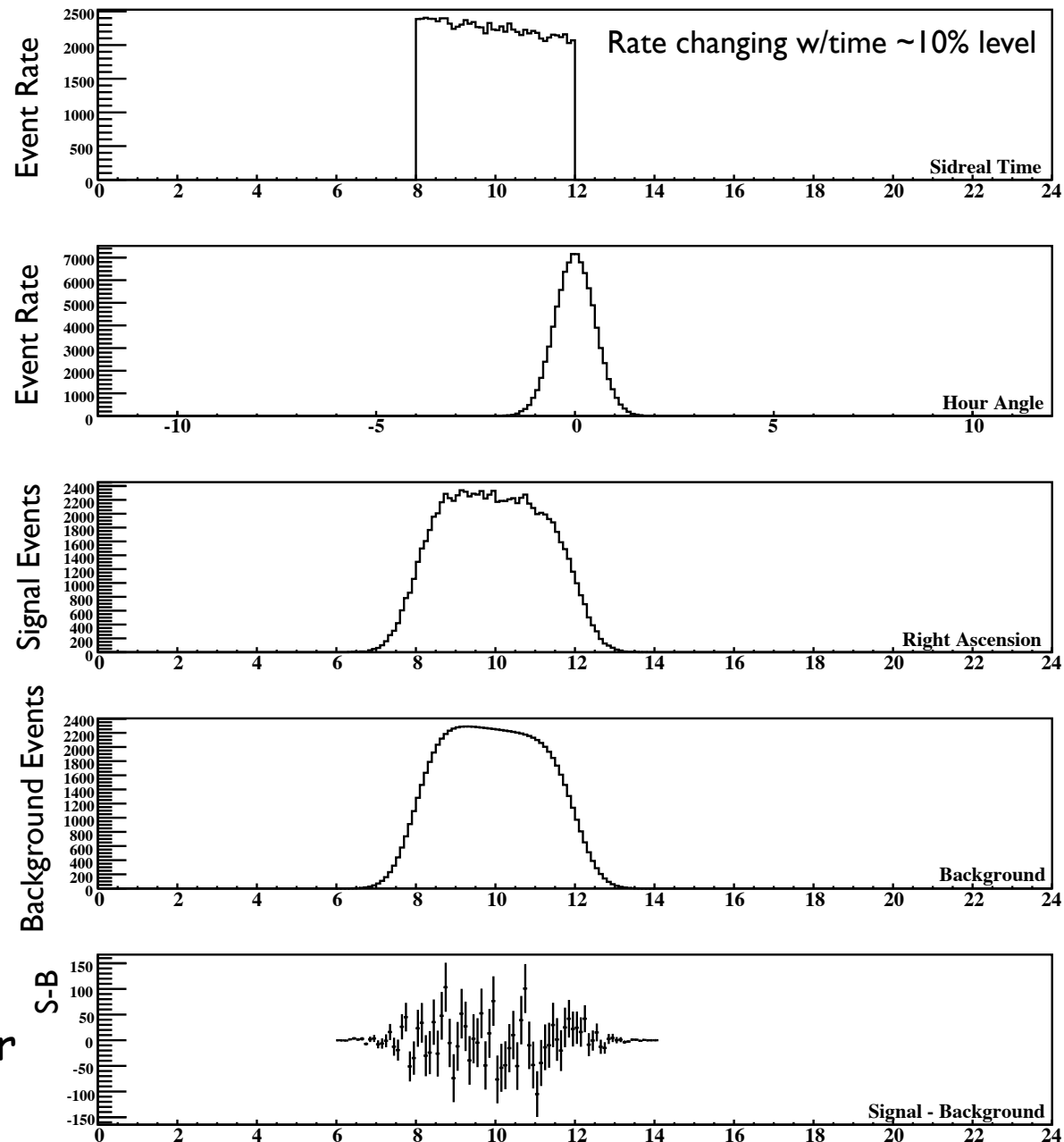
Method used to estimate background for gamma-ray source analysis.

Assume: Local coordinate distribution is stable on short time scale.

Need not assume that the rate is constant in time.

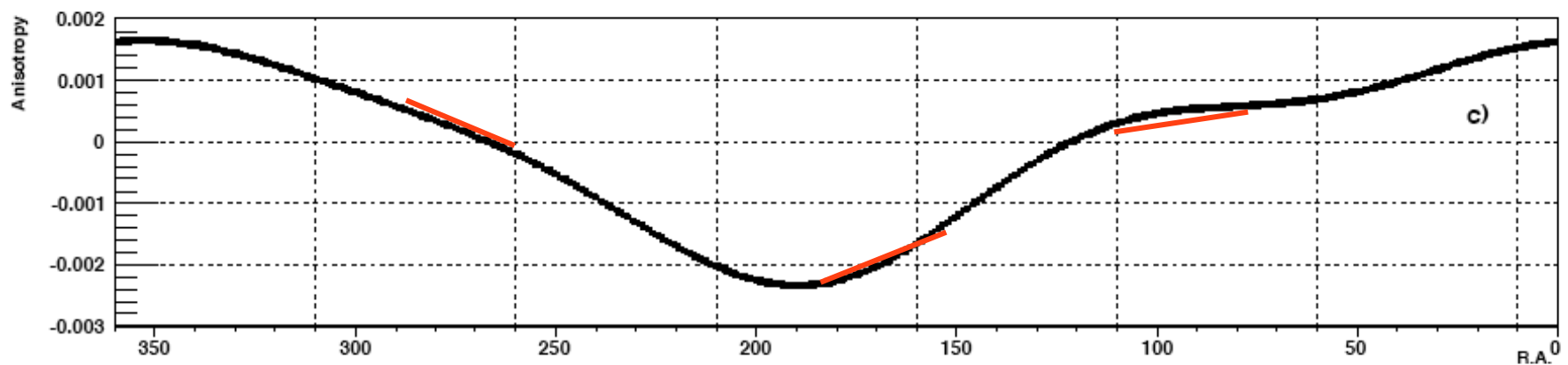
Integration time is 30° (2hr)

Effectively this is a High-Pass filter

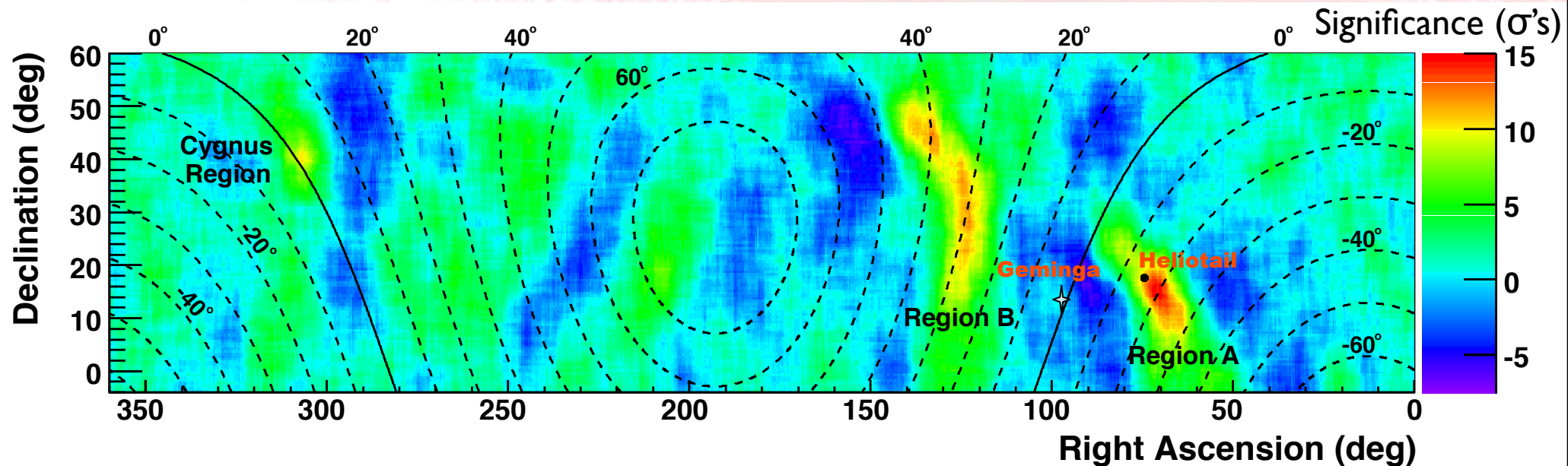


Suppression of large scale features

— 2hr background interval



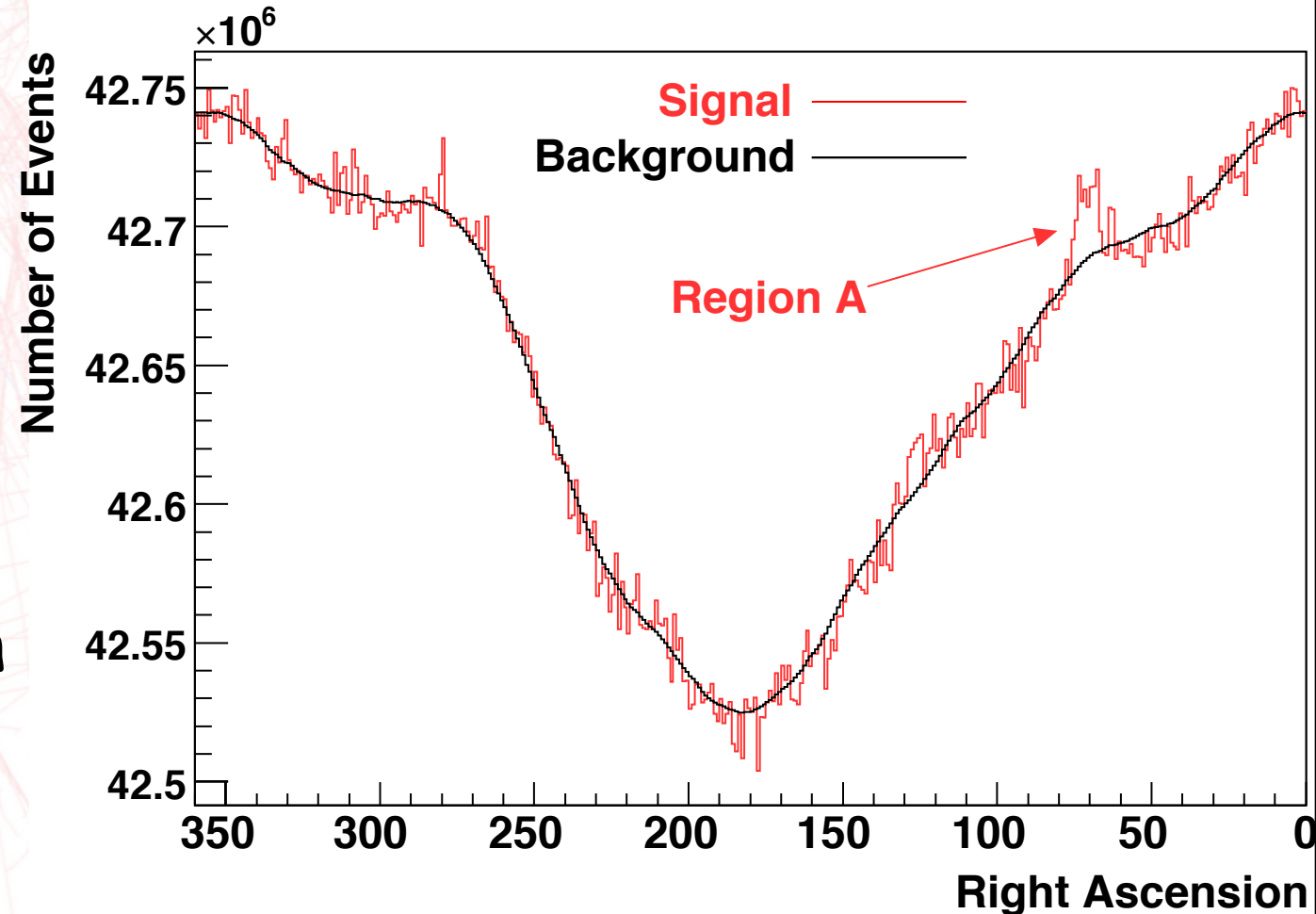
- Anisotropy on the 5-10 degree scale.
- Peak excess $\sim 7 \times 10^{-4}$ (much smaller than the LSA)
- Explanations are difficult because the gyro-radius of a 10 TeV proton in a 1 μ G field is 0.01 parsecs=2000 AU



No Background Subtraction

RA strip for Dec
range 10° - 20°

Large scale
structure due to
exposure variation
+ LSA



- Milagro can separate gamma-ray and hadron induced events through the presence of large depositions in the bottom layer.

- Region A:

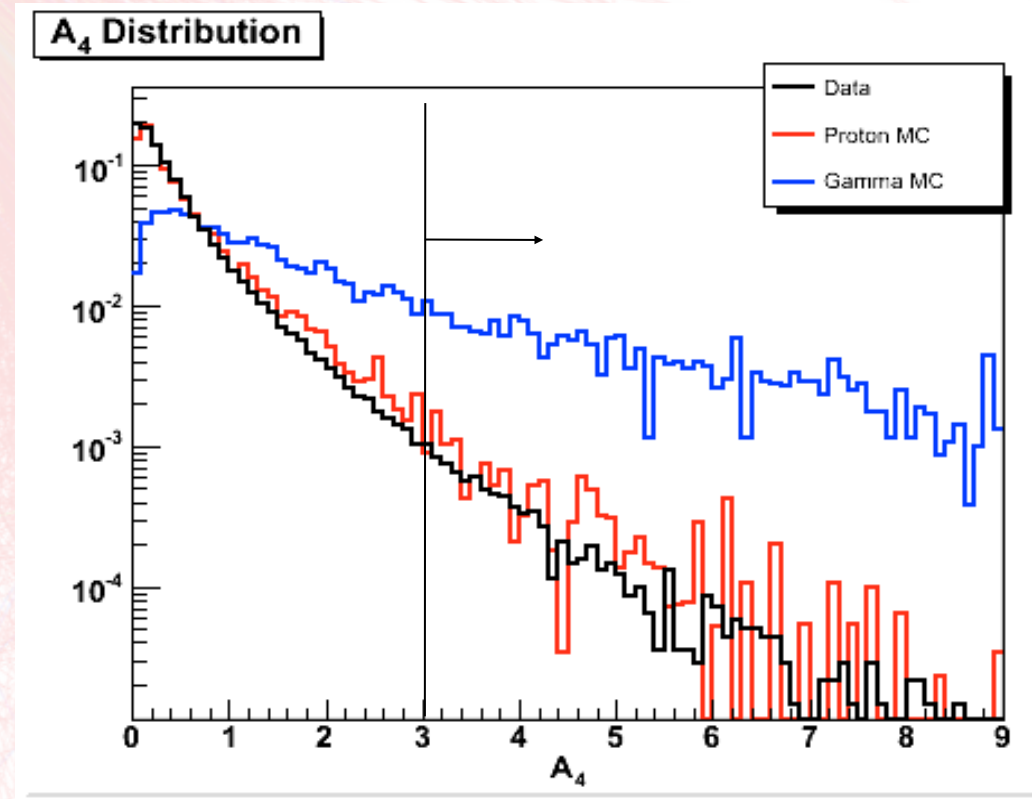
$$\chi^2(\text{hadron}) = 10.3/16 \text{ dof}$$

$$\chi^2(\text{gamma}) = 124.0/16 \text{ dof}$$

- Region B:

$$\chi^2(\text{hadron}) = 19.0/16 \text{ dof}$$

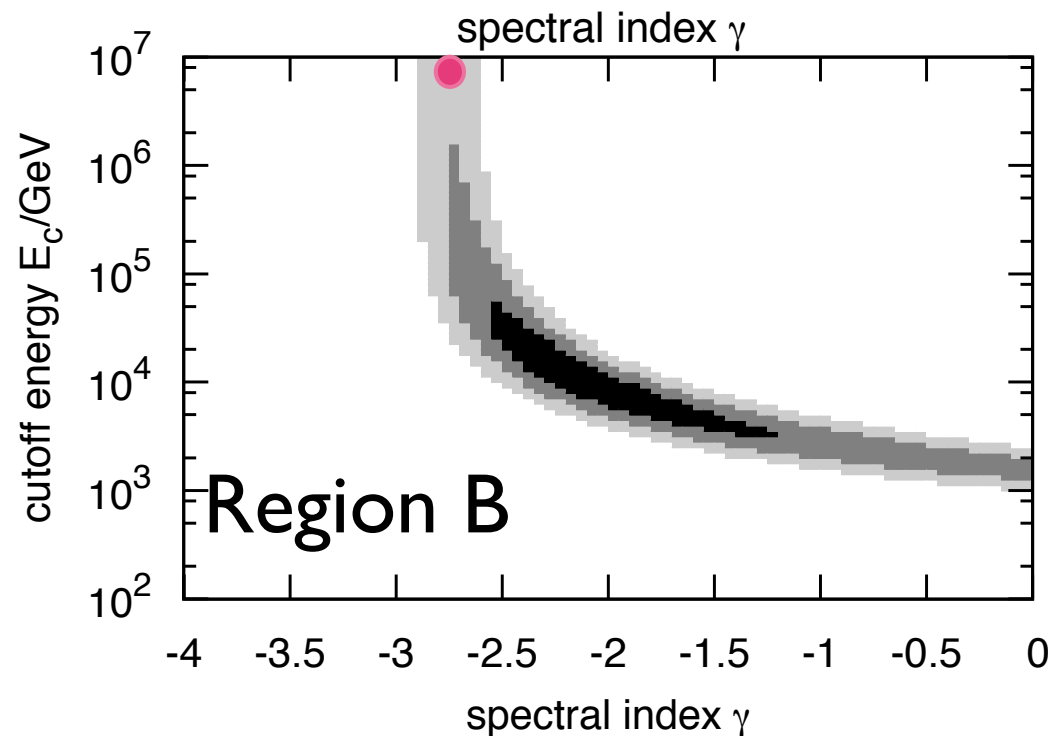
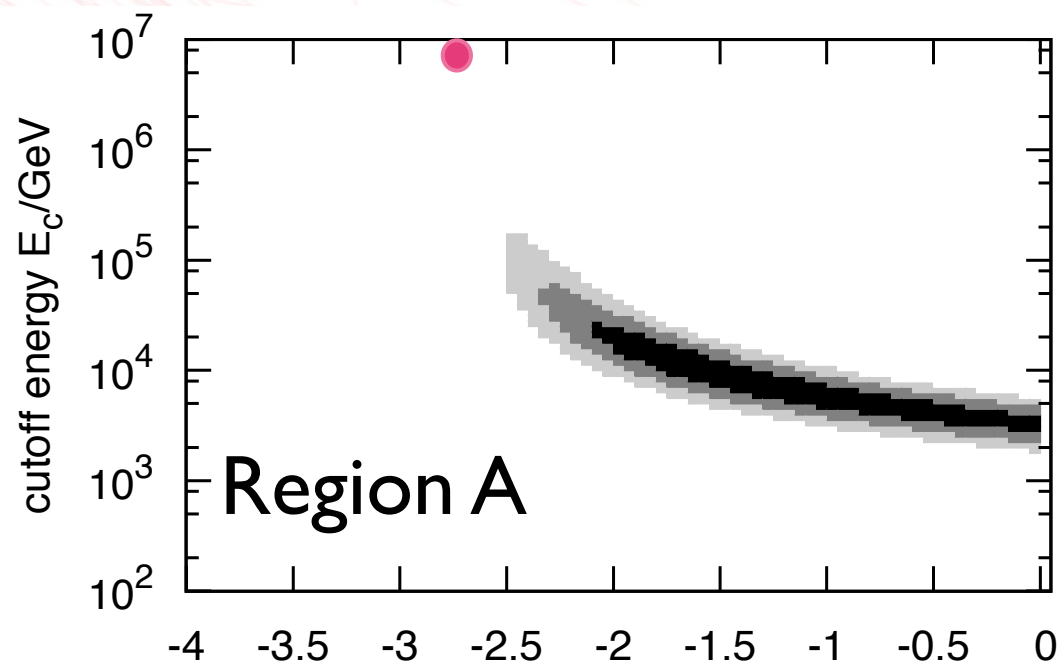
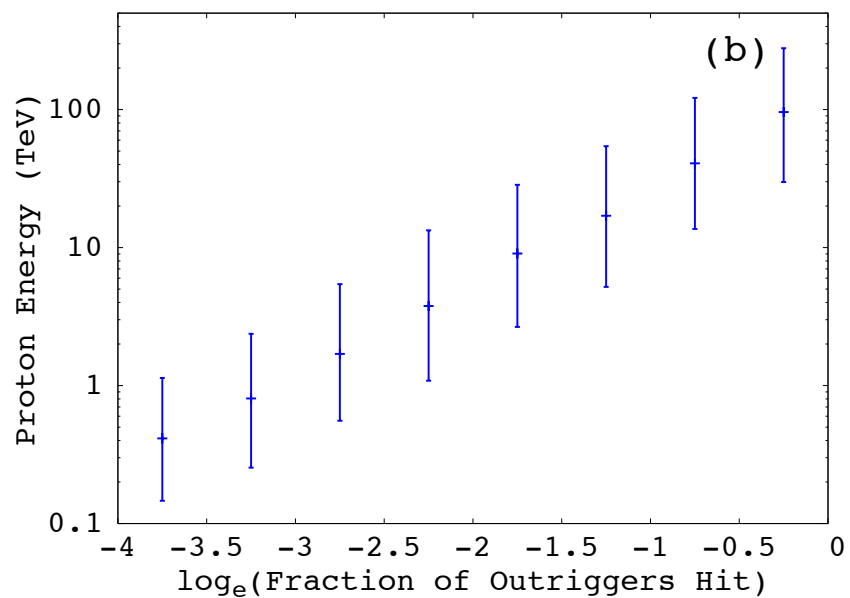
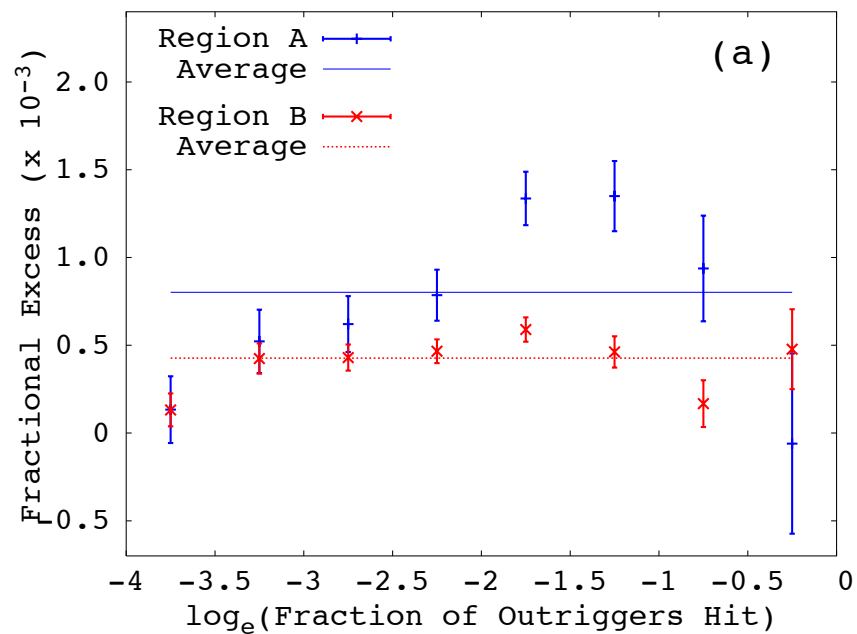
$$\chi^2(\text{gamma}) = 84.8/16 \text{ dof}$$



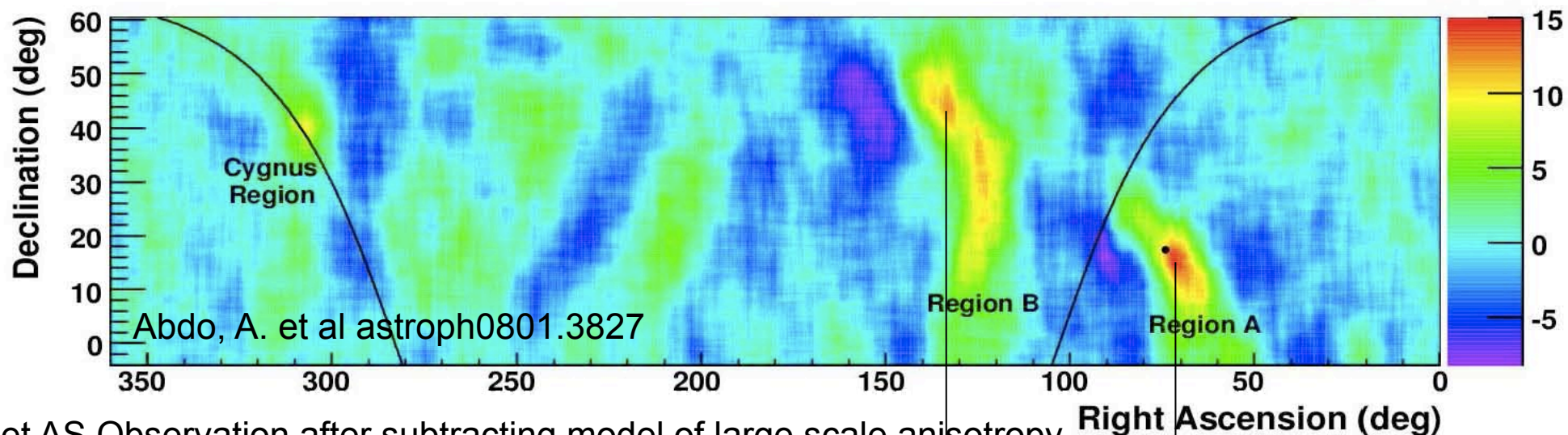
$$A_4 = \frac{(f_{\text{Top}} + f_{\text{Out}}) * n_{\text{Fit}}}{mxPE}$$

mxPE:	maximum # PE in bottom layer PMT
fTop:	fraction of hit PMTs in Top layer
fOut:	fraction of hit PMTs in Outriggers
nFit:	# PMTs used in the angle reconstruction

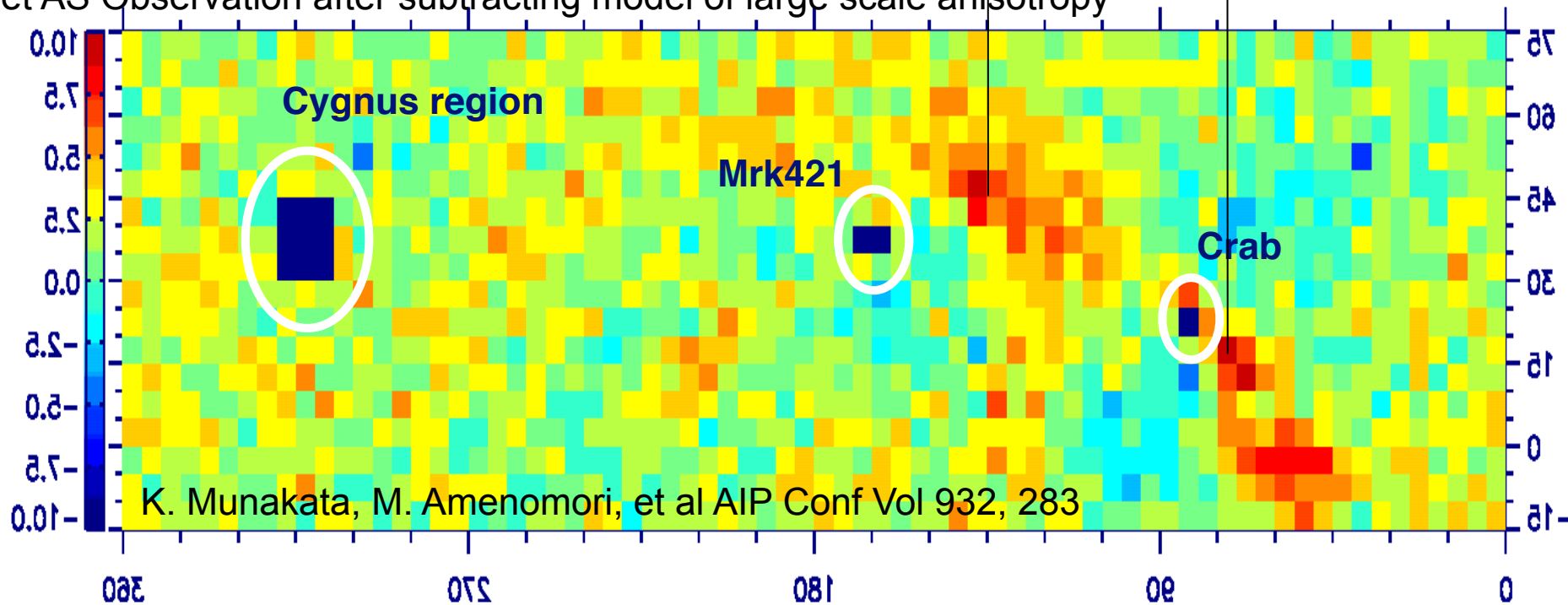
Spectral fit to excess



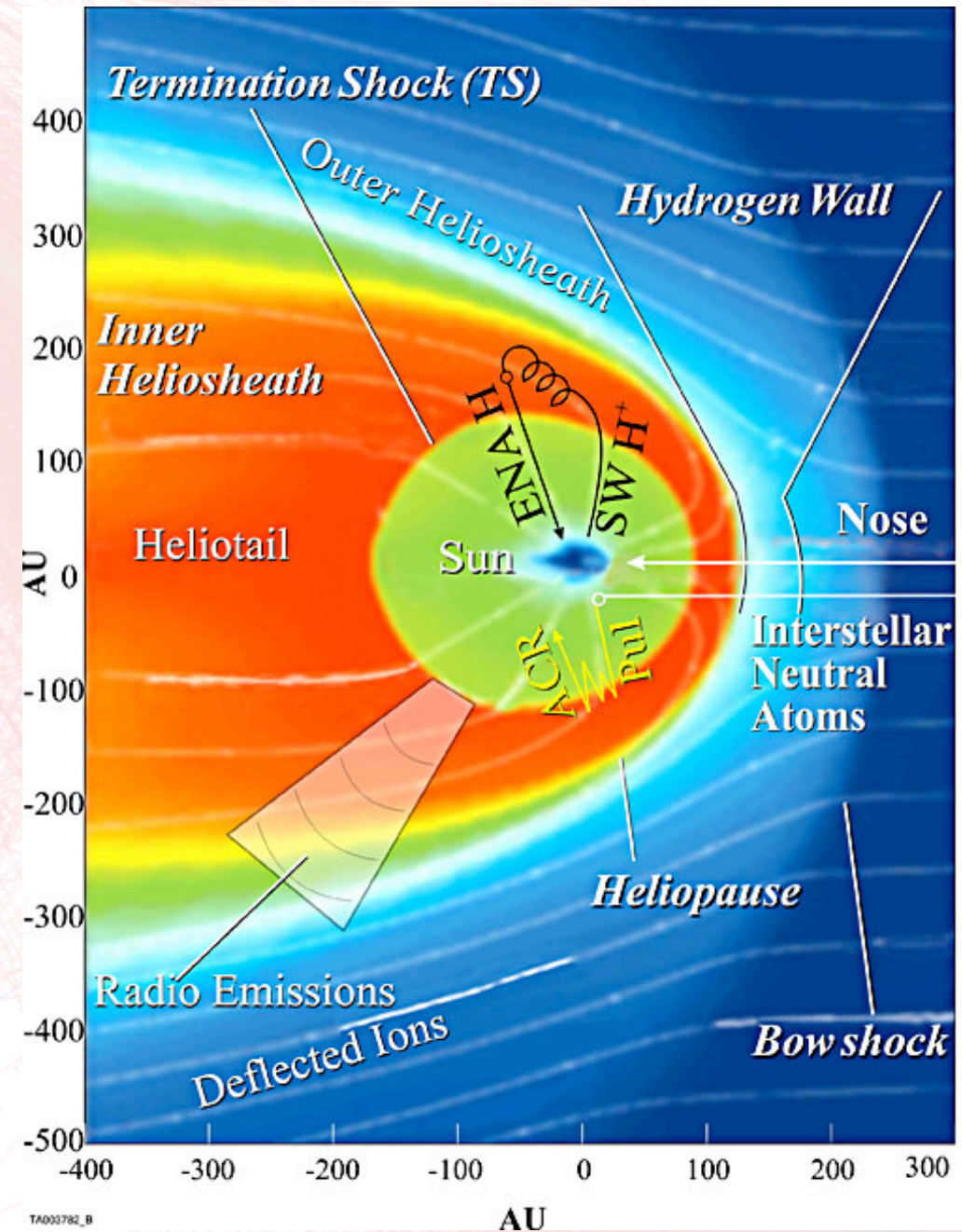
Milagro Observation using Background Calculation over 2 hour (30° in RA) intervals



Tibet AS Observation after subtracting model of large scale anisotropy



Helio-Tail



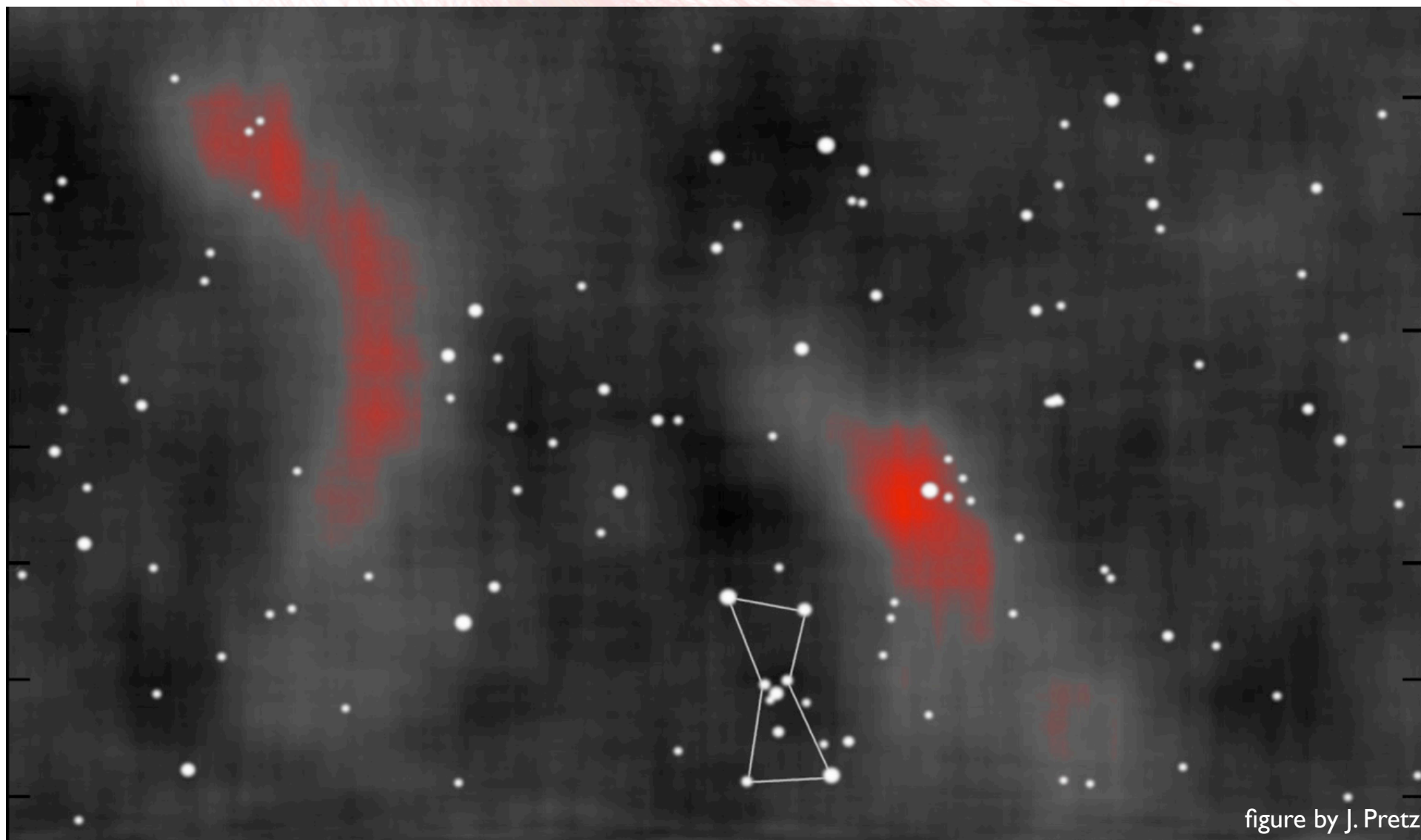
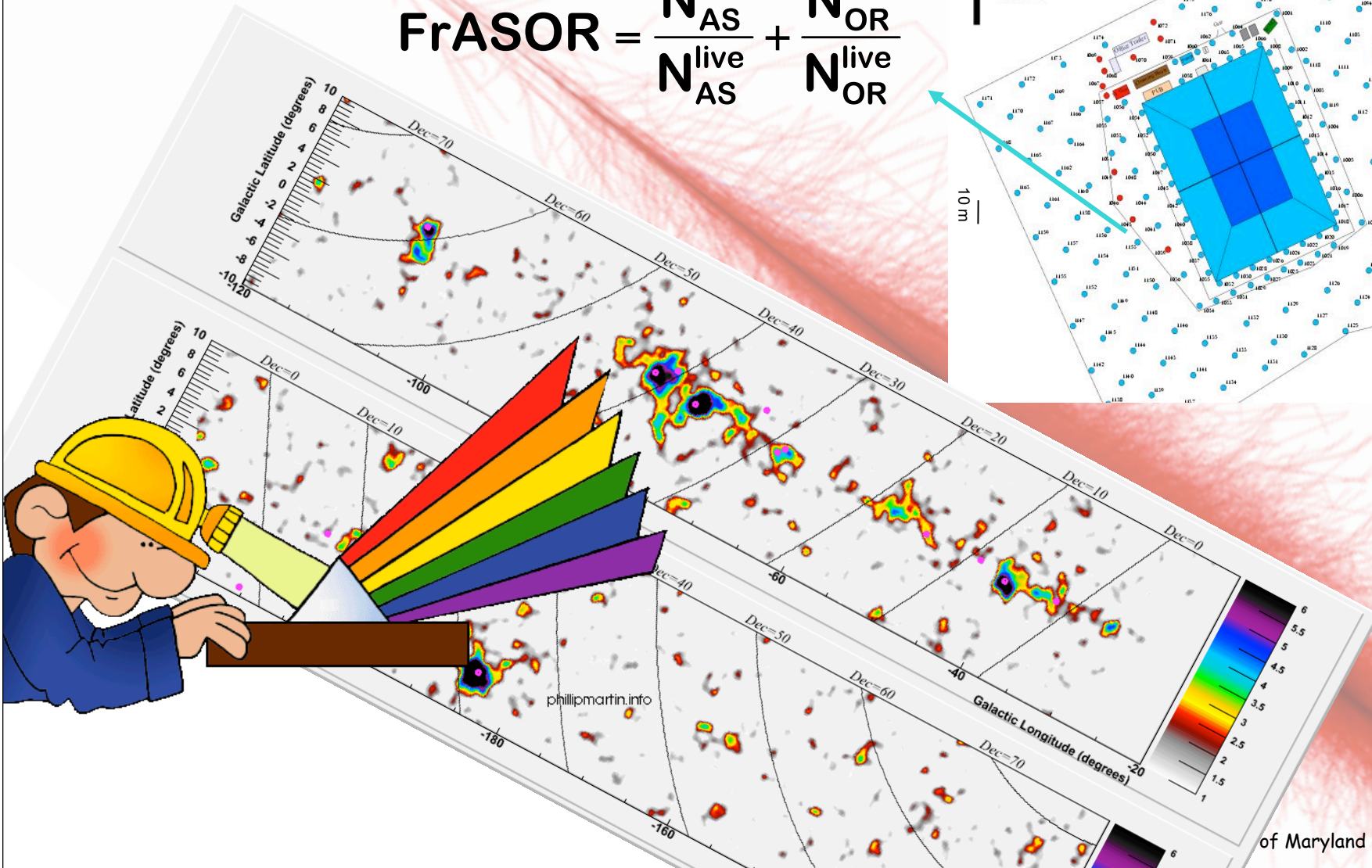
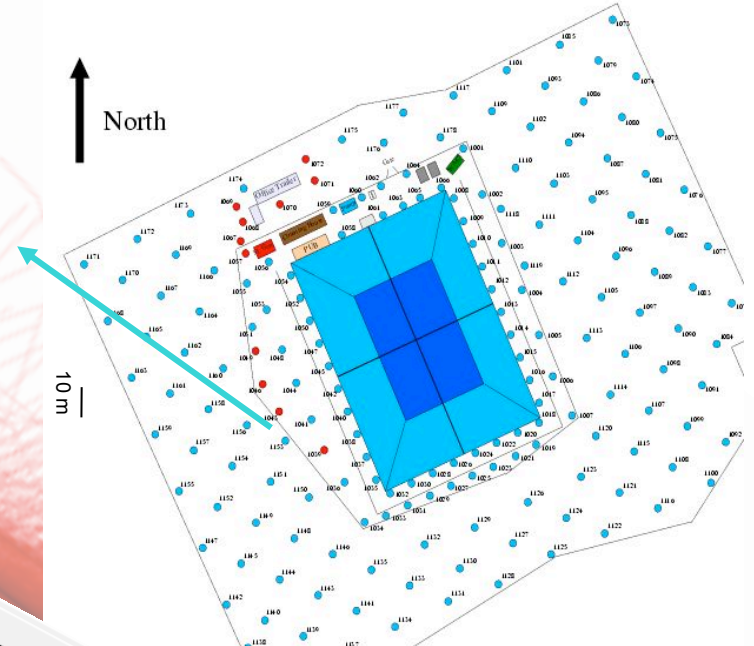
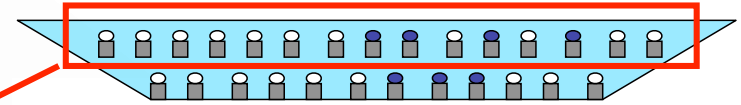


figure by J. Pretz

Energy Parameter

$$\text{FrASOR} = \frac{N_{\text{AS}}^{\text{hit}}}{N_{\text{AS}}^{\text{live}}} + \frac{N_{\text{OR}}^{\text{hit}}}{N_{\text{OR}}^{\text{live}}}$$



Energy Dependence of FrASOR

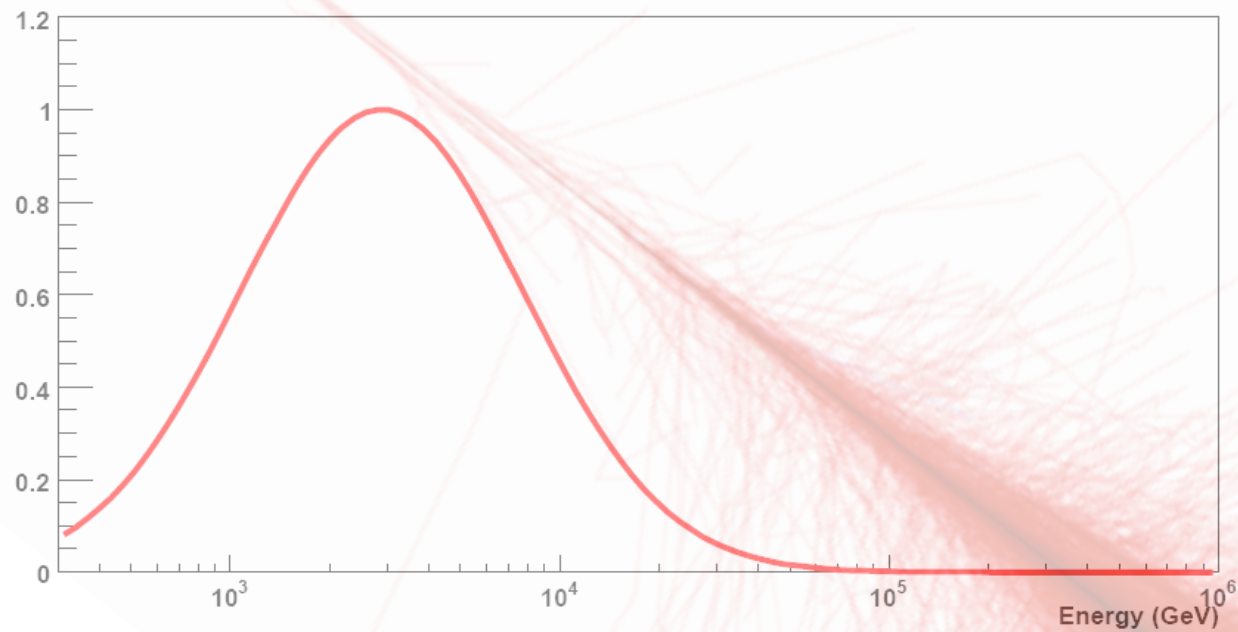


Image from Johannes Knapp

Energy Dependence of FrASOR

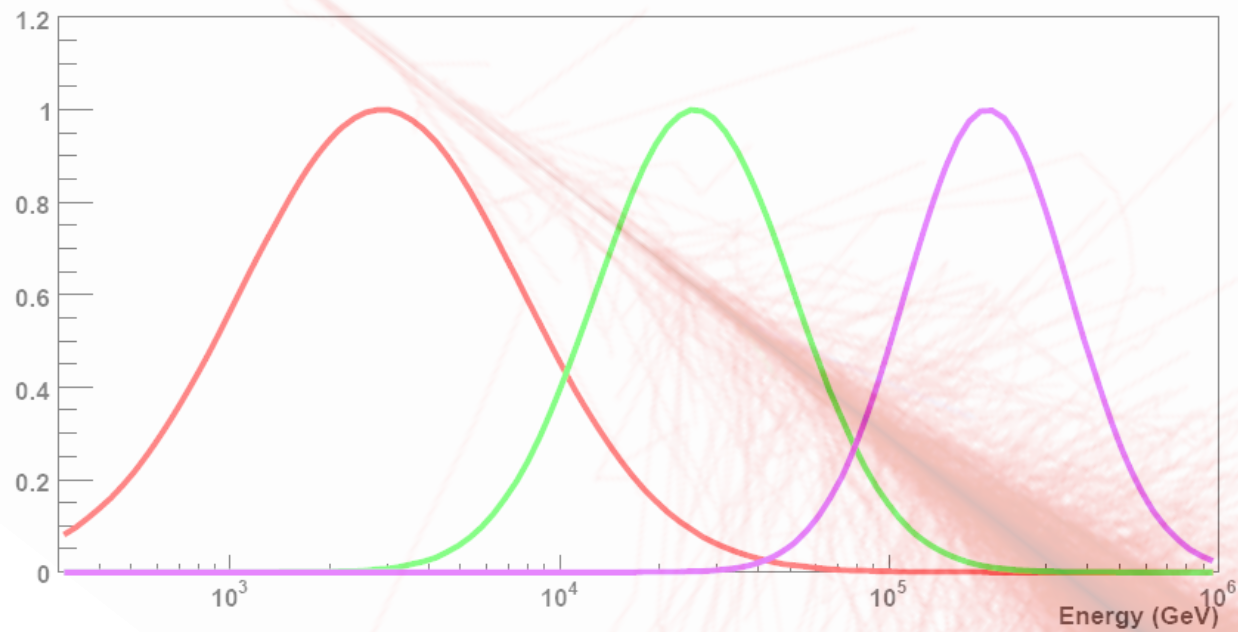


Image from Johannes Knapp

Energy Dependence of FrASOR

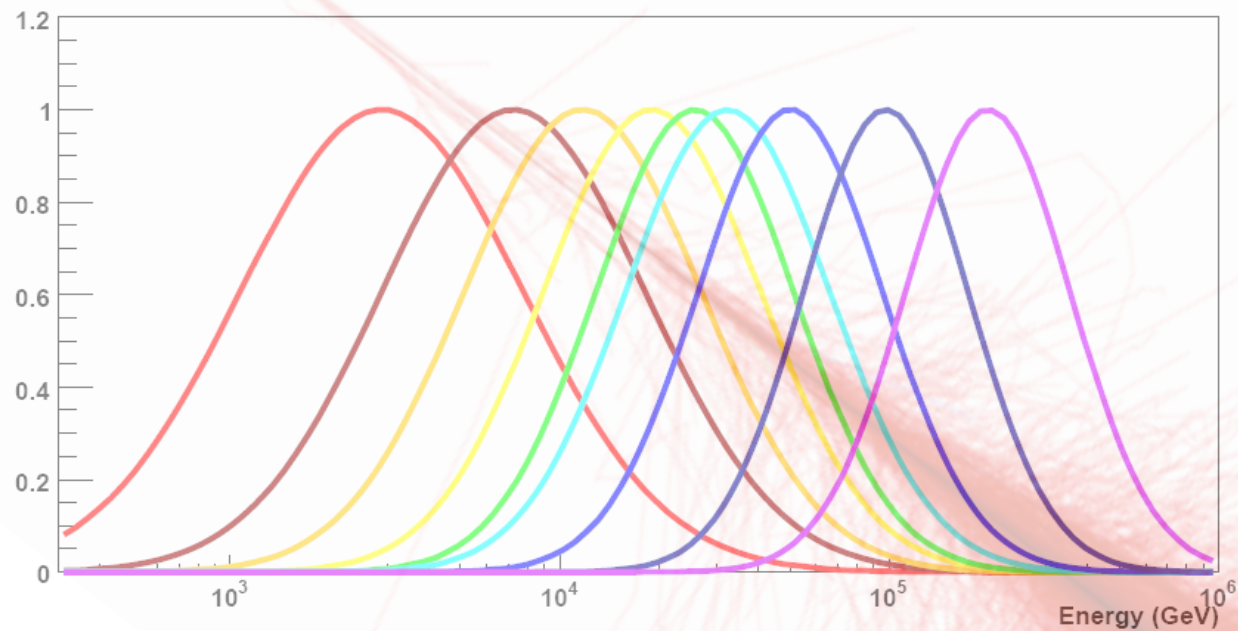


Image from Johannes Knapp

About the data....

- Milagro collected data from 2000 to 2008
- Outrigger array was completed in 2004.
- Addition of outriggers: 2x sensitivity increase
- Data is divided into 9 operational 'epochs'.
- Each epoch is simulated independently.
- Epochs 7,8,9 used in energy analysis.
- Data used in energy fits: September 2005 - March 2008.

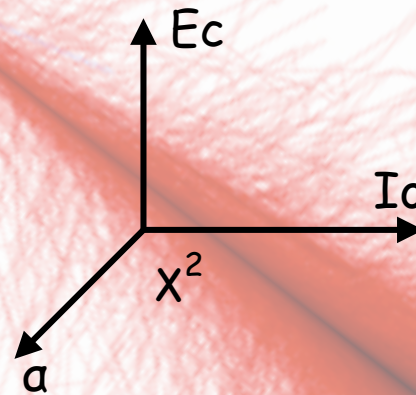
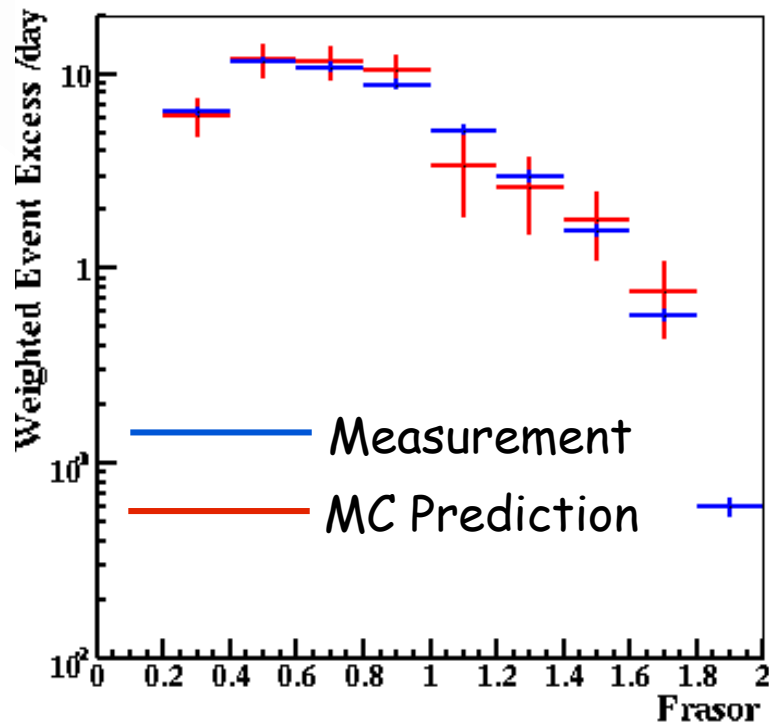
Image from Johannes Knapp

Fitting Procedure

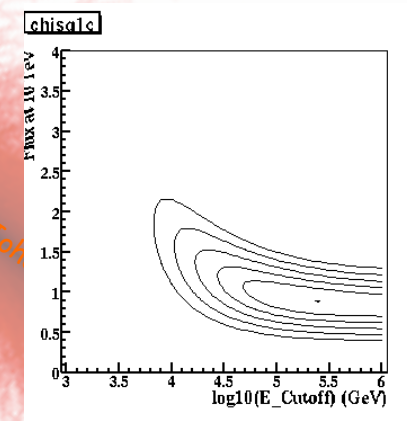
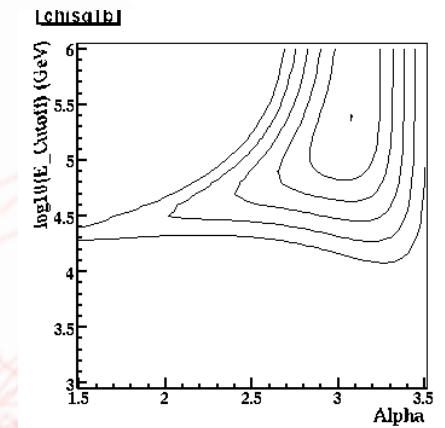
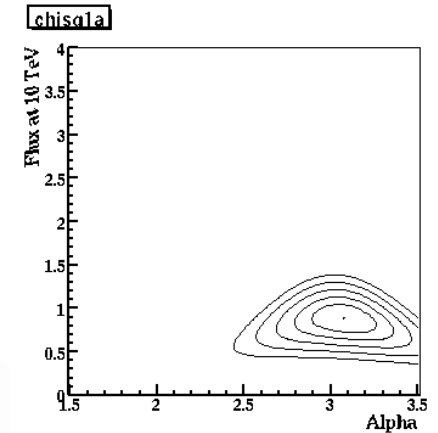
$$\text{Flux} = I_0(E/\text{TeV})^{-\alpha} e^{-(E/E_c)}$$

Perform fit in 'Frasor' space, not energy space.

Minimize $\chi^2(I_0, \alpha, E_c) = \sum (F_r(I_0, \alpha, E_c) - F_r^{\text{measured}})^2 / \sigma^2$

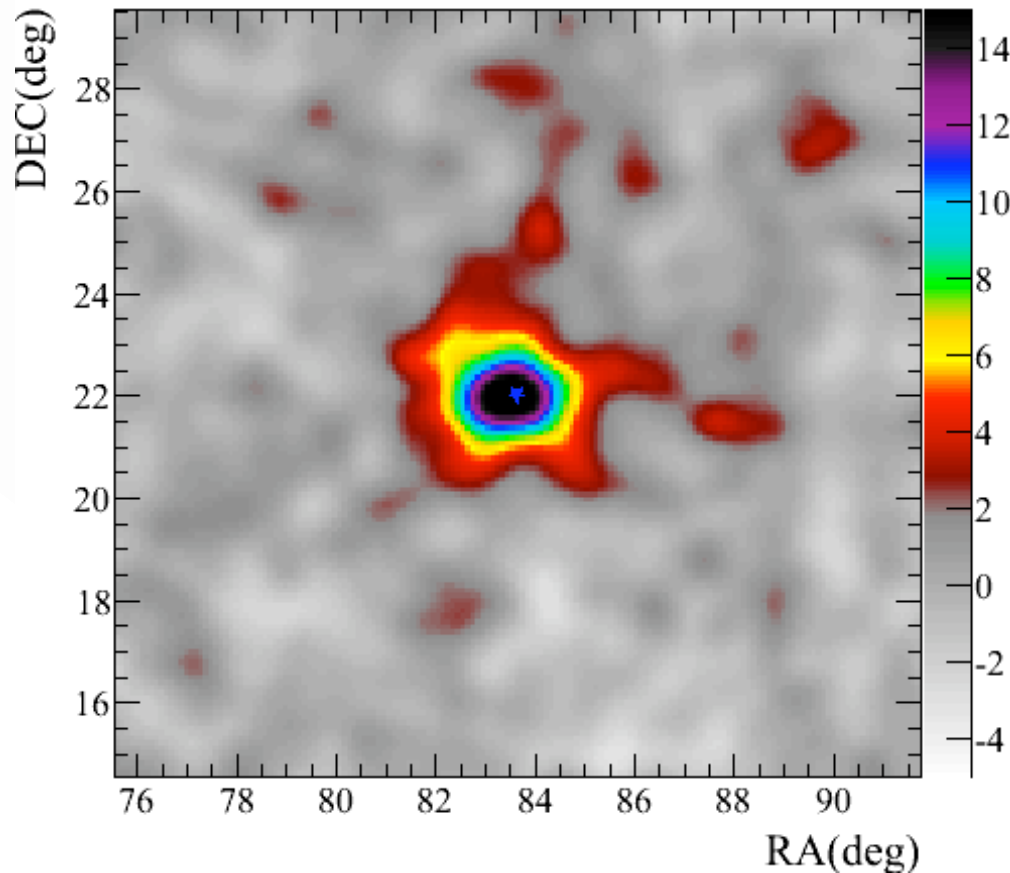


Method tested with fits to the hadronic background spectrum

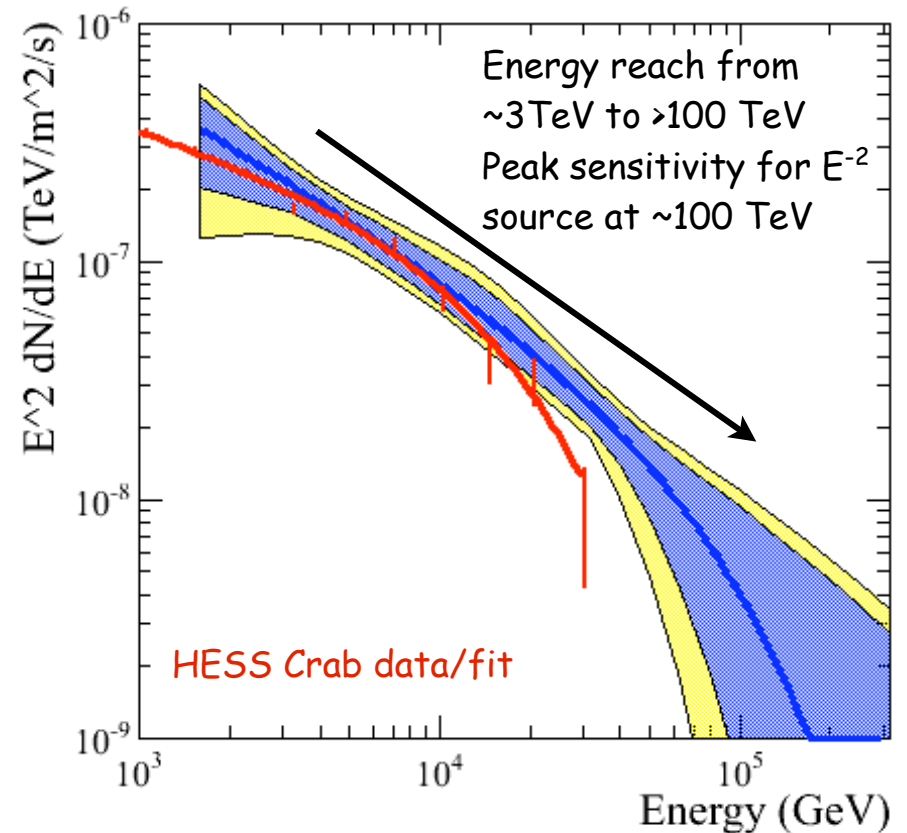


Spectrum of the Crab

RA:83.65 DEC:22.05



Fit Spectrum: $(5.23 \times 10^{-7}) (E/1 \text{ TeV})^{-2.75} \exp(-E/70.8 \text{ TeV})$



Fit Results: (no cutoff)

$I_0 = 6.6 [5.0, 8.0] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$
 $\alpha = 2.95 [2.85, 3.03]$
 $\chi^2 = 28.3 (25 \text{ dof})$

Softer than
 IACT spectra
 ($\alpha_{\text{IACT}} \sim 2.6$)

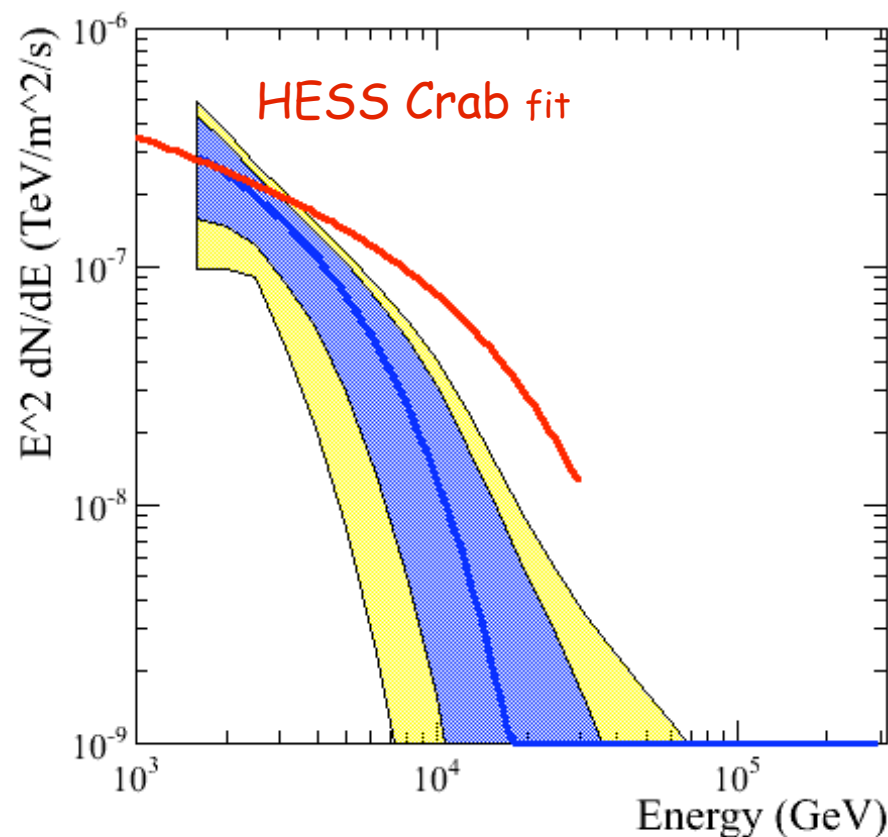
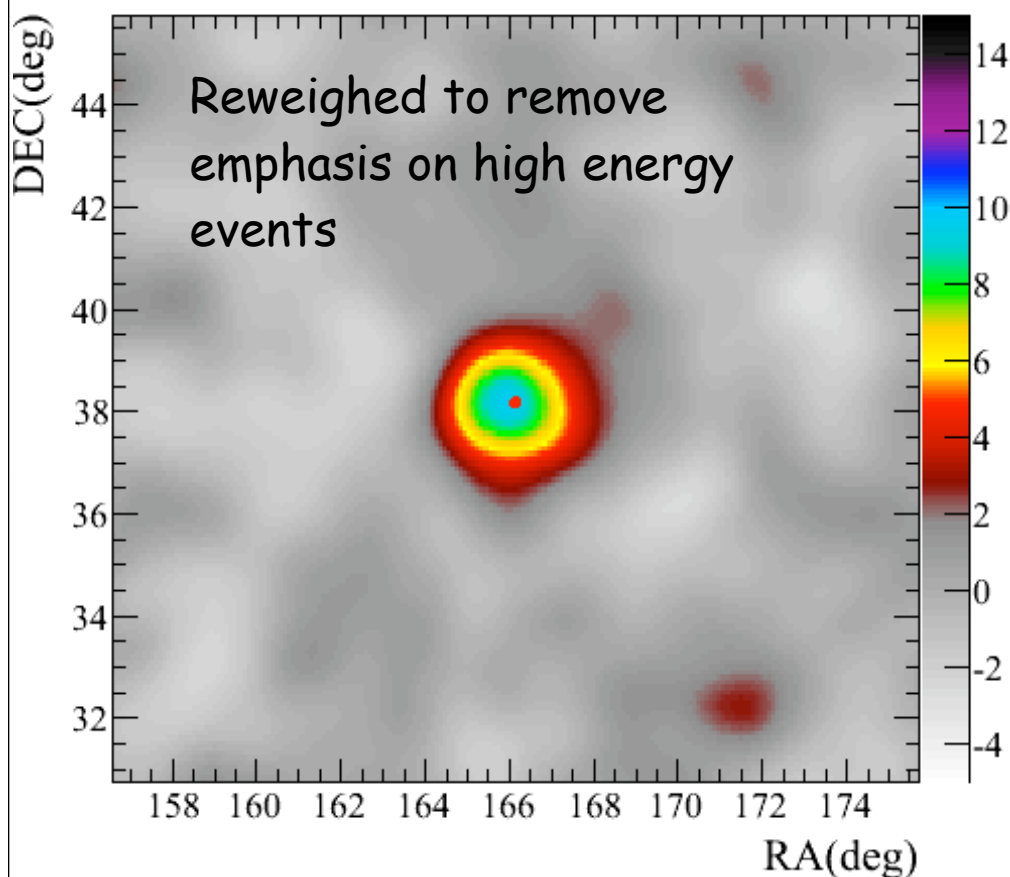
Fit Results: (3-parameter)

$I_0 = 5.2 [2.0, 8.0] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$
 $\alpha = 2.75 [2.22, 3.03]$
 $\Gamma = 71 [22, \text{inf}]$
 $\chi^2 = 27.1 (24 \text{ DOF})$

Mrk 421

RA:166.15 DEC:38.25

Fit Spectrum: $(5.45 \times 10^{-7}) (E/1\text{TeV})^{-2.25} \exp(-E/3.2\text{TeV})$



Fit Results: (3-parameter)

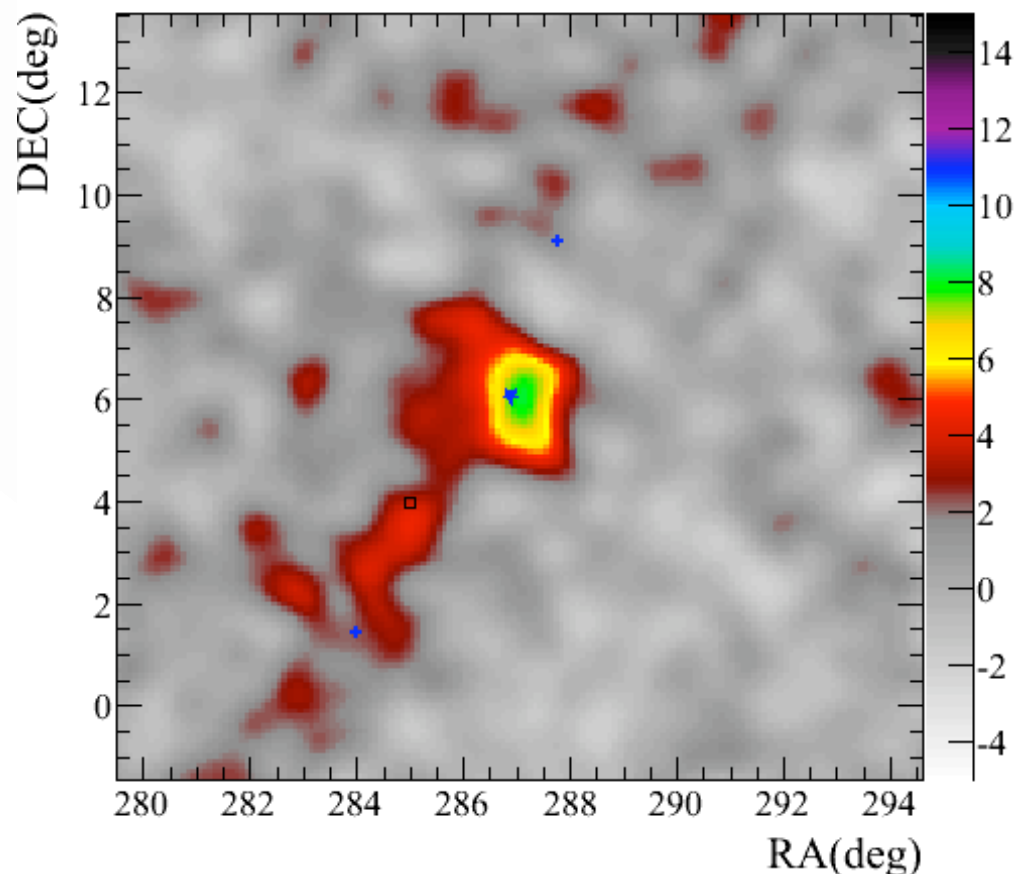
$I_0 = 5.2 [1.9, 14.0] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$
 $\alpha = 1.90 [1.50, 3.5]$
 $E_c = 2.5 [1.4, 20]$
 $\chi^2 = 33.5 (24 \text{ DOF})$

Fit Results: Fix spectral index at 2.1 (2-parameter)

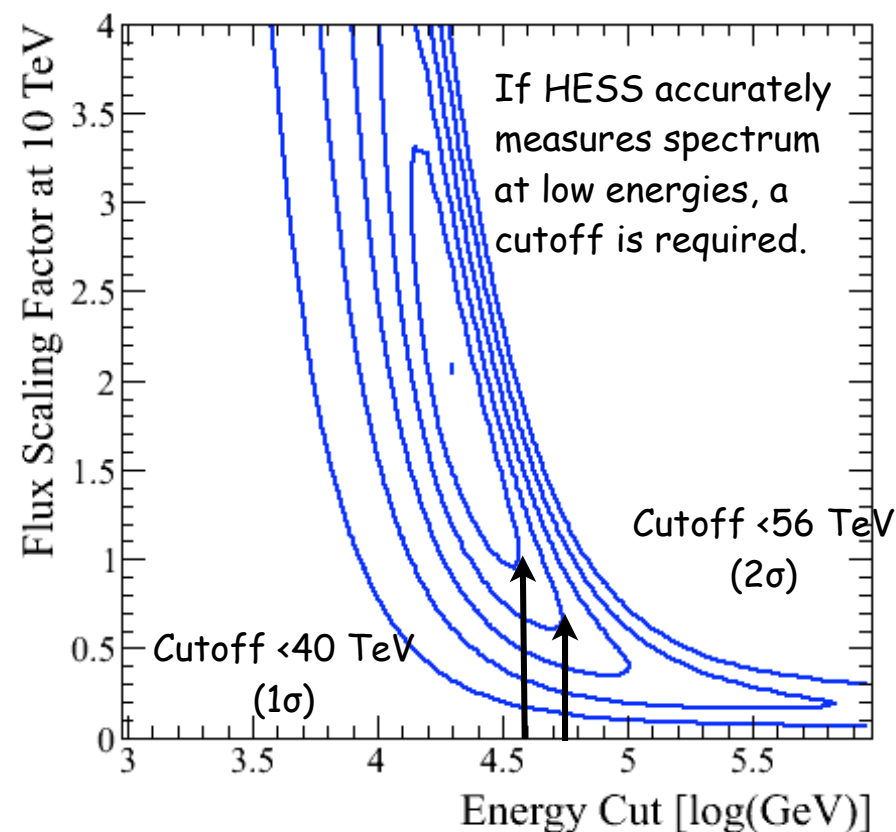
$I_0 = 5.4 [3.0, 10.1] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$
 $E_c = 2.8 [1.8, 4.0] \text{ TeV}$
 $\chi^2 = 28.3 (25 \text{ dof})$

MGRO J1908+06

RA:287.05 DEC:6.05



chisq_Alpha2.10



Fit Results: (no cutoff)

$I_0 = 6.6 [3.4, 12.1] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$\alpha = 3.00 [2.8, 3.2]$

$\chi^2 = 29.3$ (25 DOF)

Fit Results: (3-parameter)

$I_0 = 0.62 [0.29, 4.9] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$\alpha = 1.50 [1.50, 2.65]$

$E_c = 14 [10, 50] \text{ TeV}$

$\chi^2 = 22.1$ (24 DOF)

Fit Results: (hold $\alpha=2.1$)

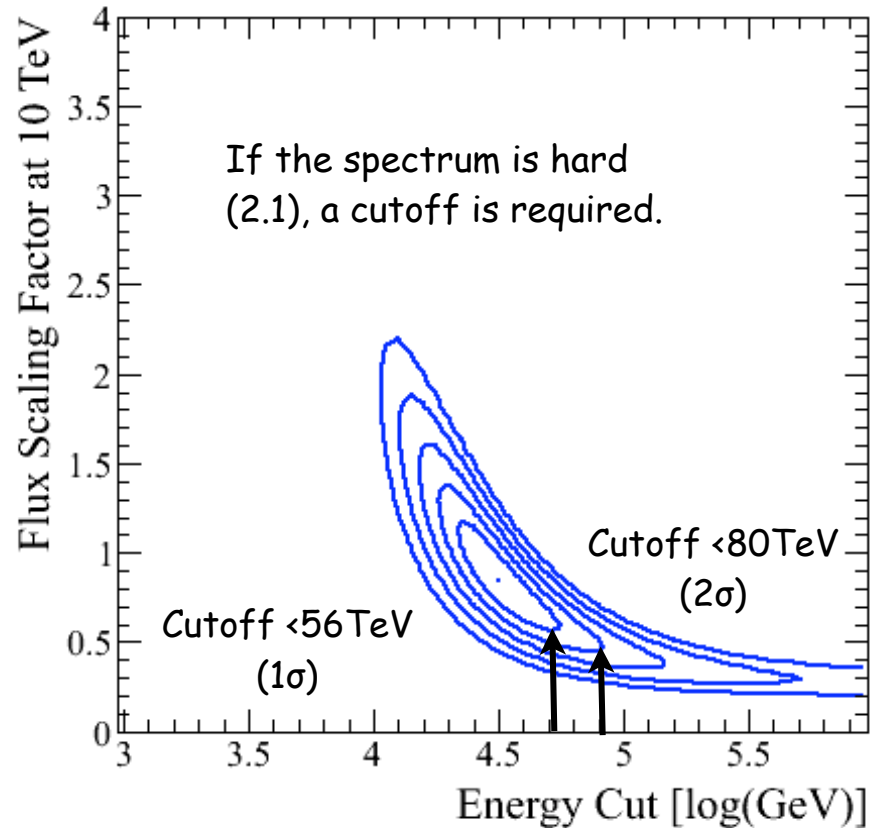
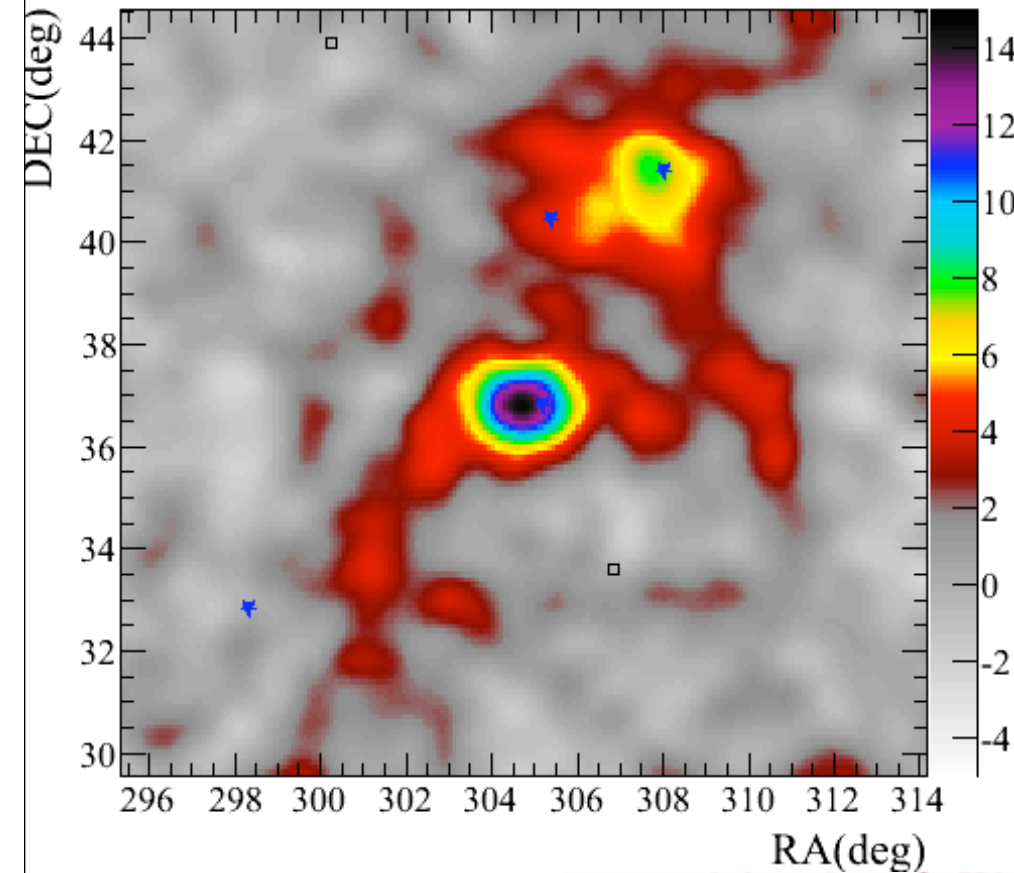
$I_0 = 2.1 [1.1, 3.1] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$E_c = 14 [10, 40] \text{ TeV}$

$\chi^2 = 23.3$ (25 DOF)

Dragonfly - MGRO J2019+37/ OFGL J2020.8+3649

RA:304.75 DEC:37.05



Fit Results: (no cutoff)

$I_0 = 1.74 [1.10-2.50] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$\alpha = 2.62 [2.50-2.75]$

$\chi^2 = 31.7 (25 \text{ DOF})$

Fit Results: (3-parameter)

$I_0 = 0.54 [0.20,1.82] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$\alpha = 1.83 [1.50,2.55]$

$E_c = 22 [12,177] \text{ TeV}$

$\chi^2 = 26.9 (24 \text{ DOF})$

Fit Results: (hold $\alpha=2.1$)

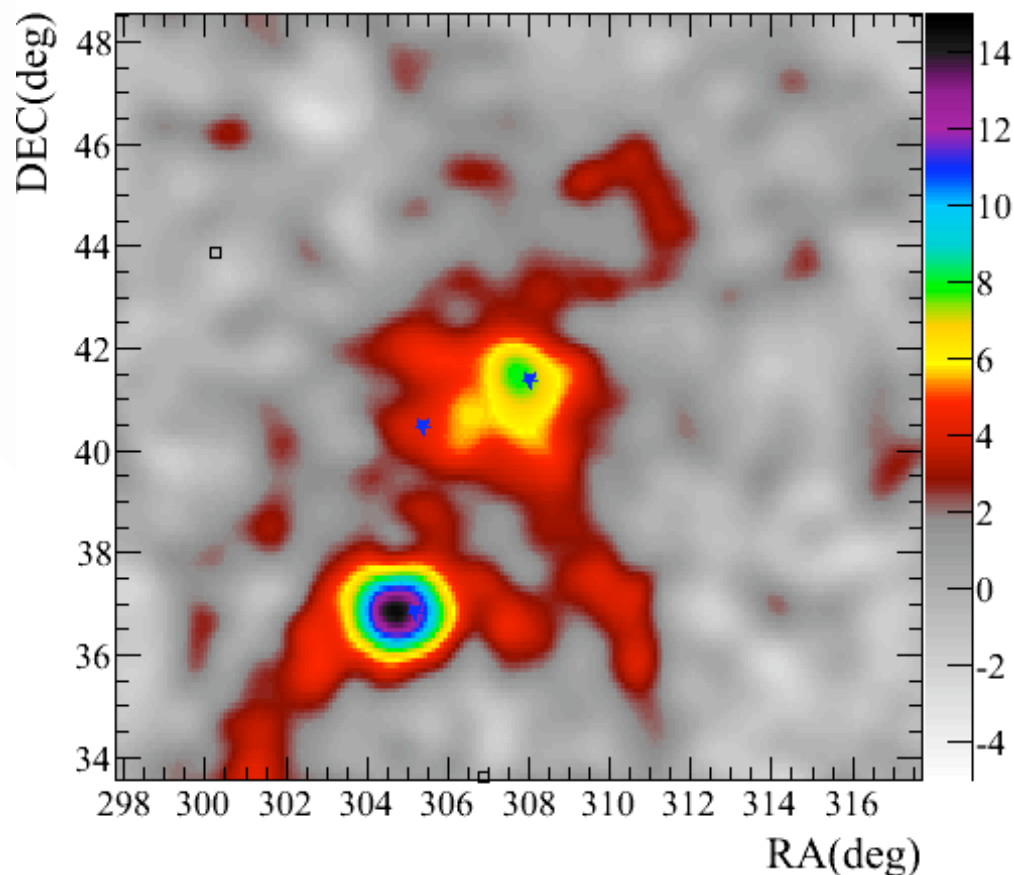
$I_0 = 0.87 [0.64,1.1] \times 10^{-7} \text{ /s/m}^2\text{/TeV}$

$E_c = 31 (25,44) \text{ TeV}$

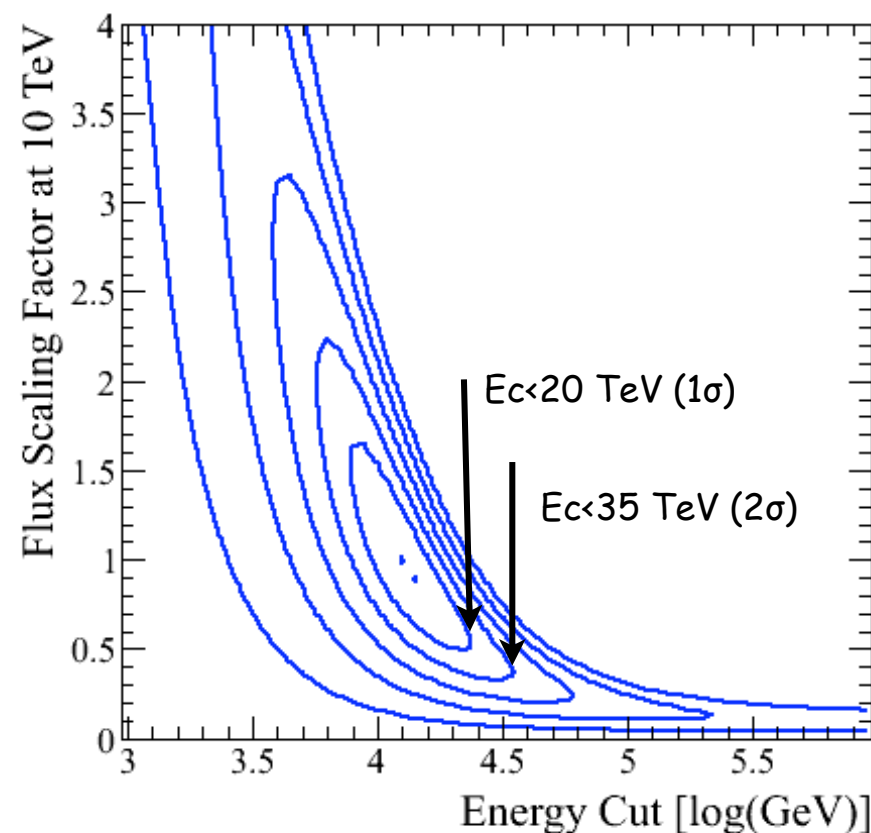
$\chi^2 = 27.3 (25 \text{ DOF})$

MGRO J2031+41/TeV 2032+41

RA:307.75 DEC:41.05



chisq_Alpha2.10



Fit Results: (no cutoff)

$I_0 = 2.6 [1.3, 3.6] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$\alpha = 3.02 [2.80, 3.20]$

$\chi^2 = 24.2 \text{ (25 DOF)}$

Fit Results: (3-parameter)

$I_0 = 0.42 (0.20, 2.40) \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$\alpha = 1.53 [1.50, 2.83]$

$E_c = 9 [5.6, 56] \text{ TeV}$

$\chi^2 = 18.6 \text{ (24 DOF)}$

Fit Results: (hold $\alpha=2.1$)

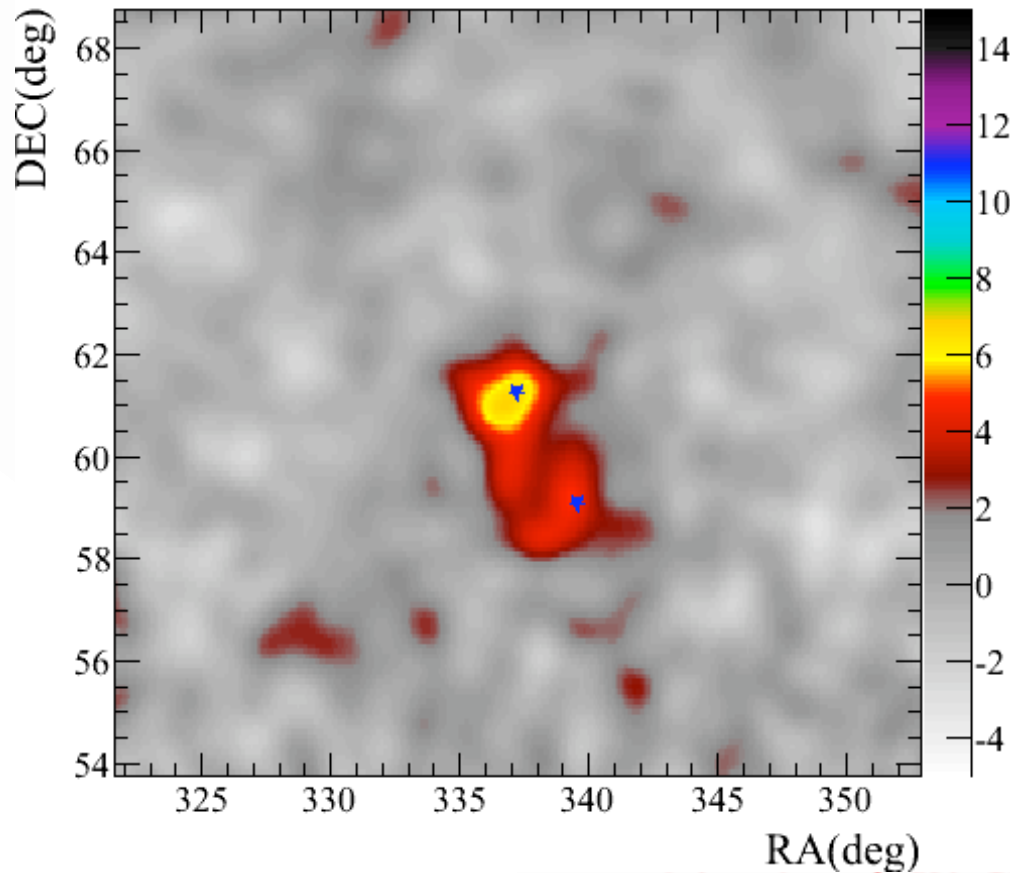
$I_0 = 0.92 [0.58, 1.50] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$E_c = 14 (9, 20) \text{ TeV}$

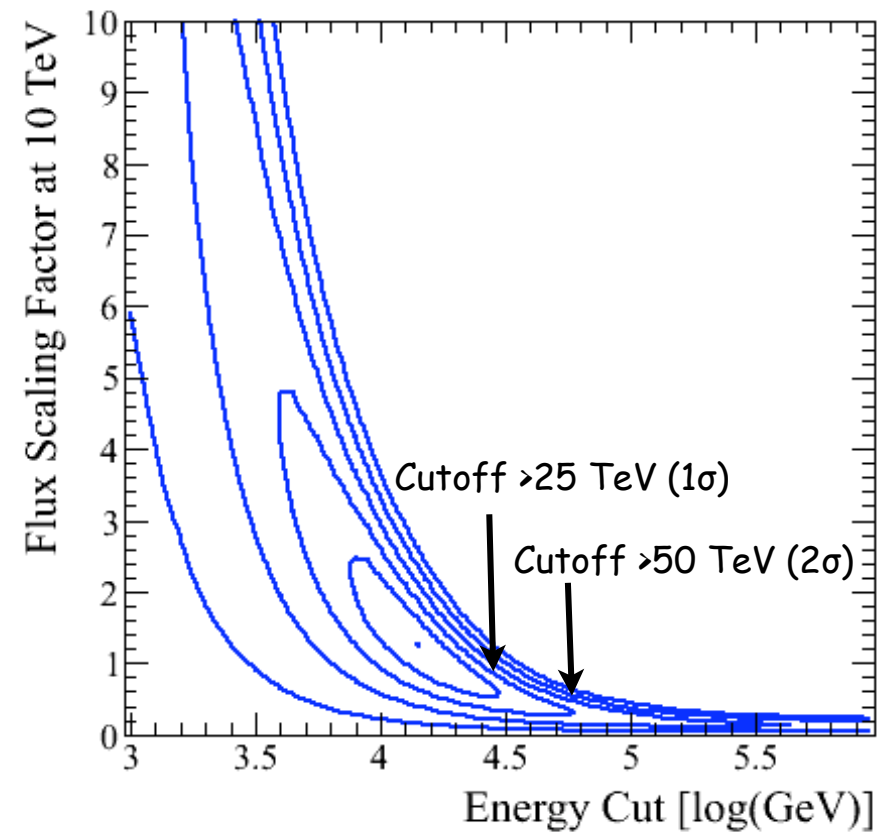
$\chi^2 = 18.6 \text{ (25 DOF)}$

Boomerang - MGRO J2229+61, OFGL J2229+6114

RA:337.25 DEC:61.25



chisq_Alpha2.10



Fit Results: (no cutoff)

$I_0 = 4.0 [1.7, 7.1] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$\alpha = 3.10 [2.83, 3.38]$

$\chi^2 = 14.4 (25 \text{ DOF})$

Fit Results: (3-parameter)

$I_0 = 2.68 (0.18, 7.72) \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$\alpha = 2.70 (1.50, 3.42)$

$\Gamma = 45 (6, \text{inf}) \text{ TeV}$

$\chi^2 = 13.9 (24 \text{ DOF})$

Fit Results: (hold $\alpha=2.1$)

$I_0 = 1.28 [0.55, 2.50] \times 10^{-7} \text{ /s/m}^2/\text{TeV}$

$E_c = 14 (8, 25) \text{ TeV}$

$\chi^2 = 18.6 (25 \text{ DOF})$

Benefit of Adjusting Spectral Hypothesis

Example: Active Galaxy Markarian 421

